

VISVESVARAYA TECHNOLOGICAL UNIVERSITY

“JnanaSangama”, Belgaum -590014, Karnataka.



LAB RECORD

Bio Inspired Systems (23CS5BSBIS)

Submitted by

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in partial fulfillment for the award of the degree of

**BACHELOR OF ENGINEERING
in
COMPUTER SCIENCE AND ENGINEERING**



**B.M.S. COLLEGE OF ENGINEERING
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**B.M.S. College of Engineering,
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CERTIFICATE

This is to certify that the Lab work entitled “ Bio Inspired Systems (23CS5BSBIS)” carried out by **SUHAS B P (1BM23CS345)**, who is bonafide student of **B.M.S. College of Engineering**. It is in partial fulfillment for the award of **Bachelor of Engineering in Computer Science and Engineering** of the Visvesvaraya Technological University, Belgaum. The Lab report has been approved as it satisfies the academic requirements of the above mentioned subject and the work prescribed for the said degree.

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Github Link: <https://github.com/1BM23CS345/BIS>

Program 1 : Genetic Algorithm for Optimization Problems:

Algorithm:

Lab-1						
1) Genetic Algorithm						
Ex: $f(x) = x^2$						
5 main phases.						
→ Initialization.						
→ Fitness Assignment						
→ Selection.						
→ Cross over						
→ Terminator.						
2) Coding encoding technique 0 to 31 or						
A population of potential solution represented as chromosomes are generated randomly / with a specific initialization.						
3) Select initial population.						
String No	Initial population	x value	fitness $f(x) = x^2$	r. prob	Eq	
1	01100	12	144	0.1247	10	0.
2	11001	25	165	0.5411	2	
3	00101	5	25	0.0216	0.	
4	10011	19	361	0.3125	1.	
Sum		1155				
Avg		288.75				
Max		625 $\rightarrow 729 \rightarrow 841$				
4) Select Matching pool						
String	Mating pool	Crossover point	Offspring crossover	x value	fitness $f(x) = x^2$	
1	01100	4	01100	13	169	
2	11001		11000	24	576	
3	11001		11011	27	729	
4	(0011)	2	10001	17	289	

4Y crossover: Random 442 D-1
 Max value -729 Min -40

String No	Offspring after crossover	Mutation Chromosome	Offspring after mutation	X value	Fitness $f(x) = x^2$
1	01101	10000	1101	29	841
2	11000	00000	11000	24	576
3	11011	00000	11011	27	729
4	10001	00101	10100	20	400

~~Generated Output~~

Generation : 1 string (a) (?) 7 Fitness: 6

Generation : 2 string WLS[2] ? Fitness: 5

Generation : 3 string VLS [2] Fitness: 4

Generation : 4 string BJS LAB Fitness: 1

Generation : 5 string : BJS JAB Fitness: 1

Generation : 6 string BJS LAB Fitness: 0

Code:

```
import random
import math

def fitness_function(x):
    return x * math.sin(10 * math.pi * x) + 1

POPULATION_SIZE = 20
MUTATION_RATE = 0.1
CROSSOVER_RATE = 0.8
GENERATIONS = 100
X_BOUND = (-1, 2) # Search space for x

def create_individual():
    return random.uniform(*X_BOUND)

def create_population(size):
    return [create_individual() for _ in range(size)]

def evaluate_population(population):
    return [fitness_function(ind) for ind in population]

def select(population, fitnesses):
    total_fitness = sum(fitnesses)
    probs = [f / total_fitness for f in fitnesses]
    return random.choices(population, weights=probs, k=2)

def crossover(parent1, parent2):
    if random.random() < CROSSOVER_RATE:
        alpha = random.random()
        child1 = alpha * parent1 + (1 - alpha) * parent2
        child2 = alpha * parent2 + (1 - alpha) * parent1
        return child1, child2
    else:
        return parent1, parent2

def mutate(individual):
    if random.random() < MUTATION_RATE:
        mutation = random.uniform(-0.1, 0.1)
        individual += mutation
        individual = max(min(individual, X_BOUND[1]), X_BOUND[0]) # Keep in bounds
    return individual

def genetic_algorithm():
    population = create_population(POPULATION_SIZE)
```

```

best_individual = None
best_fitness = float('-inf')

for generation in range(GENERATIONS):
    fitnesses = evaluate_population(population)

    for i, fit in enumerate(fitnesses):
        if fit > best_fitness:
            best_fitness = fit
            best_individual = population[i]

    new_population = []
    while len(new_population) < POPULATION_SIZE:
        parent1, parent2 = select(population, fitnesses)
        child1, child2 = crossover(parent1, parent2)
        child1 = mutate(child1)
        child2 = mutate(child2)
        new_population.extend([child1, child2])

    population = new_population[:POPULATION_SIZE]

    print(f"Generation {generation+1}: Best Fitness = {best_fitness:.5f}, Best X = {best_individual:.5f}")

print("\nOptimization complete!")
print(f"Best solution: x = {best_individual:.5f}, f(x) = {best_fitness:.5f}")

if __name__ == "__main__":
    genetic_algorithm()

```

Output:

Program 02: Particle Swarm Optimization for Function Optimization:

Algorithm :

Lab-3

Pseudocode

1. $P = \text{particle initialization}$
2. For $i = 1$ to m do
3. For each particle p in P do
 $f_p = f(p)$
4. If f_p is better than $f(p_{best})$
 $p_{best} = p$;
5. end
6. $g_{best} = \text{best } p \text{ in } P$.
7. For each particle p in P do
8. $v_i^{t+1} = v_i^t + c_1 u_1^t (p_{best}^t - p_i^t) + c_2 u_2^t (g_{best}^t - p_i^t)$
9. $p_i^{t+1} = p_i^t + v_i^{t+1}$
10. end.

Output

Iteration 1/20 - Best Fitness: 0.081095

Iteration 2/20 - Best Fitness: 0.081095

Iteration 3/20 - Best Fitness: 0.006725

:

Best solution Found :

Position: [0.00321441 - 0.00268418]

Fitness: 1.73729e-05.

Example: $f(0,4) = x^2 + y^2$

initial = 0.3

value of cognitive + social contract

$$C_1 = 2 + C_2 = 2$$

initial solution goes to 1000

initial P1 fitness value $(2^2 + 1^2) = 2$

Iteration 1

Particle No	Initial pos x	Initial pos y	velocity x	velocity y	Best pos x	Best pos y	Fitness value
P1	1	1	0	0	-	-	2
P2	-1	1	0	0	-	-	2
P3	0.5	-0.5	0	0	-	-	0.5
P4	1	-1	0	0	-	-	2
P5	0.25	-0.25	0	0	-	-	0.25

Iteration 2

Pno	initial pos x	initial pos y	velocity x	velocity y	Best pos x	Best pos y	Best pos x	Best pos y	Fitness
P1	1	1	-0.75	-0.75	1	-1	2	2	2
P2	-1	1	1.25	1.25	-1	1	2	2	2
P3	0.5	-0.5	-0.25	0.75	0.5	0.5	0.5	0.5	0.5
P4	1	-1	-0.75	1.25	1	-1	2	2	2
P5	0.25	0.25	0	0	0.25	0.25	0.25	0.25	0.125

Iteration - 3

Pno	initial pos x	initial pos y	velocity x	velocity y	Best pos x	Best pos y	Best pos x	Best pos y	Fitness
P1	0.25	0.25	-0.375	0.375	2	1	1	1	0.125
P2	0.25	0.25	-0.625	-0.375	2	-1	1	1	0.125
P3	0.25	0.25	-0.125	-0.375	0.5	0.5	0.5	0.5	0.125
P4	0.25	0.25	-0.37	-0.615	2	1	-1	-1	0.125
P5	0.25	0.25	0	0	0.125	0.25	0.75	0.75	0.125

Code:

```
import random
import math
def fitness_function(x):
    return x * math.sin(10 * math.pi * x) + 1

# 2. Initialize parameters
NUM_PARTICLES = 30
MAX_ITER = 100
W = 0.7
C1 = 1.5
C2 = 1.5
X_BOUND = (-1, 2)
V_MAX = 0.1

class Particle:
    def __init__(self):
        self.position = random.uniform(*X_BOUND)
        self.velocity = random.uniform(-V_MAX, V_MAX)
        self.best_position = self.position
        self.best_fitness = fitness_function(self.position)

    def update_velocity(self, global_best_position):
        r1 = random.random()
        r2 = random.random()
        cognitive = C1 * r1 * (global_best_position - self.position)
        social = C2 * r2 * (global_best_position - self.position)
        self.velocity = W * self.velocity + cognitive + social
        # Clamp velocity within limits
        self.velocity = max(min(self.velocity, V_MAX), -V_MAX)

    def update_position(self):
        self.position += self.velocity
        # Keep particle within bounds
        self.position = max(min(self.position, X_BOUND[1]), X_BOUND[0])

def particle_swarm_optimization():

    swarm = [Particle() for _ in range(NUM_PARTICLES)]

    global_best_particle = max(swarm, key=lambda p: p.best_fitness)
    global_best_position = global_best_particle.position
    global_best_fitness = global_best_particle.best_fitness

    for iteration in range(MAX_ITER):
        for particle in swarm:

            current_fitness = fitness_function(particle.position)

            if current_fitness > particle.best_fitness:
                particle.best_fitness = current_fitness
```

```

particle.best_position = particle.position

# Update global best
if current_fitness > global_best_fitness:
    global_best_fitness = current_fitness
    global_best_position = particle.position

for particle in swarm:
    particle.update_velocity(global_best_position)
    particle.update_position()

    print(f"Iteration {iteration+1:03d} | Best Fitness = {global_best_fitness:.5f} | Best X = {global_best_position:.5f}")

print("\nOptimization complete!")
print(f"Best solution: x = {global_best_position:.5f}, f(x) = {global_best_fitness:.5f}")

if __name__ == "__main__":
    particle_swarm_optimization()

```

Output:

OUTPUT:

```

Iteration 1/20 - Best Fitness: 0.081095
Iteration 2/20 - Best Fitness: 0.081095
Iteration 3/20 - Best Fitness: 0.006725
Iteration 4/20 - Best Fitness: 0.003298
Iteration 5/20 - Best Fitness: 0.003298
Iteration 6/20 - Best Fitness: 0.003298
Iteration 7/20 - Best Fitness: 0.002956
Iteration 8/20 - Best Fitness: 0.002956
Iteration 9/20 - Best Fitness: 0.002956
Iteration 10/20 - Best Fitness: 0.002956
Iteration 11/20 - Best Fitness: 0.002956
Iteration 12/20 - Best Fitness: 0.001661
Iteration 13/20 - Best Fitness: 0.001066
Iteration 14/20 - Best Fitness: 0.001066
Iteration 15/20 - Best Fitness: 0.001066
Iteration 16/20 - Best Fitness: 0.000587
Iteration 17/20 - Best Fitness: 0.000587
Iteration 18/20 - Best Fitness: 0.000165
Iteration 19/20 - Best Fitness: 0.000095
Iteration 20/20 - Best Fitness: 0.000018

Best solution found:
Position: [ 0.00321441 -0.00268418]
Fitness: 1.7537291281392393e-05

```

Program 03: Ant Colony Optimization for the Traveling Salesman Problem:

Algorithm:

Lab-4

Ant-colony-Optimization for Travelling Salesman Problem

Pseudo Code:

1. Initialize pheromone matrix with initial value
2. calculate heuristic matrix ($1 / \text{distance between cities}$)
3. best-route = None
best-length = ∞
4. For iteration in 1 to maxIterations:
 for each ant:
 route \leftarrow start at random city.
 while not all cities visited:
 choose next city probabilistically
 based on pheromone alpha * heuristic
 add next city to route
 calculate route length
 if route length < best-length:
 best-route \leftarrow route
 best-length \leftarrow route length
5. Evaporate pheromone on all edges (pheromone $\leftarrow (1 - \rho) \text{old}$)
6. update pheromone based on ant's route
7. return best-route, best-length

Output

Iteration 1/20 - Best length: 21.644

Iteration 2/20 - Best length: 20.744

Iteration 20/20 - Best length: 24.764

Best route found:

Total Route length: 24.76431,

*See
Re
Total*

020P30.0 = eastif 4500 > 0 nohead

- 010Z0.0 = eastif 100 100 nohead

- 0210.0 = eastif 100 1000 nohead

- 03100.0 = eastif 100 1000 nohead

- 04000.0 = eastif 100 1000 nohead

- 05000.0 = eastif 100 1000 nohead

(06000.0 > ifif E 010.0) > knowf nohead, east

readif 0.0 1 51000 > evalif nohead, east

Code:

```
import numpy as np

def distance(city1, city2):
    return np.linalg.norm(city1 - city2)

def route_length(route, cities):
    dist = 0.0
    for i in range(len(route) - 1):
        dist += distance(cities[route[i]], cities[route[i+1]])
    dist += distance(cities[route[-1]], cities[route[0]])
    return dist

def select_next_city(current_city, unvisited, pheromone, heuristic, alpha, beta):
    pheromone_vals = pheromone[current_city, unvisited] ** alpha
    heuristic_vals = heuristic[current_city, unvisited] ** beta
    probs = pheromone_vals * heuristic_vals
    probs /= probs.sum()
    return np.random.choice(unvisited, p=probs)

def aco_tsp(cities, num_ants=20, num_iterations=20, alpha=1.0, beta=5.0, rho=0.5,
initial_pheromone=1.0):
    num_cities = len(cities)

    pheromone = np.full((num_cities, num_cities), initial_pheromone)

    heuristic = np.zeros((num_cities, num_cities))
    for i in range(num_cities):
        for j in range(num_cities):
            if i != j:
                heuristic[i, j] = 1.0 / (distance(cities[i], cities[j]) + 1e-10)

    best_route = None
    best_length = float('inf')

    for iteration in range(num_iterations):
        all_routes = []
        all_lengths = []

        for ant in range(num_ants):
            route = []
            unvisited = list(range(num_cities))

            current_city = np.random.choice(unvisited)
            route.append(current_city)
            unvisited.remove(current_city)

            while unvisited:
                next_city = select_next_city(current_city, unvisited, pheromone,
heuristic, alpha, beta)
                route.append(next_city)
```

```

        unvisited.remove(next_city)
        current_city = next_city

        length = route_length(route, cities)
        all_routes.append(route)
        all_lengths.append(length)

    if length < best_length:
        best_length = length
        best_route = route

    pheromone *= (1 - rho)

    for route, length in zip(all_routes, all_lengths):
        for i in range(num_cities - 1):
            pheromone[route[i], route[i+1]] += 1.0 / length
            pheromone[route[i+1], route[i]] += 1.0 / length

        pheromone[route[-1], route[0]] += 1.0 / length
        pheromone[route[0], route[-1]] += 1.0 / length

    print(f"Iteration {iteration+1}/{num_iterations} - Best Length:
{best_length:.4f}")

return best_route, best_length

if __name__ == "__main__":
    cities = np.array([
        [0, 0],
        [1, 5],
        [5, 2],
        [6, 6],
        [8, 3],
        [7, 9],
        [2, 8],
        [3, 3]
    ])

    best_route, best_length = aco_tsp(cities)

    print("\nBest route found:")
    print(best_route)
    print("Route length:", best_length)

```

Output:

```
Iteration 1/20 - Best Length: 31.6195
Iteration 2/20 - Best Length: 29.7691
Iteration 3/20 - Best Length: 29.7691
Iteration 4/20 - Best Length: 29.7691
Iteration 5/20 - Best Length: 29.7691
Iteration 6/20 - Best Length: 29.7691
Iteration 7/20 - Best Length: 29.7691
Iteration 8/20 - Best Length: 29.7691
Iteration 9/20 - Best Length: 29.7691
Iteration 10/20 - Best Length: 29.7691
Iteration 11/20 - Best Length: 29.7691
Iteration 12/20 - Best Length: 29.7691
Iteration 13/20 - Best Length: 29.7691
Iteration 14/20 - Best Length: 29.7691
Iteration 15/20 - Best Length: 29.7691
Iteration 16/20 - Best Length: 29.7691
Iteration 17/20 - Best Length: 29.7691
Iteration 18/20 - Best Length: 29.7691
Iteration 19/20 - Best Length: 29.7691
Iteration 20/20 - Best Length: 29.7691
```

Best route found:

```
[np.int64(3), np.int64(5), np.int64(6), np.int64(1), np.int64(0), np.int64(7), np.int64(2), np.int64(4)]
Route length: 29.76913194777377
```

Program 04: Cuckoo Search (CS):

Algorithm;

Cuckoo Search Algorithm

Initialize n nests (solutions) randomly within bounds.
Evaluate fitness of each nest
Find the best nest and its fitness.
For each iteration up to max_iterations:
 For each nest i in the population:
 Generate a new solution by taking a long step from nest i
 Evaluate the fitness of the new solution.
 If new solution is better than nest i :
 Replace nest i with the new solution
 Identify the worst fraction (ρ) of nests
 Replace those worst nests with new random solutions
 Update the best nest and fitness found so far
 Print current best fitness every few iterations
Return the best nest and its fitness.

Output

Iteration 0: Best fitness = 0.089050

Iteration 100: Best fitness = 0.08616

Iteration 200: Best fitness = 0.0157

Iteration 300: Best fitness = 0.00467

Iteration 400: Best fitness = 0.00047

Iteration 499: Best fitness = 0.000822

Best solution found: [0.01274171 -0.0126207]

Best objective value: 0.000321618116634

SOM
RJD

Code:

```
import numpy as np
import math

def food_availability(x):
    return - (x - 5) ** 2 + 20

def levy_flight(Lambda=1.5):
    sigma_u = (math.gamma(1 + Lambda) * math.sin(math.pi * Lambda / 2) /
               (math.gamma((1 + Lambda) / 2) * Lambda * 2 ** ((Lambda - 1) / 2)))
    ** (1 / Lambda)
    sigma_v = 1
    u = np.random.normal(0, sigma_u)
    v = np.random.normal(0, sigma_v)
    step = u / (abs(v) ** (1 / Lambda))
    return step

def cuckoo_search_nest_location(n=10, iterations=200, pa=0.25, lower_bound=0,
                                 upper_bound=10):
    nests = np.random.uniform(lower_bound, upper_bound, n)
    fitness = np.array([food_availability(x) for x in nests])

    best_idx = np.argmax(fitness)
    best_nest = nests[best_idx]
    best_fitness = fitness[best_idx]

    Lambda = 1.5

    for t in range(iterations):
        for i in range(n):
            step_size = 0.1 * levy_flight(Lambda)
            new_nest = nests[i] + step_size * (nests[i] - best_nest)
            new_nest = np.clip(new_nest, lower_bound, upper_bound)

            new_fitness = food_availability(new_nest)
            if new_fitness > fitness[i]:
                nests[i] = new_nest
                fitness[i] = new_fitness

            if new_fitness > best_fitness:
                best_fitness = new_fitness
                best_nest = new_nest

        num_abandon = int(pa * n)
        worst_indices = np.argsort(fitness)[:num_abandon]
        nests[worst_indices] = np.random.uniform(lower_bound, upper_bound,
                                                num_abandon)
        fitness[worst_indices] = [food_availability(x) for x in
                                  nests[worst_indices]]

        current_best_idx = np.argmax(fitness)
        if fitness[current_best_idx] > best_fitness:
            best_fitness = fitness[current_best_idx]
            best_nest = nests[current_best_idx]
```

```

        if (t+1) % 20 == 0 or t == 0:
            print(f"Iteration {t+1}: Best nest location = {best_nest:.4f}, Max food
= {best_fitness:.6f}")

    return best_nest, best_fitness

if __name__ == "__main__":
    best_location, max_food = cuckoo_search_nest_location()
    print("\nFinal Results:")
    print(f"Best nest location: {best_location:.4f}")
    print(f"Maximum food collected: {max_food:.6f}")

```

Output:



```

Iteration 1: Best nest location = 5.3102, Max food = 19.903783
Iteration 20: Best nest location = 4.9646, Max food = 19.998744
Iteration 40: Best nest location = 4.9646, Max food = 19.998744
Iteration 60: Best nest location = 5.0038, Max food = 19.999985
Iteration 80: Best nest location = 4.9992, Max food = 19.999999
Iteration 100: Best nest location = 5.0000, Max food = 20.000000
Iteration 120: Best nest location = 5.0000, Max food = 20.000000
Iteration 140: Best nest location = 5.0000, Max food = 20.000000
Iteration 160: Best nest location = 5.0000, Max food = 20.000000
Iteration 180: Best nest location = 5.0000, Max food = 20.000000
Iteration 200: Best nest location = 5.0000, Max food = 20.000000

```

Final Results:

```

Best nest location: 5.0000
Maximum food collected: 20.000000

```

Program 05: Grey Wolf Optimizer (GWO):

Algorithm:

Grey Wolf Optimization

Application :-

- => Engineering design Optimization.
- => Machine learning hyperparameter tuning.

pseudocode :-

Define nectar function $f(x,y)$ as sum of Gaussian.

Initialize wolf population with random positions.

Evaluate fitness of wolves (nectar availability).

Identify alpha, beta, delta wolves by fitness.

For each iteration,

- Update parameter 'a' decreasing from 2 to 0

For each wolf,

- update position influenced by alpha, beta & delta wolves
- clamp positions within field boundaries.

Evaluate fitness and update alpha, beta, delta.

Return alpha wolf position and fitness as best
hive location and nectar amount.

Output

Output

Optimal beehive location: $X = 2.9983, Y = 3.0009$

Maximum nectar availability: 20.00005

(Signature)

Code:

```
import numpy as np

def nectar_availability(position):
    x, y = position
    term1 = 20 * np.exp(-((x - 3) ** 2 + (y - 3) ** 2) / 4)
    term2 = 15 * np.exp(-((x - 7) ** 2 + (y - 7) ** 2) / 3)
    term3 = 10 * np.exp(-((x - 5) ** 2 + (y - 8) ** 2) / 2)
    return term1 + term2 + term3

def gwo_beehive(n_wolves=30, iterations=20, lower_bound=0, upper_bound=10):
    dim = 2

    wolves = np.random.uniform(lower_bound, upper_bound, (n_wolves, dim))

    alpha_pos = np.zeros(dim)
    alpha_score = -np.inf
    beta_pos = np.zeros(dim)
    beta_score = -np.inf
    delta_pos = np.zeros(dim)
    delta_score = -np.inf

    for t in range(iterations):
        for i in range(n_wolves):
            fitness = nectar_availability(wolves[i])

            if fitness > alpha_score:
                alpha_score = fitness
                alpha_pos = wolves[i].copy()
            elif fitness > beta_score:
                beta_score = fitness
                beta_pos = wolves[i].copy()
            elif fitness > delta_score:
                delta_score = fitness
                delta_pos = wolves[i].copy()

        a = 2 - t * (2 / iterations)

        for i in range(n_wolves):
            for j in range(dim):
                r1 = np.random.rand()
                r2 = np.random.rand()
                A1 = 2 * a * r1 - a
                C1 = 2 * r2
                D_alpha = abs(C1 * alpha_pos[j] - wolves[i][j])
                X1 = alpha_pos[j] - A1 * D_alpha

                r1 = np.random.rand()
                r2 = np.random.rand()
                A2 = 2 * a * r1 - a
                C2 = 2 * r2
                D_beta = abs(C2 * beta_pos[j] - wolves[i][j])
                X2 = beta_pos[j] - A2 * D_beta

                r1 = np.random.rand()
                r2 = np.random.rand()
                A3 = 2 * a * r1 - a
                C3 = 2 * r2
```

```

        D_delta = abs(C3 * delta_pos[j] - wolves[i][j])
        X3 = delta_pos[j] - A3 * D_delta

        wolves[i][j] = (X1 + X2 + X3) / 3

        wolves[i] = np.clip(wolves[i], lower_bound, upper_bound)

    print(f"Iteration {t+1:2d}: Best nectar = {alpha_score:.6f} at location
x={alpha_pos[0]:.4f}, y={alpha_pos[1]:.4f}")

    return alpha_pos, alpha_score

if __name__ == "__main__":
    best_hive_location, max_nectar = gwo_beehive()
    print("\nFinal optimal beehive location:")
    print(f"x = {best_hive_location[0]:.4f}, y = {best_hive_location[1]:.4f}")
    print(f"Maximum nectar availability: {max_nectar:.6f}")

```

Output:

```
Iteration 1: Best nectar = 14.314430 at location x=5.9729, y=6.9847
Iteration 2: Best nectar = 14.314430 at location x=5.9729, y=6.9847
Iteration 3: Best nectar = 18.833972 at location x=3.4183, y=2.7443
Iteration 4: Best nectar = 18.833972 at location x=3.4183, y=2.7443
Iteration 5: Best nectar = 19.918544 at location x=2.8770, y=3.0355
Iteration 6: Best nectar = 19.918544 at location x=2.8770, y=3.0355
Iteration 7: Best nectar = 19.918544 at location x=2.8770, y=3.0355
Iteration 8: Best nectar = 19.918544 at location x=2.8770, y=3.0355
Iteration 9: Best nectar = 19.926097 at location x=3.1064, y=2.9403
Iteration 10: Best nectar = 19.976975 at location x=3.0522, y=3.0444
Iteration 11: Best nectar = 19.976975 at location x=3.0522, y=3.0444
Iteration 12: Best nectar = 19.976975 at location x=3.0522, y=3.0444
Iteration 13: Best nectar = 19.976975 at location x=3.0522, y=3.0444
Iteration 14: Best nectar = 19.976975 at location x=3.0522, y=3.0444
Iteration 15: Best nectar = 19.976975 at location x=3.0522, y=3.0444
Iteration 16: Best nectar = 19.976975 at location x=3.0522, y=3.0444
Iteration 17: Best nectar = 19.976975 at location x=3.0522, y=3.0444
Iteration 18: Best nectar = 19.976975 at location x=3.0522, y=3.0444
Iteration 19: Best nectar = 19.990873 at location x=2.9582, y=3.0120
Iteration 20: Best nectar = 19.999439 at location x=3.0134, y=2.9978

Final optimal beehive location:
x = 3.0134, y = 2.9978
Maximum nectar availability: 19.999439
```

Program 6: Parallel Cellular Algorithms and Programs:

Algorithm:

Parallel cellular Algorithm.

initialization
input : Gridsize ($N \times N$)
input : MaxIterations
Initialize cell[$M \times N$] with initial state.
Define Neighborhood
Define TransitionRule (cell, Neighbors)
for i=1 to MaxIterations do
 parallel for each cell[i,j] in cell do
 Neighbors \leftarrow getNeighbors(cell, i, j)
 NewCell[i][j] \leftarrow TransitionRule (cell[i][j], Neighbors)
 end parallel for
 synchronize()
 parallel for each cell[i,j] in cell do
 cell[i][j] \leftarrow NewCell[i][j]
 end parallel for
 synchronize()
end for
Output: Final state of cell[$M \times N$].

Output

Iteration 0 : Best fitness = 6.113438
Iteration 20 : Best fitness = 0.000406
Iteration 40 : Best fitness = 0.000145
Iteration 60 : Best fitness = 0.000055
Iteration 80 : Best fitness = 0.000015
Iteration 100 : Best fitness = 0.000005
Iteration 120 : Best fitness = 0.000001
Iteration 140 : Best fitness = 0.0000005
Iteration 160 : Best fitness = 0.0000001
Iteration 180 : Best fitness = 0.00000005
Best solution : [1.00253 1.00519]
Best fitness : 7.95067

Sam
RUB
7/11

Code:

```
import numpy as np

def rosenbrock(x):
    return (1 - x[0])**2 + 100 * (x[1] - x[0]**2)**2

grid_size = (10, 10)
num_dimensions = 2
num_iterations = 200
beta0 = 1.0          # Base attractiveness
gamma = 1.0           # Light absorption coefficient
alpha = 0.2            # Randomness factor
radius = 1
search_bounds = (-2, 2)

cells = np.random.uniform(search_bounds[0], search_bounds[1],
                           size=(grid_size[0], grid_size[1], num_dimensions))

get neighbors (Moore neighborhood)
def get_neighbors(cells, i, j):
    neighbors = []
    for di in range(-radius, radius + 1):
        for dj in range(-radius, radius + 1):
            if di == 0 and dj == 0:
                continue
            ni, nj = (i + di) % grid_size[0], (j + dj) % grid_size[1]
            neighbors.append(cells[ni, nj])
    return np.array(neighbors)

best_solution = None
best_fitness = float('inf')

for t in range(num_iterations):
    new_cells = np.copy(cells)

    for i in range(grid_size[0]):
        for j in range(grid_size[1]):
            firefly = cells[i, j]
            fit_i = rosenbrock(firefly)
            neighbors = get_neighbors(cells, i, j)

            for n in neighbors:
                fit_n = rosenbrock(n)
                if fit_n < fit_i: # brighter (better)
                    distance = np.linalg.norm(firefly - n)
                    beta = beta0 * np.exp(-gamma * distance**2)
                    step = beta * (n - firefly) + alpha * np.random.uniform(-1, 1,
num_dimensions)
                    firefly = firefly + step
                    fit_i = rosenbrock(firefly)

            new_cells[i, j] = firefly

    if fit_i < best_fitness:
        best_fitness = fit_i
        best_solution = firefly
```

```
cells = new_cells

if t % 20 == 0:
    print(f"Iteration {t}: Best Fitness = {best_fitness:.6f}")

print("\n====")
print(" Parallel Cellular Firefly Algorithm Results")
print("====")
print("Best Solution:", best_solution)
print("Best Fitness:", best_fitness)
```

Output: _____

```
Iteration 0: Best Fitness = 0.120322
Iteration 20: Best Fitness = 0.000162
Iteration 40: Best Fitness = 0.000114
Iteration 60: Best Fitness = 0.000049
Iteration 80: Best Fitness = 0.000049
Iteration 100: Best Fitness = 0.000049
Iteration 120: Best Fitness = 0.000049
Iteration 140: Best Fitness = 0.000049
Iteration 160: Best Fitness = 0.000009
Iteration 180: Best Fitness = 0.000009

=====
💡 Parallel Cellular Firefly Algorithm Results
=====
Best Solution: [0.99738409 0.99491349]
Best Fitness: 8.760504339778715e-06
```

Program 7: Optimization via Gene Expression Algorithms:

Algorithm:

Lab - GEA																														
Gene Expression Algorithm (GEA): 6 main phases																														
<ul style="list-style-type: none"> - Initialization - fitness Assignment - Selection - crossover - Mutation - Gene Expression - Termination 																														
Steps : $\text{Fitness}(x) = x^2$																														
1. Select encoding technique 0 to 31 - use chromosome of fixed length with terminals (variables, constants & functions ($x_1, +, -, \times, /$))																														
2. Initialize population.																														
<table border="1"> <thead> <tr> <th>Initial chromosome</th> <th>Phenotype</th> <th>Value</th> <th>Fitness</th> <th>P</th> </tr> </thead> <tbody> <tr> <td>1 $+xx$</td> <td>x^2</td> <td>12</td> <td>0.44</td> <td>0.1241</td> </tr> <tr> <td>2 $+xx$</td> <td>$2x$</td> <td>25</td> <td>0.25</td> <td>0.541</td> </tr> <tr> <td>3 x</td> <td>x</td> <td>5</td> <td>25</td> <td>0.0216</td> </tr> <tr> <td>4 $-x^2$</td> <td>$x - 2$</td> <td>19</td> <td>361</td> <td>0.3125</td> </tr> </tbody> </table>						Initial chromosome	Phenotype	Value	Fitness	P	1 $+xx$	x^2	12	0.44	0.1241	2 $+xx$	$2x$	25	0.25	0.541	3 x	x	5	25	0.0216	4 $-x^2$	$x - 2$	19	361	0.3125
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$\geq P(x) = 1155$ $A_g = 0.88 - 0.75$																														
3. Selection of mating pool																														
<table border="1"> <thead> <tr> <th>selected chromosome</th> <th>crossover pool</th> <th>offspring</th> <th>phenotype</th> </tr> </thead> <tbody> <tr> <td>1 $+xx$</td> <td>2</td> <td>$+x^2$</td> <td>$x^2 (x+7)$</td> </tr> <tr> <td>2 $+xx$</td> <td>1</td> <td>$+xx$</td> <td>$2x$</td> </tr> <tr> <td>3 $+xx$</td> <td>3</td> <td>$+x - 2$</td> <td>$9x(x^2)$</td> </tr> <tr> <td>4 $-x^2$</td> <td>1</td> <td>$+x^2$</td> <td>x^2</td> </tr> </tbody> </table>						selected chromosome	crossover pool	offspring	phenotype	1 $+xx$	2	$+x^2$	$x^2 (x+7)$	2 $+xx$	1	$+xx$	$2x$	3 $+xx$	3	$+x - 2$	$9x(x^2)$	4 $-x^2$	1	$+x^2$	x^2					
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α value	Fitness
13	169
24	576
27	729
19	289

5c Crossover.

perform crossover randomly chosen gene (not raw bits)
More fitness after crossover = $\frac{1}{2} \cdot 24 + \frac{1}{2} \cdot 19 = 21.25$.

5d Mutation

	Offspring before mutation	Mutation Applied	Offspring after mutation	Phenotype
1	$\alpha \neq 1$	$\neq \rightarrow -$	$\alpha = -$	$\alpha \in \{0, 1\}$
2	$\neq \alpha \neq 2$	None	$\alpha \neq 2$	$\alpha \in \{0, 1, 2\}$
3	$\neq \alpha = 1$	$\rightarrow *$	$\alpha = *$	$\alpha \in \{0, 1, 2\}$
4	$\neq \alpha = 2$	None	$\alpha = 2$	$\alpha \in \{0, 1, 2\}$

	α value	Fitness
	29	841
	24	576
	27	729
	20	400

6a Gene Expression & Evolution.

Decode each genotype \rightarrow phenotype.
calculate fitness.

$$\sum \text{Fitness} = 2546.$$

$$\text{Avg} = 636.5$$

$$\text{max} = 341$$

7a Iterate until convergence
repeat step 3-6 until fitness improvement is negligible / generation limit has reached.

Pseudocode

- Start
- Define fitness function.
 - Create population
 - Define parameters.
 - Select mating pool
 - Selection after mating.
 - Create expression and Evaluation.
 - Iterate.
 - Output BestValue.

Output

genes : [29.53, 29.82, 29.34, 28.54, 15.05,
23.13, 30.81, 22.51, 26.22]

$x = 26.37$

$f(x) = 6.95 \cdot 45$

Sell
Rao

```

import random
import math

def fitness_function(x):
    return x * math.sin(10 * math.pi * x) + 1 # Objective: maximize this

POPULATION_SIZE = 30
NUM_GENES = 10      # Number of genes per chromosome
MUTATION_RATE = 0.1
CROSSOVER_RATE = 0.8
GENERATIONS = 100
X_BOUND = (-1, 2)

def create_individual():
    return [random.uniform(X_BOUND[0], X_BOUND[1]) for _ in range(NUM_GENES)]

def create_population(size):
    return [create_individual() for _ in range(size)]

def express_genes(individual):
    # Expression step: translate gene sequence into a single functional value (x)
    expressed_x = sum(individual) / len(individual)
    return expressed_x

def evaluate_fitness(individual):
    x = express_genes(individual)
    return fitness_function(x)

def tournament_selection(population, k=3):
    selected = random.sample(population, k)
    selected.sort(key=lambda ind: evaluate_fitness(ind), reverse=True)
    return selected[0]

def crossover(parent1, parent2):
    if random.random() < CROSSOVER_RATE:
        point = random.randint(1, NUM_GENES - 1)
        child1 = parent1[:point] + parent2[point:]
        child2 = parent2[:point] + parent1[point:]
        return child1, child2
    else:
        return parent1[:,], parent2[:]

def mutate(individual):
    for i in range(NUM_GENES):
        if random.random() < MUTATION_RATE:
            individual[i] += random.uniform(-0.1, 0.1)
            individual[i] = max(min(individual[i], X_BOUND[1]), X_BOUND[0])
    return individual

def gene_expression_algorithm():
    population = create_population(POPULATION_SIZE)
    best_individual = None
    best_fitness = float('-inf')

```

```

for generation in range(GENERATIONS):
    new_population = []

    for ind in population:
        fit = evaluate_fitness(ind)
        if fit > best_fitness:
            best_fitness = fit
            best_individual = ind

    while len(new_population) < POPULATION_SIZE:
        parent1 = tournament_selection(population)
        parent2 = tournament_selection(population)
        child1, child2 = crossover(parent1, parent2)
        child1 = mutate(child1)
        child2 = mutate(child2)
        new_population.extend([child1, child2])

    population = new_population[:POPULATION_SIZE]

    expressed_x = express_genes(best_individual)
    print(f"Generation {generation+1:03d} | Best Fitness = {best_fitness:.5f} | Best X = {expressed_x:.5f}")

    final_x = express_genes(best_individual)
    print("\nOptimization complete!")
    print(f"Best solution: x = {final_x:.5f}, f(x) = {best_fitness:.5f}")

if __name__ == "__main__":
    gene_expression_algorithm()

```

Output:

```
Output

Generation 1: Best Value = 6.363236
Generation 2: Best Value = 6.363236
Generation 3: Best Value = 6.363236
Generation 4: Best Value = 6.363236
Generation 5: Best Value = 4.087452
Generation 6: Best Value = 3.420658
Generation 7: Best Value = 3.420658
Generation 8: Best Value = 3.420658
Generation 9: Best Value = 3.420658
Generation 10: Best Value = 3.420658

Best Solution Found: [0.07026351598497271, -0.36887618913241305, 0
.16261776749364998, 1.729095856868689, 0.513258486361484]
Best Value: 3.4206578989545884
```