dosampling

April 9, 2022

```
[1]: import import_ipynb
from sampling import Sampler
from constants import Constants
import numpy as np
```

importing Jupyter notebook from sampling.ipynb
importing Jupyter notebook from constants.ipynb

0.1 Don't run cells in this notebook without doing it deliberately. Many files will be created unnecessarily

```
[2]: sample = Sampler()
constants = Constants()
```

0.2 Sample 1 Hydrogen ions

 $N_A = constants.constants['N_A'] # Avogadro's number$

 $V_STP = 22.4 \# Volume$; in Liters, of 1 mole gas at Standard Temperature and Pressure conditions (STP)

V_LPM_reference = 10 # Volume flow rate; in Liters per minute taken as reference

 $V_LPS_reference = V_LPM_reference / 60 \# Volume flow rate; in Liters per second taken as reference$

T_sample_batch = 10 # Time; in seconds, taken to get volume from volume flow rate

V_sample_batch = V_LPS_reference * T_batch # Volume; in liters, of a sampling batch taken

V ratio = V sample batch / V STP

 $n = N_A * V_{ratio} # number of molecules in the gas$

natomes = 2 # Number of atoms in a molecule, 2 for hydrogen

n = n * natoms # The number of particles involved in the sampling

This procedure gives number of particles in the order of 10^23 which is just too large for simulation. So instead we only use 100 particles for now.

```
[3]: # Constants separated

K = constants.constants['K'][0] # Boltzmann constant

amu = constants.constants['amu'][0] # Atomic mass unit in kg

m_amu = constants.constants['m_H'][0] # The relative atomic mass of hydrogen_□

→ atom in amu

m_kg = m_amu * amu # The mass of Hydrogen atom in kg

[4]: #Define needed parameters

n = 100 # Consider 100 particles for now

#Position parameters

r = [-0.5, 0, 0]

# The chamber is considered as a cube of side 1 m, with [-0.5, -0.5, -0.5]□
```

```
#Position parameters

r = [-0.5, 0, 0]

# The chamber is considered as a cube of side 1 m, with [-0.5, -0.5, -0.5]

being the bottom left corner

# and [0.5, 0.5, 0.5] being the top right corner

# Particles start at the center of the left face.

r_strategy = 'sample_same_given_position'

r_details = 'r=[-0.5,0,0] for 1m x 1m x 1m cube chamber. H atom'

#Velocity parameters

v_median = 800 # Median particle speed considered 800 m/s

T = 10000 #Plasma temperature = 10000 K

v_strategy = 'sample_Maxwellian_velocity_all_random_direction'

v_details = 'v_median=800ms-1 T=10000K. H atom'
```

[5]: "\nsample.write_to_csv_file(velocities, 'v', v_strategy, n, v_details)\n"

1 Sample 1 attempt 2

 $v_{median} = 800$ gives large velocity components like 2000, 3000 Perhaps $v_{median} = 0$ should be good

So only velocities file will be regenerated

[6]: "\nsample.write_to_csv_file(velocities_2, 'v', v_strategy, n, v_details_2)\n"

1.0.1 Sample 1 attempt 3

we were using Hydrogen atom, but let's use Hydrogen gas instead and try.

Only velocities will be regenerated

```
[7]: v_details_3 = 'v_median=0ms-1 T=10000K. H2 gas'

velocities_3 = sample.

sample_Maxwellian_velocity_all_random_direction(v_median_2, K, T, m_kg * 2, u sign)

'''

sample.write_to_csv_file(velocities_3, 'v', v_strategy, n, v_details_3)
'''
```

[7]: "\nsample.write_to_csv_file(velocities_3, 'v', v_strategy, n, v_details_3)\n"

[]:

2.1 2 a position

Sample 2

All particles are 0.5 m away from the center [0,0,0] but in a uniform random direction

```
r_details_p2 = 'd=0,5m from center [0,0,0] for 1m x 1m x 1m cube chamber'
#sample.write_to_csv_file(positions_p2, 'r', r_strategy_p2, 100, r_details_p2)
```

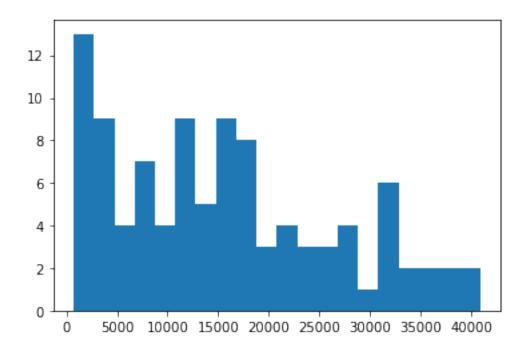
2.2 2 b velocity

Particle speeds are sampled from parabolic distribution velocity directions are uniformly randomly sampled

```
[9]: R = constants.constants['R'][0]
      T_p2 = 10000 # plasma temperature 10000 K
      mH_gmol = constants.constants['m_H'][0]
      mH_kgmol = mH_gmol * (10**(-3))
      sqrt_pi = np.sqrt(np.pi)
      # Mean to be used equal to mean speed of Maxwellian distribution
      maxwell_mean = (2/sqrt_pi) * np.sqrt( (2 * R * T_p2)/ mH_kgmol)
      # Standard deviation to be used such that
      # Variance = RMS of Maxwellian - (Mean of Maxwellian)**2
      maxwell std coeff = np.sqrt(3 - (8/(np.pi**2)))
      maxwell_std_speed = maxwell_std_coeff * np.sqrt( (R * T_p2)/ mH_kgmol)
      # Found emperically
      maxwell\_speed\_scale = 30049.5113130523
[10]: ### MAIN part where sampling was done ###
      velocities_p2 = sample.sample_parabolic_speed_f1_all_random_direction(n=100,__
      →loc=maxwell_mean, scale=maxwell_speed_scale)
      v strategy p2 = 'sample parabolic speed f1 all random direction'
      v details p2 = 'n=100, parameters based on 10000K Maxwellian'
      #sample.write_to_csv_file(velocities_p2, 'v', v_strateqy_p2, 100, v_details_p2)
[64]: # To plot and see the speed distribution before saving to csv file
      import matplotlib.pyplot as plt
      speeds = []
      def norm(x, y, z):
         return np.sqrt((x*x)+(y*y)+(z*z))
      for i in range(len(velocities p2)):
          speeds.append(norm(velocities_p2[i][0], velocities_p2[i][1],__
      →velocities_p2[i][2]))
      speeds = np.array(speeds)
      plt.hist(speeds, 20)
      #plt.savefig('parabolicspeedsampling', dpi='figure', format='png')
[64]: (array([13., 9., 4., 7., 4., 9., 5., 9., 8., 3., 4., 3., 3.,
              4., 1., 6., 2., 2., 2., 2.
      array([ 733.48899315, 2739.42868759, 4745.36838202, 6751.30807646,
              8757.24777089, 10763.18746533, 12769.12715977, 14775.0668542,
              16781.00654864, 18786.94624308, 20792.88593751, 22798.82563195,
              24804.76532639, 26810.70502082, 28816.64471526, 30822.58440969,
```

32828.52410413, 34834.46379857, 36840.403493 , 38846.34318744, 40852.28288188]),

<BarContainer object of 20 artists>)



[61]: # Writing to the csv file # sample.write_to_csv_file(velocities_p2, 'v', v_strategy_p2, 100, v_details_p2)

SUCCESS

/home/kushik/Kushik/VIT/Eighth semester/MagneticMirror/csvfiles/sampling/100 v sample_parabolic_speed_f1_all_random_direction n=100, parameters based on 10000K Maxwellian 06-04-2022 17:44:46:811591

[]:

```
[41]: # This was done to determine the scale parameter to be passed to sample the
    → parabolic velocities

# This is correct to 10**(-10) which is the highest precision output during the
    → process.
import scipy.stats as stats
def find_scale(maxwell_mean, maxwell_std_speed):
    required = maxwell_std_speed
        current_scale = 30049.5113130523
        current_std = stats.rdist.std(c=4, loc=maxwell_mean, scale=current_scale)
    i = 0
    while True:
    i+= 1
```

```
diff = required - current_std
              if np.abs(diff) < 10**(-11):
                  break
              '''if np.close(current, required):
                  break
              111
              if diff > 0:
                  current_scale = current_scale + 10**(-11)
                  current_std = stats.rdist.std(c=4, loc=maxwell_mean,__
      if diff < 0:</pre>
                  current_scale = current_scale - 10**(-11)
                  current_std = stats.rdist.std(c=4, loc=maxwell_mean,__
      if i\%100 == 0:
                 print(f'Current_std:{current_std} Current_scale:{current_scale} i:
      \hookrightarrow{i}\n')
         return current_scale
      #maxwell_speed_scale = find_scale(maxwell_mean=maxwell_mean,_
      \rightarrow maxwell_std_speed=maxwell_std_speed)
[47]: # We check the value of the standard deviation of this distribution
      stats.rdist.std(c=4, loc=maxwell_mean, scale=maxwell_speed_scale)
[47]: 13438.54999732678
[48]: # Indeed is equal to the Maxwellian standard deviation
      maxwell_std_speed
[48]: 13438.549997326772
 Г1:
 []:
```