

电路分析 (III) 参考答案

一. 单项选择题

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|-------|-------|-------|-------|-------|
| 1. C | 2. A | 3. C | 4. D | 5. A |
| 6. D | 7. B | 8. A | 9. C | 10. B |
| 11. D | 12. B | 13. A | 14. D | 15. C |
| 16. A | | | | |

二. 填空

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|--------------------------|--|---|-------|------|
| 1. 电荷 | 2. 0 | 3. $b - (n-1)$ | 4. 平面 | 5. 9 |
| 6. $u = L \frac{di}{dt}$ | 7. $50\sqrt{2} \angle -45^\circ \text{ V}$ | 8. $10\sqrt{2} \cos(100\pi t + 30^\circ) \text{ A}$ | | |
| 9. 电感 | 10. 0 | 11. 350 W | | |

三. 解: $-12 = (120 + 60)I - 30$

$$I = \frac{18}{180} = 0.1 \text{ A}$$

$$U_{\text{表}} = 80I - 30 = -22 \text{ V}$$

电压表极性为下“+”、上“-”

$$U_a = -22 + 60I = -16 \text{ V}$$

四. 解:

$$I = \frac{12 - U_R}{5} = \frac{12 - 2}{5} = 2 \text{ A}$$

$$I_R = \frac{U_R}{R} = I + 6 - 2I = 4 \text{ A}$$

$$R = \frac{U_R}{I_R} = \frac{2}{4} = \frac{1}{2} \Omega$$

$$P_{\text{受}} = U_R \cdot 2I = 2 \times 2 \times 2 = 8 \text{ W}$$

五. 解: 电流源单独作用,

$$I_2' = 12 \times \frac{1}{1+2+6//6} = 2 \text{ A}$$

$$I_1' = 10 \text{ A} \quad I_3' = I_4' = \frac{1}{2} I_2' = 1 \text{ A}$$

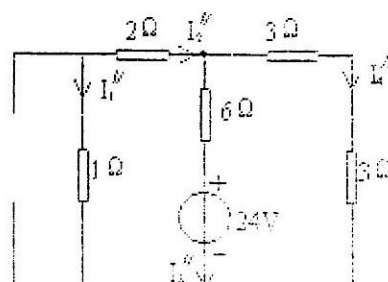
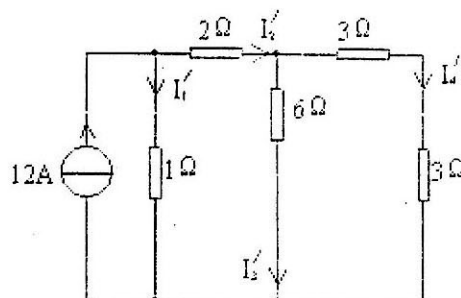
电压源单独作用

$$I_3'' = -\frac{24}{6+3//6} = -3 \text{ A}$$

$$I_2'' = I_3'' \frac{6}{6+3} = -3 \times \frac{2}{3} = -2 \text{ A}$$

$$I_1'' = -I_2'' = 2 \text{ A}$$

$$I_4'' = I_2'' - I_3'' = -2 - (-3) = 1 \text{ A}$$



TV-1

$$\text{叠加: } I_1 = I'_1 + I''_1 = 10 + 2 = 12\text{A}$$

$$I_2 = I'_2 + I''_2 = 2 - 2 = 0$$

$$I_3 = I'_3 + I''_3 = 1 - 3 = -2\text{A}$$

$$I_4 = I'_4 + I''_4 = 1 + 1 = 2\text{A}$$

$$P_{12\text{A}} = -I_1 \cdot 1 \times 12 = -144\text{W}$$

六. 解: $t < 0$, $u_c(0^-) = 6\text{V}$ $i_L(0^-) = 0$

$t > 0$, 为两个一阶电路

电容一阶: $u_c(0^+) = u_c(0^-) = 6\text{V}$

$$i_c(0^+) = \frac{-u_c(0^+)}{2} = \frac{-6}{2} = -3\text{A}$$

$$i_c(\infty) = 0$$

$$\tau = RC = 2 \times 0.5 = 1\text{s}$$

$$\therefore i_c(t) = i_c(0^+) e^{-\frac{t}{\tau}} = -3e^{-t}\text{A} \quad t \geq 0$$

电感一阶: $i_L(0^+) = i_L(0^-) = 0$

$$i_L(\infty) = \frac{6}{2} = 3\text{A}$$

$$\tau = \frac{L}{R} = \frac{1}{2}\text{s}$$

$$\therefore i_L(t) = i_L(\infty) (1 - e^{-\frac{t}{\tau}})$$

$$= 3(1 - e^{-2t})\text{A} \quad t \geq 0$$

$$\therefore i(t) = i_L(t) - i_c(t) = 3(1 - e^{-2t}) + 3e^{-t}\text{A}$$

$t \geq 0$

七. 解: 画出相量模型, 可得:

$$\dot{I} = \frac{\dot{U}_s}{5 + j15 + \frac{10 \times (-j10)}{10 - j10}} = \frac{100 \angle 0^\circ}{10 + j10} = 5\sqrt{2} \angle -45^\circ \text{A}$$

$$\dot{I}_1 = \dot{I} \frac{10}{10 - j10} = 5\sqrt{2} \angle -45^\circ \times \frac{1}{\sqrt{2} \angle -45^\circ} = 5 \angle 0^\circ \text{A}$$

$$\dot{I}_2 = \dot{I} - \dot{I}_1 = 5 - j5 - 5 = -j5 = 5 \angle -90^\circ \text{A}$$

$$\therefore i(t) = 10 \cos(10t - 45^\circ) \text{A}$$

$$i_1(t) = 5\sqrt{2} \cos 10t \text{A}$$

$$i_2(t) = 5\sqrt{2} \cos(10t - 90^\circ) \text{A}$$

