

“Easy Fibonacci”

(FIBEASY)

(Codechef)

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[“ Hello World ”]

Easy Fibonacci

Fibonacci sequence :

$$F_0 = 0 \quad F_1 = 1 \quad \text{-----} \quad F_n = F_{n-1} + F_{n-2}$$

Lets say example upto $N = 16$, Then ,Fibonacci sequence

1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16
0	1	1	2	3	5	8	13	21	34	55	89	144	233	377	610

Now, We have to find D ?

$$D = (F_0 \% 10, F_1 \% 10, \dots, F_{N-1} \% 10).$$

Then ,D sequence

1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16
0	1	1	2	3	5	8	3	1	4	5	9	4	3	7	0

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Then ,D sequence

1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16
0	1	1	2	3	5	8	3	1	4	5	9	4	3	7	0

Now, Reduce this until, D has remaining Single elements :-

→ Remove all ODD indexed numbers

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1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16
0	1	1	2	3	5	8	3	1	4	5	9	4	3	7	0

We remove the indexes (1,3,5,7)

1	2	3	4	5	6	7	8
1	2	5	3	4	9	3	0

We remove the indexes (1,3,5,7)

1	2	3	4
2	3	9	0

We remove the indexes (1,3,5,7)

1	2
3	0

We remove the indexes (1,3,5,7)

1
0

This is the answer

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Now, There's one things

If there is any number 'n' then, it is lying in between 2^x and 2^{x+1}

<u>Powers of 2</u>	<u>Number</u>	<u>Powers of 2</u>
2	5	3
4	16	5
1	3	2
3	15	4
5	55	6
2	4	3

Easy Fibonacci

Let $N = 20$

$$2^X = 4181$$

Take \log_2 both side ,

$$\log_2 (2^X) = \log_2 (4181)$$

$$x = \log_2 (4181)$$

$$x = 12....$$

$$x = 12 \longrightarrow 236 \longleftarrow x = 13$$

$$2^{12} \longrightarrow 236 \longleftarrow 2^{13}$$

One thing is clear from observation,

That,

If the for Fibonacci number upto N

We find it is belong to 2^x and 2^{x+1}

And answer is :- value of $D [2^x]$

2^0	\rightarrow	0
2^1	\rightarrow	1
2^2	\rightarrow	2
2^3	\rightarrow	3
2^4	\rightarrow	0
2^5	\rightarrow	9
2^6	\rightarrow	2
2^7	\rightarrow	3
2^8	\rightarrow	0
2^9	\rightarrow	9
2^{10}	\rightarrow	2
2^{11}	\rightarrow	3
2^{12}	\rightarrow	0
2^{13}	\rightarrow	9

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*“ If you feel any problem then comments in my video
I will reply as soon as possible “*

- Prince Agarwal