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1 Non-code things

1.1 Hash

Hash: 9538616d87aa2d06c37c129736430a98
tr -d '[:space:]' | md5sum | cut -d ', -f 1

1.2 Makefile

Hash: 1be30703415446aaf3a1260294222d71

```
CASES := $(sort $(basename $(wildcard *.in)))
TESTS := $(sort $(basename $(wildcard *.out)))
all: $(TARGET)
clean:
  -rm -rf $(TARGET) *.res
%: %.cpp
  $(LINK.cpp) $< $(LOADLIBES) $(LDLIBS) -o $@
run: $(TARGET)
  time $(EXECUTE)
%.res: $(TARGET) %.in
  time $(EXECUTE) < $*.in > $*.res
%.out: %
test_%: %.res %.out
 diff $*.res $*.out
runs: $(patsubst %,%.res,$(CASES))
test: $(patsubst %,test_%,$(TESTS))
.PHONY: all clean run test test % runs
.PRECIOUS: %.res
```

3 1.3 vimrc

Hash: 8f870abf0ba8837fb91734ae9a941ba8

set nocp ai bs=2 cul hls ic is lbr ls=2 mouse=a nu \hookrightarrow ru sc scs smd so=3 sw=4 ts=4 filetype plugin indent on syntax on map gA m'ggVG"+y''

1.4 nanorc

 $Hash: \ 4364 dc 56fff 2b 10d 5aac d6dc 61625802$

set tabsize 4 set const set autoindent

2 Geometry

2.1 Point

Hash: a1ef04616fa78cdafb4e4425490521b7

```
/**

* Author: Ulf Lundstrom

* Date: 2009-02-26

* License: CCO
```

```
* Source: My head with inspiration from tinyKACTL
 * Description: Class to handle points in the plane.
 * T can be e.g. double or long long. (Avoid int.)
* Status: Works fine, used a lot
#pragma once
template < class T>
struct Point {
 typedef Point P;
 T x, y;
 explicit Point(T x=0, T y=0) : x(x), y(y) {}
 bool operator<(P p) const { return tie(x,y) <</pre>
      \hookrightarrow tie(p.x,p.y); }
 bool operator == (P p) const { return
      \hookrightarrow tie(x,y)==tie(p.x,p.y); }
 P operator+(P p) const { return P(x+p.x, y+p.y); }
 P operator - (P p) const { return P(x-p.x, y-p.y); }
 P operator*(T d) const { return P(x*d, y*d); }
 P operator/(T d) const { return P(x/d, y/d); }
 T dot(P p) const { return x*p.x + y*p.y; }
 T cross(P p) const { return x*p.y - y*p.x; }
 T cross(P a, P b) const { return
      T dist2() const { return x*x + y*y; }
 double dist() const { return

    sqrt((double)dist2()); }

 // angle to x-axis in interval [-pi, pi]
 double angle() const { return atan2(y, x); }
 P unit() const { return *this/dist(); } // makes
      \hookrightarrow dist()=1
 P perp() const { return P(-y, x); } // rotates +90
      \hookrightarrow degrees
 P normal() const { return perp().unit(); }
 // returns point rotated 'a' radians ccw around
      \hookrightarrow the origin
 P rotate(double a) const {
   return P(x*cos(a)-y*sin(a),x*sin(a)+y*cos(a)); }
```

3 Data Structure

Hash: d01d504b98495ea3340d6d2f6a6c6ffd

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```
void update(T *x) {
  // add stuff
void rotate(T *x, bool t) {
  T *y = x -> fa, *z = y -> fa;
  if (z != null) z \rightarrow son[z \rightarrow son[1] == y] = x;
  x \rightarrow fa = z;
  y \rightarrow son[t] = x \rightarrow son[!t];
  x \rightarrow son[!t] \rightarrow fa = y;
  x \rightarrow son[!t] = y;
  y \rightarrow fa = x;
  update(y);
}
void xiao(T *x) {
   if (x \rightarrow fa != null) xiao(x \rightarrow fa), x \rightarrow pf = x
        \hookrightarrow -> fa -> pf;
   downdate(x);
}
void splay(T *x) {
  xiao(x);
  T *y, *z;
   while (x \rightarrow fa != null) {
     y = x \rightarrow fa; z = y \rightarrow fa;
     bool t1 = (y \rightarrow son[1] == x), t2 = (z \rightarrow son[1]
          \hookrightarrow == y);
     if (z != null) {
        if (t1 == t2) rotate(y, t2), rotate(x, t1);
        else rotate(x, t1), rotate(x, t2);
     }else rotate(x, t1);
  }
   update(x);
void access(T *x) {
  splay(x);
  x \rightarrow son[1] \rightarrow pf = x;
  x -> son[1] -> fa = null;
   x \rightarrow son[1] = null;
   update(x);
   while (x -> pf != null) {
     splay(x -> pf);
     x \rightarrow pf \rightarrow son[1] \rightarrow pf = x \rightarrow pf;
     x -> pf -> son[1] -> fa = null;
     x \to pf \to son[1] = x;
     x \rightarrow fa = x \rightarrow pf;
     splay(x);
  x \rightarrow rr = true;
bool Cut(T *x, T *y) {
  access(x);
   access(y);
   downdate(y);
   downdate(x):
   if (y -> son[1] != x || x -> son[0] != null)
     return false;
  y -> son[1] = null;
   x \rightarrow fa = x \rightarrow pf = null;
   update(x);
   update(y);
   return true;
```

```
}
bool Connected(T *x, T *y) {
  access(x);
  access(v):
  return x == y || x -> fa != null;
bool Link(T *x, T *y) {
  if (Connected(x, y))
    return false;
  access(x);
  access(y);
  x \rightarrow pf = y;
  return true;
int main() {
  read(n); read(m); read(q);
  null = new T; null \rightarrow son[0] = null \rightarrow son[1] =
       \hookrightarrow null -> fa = null -> pf = null;
  for (int i = 1; i <= n; i++) {</pre>
    f[i] = ++ff;
    f[i] \rightarrow son[0] = f[i] \rightarrow son[1] = f[i] \rightarrow fa =
          \hookrightarrow f[i] -> pf = null;
    f[i] -> rr = false;
  // init null and f[i]
```

String

Hash: f566cda2e4994762e460a8553dc79ff4

```
//
//SAM
#include <cstdio>
#include <cstring>
#include <iostream>
using namespace std;
char S[8000001],k;
long long ans, sum [1600001];
void ins(int p,int ss,int k)
 int np=++len,q,nq;
 l[np]=l[p]+1;
  s[np]=1;
  while (p&&!son[p][k]) son[p][k]=np,p=par[p];
  if (!p) par[np]=1;
  else {
   q=son[p][k];
   if (1[p]+1==1[q]) par[np]=q;
     nq=++len;
     l[nq]=l[p]+1;
     s[nq]=0;
     memset(son[nq], son[q], sizeof son[q]);
```

```
par[nq]=par[q];
      par[q]=nq;
      par[np]=nq;
      while (p&&son[p][k]==q) son[p][k]=nq,p=par[p];
  last[ss]=np;
int main()
  read(n);
  last[1]=init=len=1;
  for (i=2;i<=n;i++)</pre>
    read(fa[i]);
    for (k=getchar();k<=32;k=getchar());</pre>
    ins(last[fa[i]],i,k-'a');
}
```

Math

Hash: 82f0550573a34efcbcbaa2487bc74766

```
//SIMPLEX
                                                         //WARNING: segfaults on empty (size 0)
                                                         //max cx st Ax <= b, x>=0
                                                         //do 2 phases; 1st check feasibility;
                                                         //2nd check boundedness & ans
                                                         vector < double > simplex(vector < vector < double > > A,

    vector < double > b, vector < double > c) {
                                                           int n = (int) A.size(), m = (int) A[0].size()+1, r
                                                               \hookrightarrow = n, s = m-1;
                                                           vector < vector < double > > D = vector < vector < double >
                                                               \hookrightarrow > (n+2, vector < double > (m+1)):
                                                           vector<int> ix = vector<int> (n+m);
                                                           for (int i=0; i<n+m; i++) ix[i] = i;</pre>
                                                           for (int i=0; i<n; i++) {</pre>
                                                             for (int j=0; j<m-1; j++)D[i][j]=-A[i][j];</pre>
                                                             D[i][m-1] = 1;
                                                             D[i][m] = b[i];
                                                             if (D[r][m] > D[i][m]) r = i;

→ n,i,init,L,len,ll,q,h,ch,p,last[1700000],n1[1700000],du[1700000],s[1700000],fa[800001],1[1700000],son[1700000]
                                                           for (int j=0; j<m-1; j++) D[n][j]=c[j];</pre>
                                                           D[n+1][m-1] = -1; int z = 0;
                                                           for (double d;;) {
                                                            if (r < n) {
                                                               swap(ix[s], ix[r+m]);
                                                               D[r][s] = 1.0/D[r][s];
                                                               for (int j=0; j<=m; j++) if (j!=s) D[r][j] *=
                                                                    \hookrightarrow -D[r][s];
                                                               for(int i=0; i<=n+1; i++)if(i!=r) {</pre>
                                                                 for (int j=0; j<=m; j++) if(j!=s) D[i][j] +=</pre>
                                                                      \hookrightarrow D[r][j] * D[i][s];
                                                                 D[i][s] *= D[r][s];
                                                             }
                                                             r = -1; s = -1;
                                                             for (int j=0; j <m; j++) if (s<0 || ix[s]>ix[j])
                                                                  \hookrightarrow {
```

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LL more, LL cons) {

bool clique::search(int step, int size,

long long next = more & mask[step];

bits[(next >> 21) & MASK] +
bits[next >> 42] >= this->size

&& size + cmax[step] > this->size) {

bits[next >> 42] > this->size) {
// the current node is not in the clique
if (search(step + 1, size, next, cons))

// solve maximum clique and return size

// the current node is in the clique

if (search(step+1, size+1, next, cons|now))

int clique::sizeClique(vector<vector<int> >& mat) {

if (mat[i][j] > 0) mask[i] |= ONE << j;</pre>

if ((cons&(ONE<<i)) > 0) ret.push_back(i);

if (size + bits[next & MASK] +

// a new solution reached

long long now = ONE << step;</pre>

if $(step >= n) {$

return true:

this->size = size;

this->cons = cons;

if ((now & more) > 0) {

return true;

return true:

// generate mask vectors

for (int i = 0; i < n; ++i) {</pre>

for (int j = 0; j < n; ++ j)

for (int i = n - 1; i >= 0; --i) {

// calls sizeClique and restore cons

vector < vector < int > > & mat) {

for (int i = 0; i < n; ++i)</pre>

search(i + 1, 1, mask[i], ONE << i);

return false;

n = mat.size();

mask[i] = 0;

cmax[i] = size;

vector<int> clique::getClq(

return size:

sizeClique(mat);

vector<int> ret;

return ret;

long long next = more & ~now;
if (size + bits[next & MASK] +
 bits[(next >> 21) & MASK] +

6 Graph

Hash: 56383bfdb29dfc826d0462e99b723479

```
//// Max clique N<64. Bit trick for speed
* WishingBone's ACM/ICPC Routine Library
* maximum clique solver
// clique solver calculates both size and
    \hookrightarrow consitution of maximum clique
// uses bit operation to accelerate searching
// graph size limit is 63, the graph should be
     \rightarrow undirected
// can optimize to calculate on each component, and
    \hookrightarrow sort on vertex degrees
// can be used to solve maximum independent set
class clique {
  public:
  static const long long ONE = 1;
  static const long long MASK = (1 << 21) - 1;
  char* bits;
  int n, size, cmax[63];
  long long mask[63], cons;
  // initiate lookup table
  clique() {
   bits = new char[1 << 21];
    bits[0] = 0:
    for (int i = 1; i < (1<<21); ++i)
      bits[i] = bits[i >> 1] + (i & 1);
  ~clique() {
    delete bits;
  // search routine
  bool search(int step,int siz,LL mor,LL con);
  // solve maximum clique and return size
  int sizeClique(vector<vector<int> >& mat);
  // solve maximum clique and return set
  vector<int>getClq(vector<vector<int> >&mat);
// step is node id, size is current sol., more is
    \hookrightarrow available mask, cons is constitution mask
```

- 7 Java/Python
- 7.1 Java IO
- 7.2 Java BigInteger
- 7.3 Python IO