

# IBM PROFESSIONAL CERTIFICATE: Supervised Learning - Regression

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## MAIN OBJECTIVE

- This analysis' primary goal is to predict the Insurance Charges using a linear regression and other regularisation regressions.
- This investigation tries train-test-split and cross-validation to get an idea of how these two strategies can influence model selection in different ways.
- Show the correlation between the features and the target predicted value and the most feature with impact on it.



## **ABOUT THE DATA**

- The data set used in this analysis is a dedicated to the cost of treatment of different patients.
- The cost of patient treatment depends on many factors like the diagnoses, city, age, type of medical facility.
- This data doesn't include data about the patient diagnoses but we have general info about his health.
- This data set has 1338 records and 7 variables.



# **DATA EXPLORATION**

#### Features:

age: age of customer | patient

• **sex:** male-female

**bmi:** body mass index

• **children:** number of children

smoker: smoking or not smoking

region: residential area

charges: treatment charges

	age	sex	bmi	children	smoker	region	charges
Θ	19	female	27.900	Θ	yes	southwest	16884.92400
1	18	male	33.770	1	no	southeast	1725.55230
2	28	male	33.000	3	no	southeast	4449.46200
3	33	male	22.705	0	no	northwest	21984.47061
4	32	male	28.880	0	no	northwest	3866.85520
5	31	female	25.740	0	no	southeast	3756.62160
6	46	female	33.440	1	no	southeast	8240.58960
7	37	female	27.740	3	no	northwest	7281.50560
8	37	male	29.830	2	no	northeast	6406.41070
9	60	female	25.840	0	no	northwest	28923.13692



# **DATA EXPLORATION**

## Description:

#### Mean

age: 39 bmi: 30.6

children: 1

charges: 13270\$

#### Max

age: 64

bmi: 53.13

children: 5

charges: 63770.43\$

#### Std

age: 14

bmi:6

children: 1

charges: 12110\$

#### Min

age: 18

bmi: 15.96

children: 0

charges: 1121.87\$

•	age	bmi	children	charges
std	14.049960	6.098187	1.205493	12110.011237
min	18.000000	15.960000	0.000000	1121.873900
mean	39.207025	30.663397	1.094918	13270.422265
max	64.000000	53.130000	5.000000	63770.428010
count	1338.000000	1338.000000	1338.000000	1338.000000
75%	51.000000	34.693750	2.000000	16639.912515
50%	39.000000	30.400000	1.000000	9382.033000
25%	27.000000	26.296250	0.000000	4740.287150



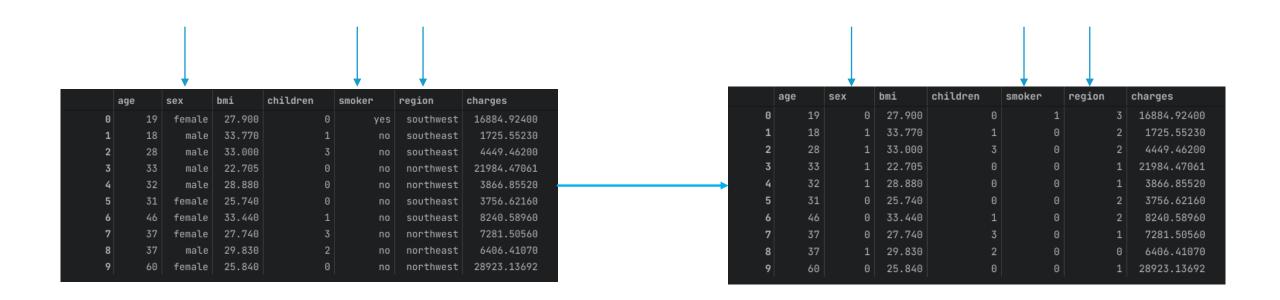
# **DATA EXPLORATION**

- Data Types & Null Values
- Our Data Types are the following
- Our data doesn't have any missing values

age	int64	
sex	object	
bmi	float64	
children	int64	
smoker	object	
region	object	
charges	float64	
dtype: obj	ect	

	data
age	0
sex	0
bmi	0
children	0
smoker	0
region	0
charges	0

Converting categorical features into numerical features

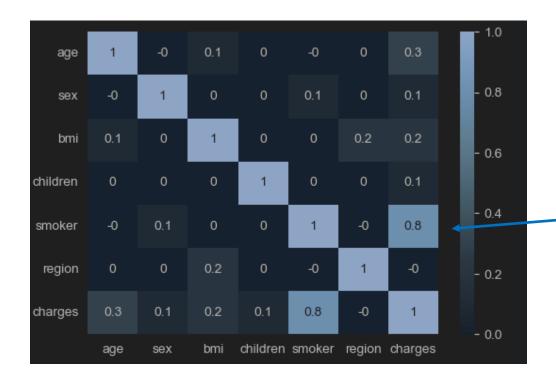




#### Correlation between features

 From the heat map we notice that there is a strong correlation between the smoking and the chargers and a very weak correlation between the region and the charges

	charges
charges	1.000000
smoker	0.787251
age	0.299008
bmi	0.198341
children	0.067998
sex	0.057292
region	-0.006208

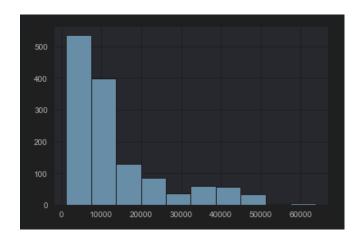




## Data Normality

 Implementing a model to a normally disturbed target value leads to better results, so we will make a test to our value to make sure it is normally distributed. These tests are visualizing the data and the p-value calculations

#### Visual



#### P-value calculations

NormaltestResult(statistic=336.8851220567733, pvalue=7.019807901276197e-74)

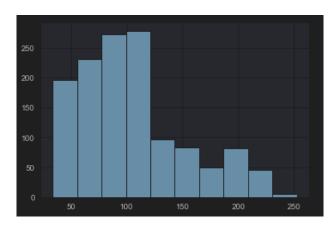
- statistic = 336.8851220567733
- p-value = 7.019807901276e-74



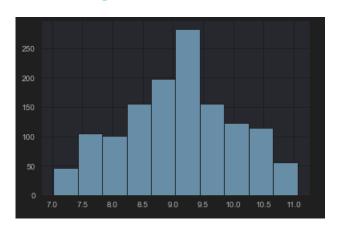
## Data Normality

 From the previous, we conclude that the target value is not normally distributed, so we have to apply a transformation

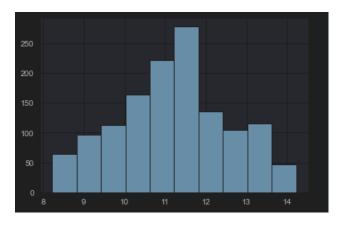
Square root transformation



**Log Transformation** 



#### **Box Cox Transformation**





Data Normality

In order to keep things simple, we can use the log transformation as there isn't much of a difference between it and the Box Cox transformation, as indicated in the table on the right. To make our target distribution more normalized!

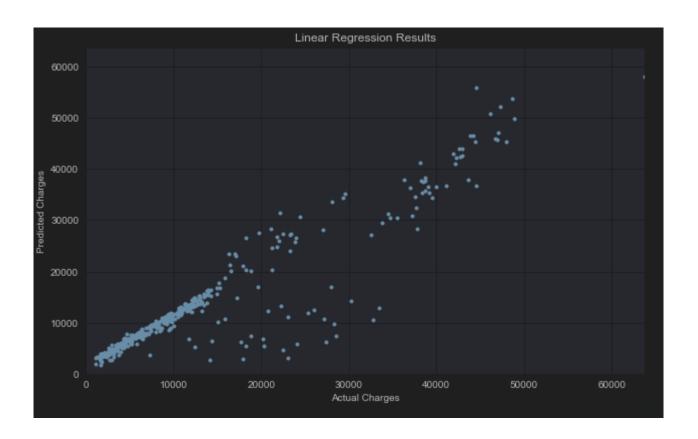
	Transormation	P-value
Θ	Square-Root	3.797574e-25
1	Log	3.570368e-12
2	Box Cox	1.524963e-12



Linear Regression Model

- Model = LinearRegression()
- Polynomial Features degree = 2
- Standard Scalar

RMS_score	R2_Score
4496.560110896	0.862102995

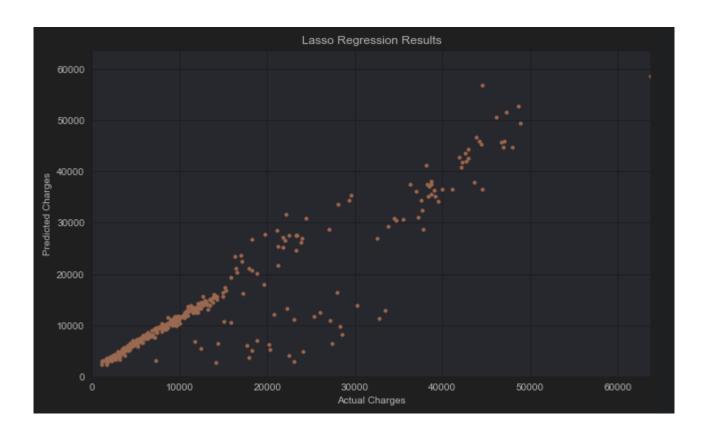




## Lasso Regression Model

- Model = Lasso()
- Polynomial Features degree = 2
- Standard Scalar
- Alpha = 13.7454
- max\_iter = 10000

RMS_score	R2_Score
4496.577651935	0.862101919

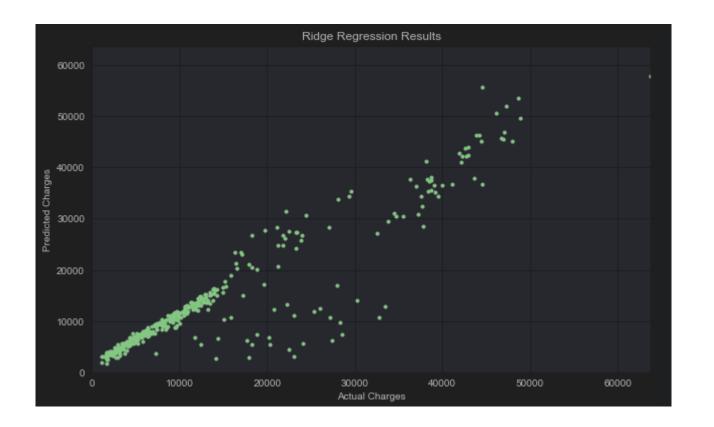




## Ridge Regression Model

- Model = Ridge()
- Polynomial Features degree = 2
- Standard Scalar
- Alpha = 0.55974
- max\_iter = 10000

RMS_score	R2_Score
4494.682979659	0.862218104

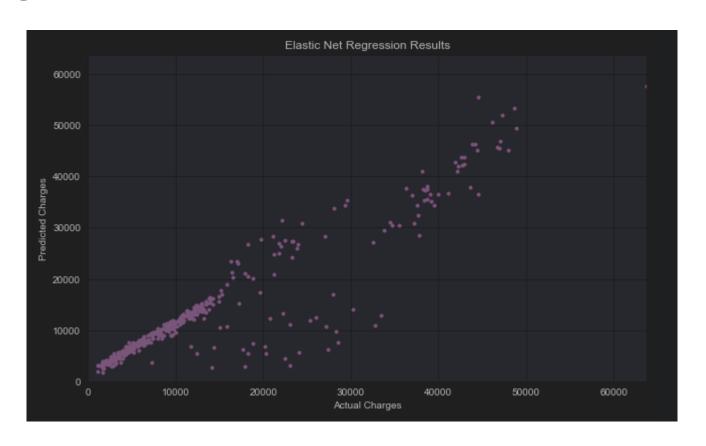




## ElasticNet Regression Model

- Model = ElasticNet()
- Polynomial Features degree = 2
- Standard Scalar
- Alpha = 0.008111
- L1 ratio = 0.9
- max\_iter = 10000

RMS_score	R2_Score
4494.417700642	0.862218104





## Models Comparison

The used models have closely similar results and they are close to each other. It won't be a problem to choose anyone to get the job done. But according to the highest result it would be the ElasticNet model.

RMSE	R2	RMSE-SGD	R2-SGD
4496.560111	0.862103	4531.504262	0.859951
4496.577652	0.862102	4570.227510	0.857548
4494.682980	0.862218	4512.691171	0.861112
4494.417701	0.862234	4528.496874	0.860137
	4496.560111 4496.577652 4494.682980	4496.560111 0.862103 4496.577652 0.862102 4494.682980 0.862218	4496.560111 0.862103 4531.504262 4496.577652 0.862102 4570.227510 4494.682980 0.862218 4512.691171



## Regularization

When a regularization is added to our models it conducted a worst results, so we will be using the models without regularization and the ElasticNet Model will be our selected one for this dataset.

	RMSE	R2	RMSE-SGD	R2-SGD
Linear	4496.560111	0.862103	4531.504262	0.859951
Lasso	4496.577652	0.862102	4570.227510	0.857548
Ridge	4494.682980	0.862218	4512.691171	0.861112
ElasticNet	4494.417701	0.862234	4528.496874	0.860137



## **ANALYSIS NEXT STEPS**

#### Models Flaws and Strength and further suggestions

From a simplicity point of view, linear regression provided high prediction results and the simplest and fastest model from a parameter point of view, but other models Lasso, Ridge and ElasticNet gave higher results.

However, more results have been obtained since then. We used a complex and slow grid search technique to find the best parameters, but it took a long time. Therefore, there is a trade-off in the end. The performance of these models is high for large datasets, but the training process can be time consuming. If you decide to use a linear model, the accuracy is relatively sacrificed, but the training process will be much faster

