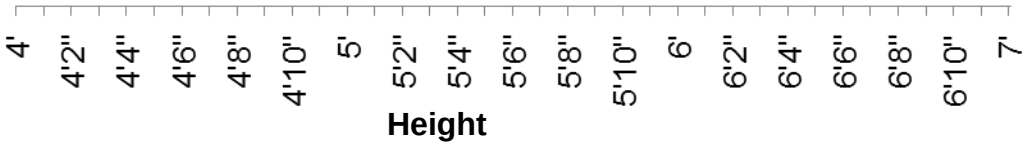
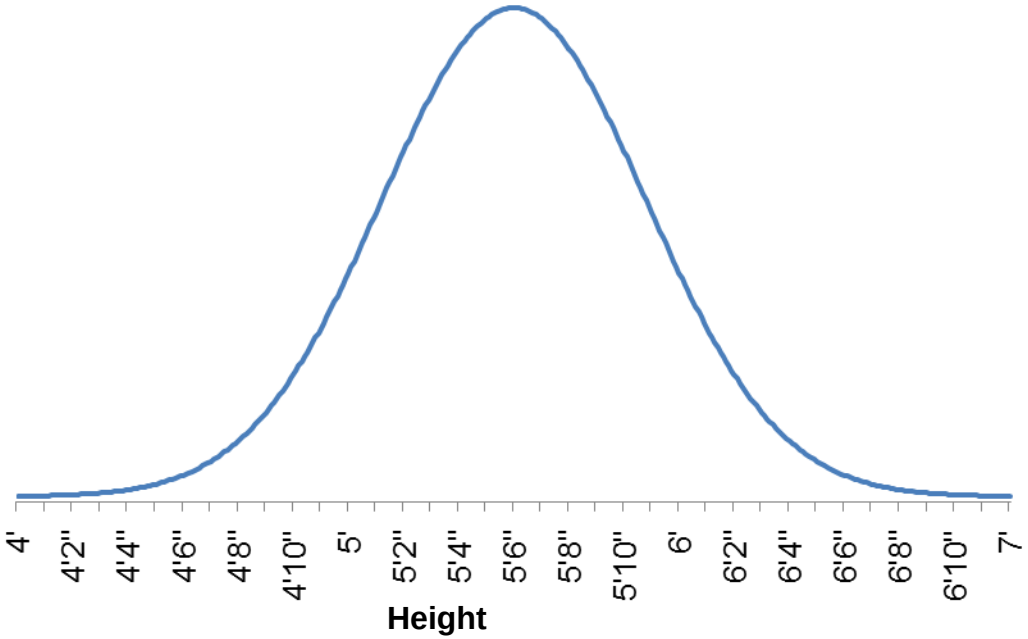
Heights of Men and Women

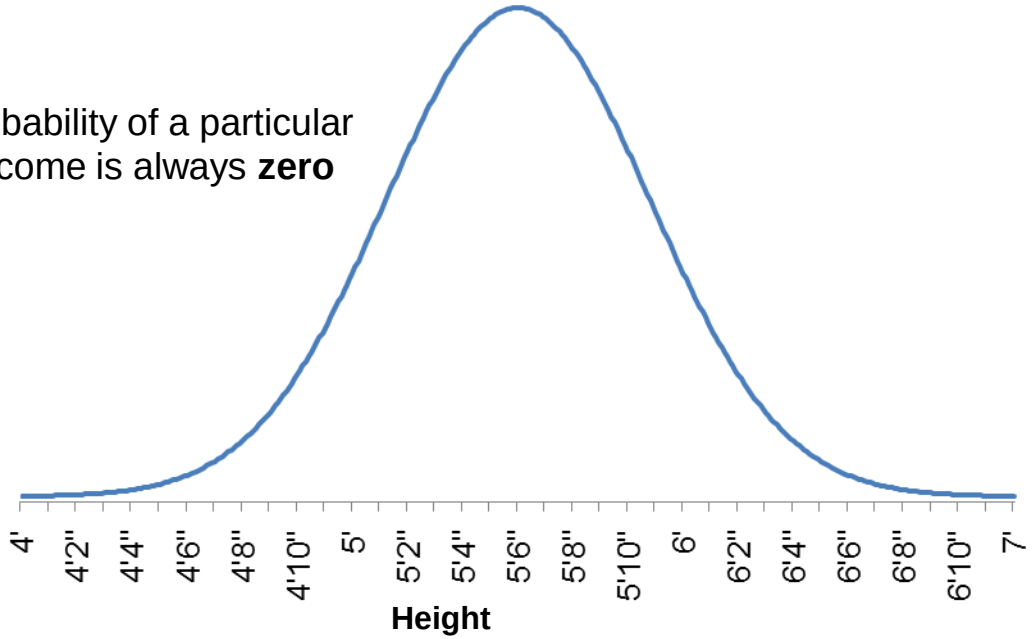


Heights of Men and Women



Heights of Men and Women

Probability of a particular outcome is always **zero**



Heights of Men and Women

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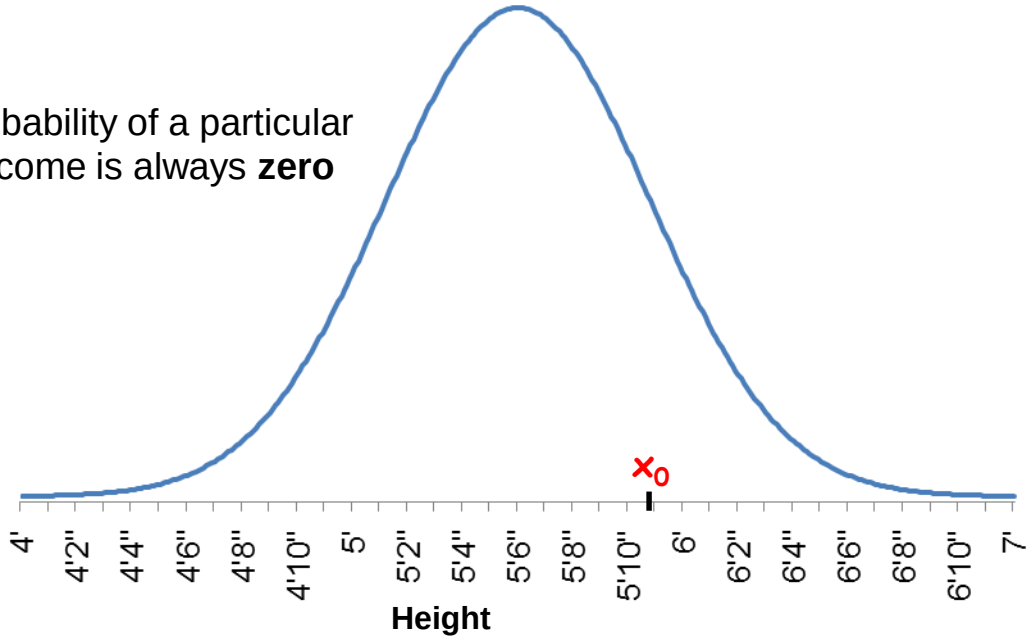

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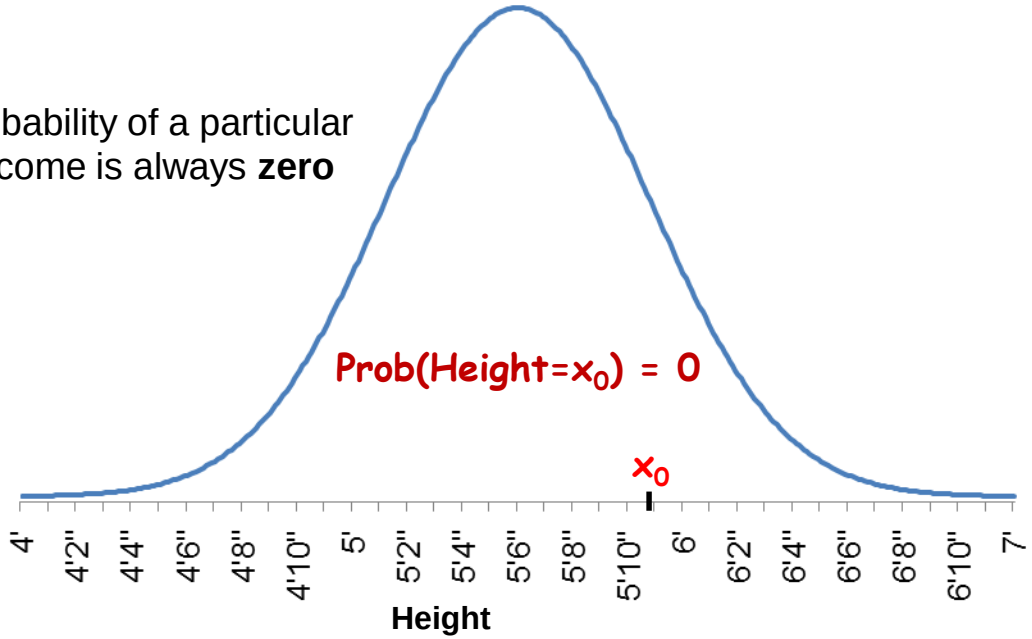
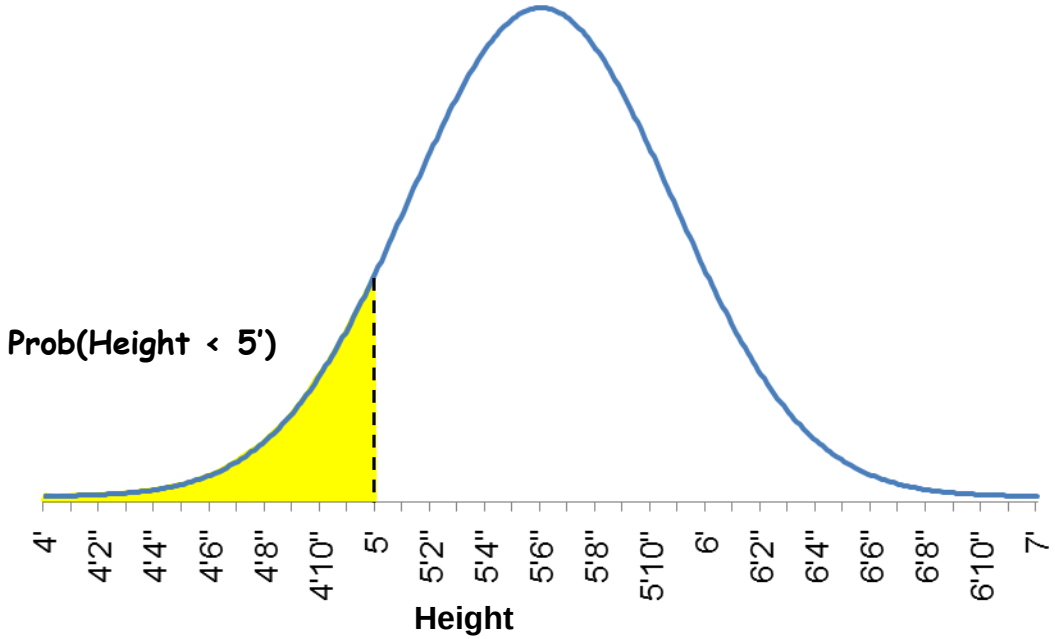
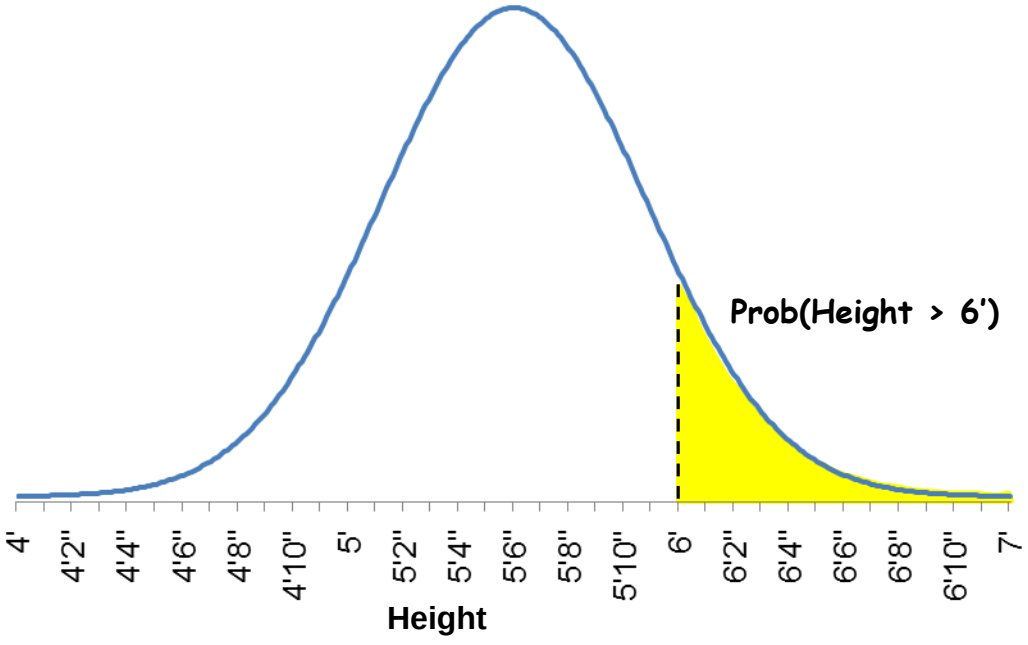


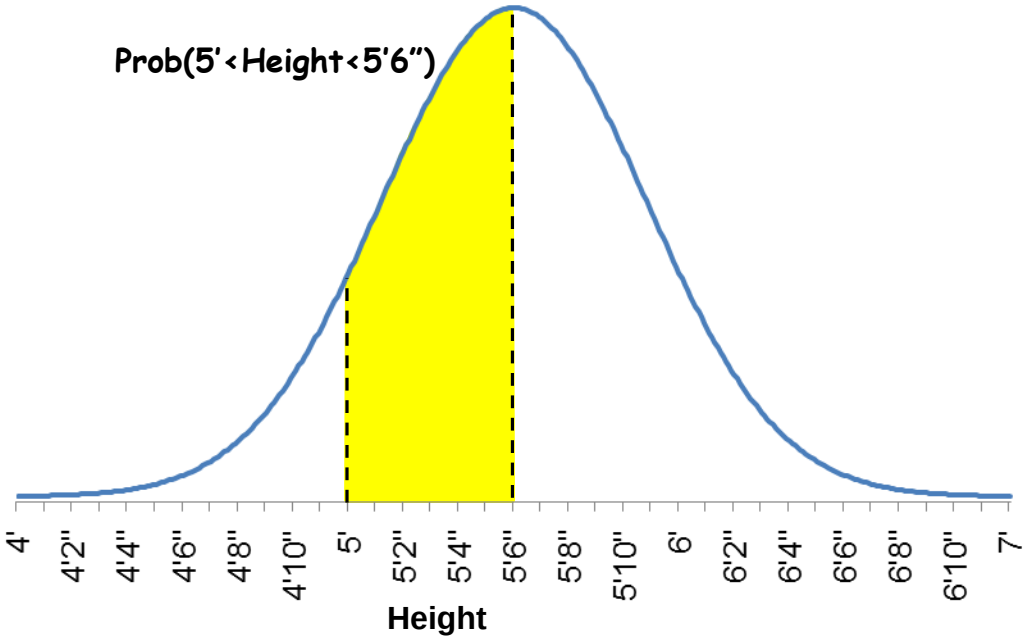
Heights of Men and Women



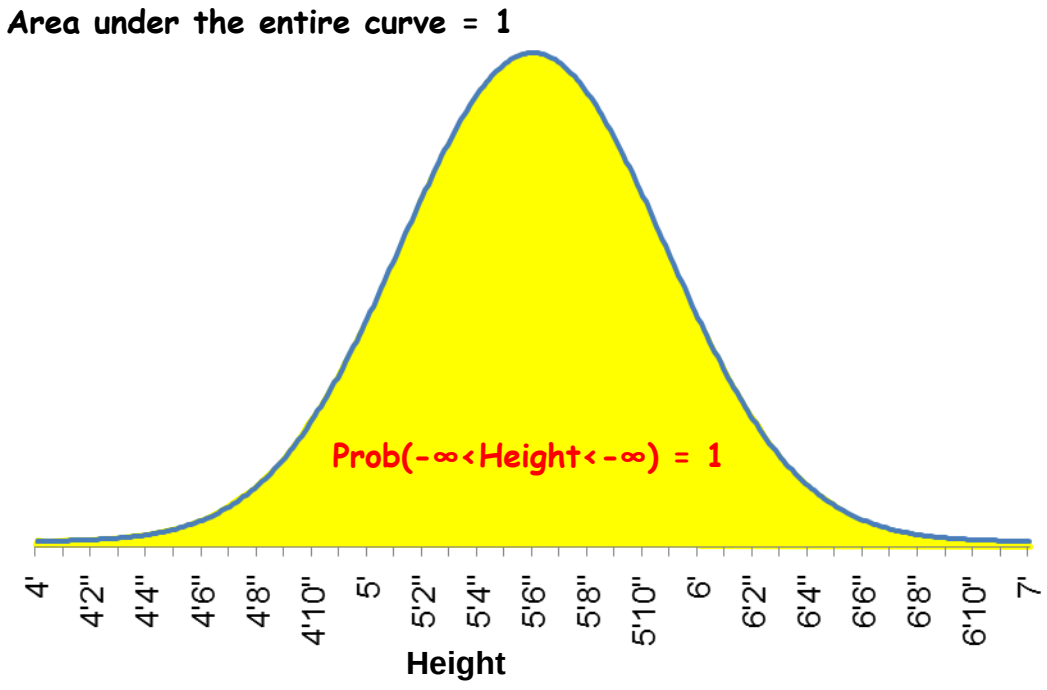
Heights of Men and Women



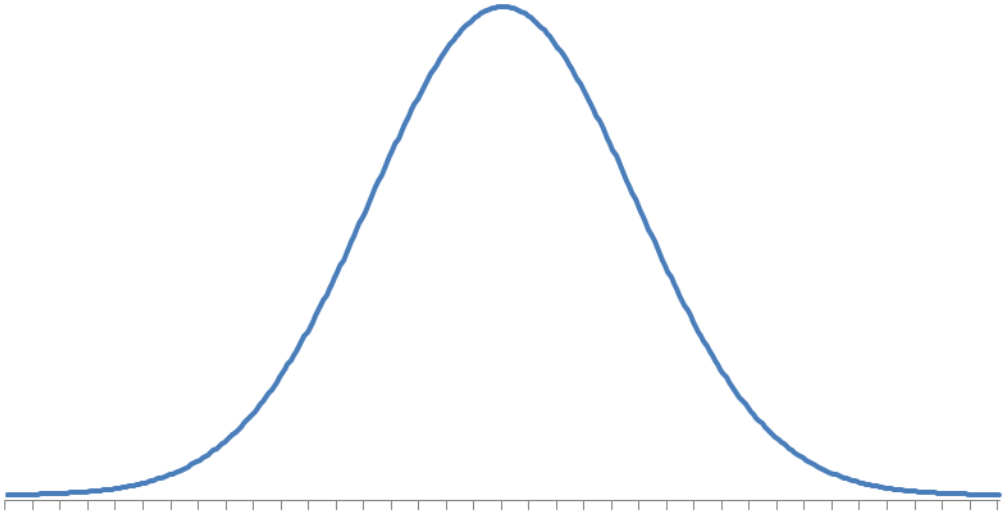
Heights of Men and Women



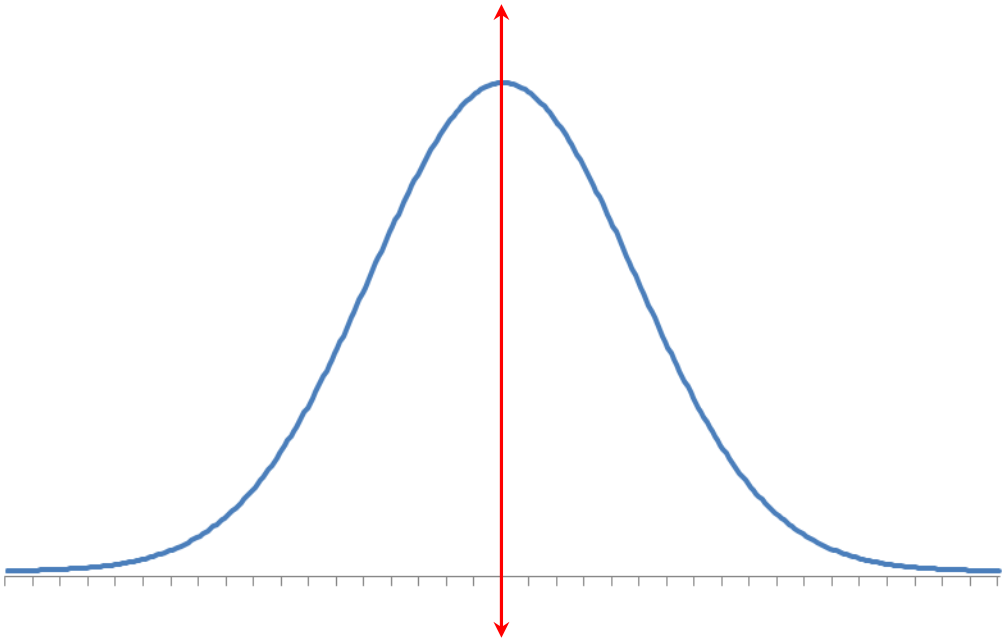
Heights of Men and Women



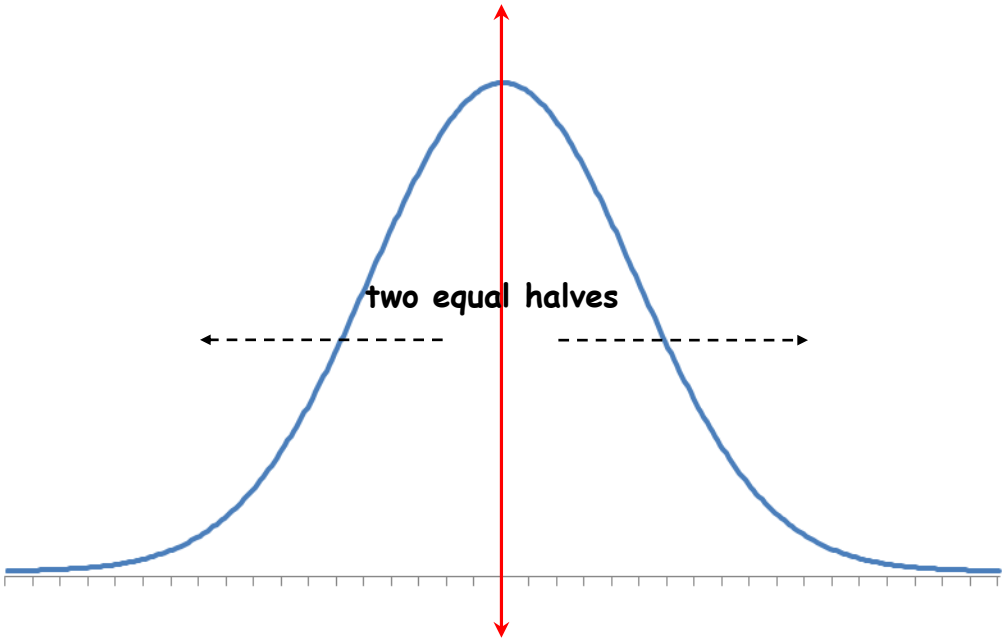
Normal Distribution, a.k.a. the Bell Curve



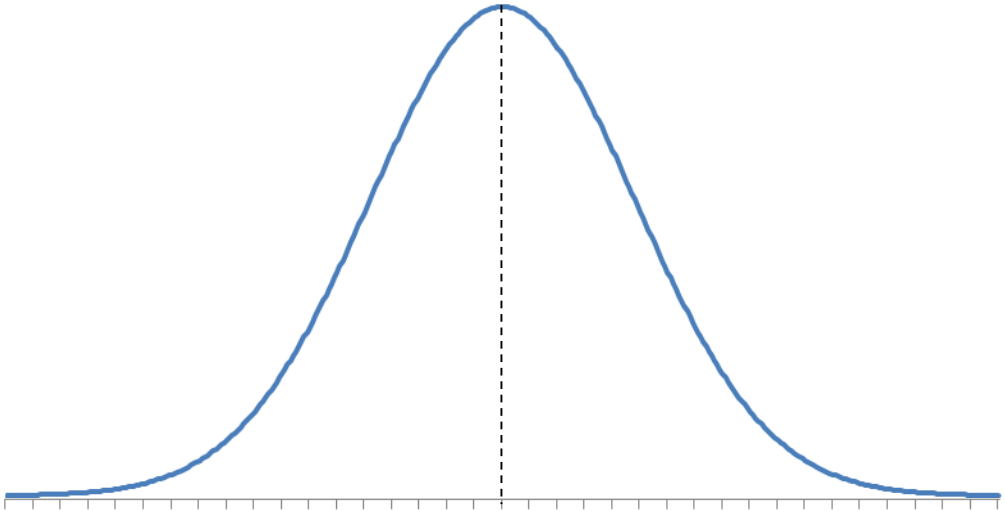
Normal Distribution, a.k.a. the Bell Curve



Normal Distribution, a.k.a. the Bell Curve



Normal Distribution



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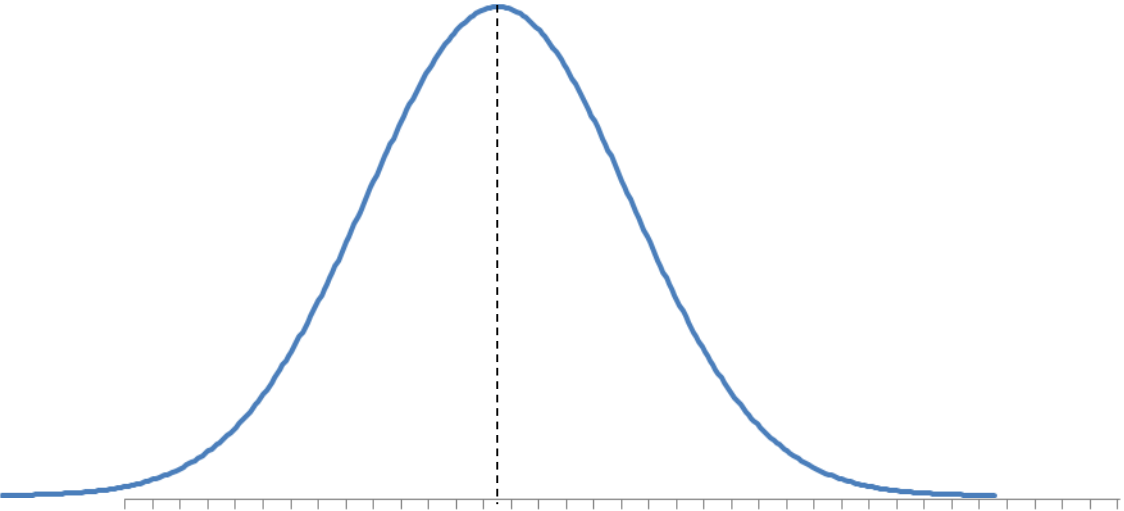
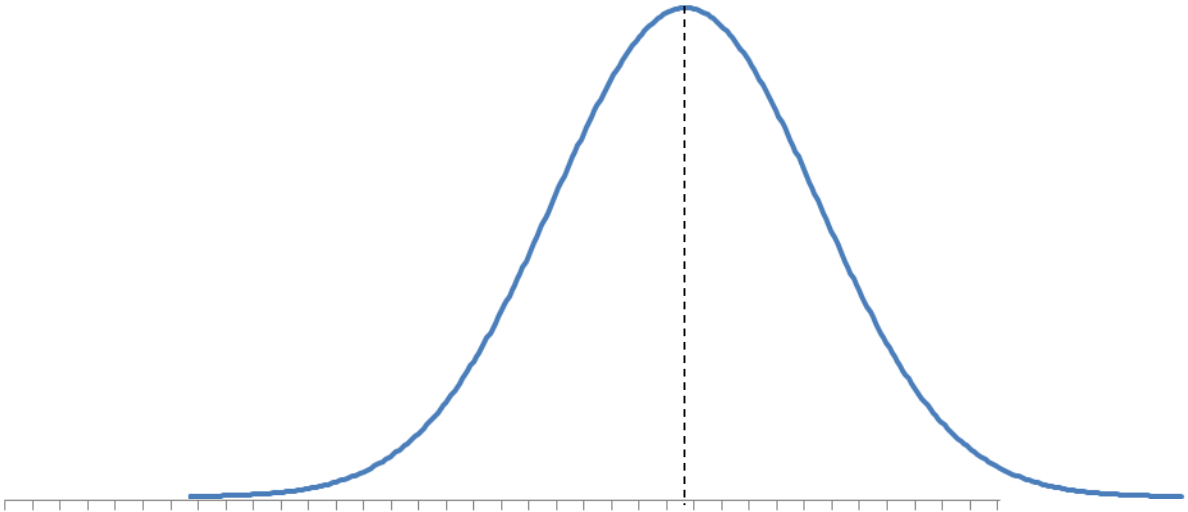


Normal Distribution



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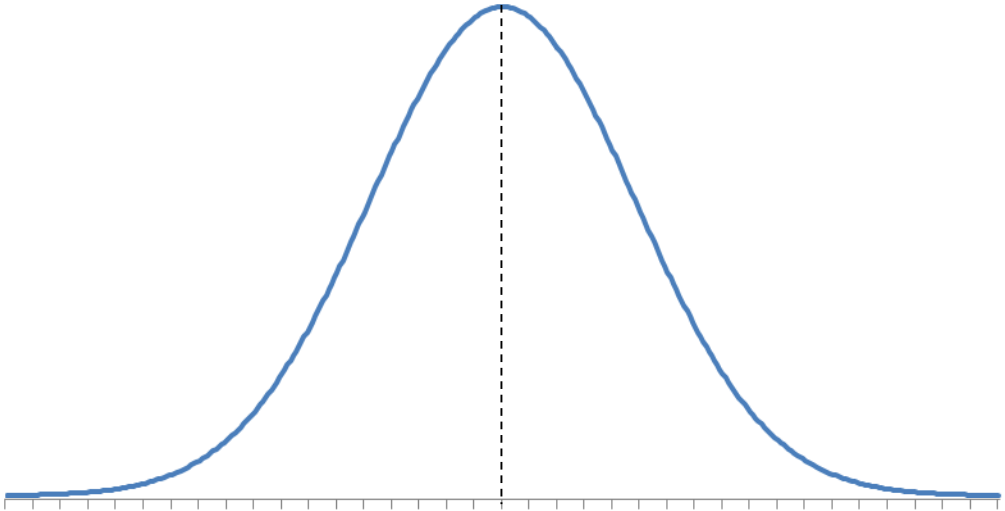
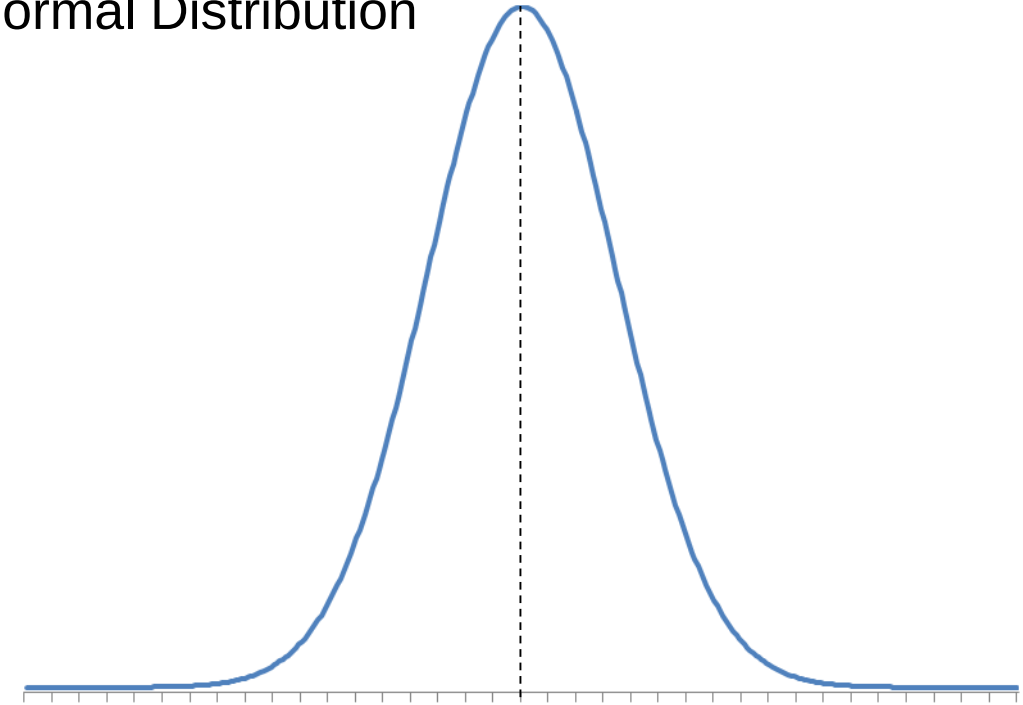


Normal Distribution



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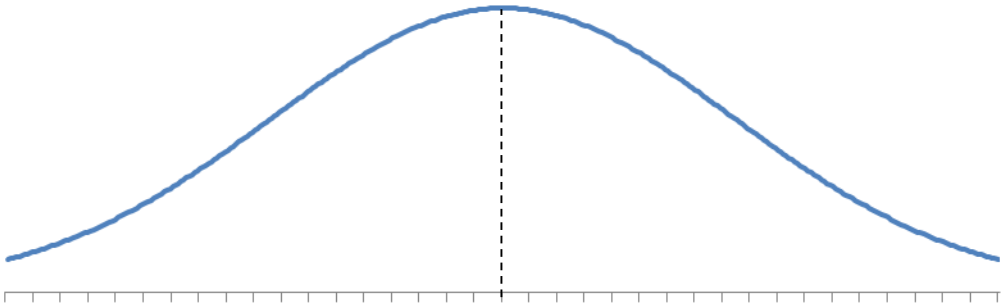

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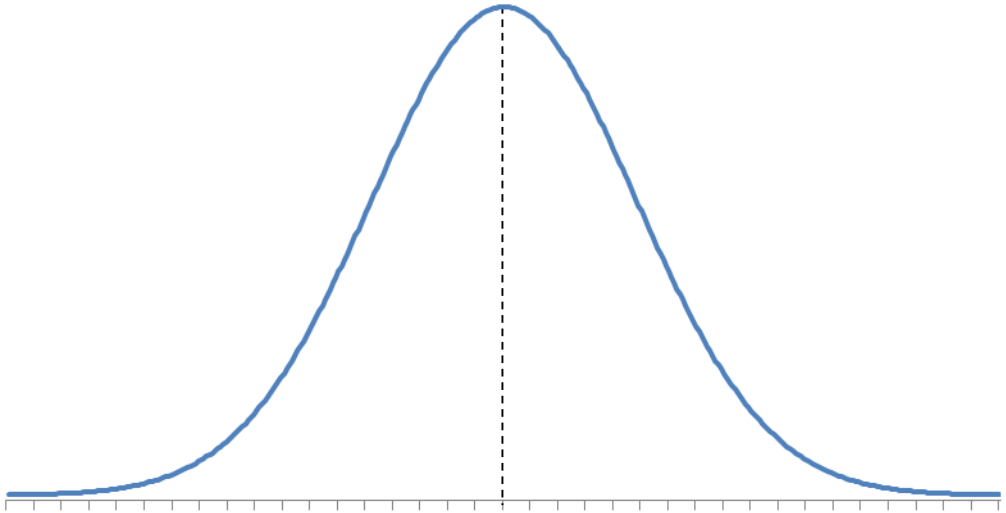

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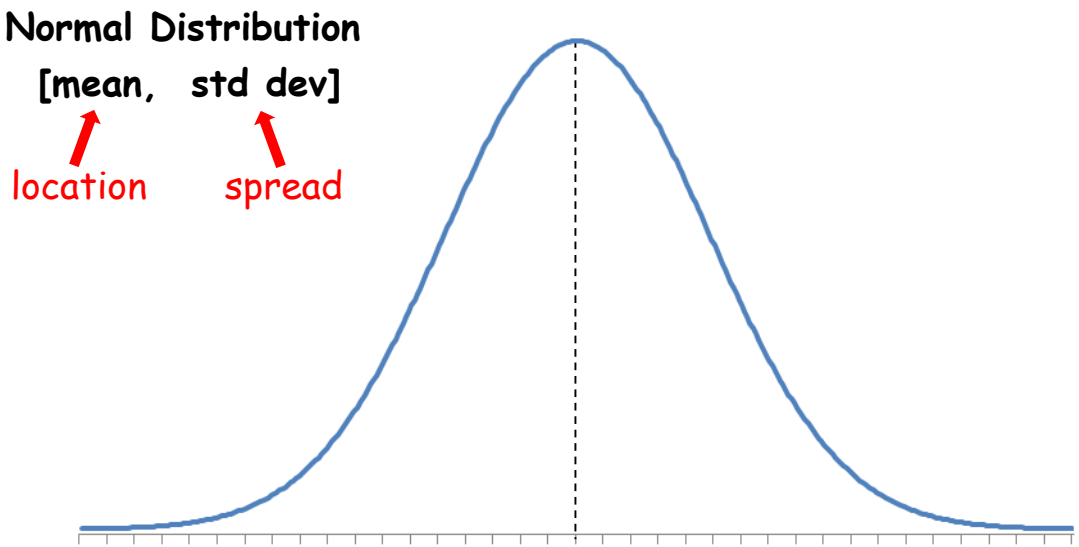

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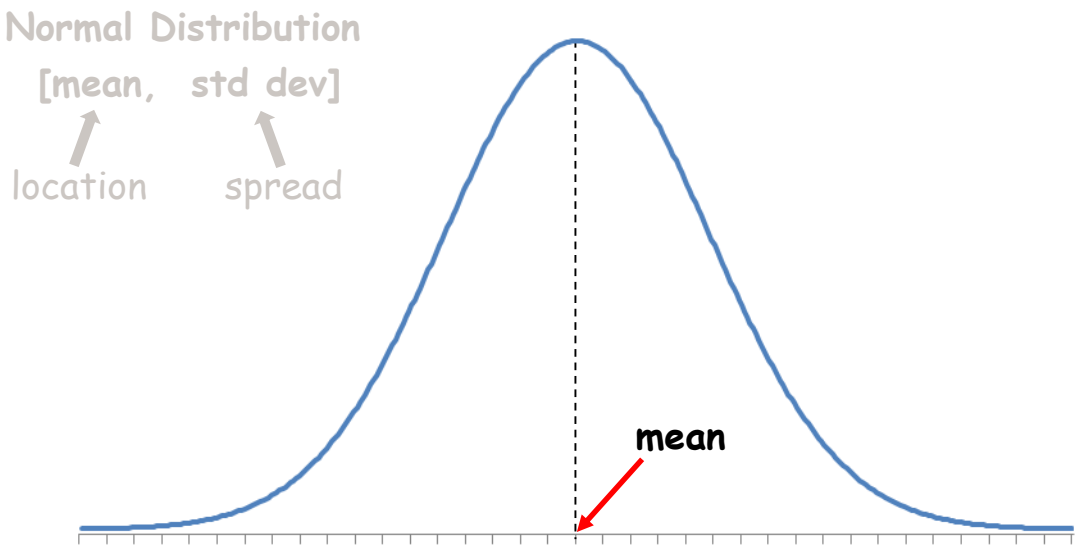

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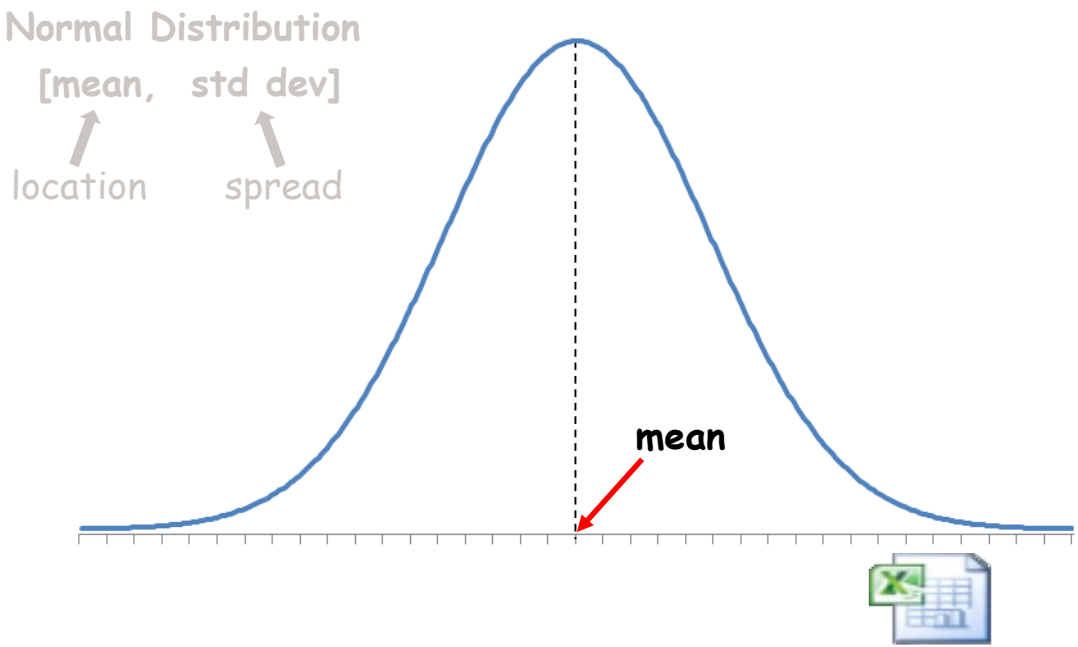
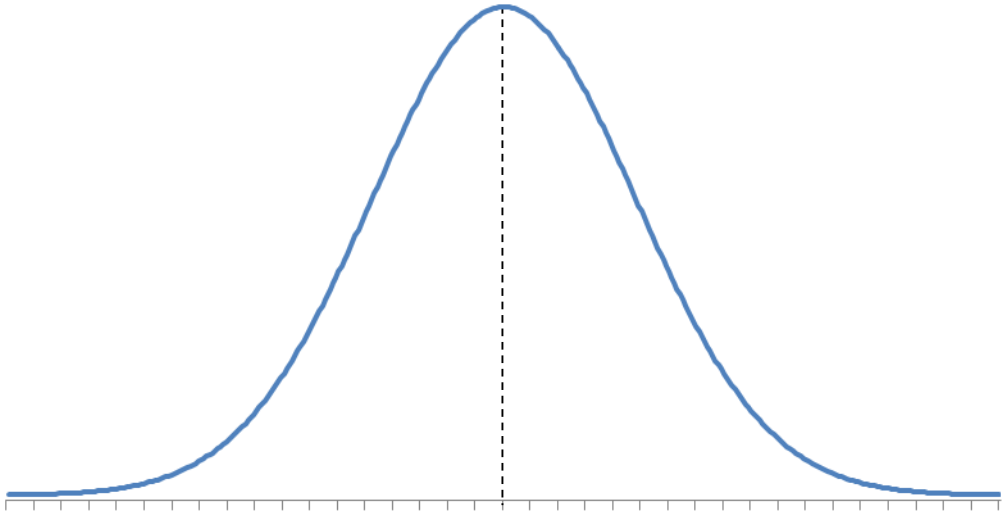


Normal Distribution



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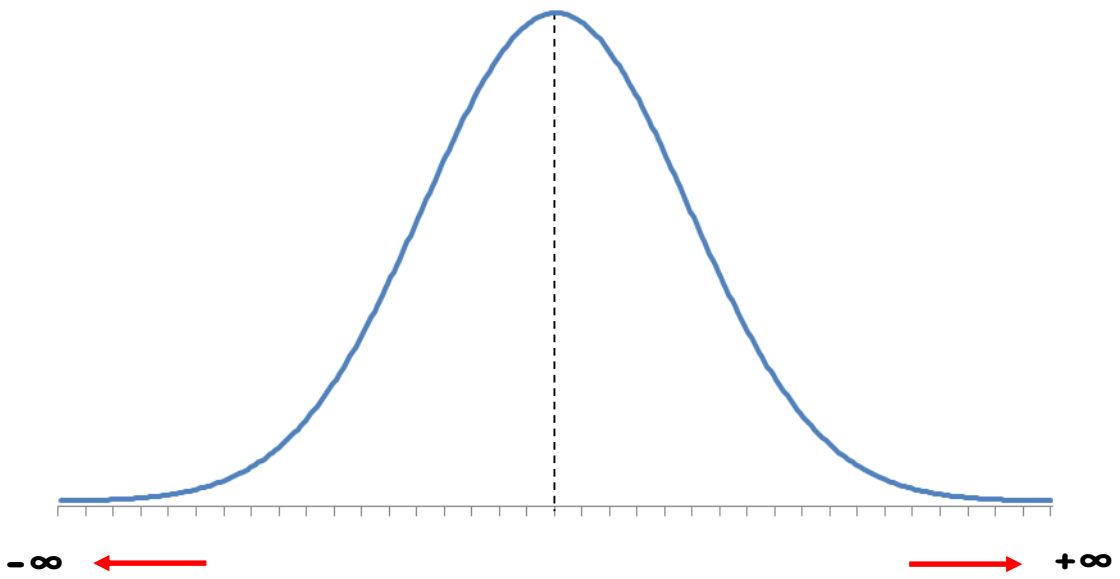

Normal Distribution

Probability Density Function

$$\frac{1}{\sqrt{2\pi * \text{std}^2}} e^{-(x-\text{mean})^2/2*\text{std}^2}$$

Normal Distribution

Probability Density Function

$$\int_{a}^{b} \frac{1}{\sqrt{2\pi * \text{std}^2}} e^{-(x-\text{mean})^2/2*\text{std}^2} dx$$

Normal Distribution

Probability Density Function

$$\int_{a}^{b} \frac{1}{\sqrt{2\pi * \text{std}^2}} e^{-(x-\text{mean})^2/2*\text{std}^2} dx$$