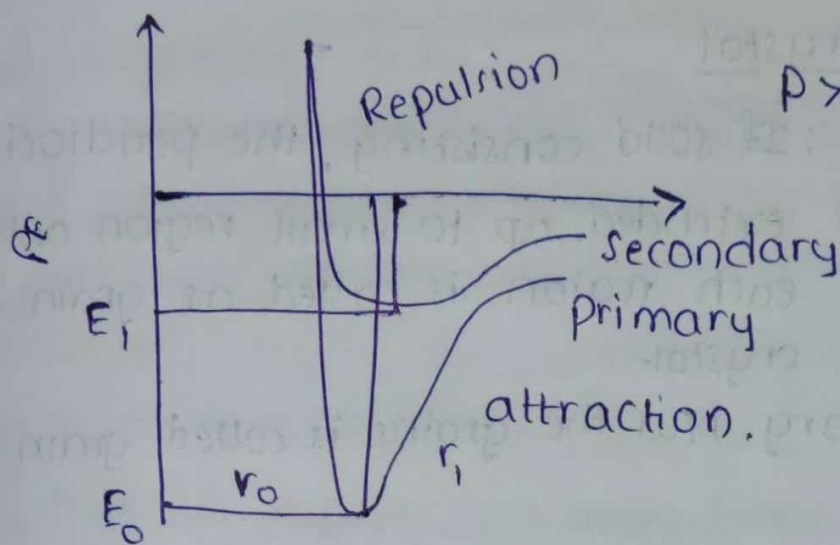


Hydrogen bond: (weak)

→ H^+ ion located b/w 2 ions

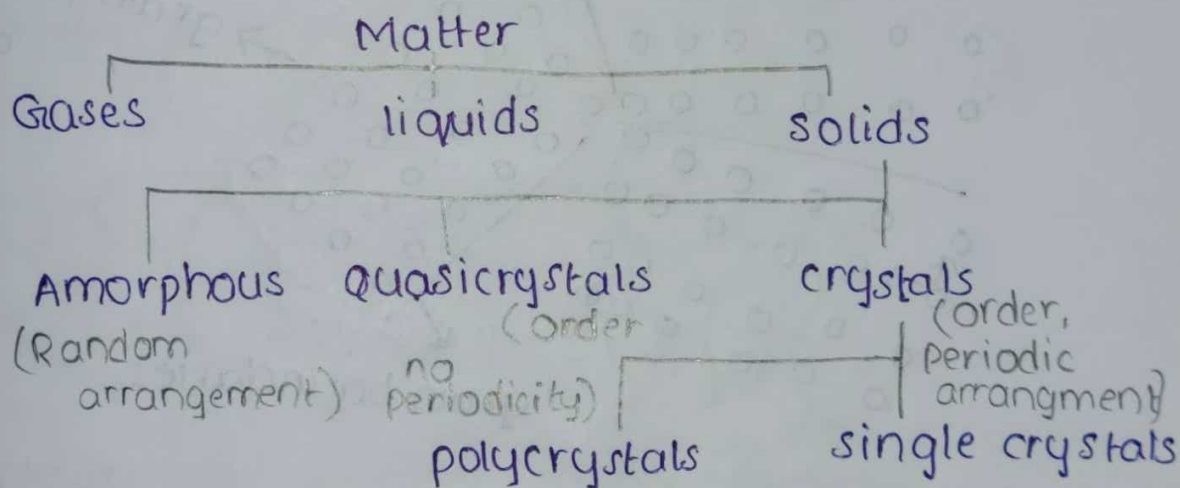
Interatomic V_s p.e curve



29/1/21
Friday

electronegativity: Tendency to attract the e^-

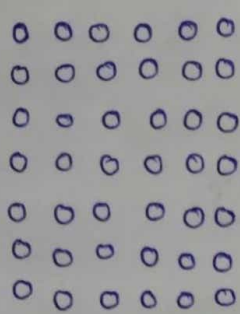
classification of matter



→ properties of molecules depends on the arrangement of the atoms.

*periodicity: regularly repeated (same distance in one direction)

single crystal: If the periodic arrangement extended through out the crystalline material, it is called as single crystalline material.

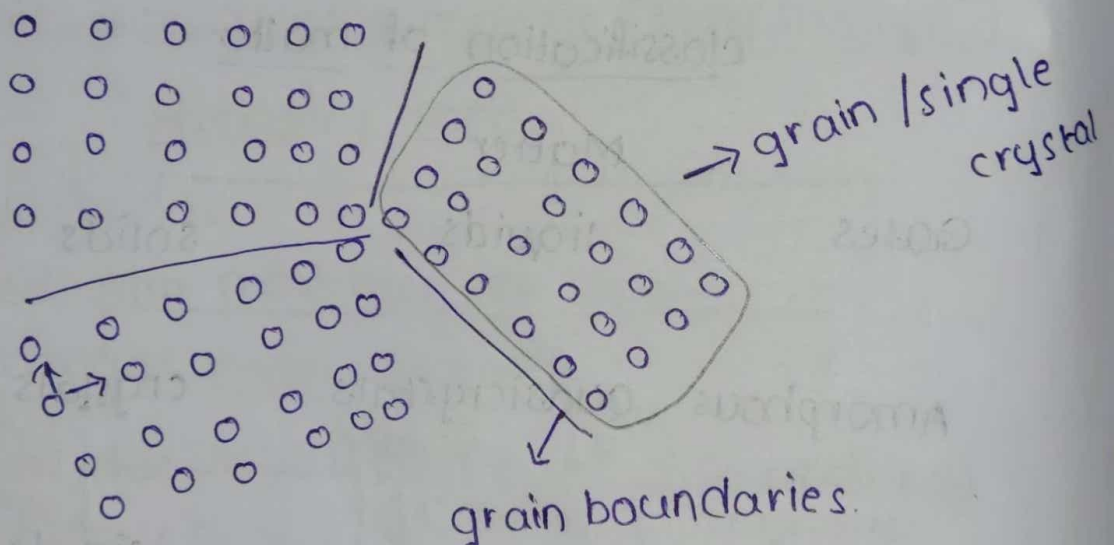


single crystal

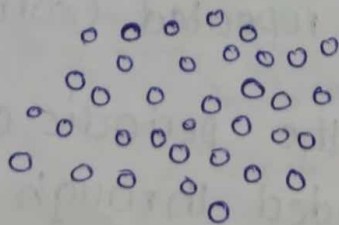
Poly crystalline : If solid consisting, the periodicity extended up to small region only and each region is called as grain or single crystal.

→ The boundary b/w the grains is called grain boundary.

→ If solid contains many no. of grains (single crystal) is also called as polycrystalline material



Amorphous : Random or irregular arrangement of atoms or ions or molecules is known as amorphous material.



Amorphous / non crystalline

Differences blw crystalline and Amorphous solids

crystalline

→ Regular arrangement of atoms along the 3D.

→ Have long range order

→ sharp melting point

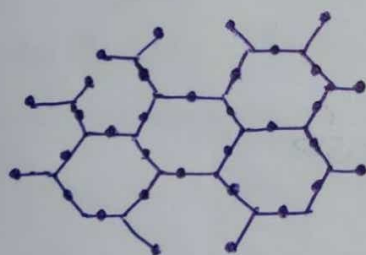
→ They are anisotropic
(properties are different in different directions)

→ They are most stable

→ They have a regular cut

→ show all characters of solids.

Eg: Diamond, NaCl, KCl, copper, Iron etc



crystalline

Amorphous

→ No regular arrangement of atoms.

→ Have short range order.

→ No sharp melting point

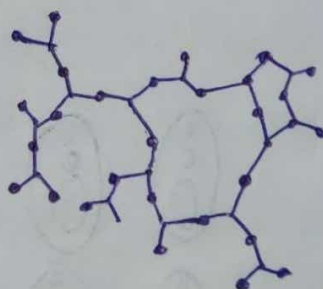
→ They are isotropic

→ they are most unstable

→ they have irregular cut

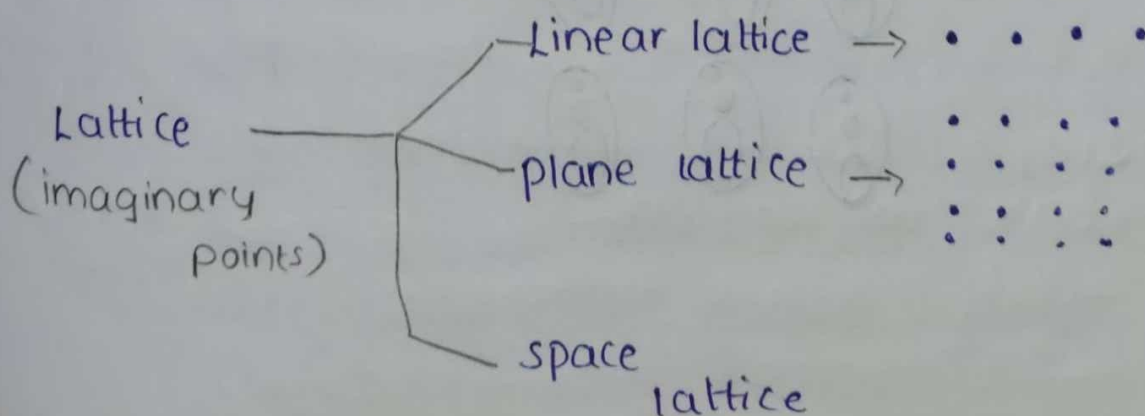
→ don't show all characters of solids.

Eg: Glasses, plastic, rubber.



non crystalline

Basic definitions: Given by



Linear Lattice: Arrangement of points in one direction of (x -direction) is called linear lattice.

space lattice: Infinite array of points (imaginary) periodically in 3-D and each and every point has identical environment is known as space lattice.

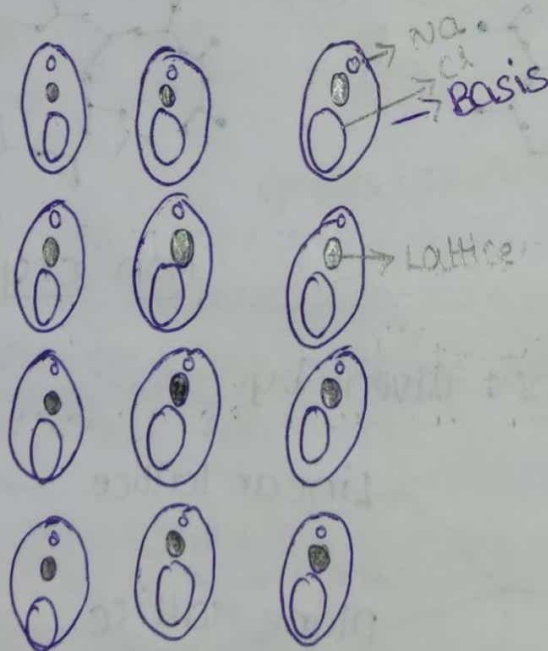
plane lattice: Periodic arrangement in x and y directions (2D) is known as plane lattice.

Basis (or) pattern (or) Motif:

A group of atoms (or ions) which when attached to every lattice points produces the crystal structure.

Basis is a group of atoms/molecules (or) which are identical in composition, arrangement and orientation.

Lattice + Basis = crystal structure



Unit cell: It is a smallest geometrical figure (or) building block which is repeated along the 3 crystallography axis, it gives actual crystal structure.

→ The choice of unit cell is not unique.

→ Based on the no. of points (lattice) present in a unit cell, unit cells are classified into 2 types.

① primitive unit cell

② Non-primitive unit cell.

Primitive unit cell: If unit cell contains only 1 lattice point is called primitive unit cell.

Eg: simple cubic cell.

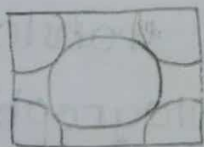
Non-primitive unit cell: If unit cell contains more than 1 lattice point is called non primitive unit cell.

Eg: Body centered cubic, Face centered cubic and base centered structure.

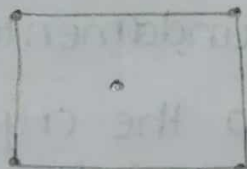
→ Basis consisting

- 1 atom → monoatomic
- 2 atoms → Diatomic
- 3 atoms → triatomic (polyatomic)

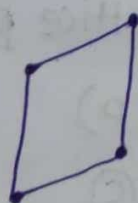
30/1/21
Saturday



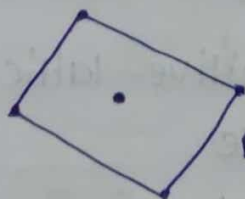
Face centered



Body structured



primitive



non primitive

Statement: All primitive unit cells are unit cells but all unit cells are not primitive

Crystallographic axes and lattice parameters

→ ~~Intersection~~ Let us consider, 3 non-coplanar planes and intersection of 3 non-coplanar planes is known as crystallographic axis named as x, y and z .

→ Let us consider a unit cell, unit cell intersects at a distance of a along the x -axis, at a distance of b along the y -axis, at a distance of c along the z -axis, a, b, c intersects are called primitives (or) fundamental translation vectors.

→ The angles b/w the crystallographic axis α, β and γ are called interfacial or interaxial angles.

→ so a, b, c, α, β and γ are called lattice parameters

→ Simple lattice (or) primitive lattice (P)

→ Base centered lattice

→ Body centered lattice

→ Face centered lattice



(C)

(I)



(F)

6/2/21

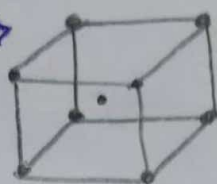
saturday

→ 7 crystal systems → 14 Bravais lattices

→ simple → 8 corner atoms

$$\frac{1}{8} - \text{each atom} \quad n = \frac{1}{8} \times 8 = 1.$$

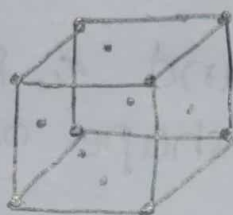
→ Body centered →



8 corner atoms + 1 atom completely inside.

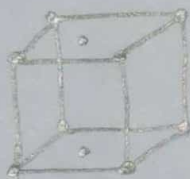
$$n = \frac{1}{8}(8) + 1 = 2.$$

→ Face centered →



$$n = 8 \times \frac{1}{8} + 6 \times \frac{1}{2} \\ = 1 + 3 = 4.$$

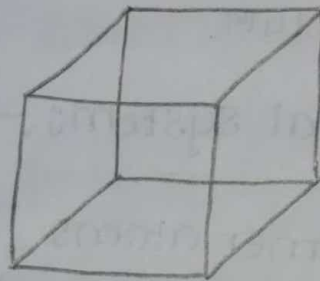
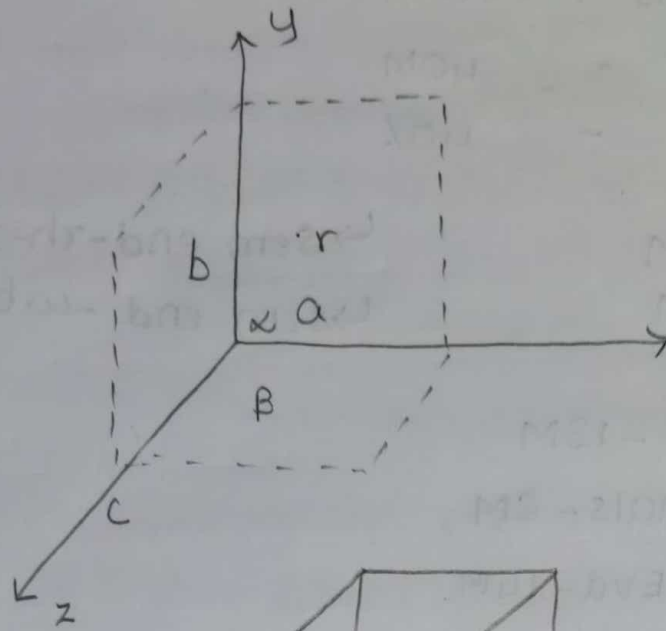
→ Base centered →



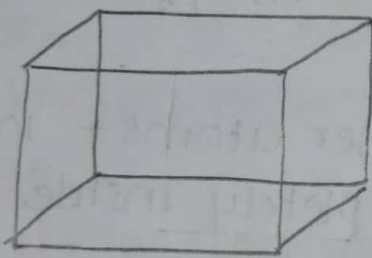
$$n = 8 \times \frac{1}{8} + 2 \times \frac{1}{2} = 1 + 1 = 2$$

→ a, b, c are intercepts made by the planes in a unit cell, with crystallographic axes.

→ The size of unit cell can be determined with the help of a, b, c (α, β, γ)



$$a = b = c = 1$$
$$\alpha = \beta = \gamma = 90^\circ$$



$$a = b = 1$$
$$c = 3$$
$$\alpha = \beta = \gamma = 90^\circ$$

→ Based on α, β, γ and a, b, c crystals are classified into 7 crystal systems and 14 Bravais lattices.

→ If we know a, b, c and α, β, γ values we can assume the size and shape of the crystal structure.

Name of the crystal system

a, b, c

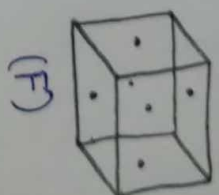
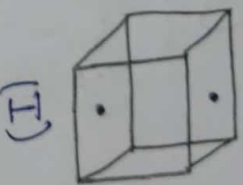
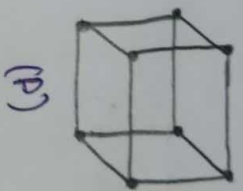
α, β, γ

Diagram

Cubic

$$a = b = c$$

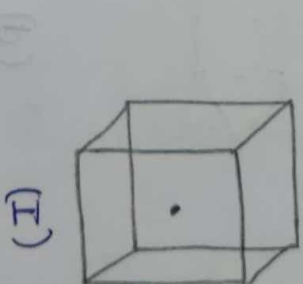
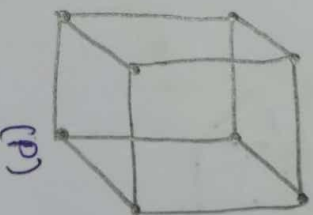
$$\alpha = \beta = \gamma = 90^\circ$$



Tetragonal

$$a = b \neq c$$

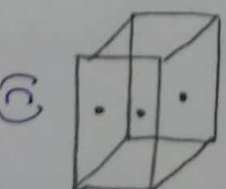
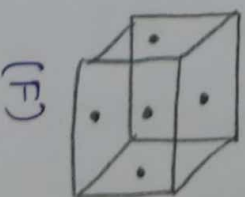
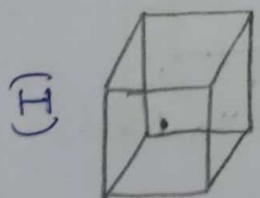
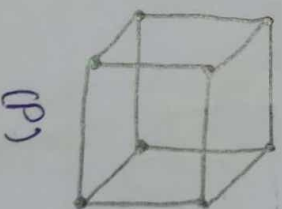
$$\alpha = \beta = \gamma = 90^\circ$$



Orthorhombic

$$a \neq b \neq c$$

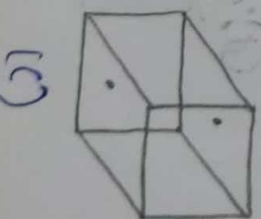
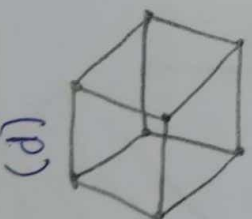
$$\alpha = \beta = \gamma = 90^\circ$$



Monoclinic

$$a \neq b \neq c$$

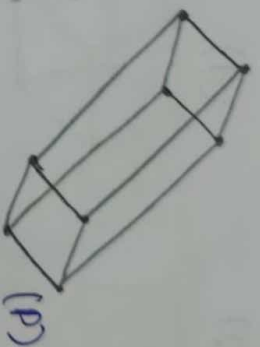
$$\alpha = \beta \neq \gamma = 90^\circ$$



Triclinic

$$a \neq b \neq c$$

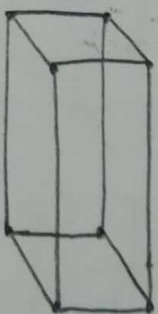
$$\alpha \neq \beta \neq \gamma \neq 90^\circ$$



Rhombohedral

$$a = b = c$$

$$\alpha = \beta = \gamma \neq 90^\circ$$

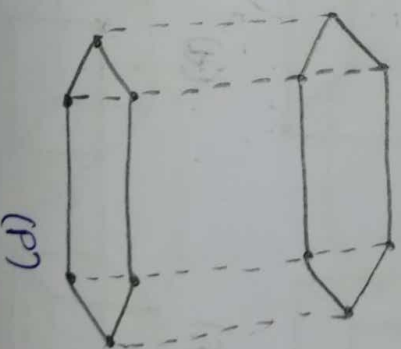


hexagonal

$$a = b \neq c$$

$$\alpha = \beta \neq \gamma = 90^\circ$$

$$\gamma = 120^\circ$$



Handwritten notes: 1/9/20 and 10/10/20

Parameters

(i) no. of lattice points in unit cell (no. of atoms present inside the unit cell).

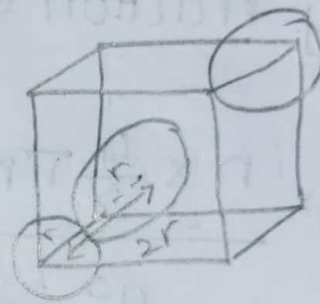
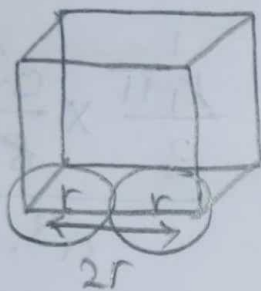
Simple centered $\rightarrow n = 1$

Body centered $\rightarrow n = 2$

Face centered $\rightarrow n = 4$

Base centered $\rightarrow n = 2$

(ii) Nearest neighbour distance (distance b/w any two nearest neighbour atoms)



(iii) Atomic Radius: $\frac{N.N.D}{2} = \frac{2r}{2} = r$.

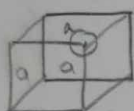
(iv) co-ordination number: The no. of equidistant nearest neighbour atoms.

(v) Atomic packing fraction: It is the ratio of volume occupied by the atoms in the unit cell to volume of the unit cell.

$$Apf = \frac{\text{volume occupied by the atoms in unit cell}}{\text{volume of unit cell.}}$$

$$= \frac{\text{no. of atoms in unit cell} \times \text{vol. of each atom}}{\text{vol. of unit cell.}}$$

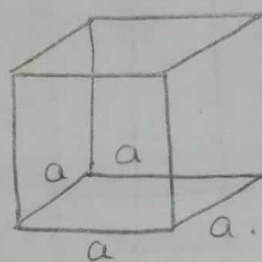
→ If unit cell is having crystal structure



$$\text{vol. of u.c.} = a \times a \times a = a^3$$



$$\text{vol. of atom} = \frac{4}{3} \pi r^3$$



$$a = b = c$$

$$\alpha = \beta = \gamma = 90^\circ$$

$$Apf = \frac{n \times \frac{4}{3} \pi r^3}{a^3}$$

(cubic cells) a^3

10/2/21 → Atomic packing fraction of simple Wednesday cubic (sc) structure. (Explain the structure of sc).

$$\text{No. of atoms in sc unit cell} = 8 \times \frac{1}{8} = 1.$$

* Nearest neighbour distance = $2r = a$.

$$\text{* packing fraction} = \frac{\text{vol. of atoms}}{\text{vol. of u.c.}}$$

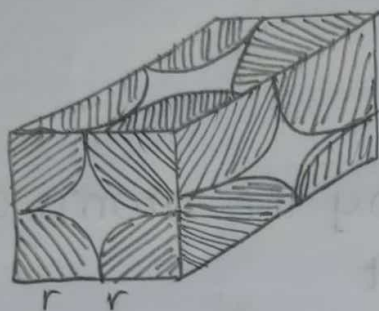
$$= \frac{n \times \frac{4}{3} \pi r^3}{a^3} = \frac{1 \times \frac{4}{3} \pi \left(\frac{a}{2}\right)^3}{a^3} = \frac{\frac{4}{3} \pi \times \frac{a^3}{8}}{a^3}$$

$$= \frac{\pi}{6} = 0.52.$$

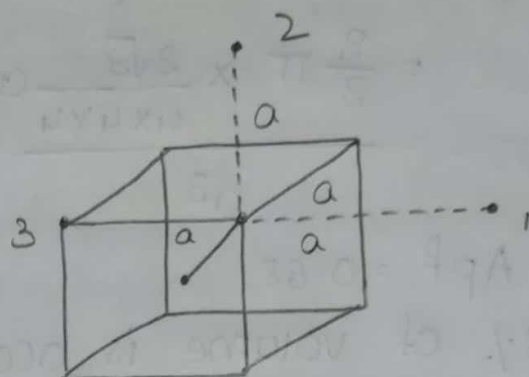
→ Atomic packing fraction = 52%.

→ 52% space is occupied by atoms in sc and 48% of empty space is there.

co-ordinate number = 6.



$$2r = a.$$



Atomic packing fraction for Body centered cubic

Structure:

NO. of atoms in unit cell

$$= 8 \times \frac{1}{8} + 1 = 2.$$

• Nearest neighbour distance

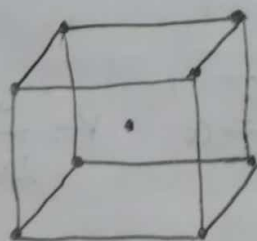
From $\triangle ACD$

$$AC^2 = AD^2 + CD^2$$

$$AC^2 = a^2 + a^2$$

$$AC^2 = 2a^2$$

$$AC = \sqrt{2}a$$



$$NND = 2r = \frac{\sqrt{3}}{2}a.$$

$$\text{Atomic radius } r = \frac{\sqrt{3}}{4}a.$$

From $\triangle ABC$

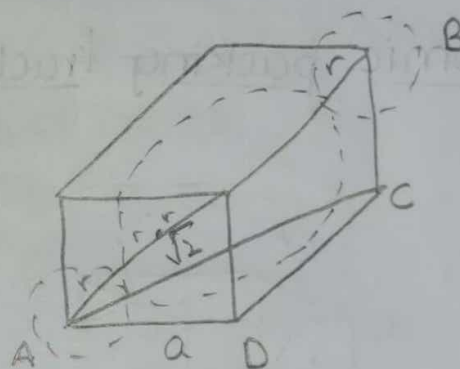
$$AB^2 = AC^2 + BC^2$$

$$(4r)^2 = (\sqrt{2}a)^2 + a^2$$

$$(4r)^2 = 2a^2 + a^2 = 3a^2$$

$$4r = \sqrt{3}a$$

$$r = \frac{\sqrt{3}}{4}a$$



$$Apf = n \times \frac{4}{3} \pi r^3$$

$$= 2 \times \frac{4}{3} \pi \times \left(\frac{\sqrt{3}}{4} a \right)^3$$

$$= 2 \times \frac{4}{3} \pi \times \left(\frac{\sqrt{3}}{4} a \right)^3$$

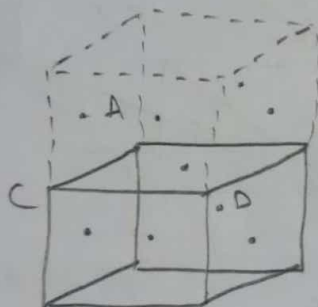
$$= \frac{\frac{8}{3} \pi \times \frac{3\sqrt{3}}{4 \times 4 \times 4} a^3}{a^3} = \frac{\sqrt{3}}{8} \pi$$

$$Apf = 0.68$$

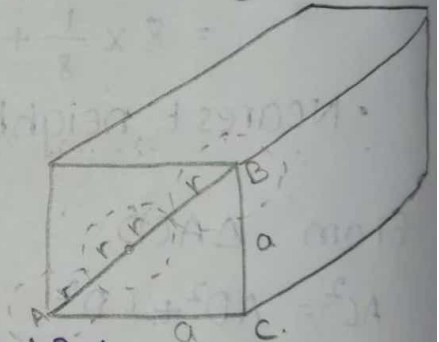
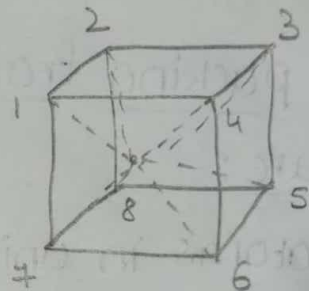
→ 68% of volume is occupied by the atoms and 32% of empty space is present.

Co-ordination numbers - 8.

Atomic packing fraction of fcc:



above = 4
within plane = 4
Below = 4



$$\text{No. of atoms } n = 8 \times \frac{1}{8} + 6 \times \frac{1}{2} = 1 + 3 = 4$$

Nearest neighbouring dist = $2r$

From $\triangle ABC$

$$AB^2 = AC^2 + BC^2$$

$$(4r)^2 = a^2 + a^2$$

$$(4r)^2 = 2a^2 \Rightarrow 4r = \sqrt{2}a \Rightarrow r = \frac{\sqrt{2}}{4}a \Rightarrow r = \frac{a}{2\sqrt{2}}$$

$$NND = 2r = \frac{a}{\sqrt{2}}$$

$$\text{Atomic value } r = \frac{a}{2\sqrt{2}}$$

$$Apf = \frac{n \times \frac{4}{3} \pi r^3}{a^3}$$

$$= 4 \times \frac{4}{3} \pi \left(\frac{a}{2\sqrt{2}} \right)^3 / a^3.$$

$$= \frac{16}{3} \pi \frac{a^3}{8 \times \sqrt{2} \times \sqrt{2} \times \sqrt{2}} = \frac{16\pi}{3} \times \frac{1}{8\sqrt{2}} = \frac{\pi}{3\sqrt{2}}$$

$$Apf = 0.74.$$

→ 74% of space is occupied by atoms and 26% is left empty. Co-ordination number = 12.

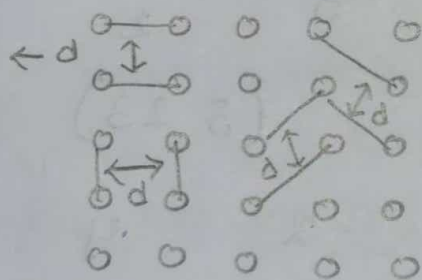
Structure	<u>n</u>	<u>NND</u>	<u>r</u>	<u>Apf</u>	<u>E</u>	<u>Co-ordination</u>
SC	1	2r	$a/2$	0.52	48%	6
BC	2	2r	$\frac{\sqrt{3}}{4} a$	0.68	32%	8
FCC	4	2r	$\frac{a}{2\sqrt{2}}$	0.74	26%	12.

13/2/21

Saturday

Crystal planes: The imaginary planes passing through the lattice which are having large concentration of atoms.

Interplanar spacing



Interplanar d: The distance b/w any two successive parallel planes is known as interplanar distance

Miller indices:

- Miller indices gives the position and orientation of crystal planes in the lattice.
- Miller indices are the 3 smallest integers whose ratios are the reciprocals of intercepts made by the crystallographic planes with crystallographic axes.