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# Compiler Construction (CS-636)

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**Sadaf Manzoor**

UIIT, Rawalpindi

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# Outline

1. Parse Trees & Abstract Syntax Trees
2. Ambiguity & Ambiguous Grammars
3. Extended Notations: EBNF
4. Syntax Diagram
5. Summary

# Parsing Preliminaries

Lecture: 9-10

# Parse Trees & Abstract Syntax Trees

## ■ Parse Trees

- A parsed tree corresponding to a derivation is a labeled tree in which
  - the interior nodes are labeled by nonterminals
  - the leaf nodes are labeled by terminals
  - children of each internal node represents the replacement of the associated nonterminal in one step of the derivation
- The internal nodes can be numbered to show the order of derivation
- Parse trees can do **left-most derivation** as well as **right-most derivation**

# Parse Trees & Abstract Syntax Trees

(Continue...)

$$\text{exp} \rightarrow \text{exp op exp} \mid ( \text{exp} ) \mid \textit{number}$$
$$\text{op} \rightarrow + \mid - \mid *$$

- Exercise: Construct a parse tree of expression
  - 30 + 45
  - 2 - ( 4 + 5 )
  - 2 + 4 + 6 \* 20

# Parse Trees & Abstract Syntax Trees

(Continue...)

## ■ Abstract Syntax Trees

- A parse tree contains much more information than is absolutely necessary for a compiler
- The meanings or semantics of the expression should be directly related to its syntactic structure
- To imply this (e.g.  $3+4$ ) the root represents the operation by adding the values of two child exp sub-trees

# Parse Trees & Abstract Syntax Trees

(Continue...)

$$\text{exp} \rightarrow \text{exp op exp} \mid ( \text{exp} ) \mid \textit{number}$$
$$\text{op} \rightarrow + \mid - \mid *$$

- Exercise: Construct AST for the following expressions;
  - $3 + 4$
  - $( 15 + 10 ) * 4$
  - $(( 20 * 15 ) + 4 )$

# Ambiguity & Ambiguous Grammar

- Parse trees and syntax trees uniquely express the structure of syntax, as do leftmost and rightmost derivations, but not derivations in general
- It is possible for a grammar to permit a string to have more than one parse tree
- A grammar that generates a string with two distinct parse trees is called **ambiguous grammar**



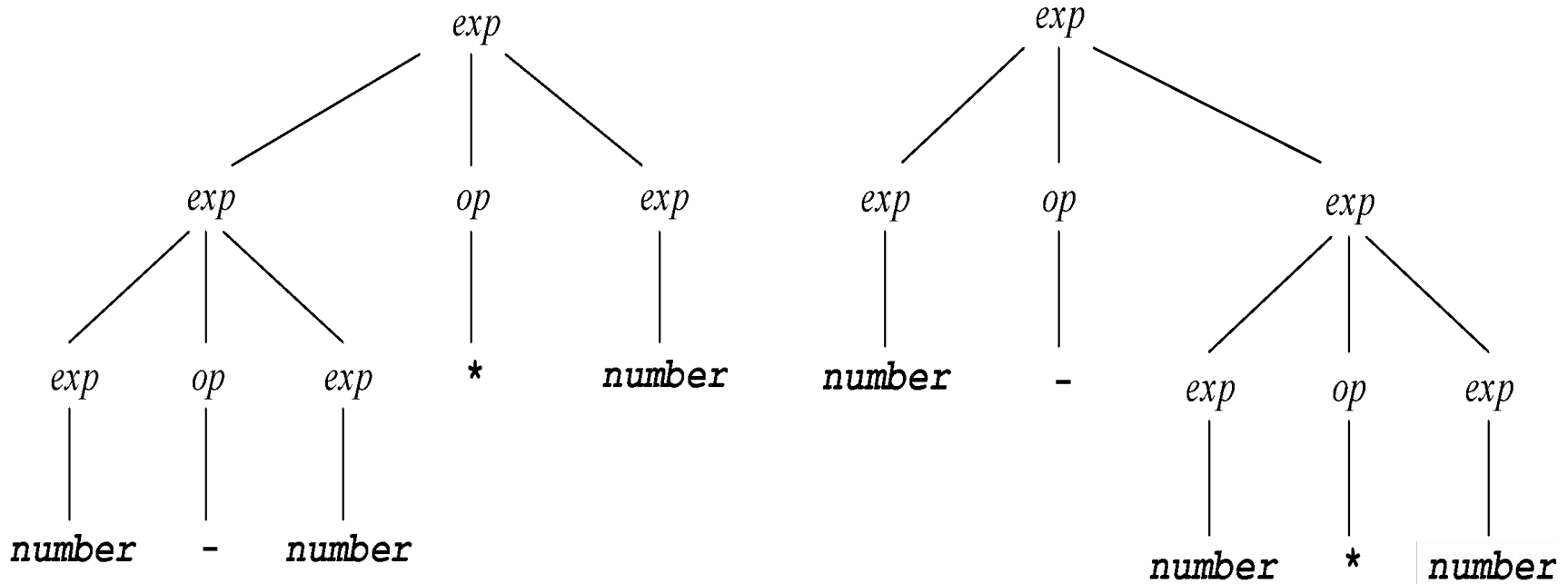
# Ambiguity & Ambiguous Grammar

(Continue...)

- One method to deal with ambiguities is to state a disambiguating rule that remove ambiguity without changing grammar but syntactic structure of language is no longer given by the grammar alone
- The alternative is to change the grammar into a form that forces the construction of the correct parse tree, thus removing the ambiguity

# Parse Tree of 10-15\*2

- Which Parse Tree is correct?



# How to Remove Ambiguity?

- To remove ambiguity we could now state a disambiguating rule that establishes a relative precedence of three operations i.e.  $+$ ,  $-$  and  $*$
- The addition and subtraction operation will get same precedence but multiplication will get higher precedence
- The ambiguity introduced by same precedence can be removed by stating a disambiguating rule of associativity of each of the operations

# Introducing Precedence

$exp \rightarrow exp\ op\ exp \mid ( exp ) \mid \textit{number}$   
 $op \rightarrow + \mid - \mid *$

## CHANGED TO

$exp \rightarrow exp\ addop\ exp \mid term$   
 $addop \rightarrow + \mid -$   
 $term \rightarrow term\ mulop\ term \mid factor$   
 $mulop \rightarrow *$   
 $factor \rightarrow ( exp ) \mid \textit{number}$

**Note: We still have a problem in new CFG**

# Introducing Associativity

- Removed recursion and introduced left-association

$exp \rightarrow exp \text{ addop } term \mid term$

$\text{addop} \rightarrow + \mid -$

$term \rightarrow term \text{ mulop } factor \mid factor$

$\text{mulop} \rightarrow *$

$factor \rightarrow ( exp ) \mid \mathbf{number}$

# Extended BNF (EBNF)

- So far: Backus-Naur Form (BNF)
  - Metasymbols are  $| \rightarrow \epsilon$
- Extended BNF (EBNF):
  - New metasymbols  $[...]$  and  $\{...\}$
  - $\epsilon$  largely eliminated by these
- Parenthesis: Grouping:
  - $exp \rightarrow exp (+ \mid -) term \mid term$
  - $exp \rightarrow exp + term \mid exp - term \mid term$
- The , operator: Concatenation

# EBNF Metasymbols

- Brackets [...] mean “optional” (like ? in regular expressions):

□  $if\text{-}stmt \rightarrow if ( exp ) stmt$   
|  $if ( exp ) stmt \text{ else } stmt$

becomes:

$if\text{-}stmt \rightarrow if ( exp ) stmt [ \text{ else } stmt ]$

# EBNF Metasymbols (Continue...)

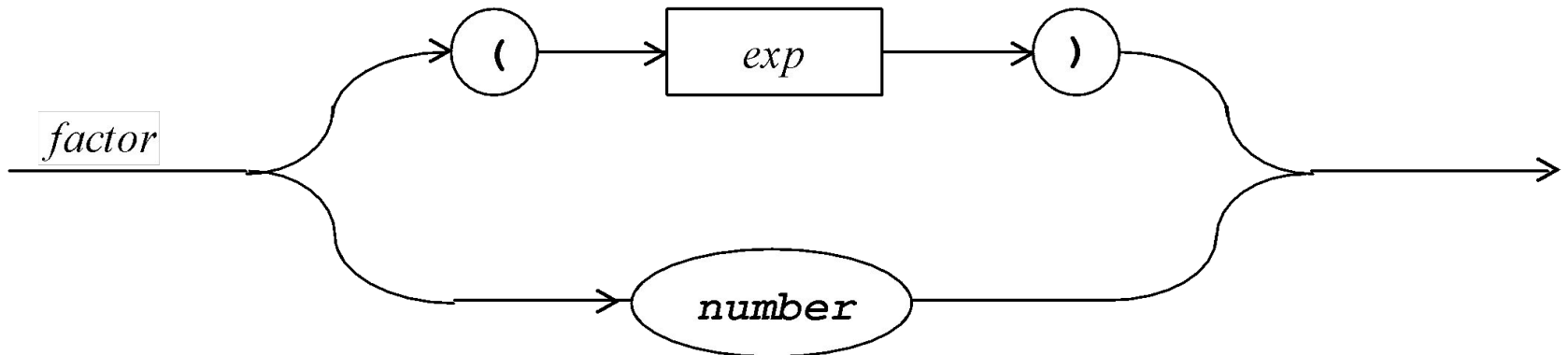
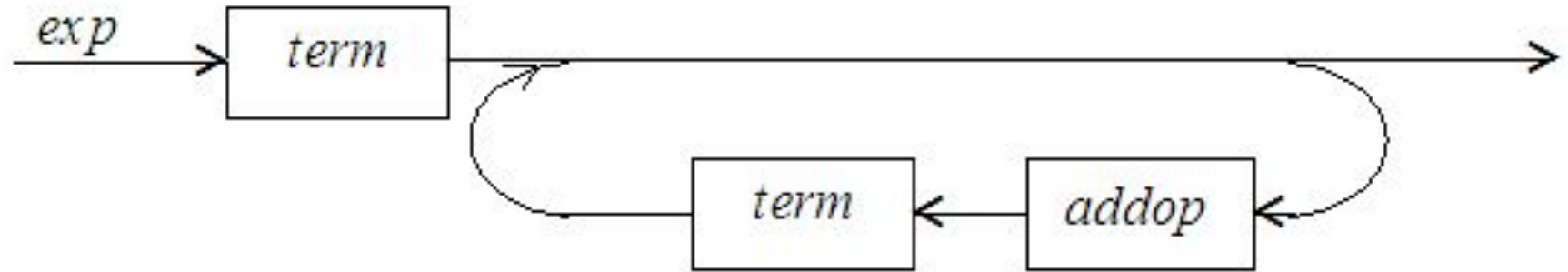
- Braces {...} mean “repetition” (like \* in regular expressions)
- Replace *only* left-recursive repetition:
  - $exp \rightarrow exp + term \mid term$   
becomes:  
 $exp \rightarrow term \{ + term \}$



# Syntax Diagrams

- Graphical representation for visually representing EBNF rules are called **syntax diagrams**
- In syntax diagrams
  - Nonterminal labels for each diagram represent the grammar rule defining that nonterminal
  - Arrow lines represent sequence and choices
  - A square or rectangle box is used to indicate non-terminals
  - A round or oval box is used to indicate a terminal

# Syntax Diagrams (Continue...)



# Syntax Diagrams (Continue...)

## ■ Exercise

- Draw a syntax diagram for variable declaration
  - e.g. `int x;`
  - e.g. `int x,y;`
  - e.g. `int x=10,y=20,z;`

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# Summary

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Any Questions?