```
c_{\phi} = \text{Re}[z_{\phi}];
       s_{\phi} = Im[z_{\phi}];
       \mathbf{r} = \mathbf{r}^n;
       z = \mathbb{I} \left\{ c_{\underline{\theta}} s_{\phi}, s_{\underline{\theta}} s_{\phi}, c_{\underline{\phi}} \right\} + c;
        (*Note early out*)
        If [Jz = {}, Return[{}z{}]];
        (*Note early out*)
      \mathbb{A} = \begin{pmatrix} \mathbf{c}_{\underline{\theta}} & \mathbf{s}_{\underline{\phi}} & \mathbf{r} & \mathbf{s}_{\underline{\phi}} & \mathbf{0} & \mathbf{0} & \mathbf{r} & \mathbf{c}_{\underline{\theta}} \\ \mathbf{s}_{\underline{\theta}} & \mathbf{s}_{\underline{\phi}} & \mathbf{0} & \mathbf{r} & \mathbf{s}_{\underline{\phi}} & \mathbf{0} & \mathbf{r} & \mathbf{s}_{\underline{\theta}} \\ \mathbf{c}_{\underline{\phi}} & \mathbf{0} & \mathbf{0} & \mathbf{r} & \mathbf{0} \end{pmatrix};
       M = MatrixPower;
      \mathbb{B} = \begin{pmatrix} \mathbf{n} \, \mathbf{r}^{(\mathbf{n}-\mathbf{1})} & \mathbf{0} & \mathbf{0} \\ 0 & \mathbf{n} \, \mathbb{M} \Big[ \begin{pmatrix} \mathbf{c}_{\theta} & -\mathbf{s}_{\theta} \\ \mathbf{s}_{\theta} & \mathbf{c}_{\theta} \end{pmatrix}, \, \mathbf{n} - \mathbf{1} \Big] & \mathbf{0} \\ 0 & \mathbf{0} & \mathbf{n} \, \mathbb{M} \Big[ \begin{pmatrix} \mathbf{c}_{\phi} & -\mathbf{s}_{\phi} \\ \mathbf{s}_{\phi} & \mathbf{c}_{\phi} \end{pmatrix}, \, \mathbf{n} - \mathbf{1} \Big] \end{pmatrix} / / \, \text{ArrayFlatten;}
     \mathbb{C} = \begin{pmatrix} 1 & 0 & 1 \\ 0 & -\frac{x}{w^2} & \frac{1}{w} & 0 & 0 \\ 0 & -\frac{y}{w^2} & 0 & \frac{1}{w} & 0 \\ -\frac{z}{r^2} & 0 & 0 & 0 & \frac{1}{r} \\ -\frac{w}{r} & \frac{1}{r} & 0 & 0 & 0 \end{pmatrix};
     \mathbb{D} = \begin{pmatrix} \frac{x}{r} & \frac{y}{r} & \frac{z}{r} \\ \frac{x}{w} & \frac{y}{w} & 0 \\ 1 & 0 & 0 \\ 0 & 1 & 0 \end{pmatrix};
       Jz = A.B.C.D.Jz + IdentityMatrix[3];
        {z, Jz}
MandelBulbNormal[c_] :=
   Normalize
recursionLevel = 2;
{\tt MandelBulb[c_]:=Norm@Nest[NextBulbNormal[N@c],N@\{c\},recursionLevel]}
```

 $NextBulbNormal[c_][\{\{x_{,}, y_{,}, z_{,}\}, Jz_{,}\}] := Block[\{r, w, c, s, z, r\}, x_{,}] + Block[\{r, w, c, s, z, r], x_{$

ln[1]:= n = 8;

 $\mathbf{r} = \sqrt{\mathbf{x}^2 + \mathbf{y}^2 + \mathbf{z}^2}$

 $w = \sqrt{x^2 + y^2};$

 $s_{\phi} = \frac{w}{r}$

$$\begin{split} \mathbf{z}_{\theta} &= \left(\mathbf{C}_{\theta} + \mathbf{i} \; \mathbf{S}_{\theta}\right)^{n}; \\ \mathbf{z}_{\phi} &= \left(\mathbf{C}_{\phi} + \mathbf{i} \; \mathbf{S}_{\phi}\right)^{n}; \\ \mathbf{C}_{\frac{\theta}{\theta}} &= \mathrm{Re}\left[\mathbf{z}_{\theta}\right]; \\ \mathbf{S}_{\theta} &= \mathrm{Im}\left[\mathbf{z}_{\theta}\right]; \end{split}$$