



Research and Future Directions

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Image Semantic Embedding

Spectrum of semantic similarity

Category-level (coarse-grained)

Fine-grained level

Instance level (ultra fine-grained)







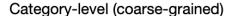
Image embedding:

A dense representation capturing semantics



Image Semantic Embedding

Spectrum of semantic similarity



Fine-grained level

Instance level (ultra fine-grained)

bridge





steel red bridge

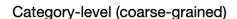






Image Semantic Embedding

Spectrum of semantic similarity



Fine-grained level

Instance level (ultra fine-grained)

bridge





steel red bridge





golden gate bridge



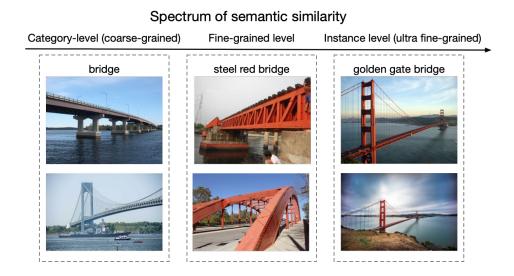




Learning Image Semantic Embedding

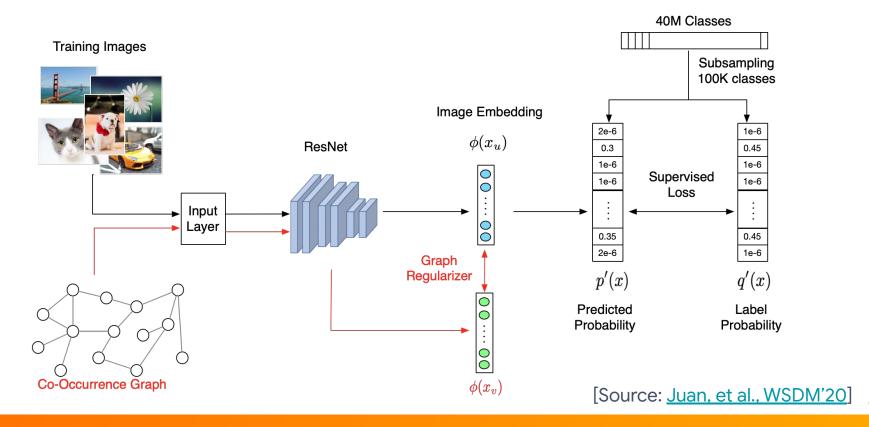
 Embedding to capture semantics in images

- Core of image search
 - By textural queries
 - By image queries



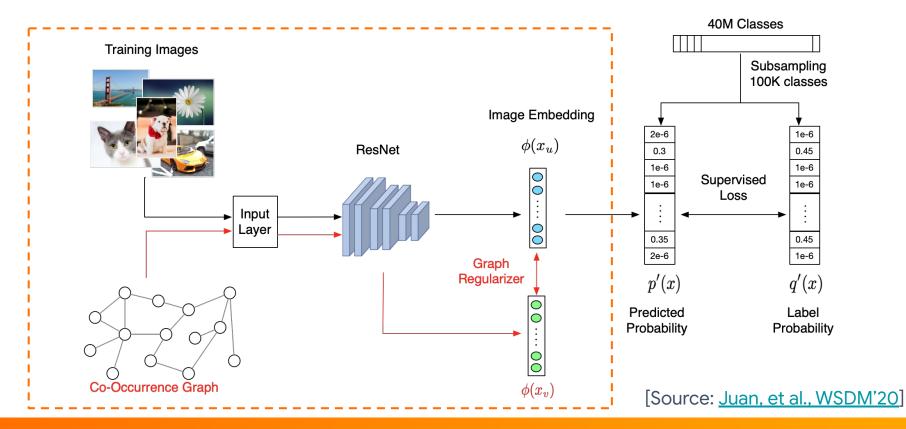


Neural Architecture



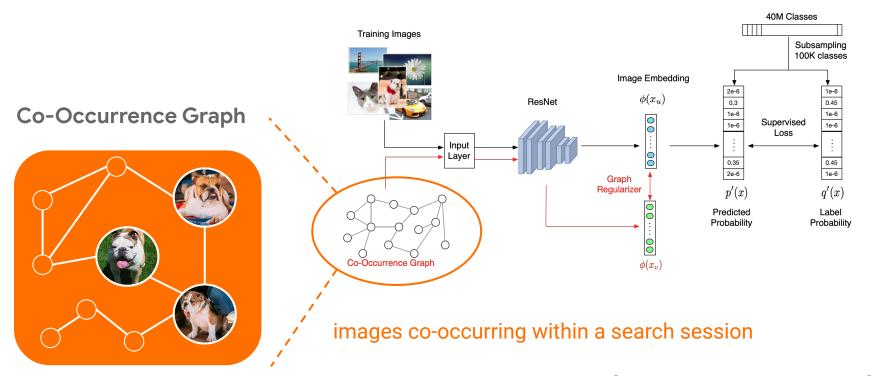


Neural Architecture



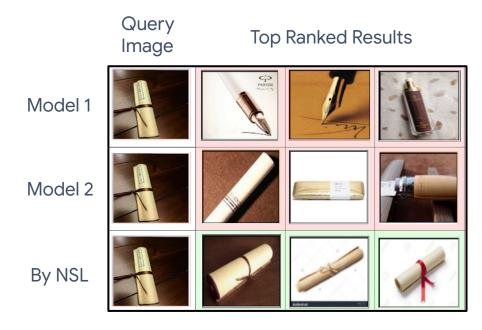


Neural Architecture





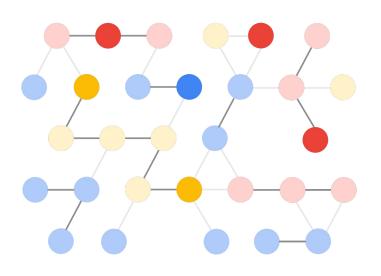
Qualitative Results







Graph Agreement Models



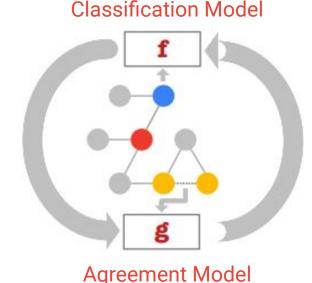
Challenges

- Too few labeled samples
 - overfitting to training data
- Graphs can be noisy
 - edges not relevant to classification task
 - embeddings can be noisy



Graph Agreement Models

Adds confident predictions to training dataset



Provides regularization for training the classification model



Learn neighbor agreement

Loss function:

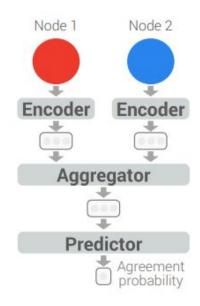
$$\mathcal{L}_g = \sum_{i \in L, j \in L, ij \in E} \ell(g(x_i, x_j, w_{ij}), \mathbb{1}_{y_i = y_j})$$

L =labeled nodes set E =edges set $x_i =$ features for node i

 $f(x_i)$ = predicted label distribution for node i

 $\ell = loss function (e.g. cross entropy)$

Agreement Model



[Source: Otilia, et al., NeurlPS'19]



Classification: use neighbor agreement

Loss function: agreement weight $\mathcal{L}_f = \sum_{i \in L} \ell(f(x_i), y_i) + \lambda \sum_{\substack{(i,j) \in E \\ i \in L \\ j \in U}} g(x_i, x_j) \ell(f(x_i), f(x_j))$

L = labeled nodes set

U =unlabeled nodes set

E = edges set

 $x_i = \text{features for node } i$

 y_i = true label distribution for node i

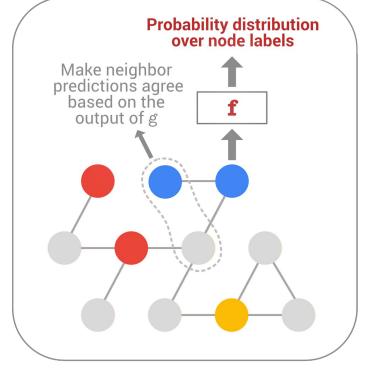
 $f(x_i)$ = predicted label distribution for node i

 $g(x_i, x_j)$ = predicted probability that nodes i and j have similar labels

 $\ell(p_1, p_2) = \text{distance between label distributions } p_1 \text{ and } p_2$

 $\lambda = \text{regularization parameter}$

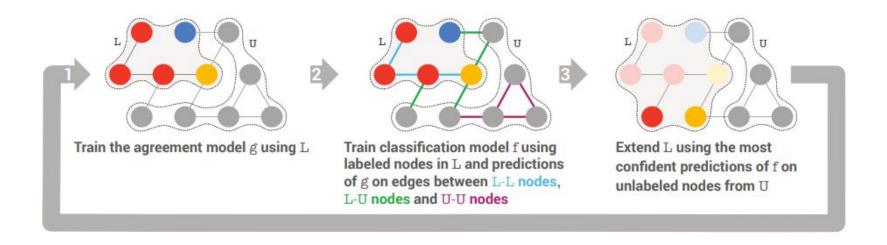
Classification Model



[Source: Otilia, et al., NeurlPS'19]



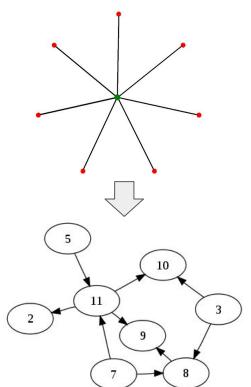
Graph Agreement Models





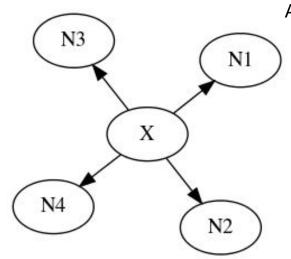
Beyond Graph Regularization: GNNs

- Graph regularization only incorporates information about a node's neighbors through a distance function.
- There may be more information in other nodes and relationships among neighbors.





Graph Regularization with Message Passing



Aggregate distance of neighbors

$$m_v^{t+1} = \sum_{w \in N(v)} M_t(h_v^t, h_w^t, e_{vw})$$

Distance function

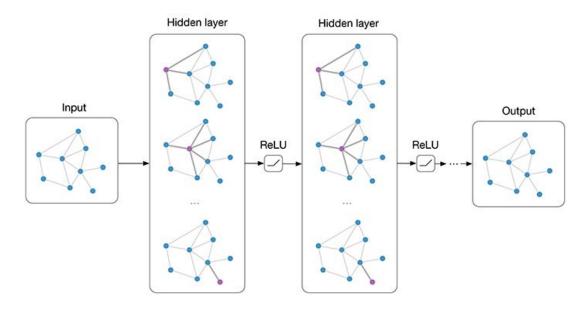
Readout phase normalizes graph loss by weighted degree

$$h_v^{t+1} = U_t(h_v^t, m_v^{t+1})$$

Gilmer, Justin, Samuel S. Schoenholz, Patrick F. Riley, Oriol Vinyals and George E. Dahl. "Neural Message Passing for Quantum Chemistry." *ArXiv* abs/1704.01212 (2017): n. pag.



Graph Regularization is a GNN

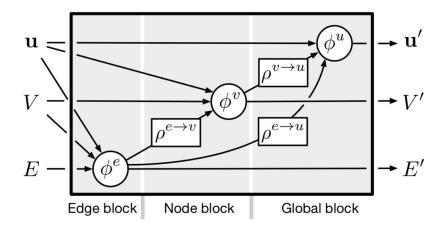


GNNs use graph relationships to embed nodes, edges, and the graph itself. This framework lets us do computation over arbitrary graphs.



GNNs with GraphNets

- We leverage <u>Graph Nets</u> to generalize graph regularization to Graph Neural Networks (GNNs)
- We're able to express these higher-level relationships between neighbors and more distant nodes.





Graph Neural Network: GCNs

- With Graph Nets it's easy to implement a Graph Convolutional Network (GCN), which can be a drop-in replacement for GraphRegularizationModel.
- node_model and edge_models are Keras layers.

```
class GraphConvolutionalNodeClassifier(NodeGraphModel):
 """Classifies nodes with a simple Graph Convolutional Network."""
def __init__(self, seq_length, num_classes, **kwargs):
  # ...
def graph_call(self, graph, **kwargs):
  # Encode features.
  graph = graph_nets.modules.GraphIndependent(
       node_model_fn=lambda: self._dense_features)(graph)
  # Graph convolutions.
  graph = graph_nets.modules.CommNet(
       edge_model_fn=lambda: self._edge_model1,
       node_encoder_model_fn=lambda: self._node_encoder_model1,
       node_model_fn=lambda: self._node_model1)(graph)
  return graph_nets.modules.CommNet(
       edge_model_fn=lambda: self._edge_model2,
       node_encoder_model_fn=lambda: self._node_encoder_model2,
       node_model_fn=lambda: self._node_model2)(graph)
```