

## Chapter-2

- ⑧ program to handle different type of lists

### Aim:

To write a program that correctly processes

- An empty list

- A List with one element

- A List with all identical elements

- A List with negative numbers

### \*Pseudocode

Start

Read List A

$n = \text{length of } A$

If  $n \leq 1$

    print A

else

    sort A in ascending order

    print A

END IF

STOP

### \*Testcases

INPUT

[ ]

[.]

[7,7,7,7]

[-5,-1,-3,-2,-4]

OUTPUT(+0), (0.000000000000000)

[ ]

[.]

[7,7,7,7]

[-5,-4,-3,-2,-1]

[ ]

### Selection Sort

#### Aim

To Sort a given array of elements in ascending order using Selection Sort Algorithm

### Pseudocode

Start

Read n

Read array A[n]

for i = 0 to n-2

    min = i

    for j = i+1 to n-1

        if A[j] < A[min]

            min = j

    END If

END For

    SWAP A[i] and A[min]

END For

    print A

STOP

### \* Input

[5, 2, 9, 1, 5, 6]

### \* Output

[1, 2, 5, 5, 6, 9]

### ⑧ Bubble Sort

Aim: To sort a list of elements in ascending order using Bubble Sort

### \* Pseudocode

Start

Read n

Read array A[n]

for i = 0 to n-2

    Swapped = 0

    for j = 0 to n-i-2

        if A[j] > A[j+1]

            swap A[j], A[j+1]

            Swapped = 1

    END IF

  END FOR

  if Swapped = 0

    Break

  end if

end for

print A

stop

### \* Input

[5, 1, 4, 2, 8]

### \* Output

[1, 2, 4, 5, 8]

② Test cases:

### Insertion Sort

Aim:

To implement insertion sort that correctly sorts an array containing duplicate elements and to study its behaviour

\* Pseudocode:

InsertionSort (A, n)

```
{  
    for i = 1 to n-1  
    {  
        key = A[i];  
        j = i-1;  
        while (j >= 0 & A[j] > key)  
        {  
            A[j+1] = A[j];  
            j = j-1;  
        }  
        A[j+1] = key;  
    }  
}
```

\* Input

[47, 25, 12, 22, 11]

[29, 10, 14, 37, 13]

[3, 5, 2, 1, 4]

[1, 2, 3, 4, 5]

(Already Sorted)

[8, 4, 3, 2, 1]

(Reverse Sorted)

② Array with duplicates

Input:

[3, 1, 4, 1, 8, 9, 2, 6, 8, 3]

Output:

[1, 1, 2, 3, 3, 4, 5, 6, 8, 9]

③ ALL Identical Elements

Input:

[5, 5, 5, 5, 5]

Output:

[5, 5, 5, 5, 5]

## 14th missing positive integer

(22)

Aim:

To find the  $K$ th missing positive integer from a given array of strictly increasing positive integers.

\* Pseudocode:

findKthpositive (arr, n, K)

{

    left = 0;

    right = n - 1;

    while (left <= right)

    {

        mid = (left + right) / 2;

        missing = arr[mid] - (mid + 1);

        if (missing < K)

            left = mid + 1;

        else

            right = mid - 1;

    }

    return left;

y [4, 8, 9, 15, 19]

\* Input

arr = [2, 3, 4, 7, 11]

K = 5

\* Output

Output: 9

(23)

## peak element

Aim: To find the index of a peak element in a given 0-indexed integer array using an  $O(\log n)$  time complexity algorithm.

\* Pseudocode:

findpeak element (nums, n)

{

    low = 0;

    high = n - 1;

    while (low < high)

    {

        mid = (low + high) / 2;

        if (nums[mid] < nums[mid + 1])

            low = mid + 1;

        else

            high = mid;

    }

    return low;

}

\* Input:

nums = [1, 2, 3, 1]

\* Output:

Output: 2

(24)

Index of first occurrence

Aim:

To find the index of the first occurrence of the string needle in the string haystack.

If needle is not present, return -1.

\* Pseudocode

strStr (haystack, needle)

{ n = length (haystack);

    m = length (needle);

    if (m == 0)

        return 0;

    for i = 0 to n - m {

        j = 0;

        while (j < m && haystack[i + j] == needle[j])

            j++;

        if (j == m)

            return i;

    }

    return -1;

}

\* Input:

haystack = "gad but god"

needle = "god"

\* Output:

Output: 0

(25)

Given an array of String words, return all strings in words that is a substring of another word.

Aim: To find and return all strings from given array that are substrings of another string in the same array

\* Pseudocode:

findSubstrings (words, n) {

    result = empty LIST;

    for i = 0 to n - 1 {

        for j = 0 to n - 1 {

            if (i != j && isSubString (words[i], words[j]))

                add words[i] to result;

                break;

return result;

10. Brute-force approach

Aim: to find the closest pair of points in a set of 2D points using the brute-force method

\* Pseudocode

closest pair(points, n)

minDist = INFINITY;

for i = 0 to n-2 {

for j = i+1 to n-1 {

dist =  $\sqrt{(points[i].x - points[j].x)^2 + (points[i].y - points[j].y)^2}$ ;

if (dist < minDist)

minDist = dist;

P<sub>1</sub> = points[i];

P<sub>2</sub> = points[j];

print P<sub>1</sub>, P<sub>2</sub>, minDist;

\* Input to Pseudocode is as follows

points = [(1, 2), (4, 7), (7, 8), (3, 1)]

Output

closest pair : (1, 2) , (3, 1)

minimum distance : 1.414213562373095

## Closest pair of points (Brute force)

Aim:  
To find the closest pair of points in a given set of 2D points using the brute force approach and analyze its time complexity

### Euclidean distance function

$$\text{Distance} = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$$

\* Pseudocode:

distance( $P_1, P_2$ )

return  $\sqrt{(P_1.x - P_2.x)^2 + (P_1.y - P_2.y)^2}$

closest-pair( $\text{points}, n$ )

{  
minDist = infinity;

for  $i = 0$  to  $n-2$

{  
for  $j = i+1$  to  $n-1$

{  
d = distance( $\text{points}[i], \text{points}[j]$ );

if ( $d < \text{minDist}$ ) {

minDist = d;

$P_1 = \text{points}[i]$ ;

$P_2 = \text{points}[j]$ ;

print  $P_1, P_2, \text{minDist}$ ;

\* Input

points =  $[(1, 2), (4, 5), (7, 8), (3, 1)]$

\* Output

closest-pair :  $(1, 2) - (3, 1)$

minimum distance: 1.4142135623730951

Aim:

To write a program that finds the convex hull of a given set of 2D using the brute force approach

\* Pseudocode

for each point  $i$  in points

foreach point  $j$  in points

if  $i \neq j$

$pos = neg = 0$

foreach point  $k$  in points

$val = \text{cross product } (i, j, k)$

if  $val > 0$  then  $pos++$

else if  $val < 0$  then  $neg++$

if  $pos == 0$  or  $neg == 0$

mark  $i$  and  $j$  as hull points

print hull points in counter-clockwise order

\* Input

points =  $[(0, 1), (4, 6), (8, 1), (0, 0), (3, 3)]$

\* Output

Convex Hull =  $[(0, 0), (1, 1), (8, 1), (4, 6)]$

Travelling SalesmanAim:

To develop a program that solves the Travelling Salesman problem (TSP) using an exhaustive search (brute force) approach by generating all possible permutations of cities and finding the shortest possible tour

\* Pseudocode

function tsp(cities, n)

start = cities[0]

mindist = INFINITY

for each permutation

dist = 0

curr = start

for each city in p

dist + distance(curr, city)

curr = city

dist + distance(curr, start)

if dist < mindist

mindist = dist

bestpath = (start, p, start)

otherwise mindist, bestpath

\* Input:

cities = [(1,2), (4,5), (7,1), (3,6)]

\* Output

shortest distance: 7.0710678118654759

shortest path: [(1,2), (4,5), (7,1), (3,6), (1,2)]

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- Assignment problem

Aim: To develop a program that solves the Assignment problem using an exhaustive (brute-force) Search approach by checking all possible worker to task assignments.

\* pseudocode

function total-cost = assign(c, cost, n)

Sum = 0

for i = 0 to n-1

Sum += cost[i][assign[i]]

return Sum

function assignment-problem(cost, n)

mincost = INFINITY

for each permutation p of tasks, 0 to n-1

curr cost = total-cost(p, cost, n)

if curr cost < mincost

mincost = curr cost

best assign = p

return best assign, mincost

\* Input

cost matrix =

[ [3, 10, 7],

[ 8, 5, 12],

[ 4, 6, 9] ]

\* Output

optimal assignment:

[ (worker1, task2), (worker2, task1), (worker3,

task3) ]

Total cost: 19

## Knapsack using Exhaustive Search

Aim:

To develop a program that solves the 0-1 Knapsack problem using Exhaustive Search.

\* Procedure:

\* Pseudocode:

max = 0

for each Subsets S of items  $\{1, 2, 3\}$

    if weight(S)  $\leq$  capacity

        if value(S)  $>$  max

            max = value(S)

            best = S

return best, max

\* Input

Items : 3

weights : [2, 3, 1]

values : [4, 5, 3]

capacity : 4

\* Output

optimal Selection : [0, 2]

TOTAL value : 7

subset 1 : [0, 1, 2]

subset 2 : [0, 1, 3]

subset 3 : [0, 2, 3]