

第三次作业：

1.  $FIRST(X) = FIRST(Y) = \{a, \epsilon\}$

2. 104/3.10:

$FIRST(D) = FIRST(T) = \{int, real\}$ ,  $FIRST(L) = \{id\}$

$FIRST(R) = \{, , \epsilon\}$

$FOLLOW(D) = \{\$ \}$

$FOLLOW(T) = \{id\}$

$FOLLOW(L) = \{\$ \}$

$FOLLOW(R) = \{\$ \}$

	int	real	id	,	\$
D	$D \rightarrow TL$	$D \rightarrow TL$			
T	$T \rightarrow int$	$T \rightarrow real$	$L \rightarrow idR$		
L				$R \rightarrow idR$	$R \rightarrow \epsilon$
R					

104:

3.12.

$FIRST(S) = \{x, d, \epsilon\}$

$FIRST(A) = \{x\}$

$FIRST(B) = \{b\}$

$FIRST(P) = \{d, \epsilon\}$

$FIRST(Q) = \{a, \epsilon\}$

$FOLLOW(S) = \{\$ \}$

$FOLLOW(A) = \{b\}$

$FOLLOW(B) = \{\$ \}$

$FOLLOW(P) = \{a, \epsilon\}$

$FOLLOW(Q) = \{x\}$

对于  $P \rightarrow dP \mid \epsilon$ ,  $FIRST(dP) = \{d\}$ ,  $\{d\} \cap \{\epsilon\} = \emptyset$   
 $FIRST(\epsilon) = \{\epsilon\}$

对于  $Q \rightarrow aQ \mid \epsilon$ ,  $FIRST(aQ) = \{a\}$ ,  $\{a\} \cap \{\epsilon\} = \emptyset$   
 $FIRST(\epsilon) = \{\epsilon\}$

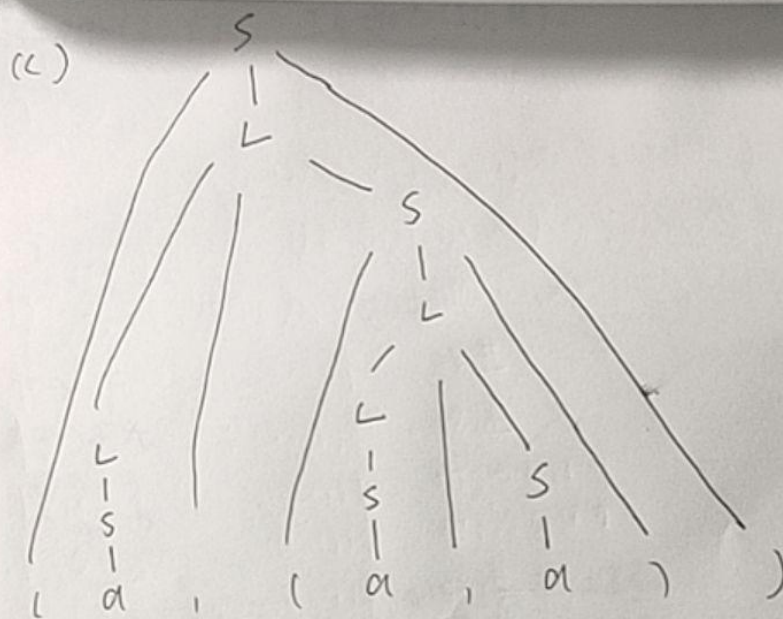
对于  $S \rightarrow AB \mid PQX$ ,  $FIRST(AB) = \{x\}$   
 $FIRST(PQX) = \{a, d, x\}$   
 $FIRST(AB) \cap FIRST(PQX) \neq \emptyset$

故该文法不是 LL(1) 文法

3.16

$$\begin{aligned}
 (a) \quad S &\Rightarrow_{rm} (L) \Rightarrow_{rm} (L, S) \Rightarrow_{rm} (L, (L)) \Rightarrow_{rm} (L, (L, S)) \\
 &\Rightarrow_{rm} (L, (L, a)) \Rightarrow_{rm} (L, (S, a)) \Rightarrow_{rm} (L, (a, a)) \\
 &\Rightarrow_{rm} (S, (a, a)) \Rightarrow_{rm} (a, (a, a))
 \end{aligned}$$

栈	输入	动作
\$	(a, (a, a))\$	移进
\$(	a, (a, a))\$	移进
\$(a	, (a, a))\$	按 $S \rightarrow a$ 归约
\$(S	, (a, a))\$	按 $L \rightarrow S$ 归约
\$(L	, (a, a))\$	移进
\$(L,	(a, a))\$	移进
\$(L,(	a, a))\$	移进
\$(L,(a	, a))\$	按 $S \rightarrow a$ 归约
\$(L,(S	, a))\$	按 $L \rightarrow S$ 归约
\$(L,(L	, a))\$	移进
\$(L,(L,	a))\$	移进
\$(L,(L,a	)\$	按 $S \rightarrow a$ 归约
\$(L,(L,S	)\$	按 $L \rightarrow S$ 归约
\$(L,(L	)\$	移进
\$(L,(L)	)\$	按 $S \rightarrow (L)$ 归约
\$(L,S	)\$	<del>移进</del> 按 $L \rightarrow L, S$ 归约
\$(L, S	)\$	移进
\$(L)	\$	按 $S \rightarrow (L)$ 归约
\$S	\$	接受.



4.  
P104. 3.19 (a)

构造拓广文法:

$E' \rightarrow E$

$E \rightarrow E + T \mid T$

$T \rightarrow TF \mid F$

$F \rightarrow F * \mid a \mid b$

$I_0: E' \rightarrow \cdot E$   
 $E \rightarrow \cdot E + T$   
 $E \rightarrow \cdot T$   
 $T \rightarrow \cdot TF$   
 $T \rightarrow \cdot F$   
 $F \rightarrow \cdot F *$   
 $F \rightarrow \cdot a$   
 $F \rightarrow \cdot b$

$I_1 = \text{goto}(I_0, E):$

$E' \rightarrow E \cdot$   
 $E \rightarrow E \cdot + T$

$I_2 = \text{goto}(I_0, T):$

$E \rightarrow T \cdot$   
 $T \rightarrow T \cdot F$   
 $F \rightarrow \cdot F *$   
 $F \rightarrow \cdot a$   
 $F \rightarrow \cdot b$



$I_3 = \text{goto}(I_0, F):$

$T \rightarrow F \cdot$

$F \rightarrow F \cdot *$

$I_4 = \text{goto}(I_0, a):$

$F \rightarrow a \cdot$

$I_5 = \text{goto}(I_0, b):$

$F \rightarrow b \cdot$

$I_6 = \text{goto}(I_1, +):$

$E \rightarrow E + \cdot T$

$T \rightarrow \cdot TF$

$T \rightarrow \cdot F$

$F \rightarrow \cdot F*$

$F \rightarrow \cdot a$

$F \rightarrow \cdot b$

$I_7 = \text{goto}(I_2, F):$

$T \rightarrow TF \cdot$

$F \rightarrow F \cdot *$

$\text{goto}(I_2, a) = I_4$

$\text{goto}(I_2, b) = I_5$

$I_8 = \text{goto}(I_3, *):$

$F \rightarrow F* \cdot$

$I_9 = \text{goto}(I_6, T):$

$E \rightarrow E + T \cdot$

$T \rightarrow T \cdot F$

$F \rightarrow \cdot F*$

$F \rightarrow \cdot a$

$F \rightarrow \cdot b$

$\text{goto}(I_6, F) = I_3$

$\text{goto}(I_6, a) = I_4$

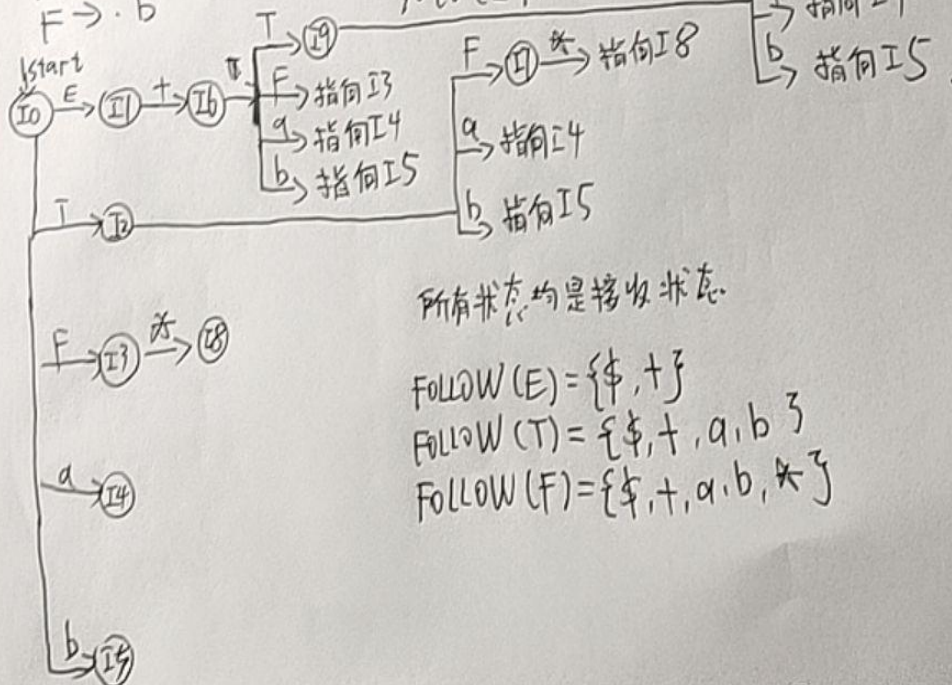
$\text{goto}(I_6, b) = I_5$

$\text{goto}(I_7, *) = I_8$

$\text{goto}(I_9, F) = I_7$

$\text{goto}(I_9, a) = I_4$

$\text{goto}(I_9, b) = I_5$



	+	*	a	b	\$	E	T	F
0			s4	s5		1	2	3
1	s6				acc			
2	r2		s4	s5	r2			7
3	r4	s8	r4	r4	r4			
4	rb	rb	rb	rb	rb			
5	r7	r7	r7	r7	r7			
6			s4	s5			9	3
7	r3	s8	r3	r3	r3			
8	r5	r5	r5	r5	r5			
9	r1		s4	s5	r1			7

<sup>(1)</sup>  $E \rightarrow E + T$     <sup>(2)</sup>  $E \rightarrow T$     <sup>(3)</sup>  $T \rightarrow TF$     <sup>(4)</sup>  $T \rightarrow F$   
<sup>(5)</sup>  $F \rightarrow F*$     <sup>(6)</sup>  $F \rightarrow a$     <sup>(7)</sup>  $F \rightarrow b$