Cost effective prediction of bodyfat

An example of project presentation slides

Aki Vehtari Aalto University

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Introduce yourself

Bodyfat percentage is related to many health outcomes

[Nice figures here]

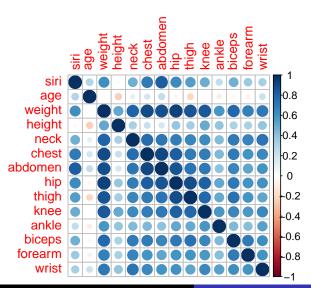
- Bodyfat percentage is related to many health outcomes
- Relatively accurate way to measure bodyfat is to weight a person in air and immersed in water
 - proportion of body fat can be derived from body density with Siri's (1956) formula
 - water immersion requires a big tub for the water and harness system for lowering a person to water

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- Relatively accurate way to measure bodyfat is to weight a person in air and immersed in water
 - proportion of body fat can be derived from body density with Siri's (1956) formula
 - water immersion requires a big tub for the water and harness system for lowering a person to water
- Can we estimate the bodyfat percentage with faster and a smaller equipment?
 - with just a scale and measure tape?

[Nice figures here]

• With just a scale and measure tape?



Bodyfat predictive model

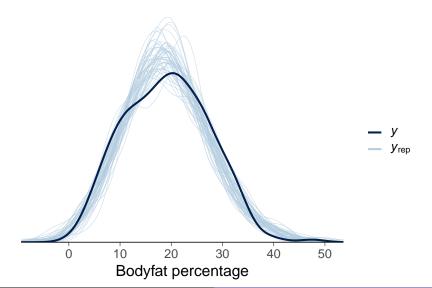
• Gaussian linear regression model with regularized horseshoe prior ($p_0 = 5$) on coefficients

Bodyfat predictive model

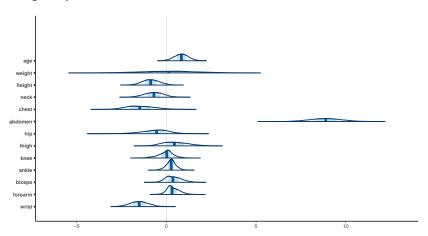
- Gaussian linear regression model with regularized horseshoe prior ($p_0 = 5$) on coefficients
- Model build with rstanarm and inference run with Stan
 - all convergence diagnostics were good

Bodyfat model checking

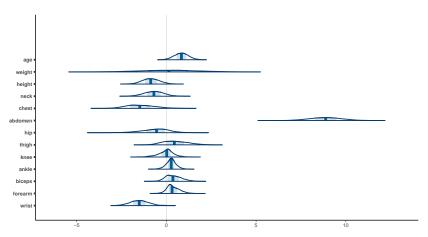
Posterior predictive checking



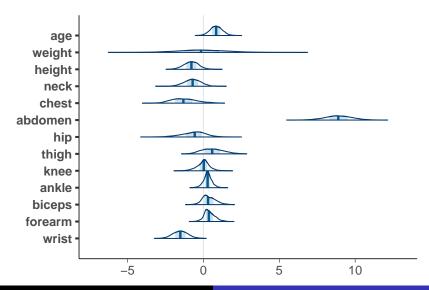
Marginal posteriors of coefficients



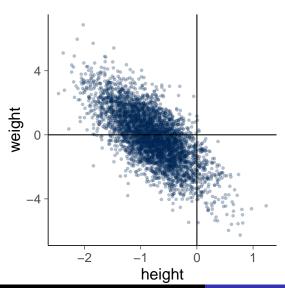
Check that the font in all figures is big enough!



Marginal posteriors of coefficients



Bivariate marginal of weight and height



Bodyfat variable selection

- Do we need all the measurements?
- We find the model with a minimal set of variables which have similar predictive performance as the model with all variables

Bodyfat variable selection

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- We use projection predictive variable selection implemented in projpred package

Projective predictive covariate selection

ullet The full model predictive distribution represents our best knowledge about future \tilde{y}

$$p(\tilde{y}|D) = \int p(\tilde{y}|\theta)p(\theta|D)d\theta,$$

where $\theta = (\beta, \sigma^2)$) and β is in general non-sparse (all $\beta_i \neq 0$)

- What is the best distribution $q_{\perp}(\theta)$ given a constraint that only selected covariates have nonzero coefficient
- Optimization problem:

$$q_{\perp} = \arg\min_{q} \frac{1}{n} \sum_{i=1}^{n} \mathrm{KL} \bigg(p(\tilde{y}_{i} \mid D) \, \| \, \int p(\tilde{y}_{i} \mid \theta) q(\theta) d\theta \bigg)$$

 Optimal projection from the full posterior to a sparse posterior (with minimal predictive loss)

For 10min presentation, too much information

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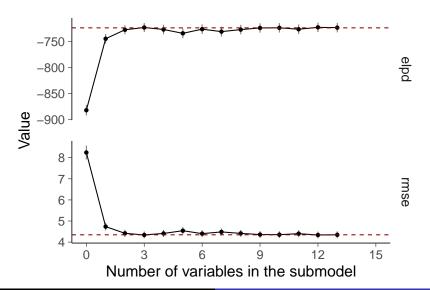
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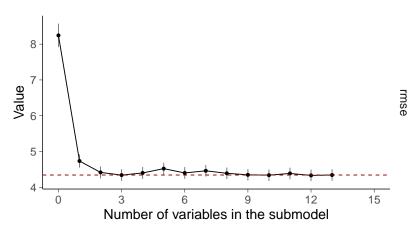
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The predictive performance of the full and submodels

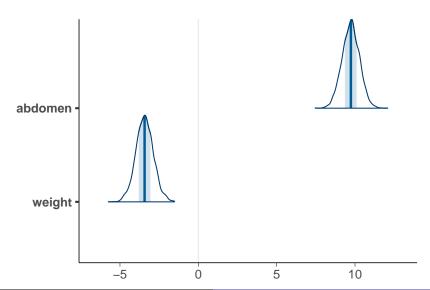


The predictive performance of the full and submodels

One of these plots is probably sufficient



Marginals of projected posterior



Bodyfat - Conclusion

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THANKS!

Don't ever end with a slide having just "THANKS"

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- "THANKS" slide has zero information content

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- Leave the conclusion slide or contact information slide

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Additional information

- You can have additional slides after the conclusion for supporting material to answer questions
 - for example, in this course, include Stan code and additional convergence and model checking results

Gaussian linear model with regularized horseshoe prior

```
p0 < 5 # prior guess for the number of relevant variables tau0 < -p0/(p-p0) * 1/sqrt(n) rhs_prior <- hs(global_scale=tau0) fitrhs <- stan_glm(formula, data = df, prior=rhs_prior, QR=TRUE, seed=SEED, refresh=0)
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```
For figures, e.g.,
```

```
theme_set(bayesplot::theme_default(base_family = "sans", base size=16))
```