

Syntax

Action Fields	f_i	$::=$	$f_{a_1} \mid \cdots \mid f_{a_k}$	
Result Fields	f_r	$::=$	$f_{r_1} \mid \cdots \mid f_{r_k}$	
Fields	$?$	$?$		
Actions	i	$::=$	$\{f_{a_1} = v_{a_1}, \dots, f_{a_k} = v_{a_k}\}$	
Results	r	$::=$	$\{f_{r_1} = v_{r_1}, \dots, f_{r_k} = v_{r_k}\}$	
Predicates	a, b	$::=$	0 <i>Identity</i> $ $ 1 <i>False</i> $ $ $f_i = n$ <i>Test Action</i> $ $ $f_r = n$ <i>Test Result</i> $ $ $a + b$ <i>Sum</i> $ $ $a \cdot b$ <i>Product</i> $ $ $\neg a$ <i>Inverse</i>	
Policies	p, q	$::=$	a <i>Test</i> $ $ $act(p)$ <i>Slice Actions</i> $ $ $res(p)$ <i>Slice Results</i> $ $ inj_i <i>Injection Action</i> $ $ inj_r <i>Injection Result</i> $ $ $f_i \leftarrow n$ <i>Functional Map Actions</i> $ $ $f_r \leftarrow n$ <i>Functional Map Results</i> $ $ $p + q$ <i>Choice</i> $ $ $p \cdot q$ <i>Sequential Concatenation</i> $ $ p^* <i>Kleene Star</i>	

Semantics

Def $\Phi = \{(is, rs)\}$

Where Φ is the infinite possibility set of (is, rs) .

$$\begin{aligned}
\llbracket 0 \rrbracket(-, -) &\triangleq \emptyset \\
\llbracket 1 \rrbracket(is, rs) &\triangleq \{(is, rs)\} \\
\llbracket act(p) \rrbracket(is, rs) &\triangleq \{\llbracket p \rrbracket(is, rs)\} \cap \{a_s\} \\
\llbracket res(p) \rrbracket(is, rs) &\triangleq \{\llbracket p \rrbracket(is, rs)\} \cap \{r_s\} \\
\llbracket f_A = n \rrbracket action :: (is, rs) &\triangleq \begin{cases} \{action :: (is, rs)\} & \text{if } action[f_A = n] \\ \emptyset & \text{else} \end{cases} \\
\llbracket f_R = n \rrbracket result :: (is, rs) &\triangleq \begin{cases} \{result :: (is, rs)\} & \text{if } result[f_R = n] \\ \emptyset & \text{else} \end{cases} \\
\llbracket inj_A \rrbracket(is, rs) &\triangleq \{A :: (is, rs)\} \\
\llbracket inj_R \rrbracket(is, rs) &\triangleq \{R :: (is, rs)\} \\
\llbracket f_A \leftarrow n \rrbracket action :: (is, rs) &\triangleq action[f_A := n] :: (is, rs) \\
\llbracket f_R \leftarrow n \rrbracket result :: (is, rs) &\triangleq result[f_R := n] :: (is, rs) \\
\llbracket \neg a \rrbracket(is, rs) &\triangleq \{(is, rs)\} \setminus \{\llbracket a \rrbracket(is, rs)\} \\
\llbracket p + q \rrbracket(is, rs) &\triangleq \llbracket p \rrbracket(is, rs) \cup \llbracket q \rrbracket(is, rs) \\
&\dots\dots\dots \\
\llbracket p \cdot q \rrbracket(is, rs) &\triangleq (\llbracket p \rrbracket \cdot \llbracket q \rrbracket)(is, rs) \\
\llbracket p^* \rrbracket(is, rs) &\triangleq ()?
\end{aligned}$$