Date

Expt. No. Page No.

Bubble sort

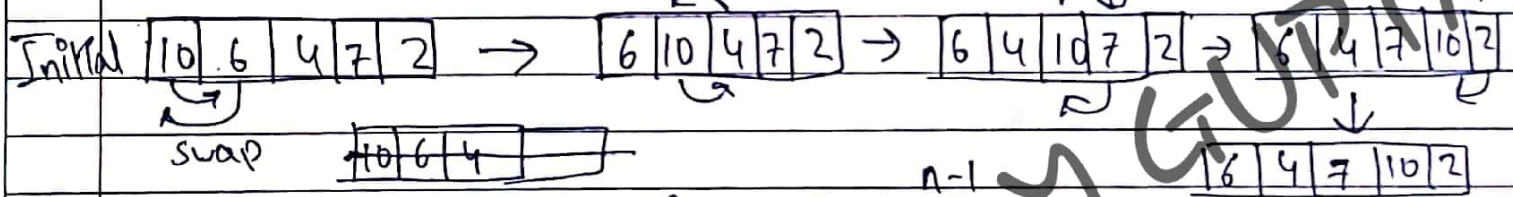
10, 6, 4, 7, 2

first check 1st element with adjace 10 > 6 swap similarly go on ~~to find the correct position of 10~~ till the last element 6 4, 7, 2, 10 next step compare 6 with 4 & find it correct position and compare till the last ~~second~~ element. similarly go on

Step 1 s Step

10, 6, 4, 7, 2 → 6, 4, 7, 2, 10
4, 7, 6, 2, 10 → 4 7, 2, 6, 10
4, 2, 7, 6, 10 → 4 2, 6, 7, 10
2, 4, 6, 7, 10
sorted

complexity – $O(n^2)$ as we for each element we have to iterate for n time to place it right position



Similarly check for all the n times for n elements

hence its complexity is $O(n^2)$

since we does not use any extra space thus it is in place sorting algorithm

Teacher's Signature

Quick Sort

Method - split and win algorithm technique into which a pivotal element becomes the focal point of division around the given array

Let - 1, 3, 8, 9, 4, 5, 7

pivotal number = 7

Compare 7 with 1 as ~~7>1 no swapping~~ 1 is the first value

no ~~:~~ 8 > 7 no swapping

3 < 7 Swapp 3, 8

1 3 8 9 4 5 7

9 > 7 no swap

4 < 7 swap 8 & 4

~~1 3 8 4 9 1 3 4 9 8 7~~

1, 3, 4, 9, 8, 5, 7

5 < 7

swap 9 & 5

1 3 4 5 8 9 7

9 > 7

swap 8, 7

1 3 4 5 7 8 9 8

now 7 has reach its appropriate plare

no divide the array through recursive and again quick sort 1, 3, 4, 5 & 9 8

1, 3, 4, 5 now 5 become pivot element & checks every element

9, 8 now 8 becomes pivot element & checks every elemm

8 < 9 thus swap

8 9 and now combine all sub arrays

we get 1, 3, 4, 5, 7, 8, 9

Since we need extra spale for sorting divided array hence it is Out of plare sorting algorithm

Expt. No. _____ Page No. _____

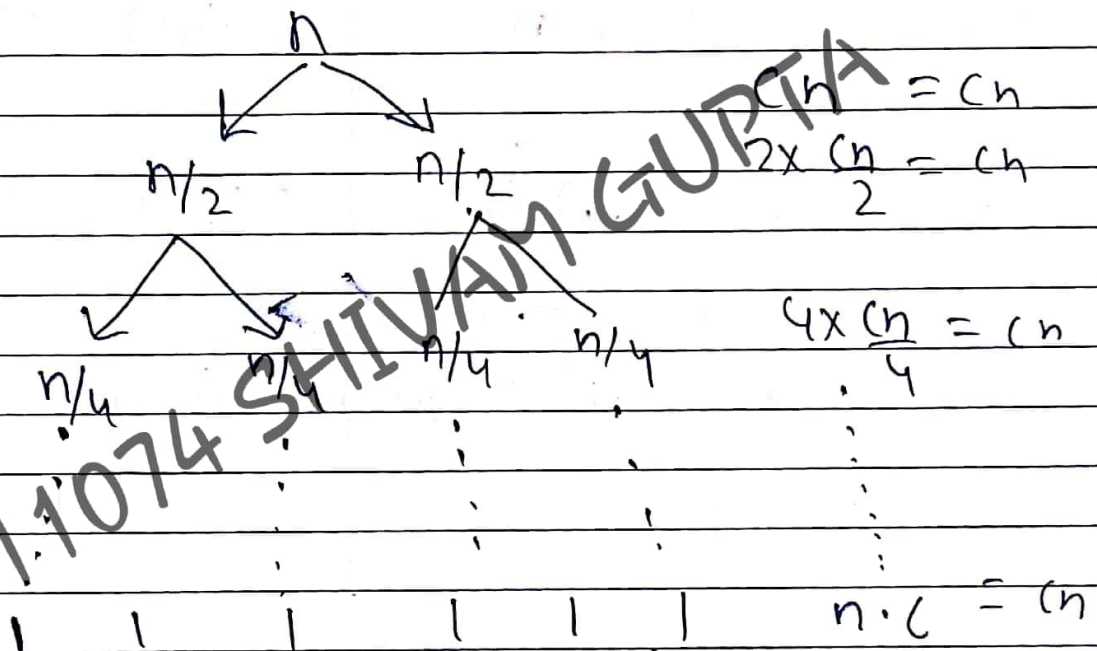
Complexity

best case $O(n \log n)$

worst case $O(n^2)$

Average case $O(n \log n)$

space complexity $O(n \log n)$



using big O notation we get $(n \log_2 n)$

Comparison

Quick Sort

Insertion Sort

Teacher's Signature _____

Comparison

Algorithm	Time complexity			Space complexity
case	Best	Average	worst	worst
Quick sort	~~$\Omega(n)$~~ $\Omega(n\log(n))$	$\theta(n\log n)$	$O(n^2)$	$O(n\log n)$
Bubble sort	$\Omega(n)$	$\theta(n^2)$	$O(n^2)$	$O(1)$
Insertion sort	$\Omega(n)$	$\theta(n^2)$	$O(n^2)$	$O(1)$
Merge sort	$\Omega(n\log(n))$	$\theta(n\log n)$	$O(n\log n)$	$O(n)$