## $Gradient\_decent$

June 4, 2023

```
[1]: # Import necessary libraries
import numpy as np
import matplotlib.pyplot as plt
```

## 0.1 Define the function

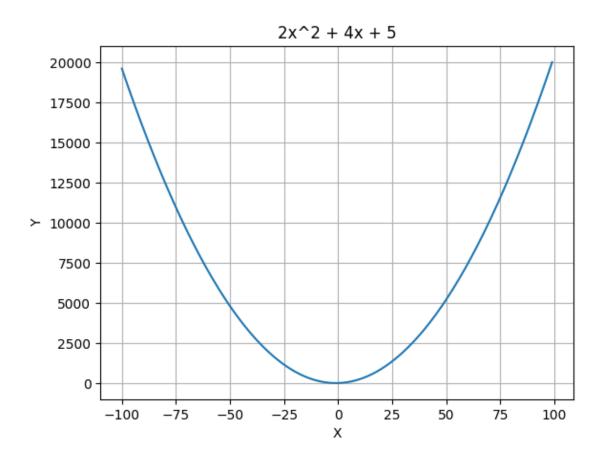
```
0.1.1 \quad f(x) = 2x^2 + 4x + 5
```

```
[27]: # Genrate -100 to 100 number corresponding y value ie, y = f(x)

X = np.arange(-100,100)

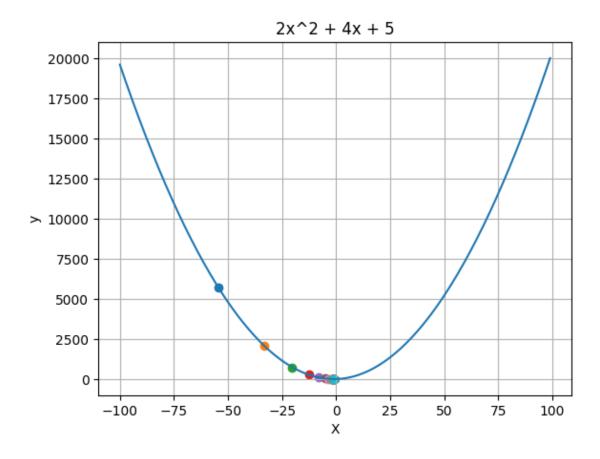
Y = (2*(X**2)) + (4*X) + 5
```

```
[28]: # Plot the function
plt.title("2x^2 + 4x + 5")
plt.xlabel("X")
plt.ylabel("Y")
plt.plot(X,Y);
plt.grid()
```

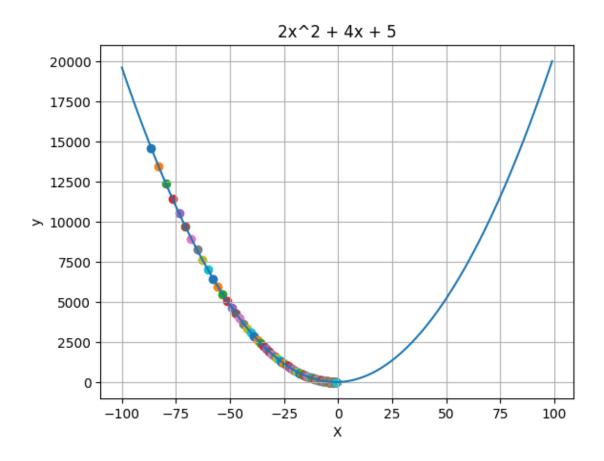


## 0.1.2 Gradient decesent algorithm

```
[37]: plt.title("2x^2 + 4x + 5")
      plt.xlabel("X")
     plt.ylabel("y")
      \# Intialize the random value to x
      #np.random.seed(60)
      x = -90
      # Intialize the learning rate
      lr = 0.1
      plt.plot(X,Y)
      for i in range(1000):
          gradient = (4*x) + 4
          x = x - (lr*gradient)
          y = (2*(x**2)) + (4*x) + 5
          plt.scatter(x,y)
      plt.grid()
      plt.show()
```



```
[38]: plt.title("2x^2 + 4x + 5")
      plt.xlabel("X")
      plt.ylabel("y")
      # Intialize the random value to x
      #np.random.seed(60)
      x = -90
      # Intialize the learning rate
      lr = 0.01
      plt.plot(X,Y)
      for i in range(1000):
          gradient = (4*x) + 4
          x = x - (lr*gradient)
          y = (2*(x**2)) + (4*x) + 5
          plt.scatter(x,y)
      plt.grid()
      plt.show()
```



[]:[