Deep Reinforcement Learning Nanodegree

Deep Deterministic Policy Gradient (DDPG) in Action: Multi-Agent Competition

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Introduction

- An Agent G located at State S, interacts with its surrounding environment by trying a
 Action A to transfer to a New State S'. A Reward R is associated with each action; and
 the goal of the agent is to navigate the environment until it reaches an Objective O while
 achieving a maximum possible reward. At a given state, the agent experience is
 summarized by the tuple (S,A,R,S').
- Extending learning experience from a single Agent to Multiple-Agents challenging:
 - Training all Agents independently to learn individual policies by treating all other Agents as part of the environment. The environment will therefore change dynamically. This Non-Stationary constraint violates the learning assumption of single Agent learning and will make it difficult to converge.
 - Meta-Agent approach considers other interacting agents via a joint action vector. Not only the joint action space increases exponentially with the number of interactions, but also each Agent will have a different observation of the environment state if the environment is partially observable.
- In our environment setup, both Agents are fully aware of the environment. They are collaborating on achieving a group task by keeping the ball in the game for as much long time as possible. They are also competing in the sense that each Agent tries to win by maximizing their own rewards.
- The above scheme can be modeled by an Actor-Critic network. Each Actor has access to its own observations and actions. The Critic uses extra information obtained from States and Actions from all Agents.
- An introduction to the Actor-Critic Network was described in Project II.

Model Description

Network Architecture

• Actor-Critic DDPG network was implemented in PyTorch Linear module.

Actor Network:

```
self.fc1 = nn.Linear(state_size, fc1_units)
self.fc2 = nn.Linear(fc1_units, fc2_units)
#self.dropout = nn.Dropout(0.5) # not useful, the model is barely learning!
self.fc3 = nn.Linear(fc2_units, 128)
self.fc4 = nn.Linear(128, action_size)
```

- Input: 24 nodes corresponding to state size
- Output: 2 nodes corresponding to action size (followed by tanh activation)
- To enable learning complex non-linear functions, the 4 hidden layers (fc1, fc2,fc3,fc4) are followed by *relu* activation function.
- (fc1,fc2) were both chosen to be of size 256. The remaining dimensions are in the figure above.

Critic Network:

```
self.fcs1 = nn.Linear(state_size, fcs1_units)
self.fc2 = nn.Linear(fcs1_units+action_size, fc2_units)
self.fc3 = nn.Linear(fc2_units, 128)
self.fc4 = nn.Linear(128, 1)
```

- Input: 24 nodes corresponding to state size
- Output: 1 nodes corresponding to estimated Q_value
- To enable learning complex non-linear functions, the 4 hidden layers (fc1, fc2,fc3,fc4) are followed by *relu* activation function.
- (fc1,fc2) were both chosen to be of size 256. The remaining dimensions are in the figure above.

Hyperparameters

```
BUFFER_SIZE = int(1e5) # replay buffer size

BATCH_SIZE = 256 # minibatch size

GAMMA = 0.99 # discount factor

TAU = 1e-3 # for soft update of target parameters

LR_ACTOR = 1e-4 # learning rate of the actor

LR_CRITIC = 1e-3 # learning rate of the critic

WEIGHT_DECAY = 0 # L2 weight decay
```

Results

The decision for the number of layers/hidden units, as well the choice of Actor-Critic network solved the environment by achieving the target score in 3928 episodes. figure_1

```
Average Score: 0.00
Episode 100
              Average Score: 0.00
Episode 200
              Average Score: 0.00
Average Score: 0.00
Episode 300
Episode 400
Episode 500
               Average Score: 0.00
Episode 600
             Average Score: 0.00
Episode 700
              Average Score: 0.00
              Average Score: 0.00
Episode 800
Episode 900 Average Score: 0.00
Episode 1000 Average Score: 0.00
Episode 1100 Average Score: 0.00
Episode 1200 Average Score: 0.00
Episode 1300 Average Score: 0.00
              Average Score: 0.00
Average Score: 0.00
Episode 1400
Episode 1500
Episode 1600 Average Score: 0.00
Episode 1700 Average Score: 0.01
Episode 1800 Average Score: 0.02
Episode 1900 Average Score: 0.03
Episode 2000 Average Score: 0.05
Episode 2100 Average Score: 0.06
Episode 2200 Average Score: 0.07
Episode 2300 Average Score: 0.09
Episode 2400 Average Score: 0.09
Episode 2500 Average Score: 0.07
Episode 2600 Average Score: 0.10
Episode 2700 Average Score: 0.09
Episode 2800 Average Score: 0.10
Episode 2900 Average Score: 0.10
Episode 3000 Average Score: 0.10
Episode 3100 Average Score: 0.10
              Average Score: 0.10
Average Score: 0.11
Episode 3200
Episode 3300
Episode 3400 Average Score: 0.11
Episode 3500 Average Score: 0.09
Episode 3600 Average Score: 0.17
              Average Score: 0.15
Episode 3700
Episode 3800
                Average Score: 0.20
              Average Score: 0.42
Episode 3900
Episode 3928
              Average Score: 0.50
Environment solved in 3928 episodes!
```

total time [min]: 32.65

Average Score: 0.50

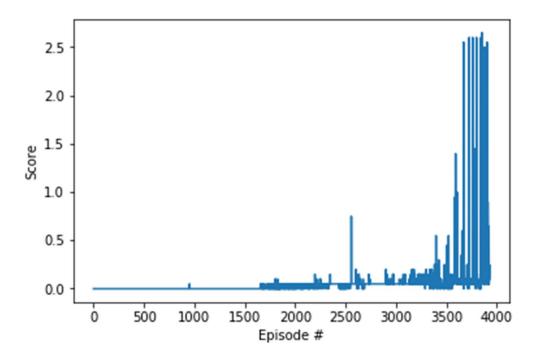


Figure 1: A plot of rewards per episode: the agent is able to receive an average reward (over 100 episodes) of at +13

Future Improvements

- Trying different network architectures
- Aiming Solving the environment with less episodes
- · Solving the environment with higher average reward
- Trying other suggestions "Trust Region Policy Optimization TRPO

References

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