

Equilibrium Index

Sum of all elements
before i^{th} idx

=

Sum of all elements
after i^{th} idx

Ex: $\text{arr}[] = (-2, 0, 1, 2, 3, 0, 1)$
 $\text{idx} = 4$ is the pivot index / equilibrium index.
 Left sum: $-2 + 0 + 1 + 2 = 1$
 Right sum: $0 + 1 = 1$

As, if you take $\text{idx} = 4$,
 Sum of elements from $\text{idx} (0 \rightarrow 3) = 1$

Sum of elements from $\text{idx} (5 \rightarrow 6) = 1$

$\therefore \text{idx} = 4$ is an equilibrium index / pivot index

Algorithm

① Calculate prefix sum array ($\text{ps}[]$)

② Iterate through $(1 \rightarrow (n-2))$

* Check $\left\{ \text{if } \underbrace{\text{ps}(i-1)}_{\text{left sum}} = \underbrace{\text{ps}(n-1) - \text{ps}(i)}_{\text{right sum}} \right\}$
 why not including first and last elements?
 those will be handled in edge cases

\Rightarrow if they are equal, we got one equilibrium index

Edge Cases

① if $(i == n-1) \rightarrow$ There will be no right sum to check with left sum

that's why it's need to handle separately

So, check $\left\{ \text{ps}(n-2) == 0 \right\}$
 left sum \rightarrow no right sum, so 0
 if true, we got one equilibrium index

Case: 2

if ($i == 0$)

↳ Similarly, there will be no left sum to check with right sum

So, need to handle it separately

check:

$$\left\{ \underbrace{ps(n-1)}_{\text{right sum}} - \underbrace{ps(0)}_{\text{left sum}} == 0 \right\} \longrightarrow \text{if true, we got one Equilibrium index}$$