

## Majority Element - I

A majority element is

↳ A element with frequency  $> \frac{N}{2}$  where 'N' is size of array

$$\text{arr}(6) : (1, 2, 1, 6, 1, 1) \rightarrow \text{freq of '1'} = \left(4 > \frac{6}{2}\right)$$

So, 1 is a majority element

$$\text{arr}(9) : (2, 4, 4, 8, 4, 9, 4, 3, 4) \rightarrow \text{freq of '4'} = \left(5 > \frac{9}{2}\right)$$

So, 4 is a majority element

Note :

There always exists a majority element, so code accordingly

//idea-1

use nested loops :  $O(n^2)$

//idea-2

use hashmap to Count :  $Tc : O(n)$ ,  $Sc : O(n)$

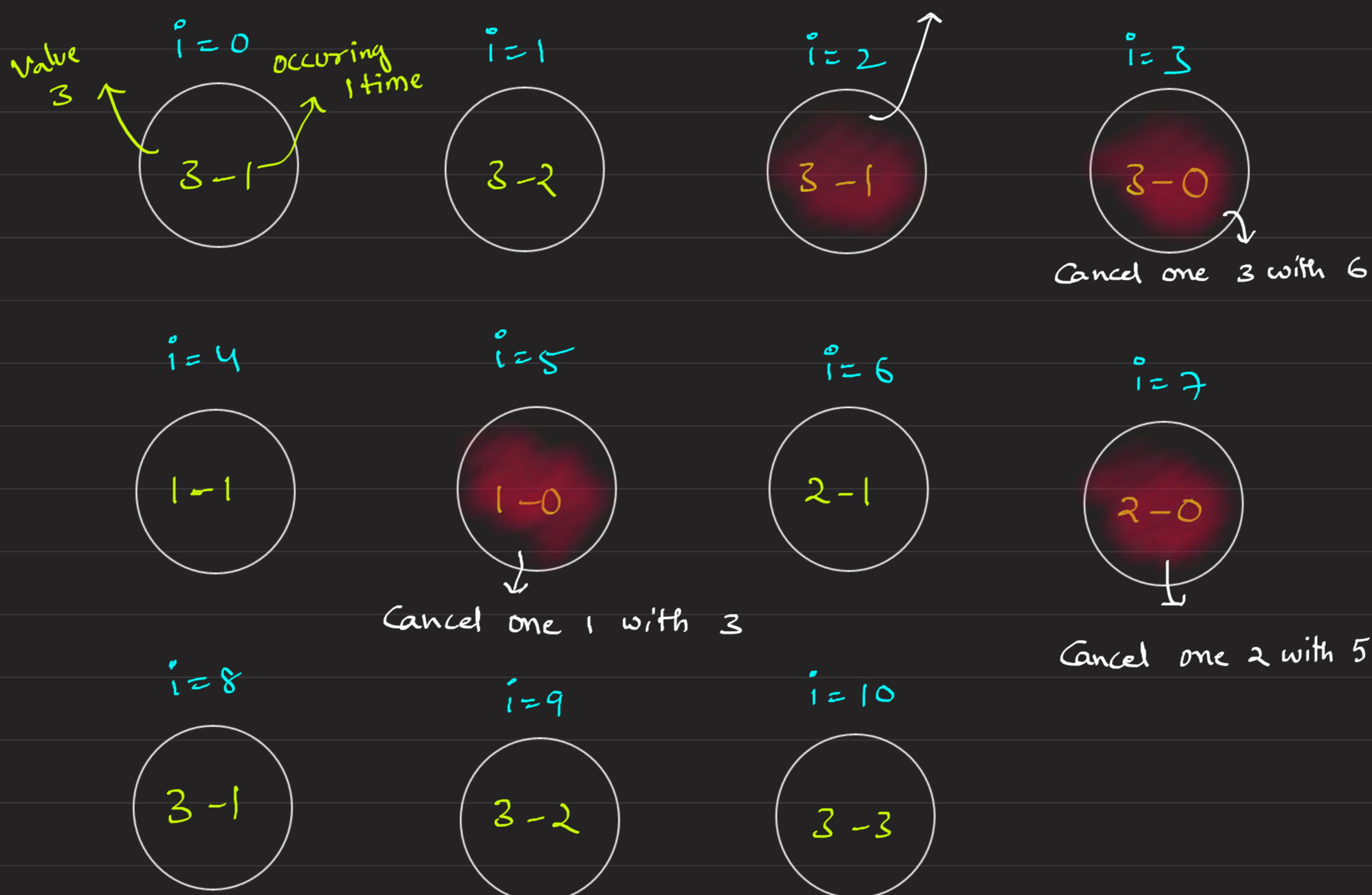
As Time Complexity  $\rightarrow O(n)$  is good, but we have an algorithm that can reduce space to  $O(1)$

## Boyer Moore's Voting Algorithm

If we cancel out 2 distinct elements one by one, the uncancelled (or) remaining element is going to be our majority element

Ex :  $\text{arr}(11) = (3, 3, 4, 6, 1, 3, 2, 5, 2, 3, 3)$

if a value that  
is different from  
box value, we  
reduce box frequency  
Count



```
public int majorityElement(int[] nums) {
    int n = nums.length;
    int freq = 1;
    int val = nums[0];
    for(int i = 1; i < n; i++) {
        if(freq == 0) {
            val = nums[i];
            freq = 1;
        }
        else if(val == nums[i]) freq++;
        else freq--;
    }
    return val;
}
```

$\rightarrow$  At start, whatever is there in 0<sup>th</sup> index, store it

$\rightarrow$  whenever freq goes to 0, update with new value,

$\rightarrow$  if same as box value comes, increase freq

if different value comes, decrement count  
(distinct from box value)

\* for understand, see at ( $i=3$ ) & ( $i=4$ )

from ( $i=3$ )  $\rightarrow$  the freq become '0', so in ( $i=4$ ) we assigned 1 as our new majority element with freq = 1