## Manual for TCSFA Package

BY TIMY

## 1 Form of the Light Field

Dipole approximation is employed. The light field is defined by its vector potential with the  $\sin^2$ -envolope:

$$\mathbf{A} \cdot \hat{\mathbf{z}} = -\frac{E_0}{\omega \sqrt{1 + \xi^2}} \sin^2 \left(\frac{\omega t}{2N_c}\right) \sin \left(\omega t + \varphi\right)$$

$$\mathbf{A} \cdot \hat{\mathbf{x}} = -\frac{E_0 \, \xi}{\omega \sqrt{1 + \xi^2}} \sin^2 \left( \frac{\omega t - \pi/2}{2 \, N_c} \right) \cos \left( \omega t + \varphi \right),$$

where  $E_0$  is the electric field amplitude,  $\omega$  is carrier frequency,  $N_c$  is the number of optical cycles,  $\varphi$  is the phase,  $\xi$  is the ellipticity. When  $\xi = 0$ , it describes the linearly polarized field with the polarization direction along the z-axis.

## 1 Organization of the TCSFA Package

- src
  - o ccsfa: The main directory for the source of the TCSFA package
    - core: the core part of the TCSFA
    - include: stores head files generated by the Python script "config.py".
    - p\_entry: entry point of the parallel version.
    - s\_entry: entry point of the standalone version.
      - main.f90: is the entry point of standalone computation. One can modify this file to calculate a single trajectory or multiple trajectories and related quantities, or whatever.
      - data\_proc.f90: is used to reproduce a batch of trajectories selected from the raw data with certain conditional filter. Given a subset of the raw data select.dat and filter, it generates the index of the data satisfying the critera filter.dat and the corresponding transition amplitude traj\_m.dat.
    - config.py: translates parameter list into individual head file for each module.
  - mmff: MPI Framework for Fortran (\( \text{hlink} \) https://github.com/timy/MMFF\( \text{MMFF} \))
- ana
  - o proc: post-process programs for analysis of the generated raw data
  - plot: some easy-to-use python scripts for quick access to visualization of results
  - o data: data results for visualization

 $W_{\mathrm{sub}}$  without Coulomb correction can be integrated numerically with the function  $\mathtt{action\_W\_im\_num}$  with the integrand  $\mathtt{v2\_integrand}$  from  $t_s$  to  $t_0$ ; or it can be obtained with the analytical expression with the function  $\mathtt{action\_W\_im}$ .  $W_{\mathrm{mix}}$  (S-representation) or  $W_{\mathrm{mix}} + W_{\mathrm{kep}}$  (W-representation) can be directly obtained as an argument from function  $\mathtt{rk4\_re}$  by numerical integration.