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Game Theory Intro

Game Theory Course:
Jackson, Leyton-Brown & Shoham

Game Theory

Bayesian Normal-form auctions

equilibrium

class players

rational

math

Online

probability

zero-sum

strategies

predator

Nash equilibria

paper

Extensive-form

random

action

tragedy of the commons

repeated

indifferent

paradox

cooperative

payoff

utility

social

choice

endogenous

behavioral

free

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maximizes

game

theory

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- ## Game Theory Intro

Defining Games - Two Standard Representations

- **Normal Form (a.k.a. Matrix Form, Strategic Form)** List what payoffs get as a function of their actions
 - It is *as if* players moved simultaneously
 - But strategies encode many things...



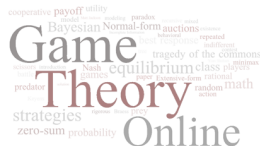
Defining Games - Two Standard Representations



- **Normal Form (a.k.a. Matrix Form, Strategic Form)** List what payoffs get as a function of their actions
 - It is *as if* players moved simultaneously
 - But strategies encode many things...
- **Extensive Form** Includes timing of moves (later in course)
 - Players move sequentially, represented as a tree
 - Chess: white player moves, then black player can see white's move and react...
 - Keeps track of what each player knows when he or she makes each decision
 - Poker: bet sequentially – what can a given player see when they bet?

Defining Games - The Normal Form

- Finite, n -person **normal form** game: $\langle N, A, u \rangle$:



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Defining Games - The Normal Form



- Finite, n -person **normal form** game: $\langle N, A, u \rangle$:
 - **Players**: $N = \{1, \dots, n\}$ is a finite set of n , indexed by i
 - **Action set** for player i A_i
 - $a = (a_1, \dots, a_n) \in A = A_1 \times \dots \times A_n$ is an **action profile**
 - **Utility function or Payoff function** for player i : $u_i : A \rightarrow \mathbb{R}$
 - $u = (u_1, \dots, u_n)$, is a **profile of utility functions**

Normal Form Games - The Standard Matrix Representation



- Writing a 2-player game as a **matrix**:
 - “row” player is player 1, “column” player is player 2
 - rows correspond to actions $a_1 \in A_1$, columns correspond to actions $a_2 \in A_2$
 - cells listing utility or payoff values for each player: the row player first, then the column

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action paper Extensive-form random

tragedy of the commons repeated indifferent

behavioral paradox cooperative payoff utility

social norms evolution game theory mechanism design

	C	D
C	$-1, -1$	$-4, 0$
D	$0, -4$	$-3, -3$

A Large Collective Action Game

- **Players:** $N = \{1, \dots, 10,000,000\}$



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