

67) Aim: To count the number of good pairs in an array where $\text{nums}[i] \geq \text{nums}[j]$ and $i < j$.

* pseudocode

Count = 0

for $i = 0 \dots n-1$

for $j = i+1 \dots n-1$

if $(\text{nums}[i] \geq \text{nums}[j])$ Count++

* Input

nums = [1, 2, 3, 1, 1, 3]

* output

4

68) Aim:

to find the city that can reach the fewest cities within a given distance threshold using shortest paths

* pseudocode

init $\text{dist}[n][n] = \text{INF}$

for each edge (u, v, w) : $\text{dist}[u][v] = \text{dist}[v][u] = w$

for i : $\text{dist}[i][i] = 0$

for k, i, j : $\text{dist}[i][j] = \min(\text{dist}[i][j], \text{dist}[i][k] + \text{dist}[k][j])$

Count reachable cities for each i return city with min Count (max index if tie)

* Input

$n = 4$

edges = [(0, 1, 3), (1, 2, 1), (1, 3, 4), (2, 3, 1)]

Distance threshold = 4

* output

3

69) Aim: To find the minimum time required for signal to reach all nodes in a directed network from a given source

* pseudocode

init $\text{dist}[i] = \text{INF}$, $\text{dist}[s] = 0$

for $i = 1 \dots n-1$:

for each edge (u, v, w) :

$\text{dist}[v] = \min(\text{dist}[v], \text{dist}[u] + w)$

if (ans == INF) return -1

else return ans

* Input

edges = [(2, 1, 1), (4, 3, 1), (3, 4, 1)]

$n = 4$

src = 2 * output = 2

72) Aim: To minimize the number of coins you can collect by optimally choosing piles when Alice always picks the largest and Bob picks the smallest

* pseudocode
Sort (piles)

$i = 0$; $j = n-1$; $ans = 0$

while ($i < j$) {

$ans += piles[j]$;

$j--$; $i++$;

* Input

piles = [2, 4, 1, 5, 7, 8]

* output -

9

73) Aim: To find the minimum number of coins to add so that all values from 1 to large obtainable

* pseudocode

Sort (coins)

reach = 0, add = 0

for each coin:

while (coin > reach + 1):

reach += reach + 1

add ++

reach += coin

add ++

* Input

coins = [1, 4, 10]

target = 13

* output -

2

74) Aim: To select a subset of non-overlapping jobs maximize total profit

* pseudocode

Sort jobs by end times

$dp[0] = 0$

for $i = 1 \dots n$:

$j =$ find last non-overlapping

$dp[i] = \max(dp[j])$

return $dp[n]$

* Input:

starttime = (1, 2, 3, 3)

endtime = (3, 4, 5, 6)

profit = (40, 10, 40, 70)

* Output:

120

44 Ans

To find the shortest distances using Dijkstra's algorithm

* pseudocode

dist[source] = 0

for i = 0 .. n-1: visited[i] = false

for count = 0 .. n-1:

u = min Distance(dist, visited)

visited[u] = true

if (!visited[v] && graph[u][v] != INF)

dist[v] = min(dist[v], dist[u] + graph[u][v])

* Input:

n = 5

graph = [[0, 10, 3, INF, INF],
[INF, 0, 1, 2, INF],
[INF, 4, 0, 8, 2],
[INF, INF, INF, 0, 7],
[INF, INF, INF, 9, 0],
]

Source = 0

* Output:

(7, 3, 9, 5)

45 Ans

To find the shortest distance from a vertex to a target vertex in a weighted graph using Dijkstra's algorithm

* pseudocode

Build adjacency List (adj from edges)
dist[source] = 0

priority - queue pq

pq.push(source, 0)

while (!pq.empty):

u = pq.pop()

return dist[target]

Input

$n=6$
edges = (0,1,7), (0,2,9), (0,3,14), (0,4,10), (1,5,5),
(2,3,11), (2,5,2), (3,4,8), (4,5,9)

source = 0

target = 4

Output

20

Q6 Ans

to construct a Huffman tree from characters and frequencies and generate prefix-tree pseudocode

Make min heap of nodes (char, freq)

while (heap.size > 1):

left = heap.pop()

right = heap.pop()

traverse tree (root, "")

if leaf: print(char, code)

else:

traverse (left, code + "0")

traverse (right, code + "1")

Input

$n=4$

characters = ['a', 'b', 'c', 'd']

frequencies = (5, 9, 12, 13)

Output

('a', '110'), ('b', '10'), ('c', '01'), ('d', '111')

Q7 Ans

to decode a Huffman encoded string using the corresponding Huffman tree to retrieve the original message

pseudocode

root = buildHuffmanTree(characters, frequencies)

node = root

if (bit == '0') node = node.left

Input

$n=4$
characters = ['a', 'b', 'c', 'd']

Output

10101101

49 Aim: To determine the minimum no. of required to load all items using a greedy capacity

* pseudocode

Sort (weights descending)

Count = 1

Current-Sum = 0

for w in weights:

if (Current-Sum + w) <= max-capacity

Current-Sum = w

else

Count++

Current-Sum = 0

return Count

* Input:

n = 7

weights = [5, 10, 15, 20, 25, 30, 35]

max-capacity = 50

* output

4

50 Aim: To find the MST of a weighted graph using Kruskal's Algorithm

* pseudocode

Sort edges by weight

initialize parent[i] = i for union. find mst

weight = 0

mst-edges = []

for each edge (u, v, w):

if (find(u) != find(v)):

union(u, v)

mst-edges.push(edge)

mst-weight += w

return mst-edges, mst-weight

* Input

n = 4

m = 5

edges = [(0, 1, 10), (0, 2, 1), (0, 3, 5), (1, 3, 15), (2, 3, 4)]

* output

edges in MST: [(2, 3, 4), (0, 3, 5), (0, 1, 10)]

Total weight of MST: 19

⑩ Ans:

To verify whether a given MST is unique and find another MST if it is not unique.

* pseudocode

mst-weight = Sum(weights of given-mst)

for each edge not in MST:

try adding edge to MST

if (weight same & no cycle):

another-mst exists \rightarrow mst not unique

return is-unique, another-mst

* Input

$n = 4$

$m = 5$

edges = [(0,1,10), (0,2,6), (0,3,7), (1,3,15), (2,3,10)]

given mst = [(2,3,10), (0,3,7), (0,1,10)]

* output

- Is the given MST unique? True
