



Part I

Introduction and Fundamentals

Lecture 04

Nodes Classification with Vanilla Graph Neural Networks

Explore the foundational concepts of classifying nodes using Vanilla Graph Neural Networks (GNNs). Understand the principles behind GNNs, including message passing, graph structure, and the role of adjacency matrices. Gain hands-on experience implementing Vanilla GNNs, which capture the graph's topology, and see how this architecture outperforms traditional Multilayer Perceptrons (MLPs) in node classification tasks.



Graph Datasets Features

These datasets go beyond just structural connections; they encompass various types of data, such as text, categories, and numerical attributes associated with nodes and edges.

Graph Data Richness:

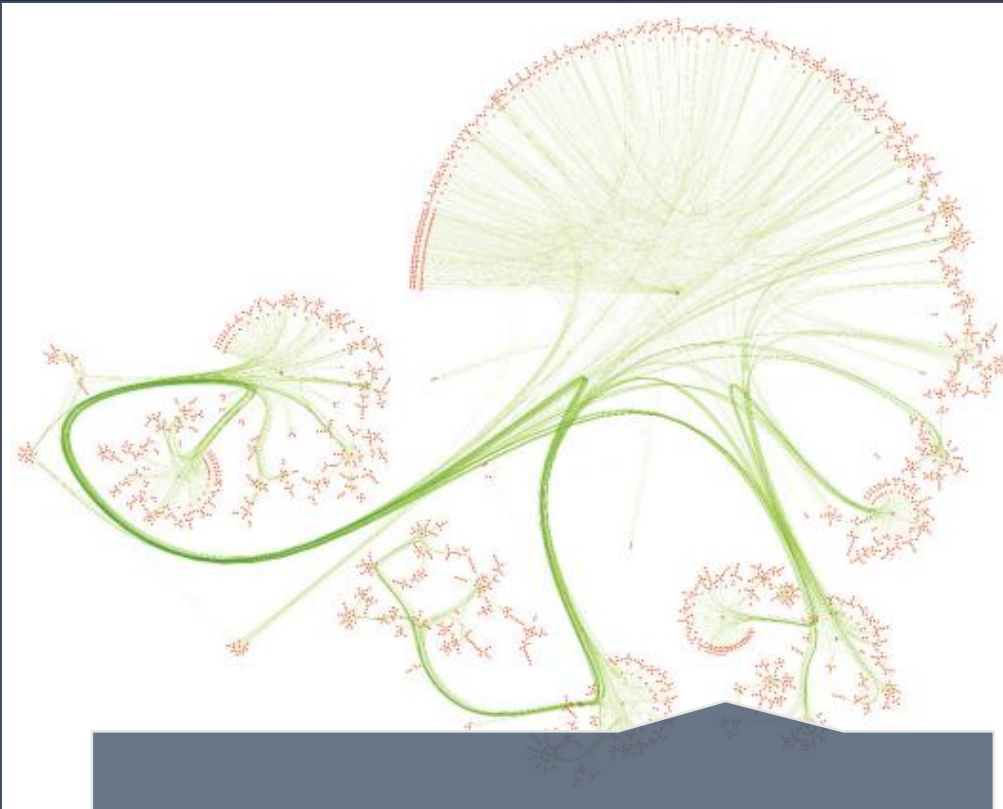
Real-world graph datasets are often more intricate than simpler examples like Zachary's Karate Club, with larger numbers of nodes, edges, and additional features that can enhance analysis.

Diverse Information:

Essential for Analysis:

Proficiency in handling complex graph datasets is vital for performing comprehensive graph analysis and applying machine learning approaches effectively.

Introducing the Selected Datasets



The Cora Dataset



The Facebook Page-Page
dataset



Cora Dataset Characteristics:

The Cora Dataset

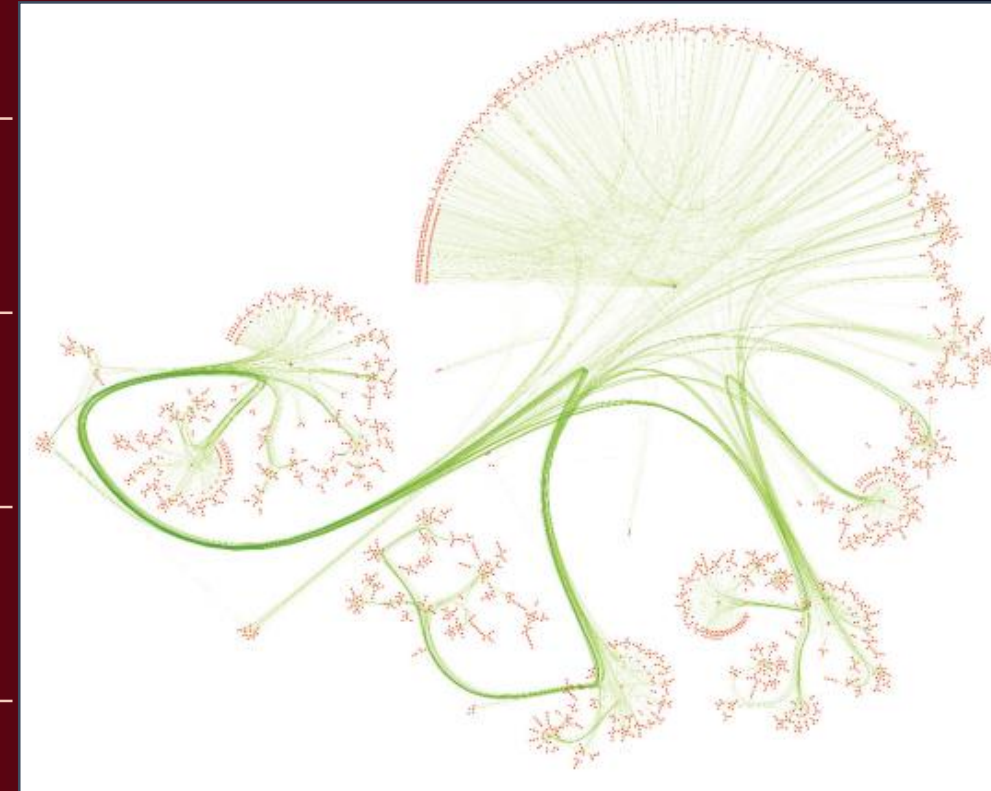
Publication Network: Cora represents a network of 2,708 scientific publications.

Classification Objective: The dataset aims to classify each publication into one of seven classes.

Citation Network: The citation network comprises 5,429 links connecting the publications.

Feature Representation: Each publication is described using a binary word vector, with 0 indicating word absence and 1 indicating word presence.

Word Dictionary: The dataset's dictionary includes 1,433 unique words.





```
Dataset: Cora()
-----
Number of graphs: 1
Number of nodes: 2708
Number of features: 1433
Number of classes: 7
```

The Cora Dataset Analysis with Pytorch Geometry

PyTorch Geometric Usage

Planetoid Class: **PyTorch Geometric** provides the Planetoid class for downloading and managing well-known graph datasets.

Dataset Download: It enables the straightforward download of the Cora dataset for analysis within **PyTorch Geometric**.

Data Structure: The dataset comprises a single graph stored within a dedicated data variable.

Dataset Information Access: **PyTorch Geometric** can provide key information about the dataset, including the number of graphs, nodes, features, and classes.

Import necessary libraries

```
from torch_geometric.datasets import Planetoid
```

Download the Cora dataset using Planetoid

```
dataset = Planetoid(root=".", name="Cora")
```

Cora only has one graph

```
data = dataset[0]
```

Print general information about the dataset

```
print(f'Dataset: {dataset}')
```

```
print('-----')
```

```
print(f'Number of graphs: {len(dataset)}')
```

```
print(f'Number of nodes: {data.x.shape[0]}')
```

```
print(f'Number of feat.: {dataset.num_features}')
```

```
print(f'Number of classes: {dataset.num_classes}')
```

Graph:

Edges are directed: False

Graph has isolated nodes: False

Graph has loops: False

WORKING
DATASETS

The Cora Dataset Analysis with Pytorch Geometry

CLASSIFYING
NODES WITH
NNsCLASSIFYING
NODES WITH
VANILLA GNNsMODELS
COMPARISON

PyTorch Geometric Usage

Planetoid Class: PyTorch Geometric provides the Planetoid class for downloading and managing well-known graph datasets.

Dataset Download: It enables the straightforward download of the Cora dataset for analysis within PyTorch Geometric.

Data Structure: The dataset comprises a single graph stored within a dedicated data variable.

Additional Dataset Information: Using dedicated functions from **PyTorch Geometric**, detailed information about the graph's properties might be accessed. For example, the code checks if the edges are directed, if there are isolated nodes, and if the graph has loops.

Import necessary libraries

```
from torch_geometric.datasets import Planetoid
```

Download the Cora dataset using Planetoid

```
dataset = Planetoid(root=".", name="Cora")
```

Cora only has one graph

```
data = dataset[0]
```

Check various properties of the graph

```
print(f'Graph:')  
print('-----')
```

```
print(f'Edges are directed: {data.is_directed()}')
```

```
print(f'Graph has isolated nodes:
```

```
{data.has_isolated_nodes()}')
```

```
print(f'Graph has loops: {data.has_self_loops()}')
```



Classifying Nodes with Neural Networks

01 Node Features in Graphs

02 Overview of a Vanilla Neural Network (VNN)

03 Implementing a Multilayer Perceptron (MLP)

04 Model Training

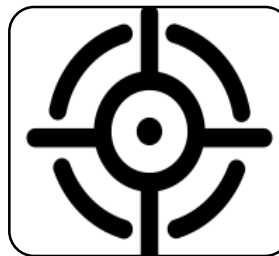
05 Model Evaluation

06 Testing on Cora Dataset



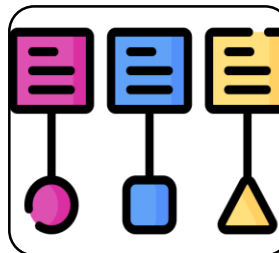
Node Features:

- Additional attributes associated with nodes in a graph. These features can represent a wide range of information, including user profiles, numerical values, text data, or any relevant attributes.



Purpose:

- These node features provide additional information about nodes, enhancing the potential for downstream tasks.



Node Classification:

- In a neural network context, node features are considered as a regular tabular dataset.



Classifying Nodes with Neural Networks

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For the Cora Dataset Graphs



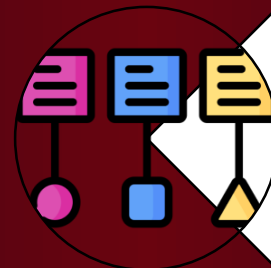
Node Features:

- Each publication in the **Cora dataset** is described as a binary vector of 1,433 unique words.



Binary Bag of Words:

- The binary vector uses values of **0** and **1** to indicate the absence or presence of specific words.



Classification Goal:

- The objective is to classify each **node** (**publication**) into one of the seven predefined **categories**.



Classifying Nodes with Neural Networks

01 Node Features in Graphs

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Definition:

- A **VNN**, also known as a Multilayer Perceptron (**MLP**), is a traditional neural network that consists of multiple layers, including an input layer, one or more hidden layers, and an output layer.

Use of Node Features:

- We consider node features in the **Cora dataset** as a regular tabular dataset.

Node Classification:

- We employ a simple **VNN** to train and classify nodes using the node features.

Model Architecture:

- The **VNN** does not incorporate the network topology.



Classifying Nodes with Neural Networks

Use of Node Features: Preparing Data

01 Node Features in Graphs

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```
# Import necessary libraries
import pandas as pd
# Create a DataFrame from the node features and label
# Convert PyTorch tensor data.x to a NumPy array and create a
DataFrame
df_x = pd.DataFrame(data.x.numpy())
# Add a 'label' column to the DataFrame containing node labels
df_x['label'] = pd.DataFrame(data.y)
df_x
```

	0	1	2	3	4	5	6	7	8	9	...	1424	1425	1426	1427	1428	1429	1430	1431	1432	label
0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	...	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	3
1	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	...	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	4
2	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	...	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	4
3	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	...	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0
4	0.0	0.0	0.0	1.0	0.0	0.0	0.0	0.0	0.0	0.0	...	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	3
...

Node 1

Node Features

Class Label



Classifying Nodes with Neural Networks

01 Node Features in Graphs

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Overview:

- We'll create an MLP class with key methods for initialization, forward pass, training, and evaluation.

Forward Pass:

- The forward method processes node features through linear layers and a softmax function for classification.

Metric:

- We'll use **accuracy** as a metric to measure the model's performance.



Classifying Nodes with Neural Networks

01 Node Features in Graphs

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Overview of MLP Class

```
# Import necessary libraries
import pandas as pd
import torch
from torch.nn import Linear
import torch.nn.functional as F

# Create a new class named MLP for our Multilayer Perceptron
class MLP(torch.nn.Module):
    def __init__(self, dim_in, dim_h, dim_out):
        # Initialize the MLP class with input, hidden, and
        # output layer dimensions
    def forward(self, x):
        # Perform the forward pass of the MLP
    def accuracy(self, y_pred, y_true):
        # Calculate the accuracy of predictions
    def fit(self, data, epochs):
        # Train the model
    def test(self, data):
        # Evaluate the model
```



Classifying Nodes with Neural Networks

Overview of MLP Class: Init() and forward()

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```
# Create a new class named MLP for our Multilayer Perceptron
class MLP(torch.nn.Module):
```

```
    # Initialize the MLP class with input, hidden, and output
    layer dimensions
```

```
    def __init__(self, dim_in, dim_h, dim_out):
        super().__init__()
        self.linear1 = Linear(dim_in, dim_h)
        self.linear2 = Linear(dim_h, dim_out)
```

```
    # Perform the forward pass of the MLP
```

```
    def forward(self, x):
        x = self.linear1(x)    # Apply the first linear layer
        x = torch.relu(x)     # Apply a Rectified Linear Unit
                               # (ReLU) activation function
        x = self.linear2(x)   # Apply the second linear layer
        return F.log_softmax(x, dim=1) # Return log-softmax
                                       # of the result for classification
```




Classifying Nodes with Neural Networks

Overview of MLP Class: accuracy()

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- 05 Model Evaluation
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```
# Create a new class named MLP for our Multilayer Perceptron
class MLP(torch.nn.Module):
    # Continued
    # Defining the metric
    def accuracy(self, y_pred, y_true):
        # Calculate the accuracy of predictions
        return torch.sum(y_pred == y_true) / len(y_true)
```

The **accuracy** function counts the number of correct predictions in the batch and divides it by the total number of data points to determine the accuracy of the model.



Classifying Nodes with Neural Networks

Model Training : fit()

- 01 Node Features in Graphs
- 02 Building a Vanilla Neural Network (VNN)
- 03 Implementing a Multilayer Perceptron (MLP)
- 04 Model Training**
- 05 Model Evaluation
- 06 Testing on Cora Dataset

```
# Create a new class named MLP for our Multilayer Perceptron
class MLP(torch.nn.Module):
    # Continued
    # Train the model
    def fit(self, data, epochs):
        # Define the loss function
        criterion = torch.nn.CrossEntropyLoss()
        # Initialize the optimizer
        optimizer = torch.optim.Adam(self.parameters(),
                                      lr=0.01,
                                      weight_decay=5e-4)

        # Set the model to training mode
        self.train()
```



Classifying Nodes with Neural Networks

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Model Training : fit() --Continued

```
# Create a new class named MLP for our Multilayer Perceptron
class MLP(torch.nn.Module):
    # Train the model
    def fit(self, data, epochs):
        # Training loop for the specified number of epochs
        for epoch in range(epochs+1):
            # Zero out gradient prepare for a new iteration
            optimizer.zero_grad()
            # Perform forward pass to get predictions
            out = self(data.x)
            # Calculate the loss
            loss = criterion(out[data.train_mask],
                             data.y[data.train_mask])
            # Calculate accuracy
            acc =
            self.accuracy(out[data.train_mask].argmax(dim=1),
                          data.y[data.train_mask])
            # Computes gradients of the loss
            loss.backward()
            # Adjusts the model's params (weights and biases)
            optimizer.step()
```



Classifying Nodes with Neural Networks

Model Training: fit() --Continued

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- 03 Implementing a Multilayer Perceptron (MLP)
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```
# Create a new class named MLP for our Multilayer Perceptron
class MLP(torch.nn.Module):
    # Train the model
    def fit(self, data, epochs):
        # Training loop for the specified number of epochs
        for epoch in range(epochs+1):
            # Continued
            # Print loss and accur for train data every 20 epochs
            if epoch % 20 == 0:
                val_loss = criterion(out[data.val_mask],
                                    data.y[data.val_mask])

                # Calculate validation loss
                val_acc=
                    self.accuracy(out[data.val_mask].argmax(dim=1),
                                data.y[data.val_mask])

                # Calculate validation accuracy
                print(f'Epoch {epoch:>3} | Train Loss: {loss:.3f} |
                    Train Acc: {acc*100:>5.2f}% | Val Loss:
                    {val_loss:.2f} | Val Acc: {val_acc*100:.2f}%')
```



Classifying Nodes with Neural Networks

01 Node Features in Graphs

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Model Evaluation: test()

```
# Create a new class named MLP for our Multilayer Perceptron
class MLP(torch.nn.Module):
    # Evaluate the model
    def test(self, data):
        # Set the model to evaluation mode
        self.eval()
        # Calculate model predictions (forward pass) for the
        # given data.
        out = self(data.x)
        # Calculate accuracy for test data
        acc = self.accuracy(out.argmax(dim=1)[data.test_mask],
                             data.y[data.test_mask])
        return acc
```

The accuracy is computed by comparing the predicted class labels (based on the maximum value along dimension 1 (**Argmax for Prediction**), which selects the class with the highest probability) to the true class labels in the test data.



Classifying Nodes with Neural Networks

Model Testing on Cora Dataset:

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```
# Create and train the MLP
# Create an instance of the MLP class.
# It takes three arguments:
# - dataset.num_features: Number of input features (input
dimension)
# - 16: Number of hidden units (you can adjust this as needed)
# - dataset.num_classes: Number of output classes (output
dimension)
mlp = MLP(dataset.num_features, 16, dataset.num_classes)
print(mlp)
```

```
MLP(
  (linear1): Linear(in_features=1433, out_features=16, bias=True)
  (linear2): Linear(in_features=16, out_features=7, bias=True)
)
```



Classifying Nodes with Neural Networks

Model Testing on Cora Dataset:

01 Node Features in Graphs

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```
# Train the MLP model on the given data for a specified number  
of epochs (100 in this case).  
mlp.fit(data, epochs=100)
```

Epoch	0		Train Loss: 1.953		Train Acc: 15.00%		Val Loss: 2.02		Val Acc: 7.00%
Epoch	20		Train Loss: 0.118		Train Acc: 100.00%		Val Loss: 1.48		Val Acc: 50.60%
Epoch	40		Train Loss: 0.014		Train Acc: 100.00%		Val Loss: 1.61		Val Acc: 49.80%
Epoch	60		Train Loss: 0.008		Train Acc: 100.00%		Val Loss: 1.58		Val Acc: 50.40%
Epoch	80		Train Loss: 0.009		Train Acc: 100.00%		Val Loss: 1.47		Val Acc: 51.00%
Epoch	100		Train Loss: 0.009		Train Acc: 100.00%		Val Loss: 1.41		Val Acc: 51.00%

```
# Test the model and get accuracy  
test_acc = mlp.test(data)  
print(f'MLP test accuracy: {test_acc*100:.2f}%')
```

```
MLP test accuracy: 51.90%
```



Classifying Nodes with Vanilla GNNs

Overview of Vanilla GNN:

01 Overview of Vanilla GNN

02 Implementing the Vanilla GNN Layer

03 Implementing a Vanilla GNN

04 Preparing the Adjacency Matrix

05 Building, Training, and Testing the Vanilla GNN

Definition-- Vanilla GNN:

- A foundational type of **Graph Neural Network (GNN)** used to analyze graph-structured data.
- Incorporates both **node features** and **topological information** in graph analysis.

Role of Vanilla GNNs:

- Addresses **the complexity of graph datasets** by considering **node features**.
- Perform **node embeddings** through a process of **message passing**.

Key Features:

- **Linear Transformation:** Utilizes a **linear layer** to capture **node relationships**.
- **Information Aggregation:** Collects information from both the node and its neighbors (**message passing**).

Thought Process:

- Foundation for understanding **advanced GNN architectures**.



Classifying Nodes with Vanilla GNNs

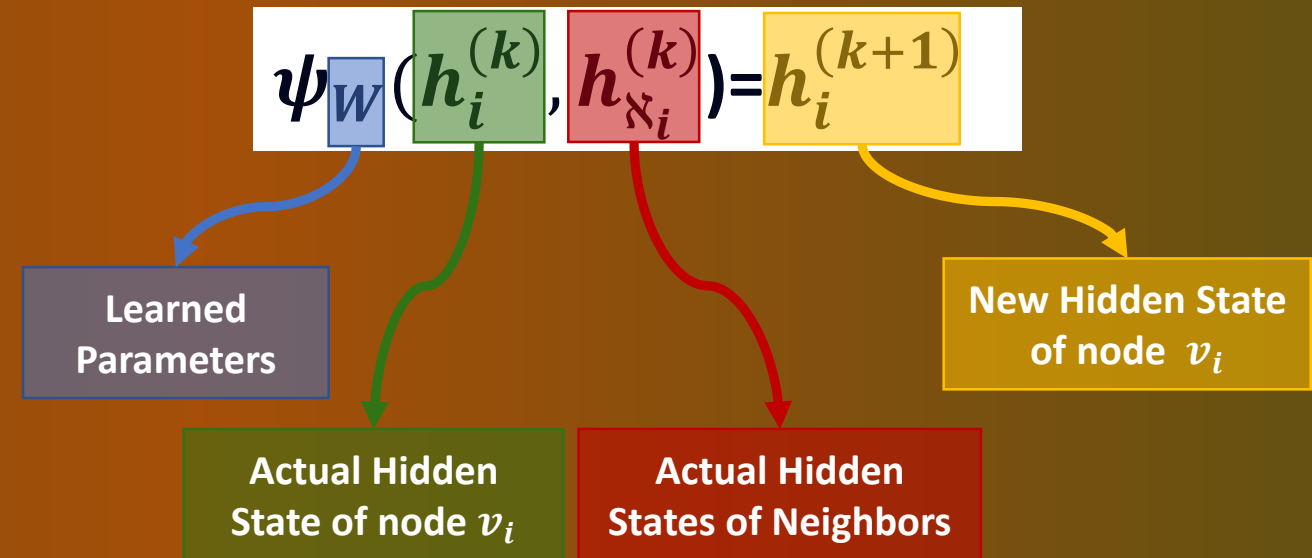
- 01 Overview of Vanilla GNN
- 02 Implementing the Vanilla GNN Layer
- 03 Implementing a Vanilla GNN
- 04 Preparing the Adjacency Matrix
- 05 Building, Training, and Testing the Vanilla GNN

Overview of Vanilla GNN:

Fundamental Concepts of Vanilla GNN

Local Transition Function (Message Passing):

- Shared function, ψ , for nodes to update their states using local and neighbor information (Aggregation).
- The function is used to update the representation of a node in the graph.





Classifying Nodes with Vanilla GNNs

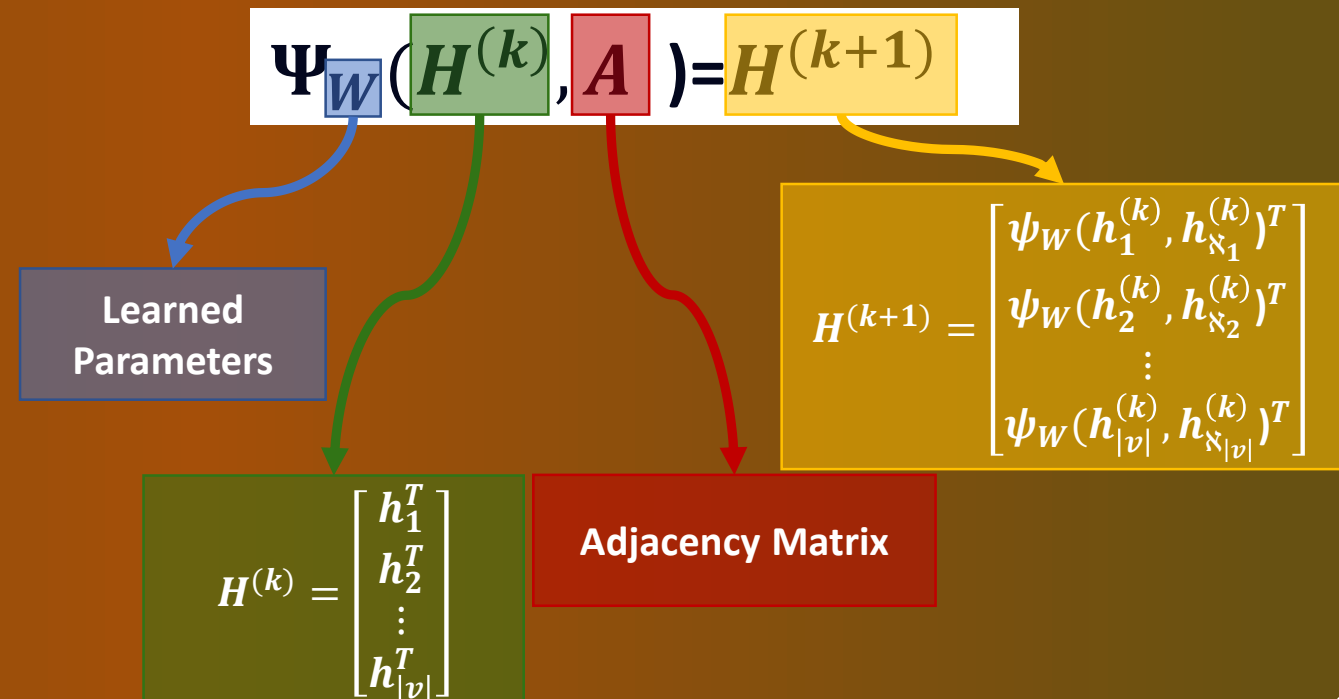
- 01 Overview of Vanilla GNN
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Overview of Vanilla GNN:

Fundamental Concepts of Vanilla GNN

Global Transition Function (Pooling):

- An efficient layer that updates all **node states** at once using the entire **state vector** and **adjacency matrix**.





Classifying Nodes with Vanilla GNNs

01 Overview of Vanilla GNN

02 Implementing the Vanilla GNN Layer

03 Implementing a Vanilla GNN

04 Preparing the Adjacency Matrix

05 Building, Training, and Testing the Vanilla GNN

Implementing the Vanilla GNN Layer:

```
# Import necessary libraries
import torch
import torch.nn as nn
import torch.nn.functional as F
from torch.nn import Linear
```

```
class VanillaGNNLayer(nn.Module):
```

```
    def __init__(self, dim_in, dim_out):
        super(VanillaGNNLayer, self).__init__()
        # Initialize a linear transformation layer without bias
        self.linear = Linear(dim_in, dim_out, bias=False)
```

```
    def forward(self, x, adjacency):
        # Apply the linear transformation to the input node
        # features
        x = self.linear(x)
        # Perform a sparse matrix-vector multiplication with the
        # adjacency matrix
        x = torch.sparse.mm(adjacency, x)
        return x
```



Classifying Nodes with Vanilla GNNs

- 01 Overview of Vanilla GNN
- 02 Implementing the Vanilla GNN Layer
- 03 **Implementing the Vanilla GNN**
- 04 Preparing the Adjacency Matrix
- 05 Building, Training, and Testing the Vanilla GNN

Implementing the Vanilla GNN:

```
# Create a new class named VanillaGNN for our GNN
class VanillaGNN(nn.Module):
    def __init__(self, dim_in, dim_h, dim_out):
        # Initialize the VGNN class with input, hidden, and
        # output layer dimensions
    def forward(self, x):
        # Perform the forward pass of the VGNN
    def accuracy(self, y_pred, y_true):
        # Calculate the accuracy of predictions
    def fit(self, data, epochs):
        # Train the model
    def test(self, data):
        # Evaluate the model
```



Classifying Nodes with Vanilla GNNs

Implementing the Vanilla GNN -- Init() and forward() :

- 01 Overview of Vanilla GNN
- 02 Implementing the Vanilla GNN Layer
- 03 Implementing the Vanilla GNN
- 04 Preparing the Adjacency Matrix
- 05 Building, Training, and Testing the Vanilla GNN

Create a new class named VanillaGNN for our GNN

```
class VanillaGNN(nn.Module):
```

```
    # Initialize the VanillaGNN class with input, hidden, and  
    output layer dimensions
```

```
    def __init__(self, dim_in, dim_h, dim_out):  
        super().__init__()
```

```
        # Initialize 2 VanillaGNNLayer instances for the GNN  
        layers
```

```
        self.gnn1 = VanillaGNNLayer(dim_in, dim_h)
```

```
        self.gnn2 = VanillaGNNLayer(dim_h, dim_out)
```

Perform the Forward pass of the VanillaGNN

```
def forward(self, x, adjacency):
```

```
    h = self.gnn1(x, adjacency) # Apply the 1st GNN layer
```

```
    h = torch.relu(h) # Apply ReLU activation
```

```
    h = self.gnn2(h, adjacency) # Apply the 2nd GNN layer
```

```
    return F.log_softmax(h, dim=1) # Log softmax for  
                                   classification
```



Classifying Nodes with Vanilla GNNs

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- 03 Implementing the Vanilla GNN
- 04 Preparing the Adjacency Matrix
- 05 Building, Training, and Testing the Vanilla GNN

Implementing the Vanilla GNN – accuracy():

```
# Create a new class named VanillaGNN for our GNN
class VanillaGNN(nn.Module):
    # Continued
    # Defining the metric
    def accuracy(self, y_pred, y_true):
        # Calculate the accuracy of classification
        return torch.sum(y_pred == y_true) / len(y_true)
```

The **accuracy** function counts the number of correct predictions in the batch and divides it by the total number of data points to determine the accuracy of the model.



Classifying Nodes with Vanilla GNNs

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Implementing the Vanilla GNN – fit():

```
# Create a new class named VanillaGNN for our GNN
class VanillaGNN(nn.Module):
    # Continued
    # Train the model
    def fit(self, data, epochs, adjacency):
        # Define the loss function
        criterion = torch.nn.CrossEntropyLoss()
        # Initialize the optimizer
        optimizer = torch.optim.Adam(self.parameters(),
                                      lr=0.01,
                                      weight_decay=5e-4)

        # Set the model to training mode
        self.train()
```




Classifying Nodes with Vanilla GNNs

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Implementing the Vanilla GNN – fit():

```
class VanillaGNN(nn.Module):  
    # Continued  
    # Train the model  
    def fit(self, data, epochs, adjacency):  
        # Continued  
        # Training loop for the specified number of epochs  
        for epoch in range(epochs + 1):  
            # Zero out gradients to prepare for a new iteration  
            optimizer.zero_grad()  
            # Perform forward pass to get predictions  
            out = self(data.x, adjacency)  
            # Calculate the loss for the training set  
            loss = criterion(out[data.train_mask],  
                             data.y[data.train_mask])  
            # Perform backpropagation to compute gradients  
            loss.backward()  
            # Update model parameters using the optimizer  
            optimizer.step()
```



Classifying Nodes with Vanilla GNNs

Implementing the Vanilla GNN – fit():

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- 02 Implementing the Vanilla GNN Layer
- 03 Implementing the Vanilla GNN
- 04 Preparing the Adjacency Matrix
- 05 Building, Training, and Testing the Vanilla GNN

```
class VanillaGNN(nn.Module):  
    # Train the model  
    def fit(self, data, epochs, adjacenc):  
        # Training loop for the specified number of epochs  
        for epoch in range(epochs+1):  
            # Continued  
            # Print loss and accur for train data every 20 epochs  
            if epoch % 20 == 0:  
                # Calculate validation loss  
                val_loss = criterion(out[data.val_mask],  
                                     data.y[data.val_mask])  
  
                # Calculate validation accuracy  
                val_acc =  
                    self.accuracy(out[data.val_mask].argmax(dim=1),  
                                  data.y[data.val_mask])  
                print(f'Epoch {epoch:>3} | Train Loss: {loss:.3f} |  
                      Train Acc: {acc*100:>5.2f}% | Val Loss:  
                      {val_loss:.2f} | Val Acc: {val_acc*100:.2f}%')
```



Classifying Nodes with Vanilla GNNs

Implementing the Vanilla GNN – test():

- 01 Overview of Vanilla GNN
- 02 Implementing the Vanilla GNN Layer
- 03 **Implementing the Vanilla GNN**
- 04 Preparing the Adjacency Matrix
- 05 Building, Training, and Testing the Vanilla GNN

```
class VanillaGNN(nn.Module):  
    # Evaluate the model  
    def test(self, data, adjacency):  
        # Set the model to evaluation mode  
        self.eval()  
        # Calculate model predictions (forward pass) for the  
        # given data and adjacency matrix.  
        out = self(data.x, adjacency)  
        # Calculate accuracy for test data  
        acc = self.accuracy(out.argmax(dim=1)[data.test_mask],  
                             data.y[data.test_mask])  
        return acc
```

The accuracy is computed by comparing the predicted class labels (based on the maximum value along dimension 1 (**Argmax for Prediction**), which selects the class with the highest probability) to the true class labels in the test data.



Classifying Nodes with Vanilla GNNs

Preparing the Adjacency Matrix:

- 01 Overview of Vanilla GNN
- 02 Implementing the Vanilla GNN Layer
- 03 Implementing the Vanilla GNN
- 04 **Preparing the Adjacency Matrix**
- 05 Building, Training, and Testing the Vanilla GNN

```
from torch_geometric.utils import to_dense_adj
```

```
# Convert the edge index to a dense adjacency matrix  
adjacency = to_dense_adj(data.edge_index)[0]
```

```
# Add self-loops to the adjacency matrix  
adjacency += torch.eye(len(adjacency))
```

```
# Resulting adjacency matrix  
adjacency
```

- **Self-Loops In Adjacency:** Self-loops are included in the adjacency matrix.
- **Information Consideration:** Ensures that every node's information is included.
- **Message Passing Enhancement:** Self-loops enhance the accuracy of message passing

- **Common Practice:** Converting edge indices to dense adjacency matrices is standard in GNNs.
- **Efficient Message Passing:** Facilitates efficient message propagation between nodes.
- **Consistency:** Provides a consistent graph representation for various topologies.



Classifying Nodes with Vanilla GNNs

Building, Training, and Testing the Vanilla GNN:

- 01 Overview of Vanilla GNN
- 02 Implementing the Vanilla GNN Layer
- 03 Implementing the Vanilla GNN
- 04 Preparing the Adjacency Matrix
- 05 Building, Training, and Testing the Vanilla GNN

```
# Create a VanillaGNN instance with specified input, hidden, and output dimensions
```

```
gnn = VanillaGNN(dataset.num_features, 16, dataset.num_classes)
```

```
# Print the model architecture
```

```
print(gnn)
```

```
VanillaGNN(
  (gnn1): VanillaGNNLayer(
    (linear): Linear(in_features=1433, out_features=16, bias=False)
  )
  (gnn2): VanillaGNNLayer(
    (linear): Linear(in_features=16, out_features=7, bias=False)
  )
)
```



Classifying Nodes with Vanilla GNNs

Building, Training, and Testing the Vanilla GNN:

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```
# Train the VGNN model on the given data for a specified number
of epochs (100 in this case) and the adjacency matrix.
```

```
gnn.fit(data, epochs=100, adjacency=adjacency)
```

Epoch	0	Train Loss: 2.227	Train Acc: 74.70%	Val Loss: 2.10	Val Acc: 20.00%
Epoch	20	Train Loss: 0.058	Train Acc: 74.70%	Val Loss: 1.60	Val Acc: 74.40%
Epoch	40	Train Loss: 0.008	Train Acc: 74.70%	Val Loss: 2.23	Val Acc: 73.20%
Epoch	60	Train Loss: 0.003	Train Acc: 74.70%	Val Loss: 2.46	Val Acc: 71.80%
Epoch	80	Train Loss: 0.002	Train Acc: 74.70%	Val Loss: 2.40	Val Acc: 71.20%
Epoch	100	Train Loss: 0.002	Train Acc: 74.70%	Val Loss: 2.29	Val Acc: 71.80%

```
# Test the model and get accuracy
```

```
test_acc = gnn.test(data, adjacency=adjacency)
print(f'\nGNN test accuracy: {test_acc*100:.2f}%')
```

```
GNN test accuracy: 72.50%
```




Models Comparison

Dataset	MLP	Vanilla GNN
Cora	51.90%	72.50%
		+39.38%

MLP has poor accuracy on Cora.

Vanilla GNN surpasses the MLP in performance.

Including topological information in node features is crucial for accuracy.

GNN considers the entire neighborhood of each node.

This leads to a **39.38%** boost in accuracy compared to a tabular dataset.

The architecture, while basic, provides a guideline for building improved models.



Models Comparison

MLP (Multilayer Perceptron):

Feedforward Neural Network: Applies a simple feedforward neural network to input data.

Fully Connected Layers: Uses fully connected layers, not specific to graph topology.

No Message Passing: Does not incorporate neighbor information during training.

Tabular Data: Treats node features as tabular data, ignoring graph structure.

Vanilla GNN:

Graph-Based Layers: Employs graph-based layers for iterative node embedding updates.

Adjacency Matrix: Incorporates topological information from the graph's adjacency matrix.

Message Passing: Utilizes message passing to aggregate information from neighboring nodes.

Graph Structure: Considers the entire neighborhood of each node, capturing graph structure.



ÉCOLE SUPÉRIEURE EN INFORMATIQUE

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THANK YOU
