## **Sub: Algorithm Analysis and Design**

A subsequence is a sequence that can be derived from another sequence by deleting some elements without changing the order of the remaining elements. Longest common subsequence (LCS) of 2 sequences is a subsequence, with maximal length, which is common to both the sequences.

Given two sequence of integers,  $P = \langle M, N, O, M \rangle$  and  $Q = \langle M, L, N, O, M \rangle$ , find any one longest common subsequence.

In case multiple solutions exist, print any of them. It is guaranteed that at least one non-empty common subsequence will exist.

## **CODE:**

```
def con_int(strings):
    v="
    w=0
    try:
    int(strings)
    return strings
    except:
    for i in strings:
        try:
        w=int(i)
        v+=str(w)
        except:
        continue
    return int(v)
```

```
def display_LCS(d, a, i, j):
  if i==0 or j==0:
     return
  elif d[i][j]=='^::
     display_LCS(d, a, i-1, j-1)
     print(a[i])
  elif d[i][j]=='\uparrow':
     display_LCS(d, a, i-1, j)
  else:
     display_LCS(d, a, i, j-1)
def find_LCS(a, b):
  aa=0
  A = [0]
  B=[0]
  for i in a:
     A.append(i)
  for j in b:
     B.append(j)
  matrix=[]
  arrow=[]
```

```
m=len(A)
n=len(B)
for i in range(m):
  matr=[]
  for j in range(n):
     matr.append(0)
  matrix.append(matr)
for i in range(m):
  mat=[]
  for j in range(n):
     mat.append(0)
  arrow.append(mat)
for i in range(m):
  for j in range(n):
     if i == 0 or j == 0:
       matrix[i][j]=0
     else:
       if A[i] == B[j]:
          matrix[i][j]=matrix[i-1][j-1]+1
       else:
          aa = max(matrix[i][j-1], matrix[i-1][j])
          matrix[i][j]=aa
for i in range(m):
```

```
for j in range(n):
         if i == 0 or j == 0:
           matrix[i][j]=0
         else:
           if A[i] == B[j]:
              matrix[i][j]=str(matrix[i][j])
              matrix[i][j]+='\\'
              arrow[i][j] = ' \centsymbol{$\nwarrow$}'
           elif con_int(matrix[i-1][j]) >= con_int(matrix[i][j-1]):
              matrix[i][j]=str(matrix[i][j])
              matrix[i][j]+='\uparrow'
              arrow[i][j]='↑'
           else:
              matrix[i][j]=str(matrix[i][j])
              matrix[i][j]+='\leftarrow'
              arrow[i][j]='\leftarrow'
   return matrix, arrow, A
ll1=[str(i) for i in input('Enter first string: ').split(' ')]
ll2=[str(i) for i in input('Enter second string: ').split(' ')]
ii=len(ll1)
jj=len(ll2)
matri, arrows, ll3 = find_LCS(ll1, ll2)
print('\n')
```

```
print('final Matrix: ')
for i in matri:
    print(*i)

print('\n')
print('Arrow Matrix:')
for j in arrows:
    print(*j)

print('\n')
print('LCS: ')
display_LCS(arrows, 1l3, ii, jj)
```

## **OUTPUT:**

```
In [81]: runfile('C:/Users/Admin/study material/sem5/Practicals/Algorithms/Practical-11/LCS_algo.py',
wdir='C:/Users/Admin/study material/sem5/Practicals/Algorithms/Practical-11')
Enter first string: M N O M
Enter second string: M L N O M

final Matrix:
0 0 0 0 0 0
0 1 \( 1 = 1 - 1 + 1 \)
0 1 1 1 2 \( 2 + 2 + 2 + 0 \)
0 1 1 1 2 1 3 3 3 4

Arrow Matrix:
0 0 0 0 0 0
0 \( \lambda \) - - \( \lambda \)
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