



Incorporating 'Categorical Variables' in a regression model.

Categorical Variable



Incorporating 'Categorical Variables' in a regression model.

Categorical Variable

Is a variable that takes on values which are but labels.

Gender is a categorical variable.



Incorporating 'Categorical Variables' in a regression model.

Categorical Variable

- Gender is a categorical variable.
- Nationality is a categorical variable.



Incorporating 'Categorical Variables' in a regression model.

Categorical Variable

- Gender is a categorical variable.
- Nationality is a categorical variable.
- Race of a person is a categorical variable.



Incorporating 'Categorical Variables' in a regression model.

Categorical Variable

- Gender is a categorical variable.
- Nationality is a categorical variable.
- Race of a person is a categorical variable.
- Height of a person?



Incorporating 'Categorical Variables' in a regression model.

Categorical Variable

- Gender is a categorical variable.
- Nationality is a categorical variable.
- Race of a person is a categorical variable.
- Height of a person is not a categorical variable.



Incorporating 'Categorical Variables' in a regression model.

Categorical Variable

- Gender is a categorical variable.
- Nationality is a categorical variable.
- Race of a person is a categorical variable.
- Height of a person is not a categorical variable.
- Quarter of a year ?



Incorporating 'Categorical Variables' in a regression model.

Categorical Variable

- Gender is a categorical variable.
- Nationality is a categorical variable.
- Race of a person is a categorical variable.
- Height of a person is not a categorical variable.
- Quarter of a year (1, 2, 3, 4)



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- Gender is a categorical variable.
- Nationality is a categorical variable.
- Race of a person is a categorical variable.
- Height of a person is not a categorical variable.
- Quarter of a year (1, 2, 3, 4) ?



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- Gender is a categorical variable.
- Nationality is a categorical variable.
- Race of a person is a categorical variable.
- Height of a person is not a categorical variable.
- Quarter of a year (1, 2, 3, 4) is a categorical variable.



Incorporating 'Categorical Variables' in a regression model.

Examples



Incorporating 'Categorical Variables' in a regression model.

Examples

> Study on gender discrimination in salaries at workplace.



Incorporating 'Categorical Variables' in a regression model.

Examples

- > Study on gender discrimination in salaries at workplace.
- > Sales regression model.



Incorporating 'Categorical Variables' in a regression model.

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A special technique needed,



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A special technique needed,

'Dummy Variable Regression'

'Indicator Variable Regression'



Incorporating 'Categorical Variables' in a regression model.

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- > Study on gender discrimination in salaries at workplace.
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A special technique needed,

'Dummy Variable Regression'

'Indicator Variable Regression'



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Examples

- > Study on gender discrimination in salaries at workplace.
- > Sales regression model.

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A special technique needed,
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'Dummy Variable Regression'

'Indicator Variable Regression'

It involves the use of,

'Dummy Variables' / 'Indicator Variables'



Incorporating 'Categorical Variables' in a regression model.

- > A dummy variable can only take a value 0 or 1.
- > the number of dummy variables required in a regression is one less than the number of categories in the categorical variable.



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Incorporating 'Categorical Variables' in a regression model.

Two Rules governing 'Dummy Variables'

- > A dummy variable can only take a value 0 or 1.
- the number of dummy variables required in a regression is one less than the number of categories in the categorical variable.

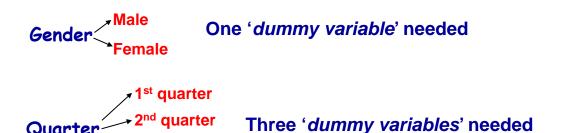


One 'dummy variable' needed



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- > the number of dummy variables required in a regression is one less than the number of categories in the categorical variable.





Incorporating 'Categorical Variables' in a regression model.

Example (delivery1.xlsx)



Incorporating 'Categorical Variables' in a regression model.

Example (delivery1.xlsx)

A parcel delivery service operates in two different regions, region "A" and region "B". Delivery trucks leave the central warehouse and travel to region A and deliver parcels in that region. Similarly delivery trucks also leave the central warehouse and travel to region B and deliver parcels in that region.



Incorporating 'Categorical Variables' in a regression model.

Example (delivery1.xlsx)

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Incorporating 'Categorical Variables' in a regression model.

Minutes

Region Parcels TruckAge



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Incorporating 'Categorical Variables' in a regression model.

Minutes Region Parcels TruckAge

↑
Y variable











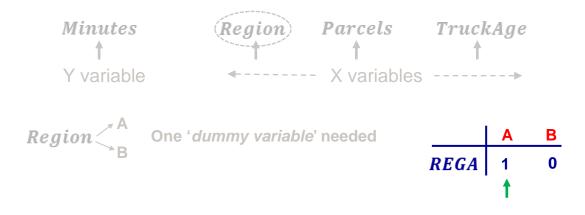




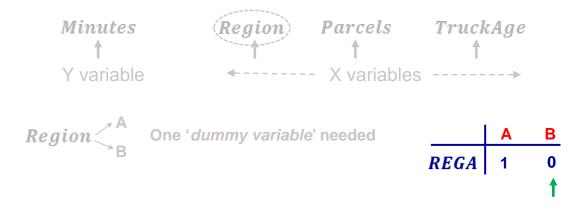








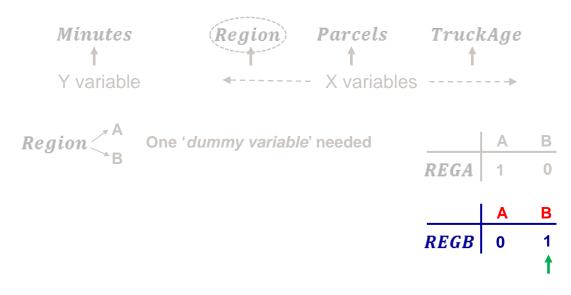
























$$Minutes = \beta_0 + \beta_1 REGA + \beta_2 Parcels + \beta_3 TruckAge$$



$$\begin{aligned} \textit{Minutes} &= \beta_0 + \beta_1 \textit{REGA} + \beta_2 \textit{Parcels} + \beta_3 \textit{TruckAge} \\ &\uparrow \end{aligned}$$



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$$\label{eq:minutes} \textit{Minutes} = -33.13 + 106.84 \textit{REGA} + 10.02 \textit{Parcels} + 3.21 \textit{TruckAge}$$



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