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## Acrobot Partial Feedback Linearization

### Acrobot Partial Feedback Linearization

0.0/10.0 points (graded)

If, on the previous problem, you did not try simulating your LQR controller from initial states far away from the upright, try it now. It doesn't work so well, does it?

As the next step to developing a swing-up controller, we will use partial feedback linearization to regulate the elbow joint,  $q_2$ . Recall the manipulator equations:

$$\ddot{\mathbf{q}} = \mathbf{H}^{-1} (\mathbf{B}\mathbf{u} - \mathbf{C})$$

Note that  $\mathbf{C}$  is a vector here. If this form of the manipulator equation looks unfamiliar, you can just pre-multiply both sides by  $\mathbf{H}$  and rearrange the terms to get back to the form we saw in lecture.

For some desired value  $\mathbf{y}$ , use partial feedback linearization to determine  $\mathbf{u}$  such that  $\ddot{\mathbf{q}}_2 = \mathbf{y}$ .

For the acrobot,  $\mathbf{B} = \begin{bmatrix} 0 \\ 1 \end{bmatrix}$ . Writing  $\mathbf{C} = \begin{bmatrix} C_1 \\ C_2 \end{bmatrix}$  and  $\mathbf{H}^{-1} = \begin{bmatrix} a_1 & a_2 \\ a_2 & a_3 \end{bmatrix}$ , find  $\mathbf{u}$  in terms of  $\mathbf{y}$ ,  $C_1$ ,  $C_2$ ,  $a_1$ ,  $a_2$  and  $a_3$ .

$\mathbf{u} =$



Did you use collocated or non-collocated partial feedback linearization for this problem?

☐ collocated

☐ non-collocated

Submit

You have used 0 of 1 attempt

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