



On the Importance of Data Prep

"Garbage in, garbage out"

 Sometimes takes 60-80% of the whole data mining effort

Working definition

Data Preparation:

- Cleaning
- Filtering
- Transforming
- Organizing the data matrix (aka 'data wrangling' or 'data munging')
- Variable Selection/Dimension Reduction

In a nutshell, know your variables and prepare data for modeling



Missing Data (NA vs NULL)

Not applicable - NA

e.g. spouse name depends on marital status

Not available - NULL

unknown

not entered

In R:

NA is logically missing (ie the value won't be available)

NULL is object not yet defined (ie the object is not available)



Missing Data

What are frequency counts of missing variables?

Are entries missing completely at random or contingent on some other variable?



Quick Approaches

 Delete instances and/or

Delete attributes with high missing-ness



Simple Imputation

- Use the attribute mean
- Use the attribute mean for each class label



Complicated Imputation

 Use a model (based on other attributes) to infer missing value



Complicated Imputation

 Use a model (based on other attributes) to infer missing value

Best strategy depends on time vs accuracy tradeoffs



- Several packages, such as 'mice', 'amelia'
- Produces multiple data sets
- Iterates over missing data estimates and linear model estimates

Mice uses Gibbs sampling (slower)

Amelia uses Expectation Maximization (faster)

Beware of correlation in variables

Matrices not invertible



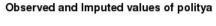
- 'Amelia' package example
 - 50 attributes from UN voting data
 - 1K-100K entries missing per col for about 20 cols
 - 300K rows ~ 1 hour on compute node (not run on the user's PC)

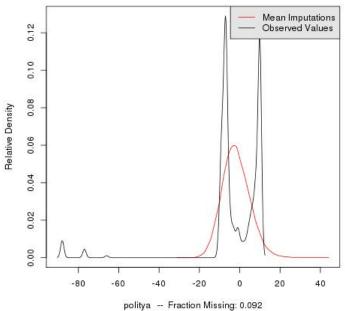
```
time variable for time cross section to select temporal periods

# run the imputation library('amelia')
a.out <- amelia(data, ts = "year", cs = "dyadid", idvars = c("dyadidyr", "cntryera", "statea", "stateb"), intercs=FALSE, p2s = 2, m=10, parallel = "multicore")

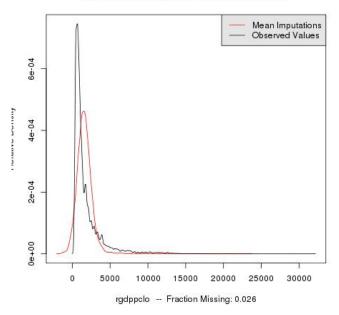
interactions parallel options
```

#QA on missing data by comparing density of imputated & original data compare.density(a.out, var="politya") compare.density(a.out,var='rgdpcontg')



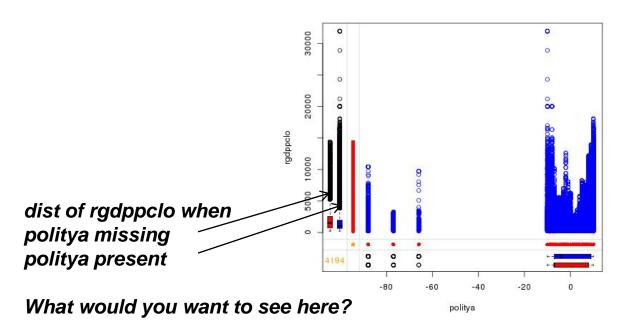


Observed and Imputed values of rgdppclo



```
# Useful library for printing margin plots, to compare histograms

# conditional on missing/non-missing data
library('VIM')
marginplot(gart2use[,c('politya', 'rgdppclo')],
col=c('blue','red','orange')
```





Variable Transformations

- Engineer new features
- Combine attributes e.g. rates and ratios
- Normalize or Scale data
- **Discretize data** (perhaps more intuitive to deal with binned data)



Feature Engineering is Variable Enhancement

- Use Domain and world knowledge
- Example: given date and location of doctor visits a new variable for Number-of-1st-time-visits deduce a new variable for Number-of-visits-over-25-miles deduce a new variable for Amount-of-time-between-visits



Re-scaling

Mean center

$$x_{new} = x - \text{mean}(x)$$

z-score

$$score = \frac{x - \text{mean}(x)}{\text{std}(x)}$$

• Scale to [0...1] $x_{new} = \frac{x - \min(x)}{\max(x) - \min(x)}$

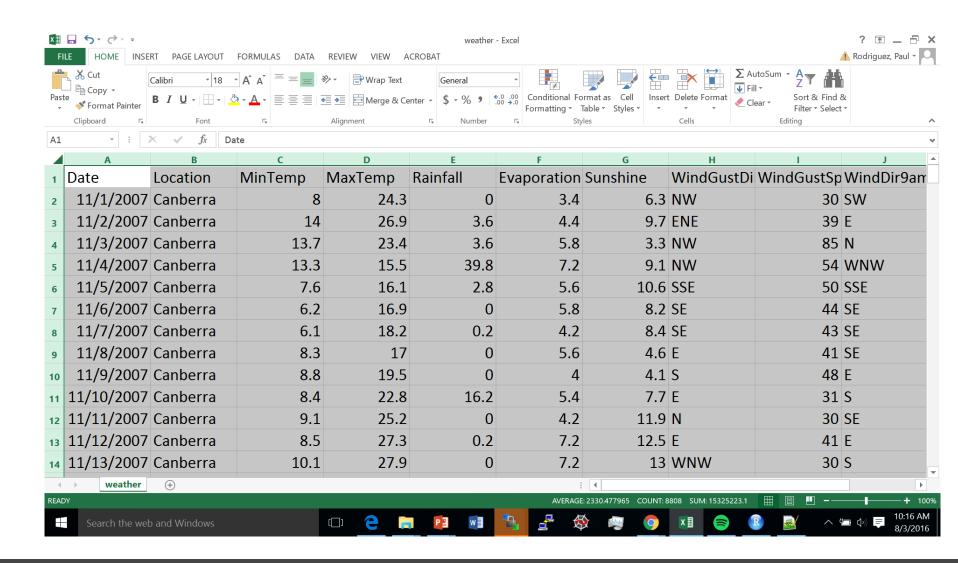
log scaling

$$x_{new} = \log(x)$$

Generally

- Preparing data is based on statistical principles,
- But also heuristics

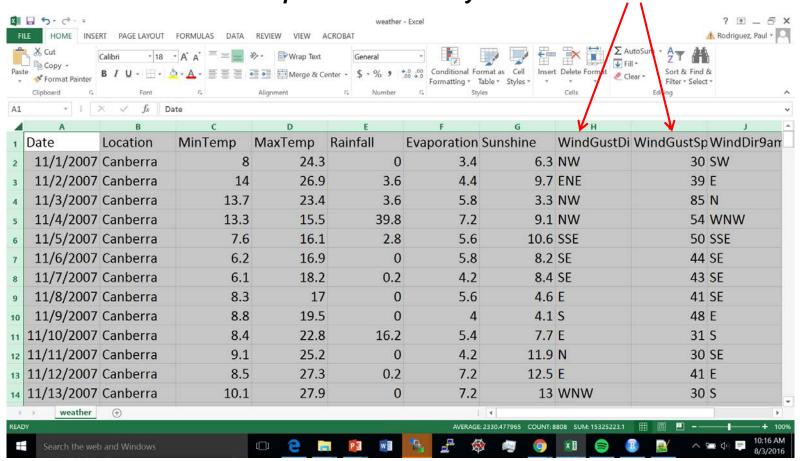
Data Wrangling Exercise: Weather Data





Transforming Weather Data Matrix

Let's consider WindGustDir as a repeated measurement Do we want that all in one row? Or in their own row? - depends on the analysis

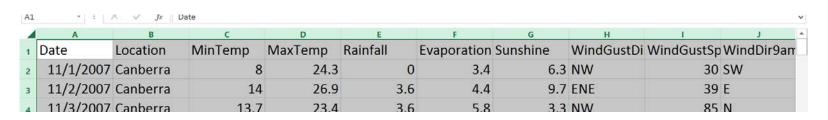




Data Wrangling exercise



Long to Wide transform



date, location and the rest identify the row

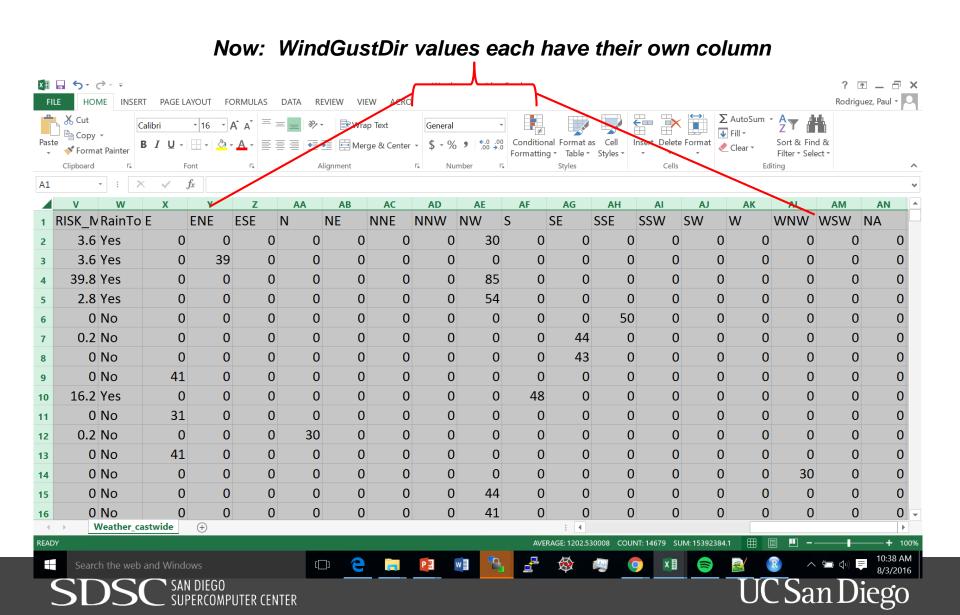
WindGustDir entries are labels for the repeated measures

this could be 0 or NA

indicate variable that has the repeated measurement values



Transformed Data Matrix



Extra to try:

pause

Reading Material

- Data Preparation for Data Mining by Dorian Pyle
 - http://www.ebook3000.com/Data-Preparation-for-Data-Mining_88909.html
- Data mining Practical Machine learning tools and techniques by Witten & Frank
 - http://books.google.com



Many Variables

- More variables => more information, but also more noise and more ways of interactions
- 2 ways to handle many variables
 - Variable Selection
 - Dimension reduction methods

Variable selection vs Dimensionality Reduction

- Prior to algorithm, depends on data
 - For large P, with noise particular to variables, try variable selection
 - For large P, diffuse noise, try dimension reduction by Matrix Factorization



Variable selection

Heuristic methods:

```
remove variables with low correlations to outcome (other criteria: information gain, sensitivity, etc...)
```

 Step wise: add 1 variable at a time and test algorithm on samples



Variable selection

- Some algorithms are robust to extra noise variables
- E.g. Least Angle Regression (L₁ penalty),
 penalize small effect sizes (zero them out)
- E.g. Random Forest outputs 'importance' low importance implies small error effect in the model when removed or permuted



Given a numeric matrix, can we reduce the number of columns?

conversely

Can we find interesting subspaces?



Given a numeric matrix, can we reduce the number of columns?

• Yes, if features are constant or redundant



Given a numeric matrix, can we reduce the number of columns?

• Yes, if features are constant or redundant

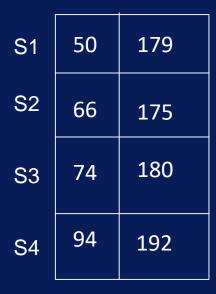


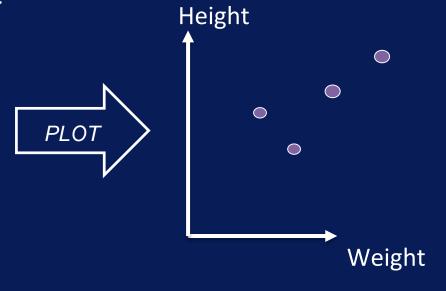
Given a numeric matrix, can we reduce the number of columns?

- Yes, if features are constant or redundant
- Yes, if features only contribute noise (conversely, want features that contribute to variations of the data)

Example: 2D data

Weight Height



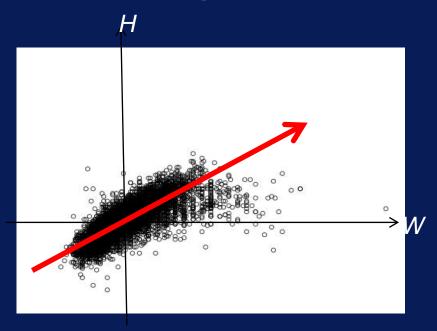


this is the input space

Weight- Kg (mean centered)

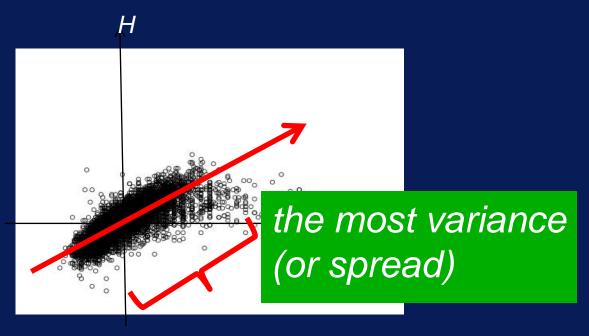
Find a line that aligns with the data.

Example: Athletes' Height by Weight



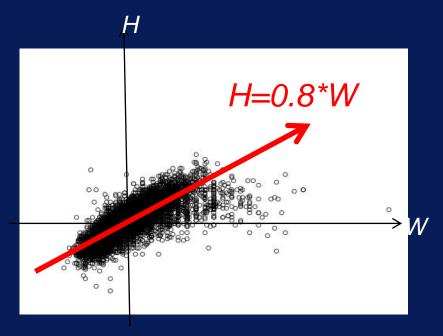
Weight- Kg (mean centered)

Find a line that aligns with the data.



Weight- Kg (mean centered)

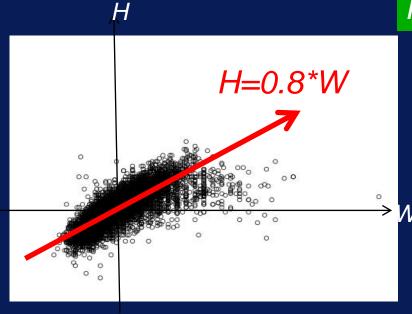
Find a line that aligns with the data.



Weight- Kg (mean centered)

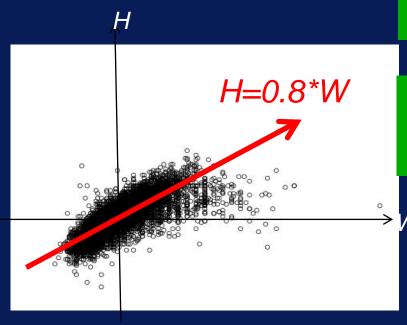
Find a line that aligns with the data.

Note that W=1,H=0.8 is a point on the line, for example.



Weight- Kg (mean centered)

Find a line that aligns with the data.

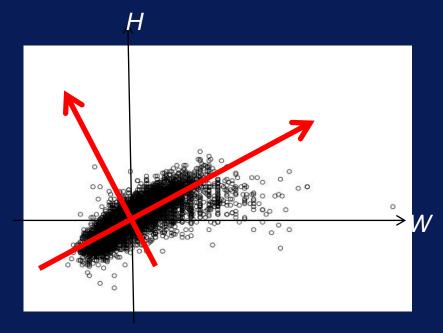


Note that W=1,H=0.8 is a point on the line, for example.

Let [1 0.8] represent the line, as a combination of W & H.

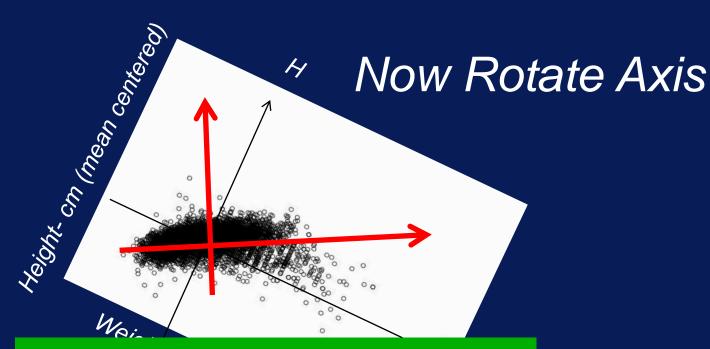
Weight- Kg (mean centered)

Find a line that aligns with the data.

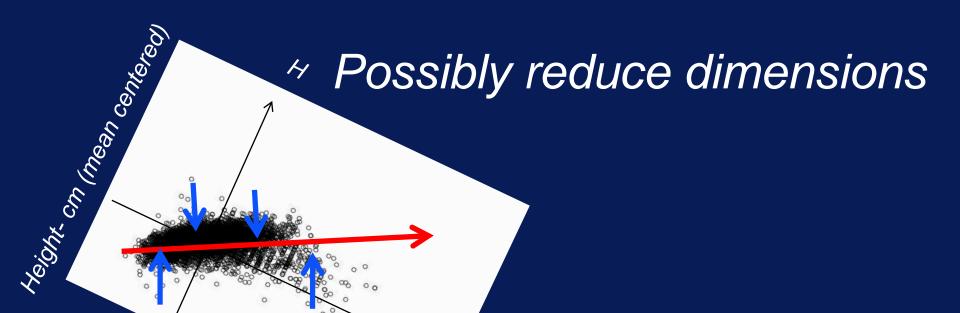


Weight- Kg (mean centered)

The next direction of most variance.



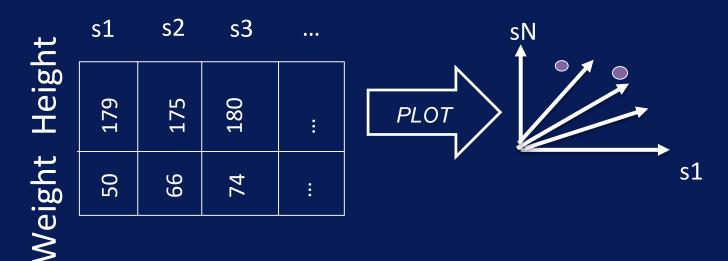
New axis (AKA features) defined as combinations of old features



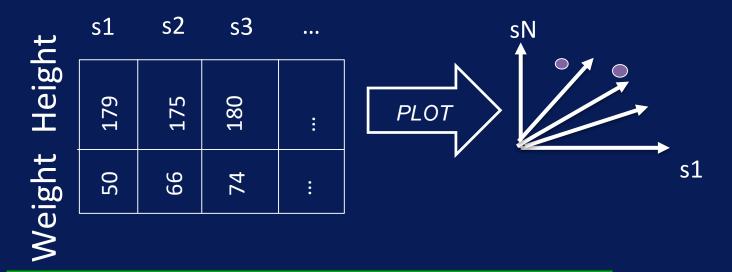
Project all points to one axis

(defined by the [1 0.8] 2D vector)

2D data transposed to 2 points in high dimensional space



2D data transposed to 2 points in high dimensional space



Same process as before, but now factors are N-dimensional vectors

Best Known Factorization Algorithms:
 SVD (singular value decomposition)
 PCA (principle component analysis)

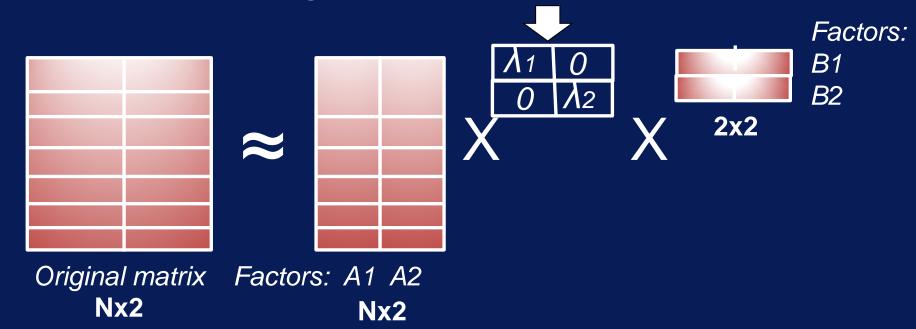


Best Known Factorization Algorithms:
 SVD (singular value decomposition)
 PCA (principle component analysis)

SVD more generally works on non square matrices



SVD: factors and 'singular' scale values



More generally:

Factorization Algorithms may vary depending on criterion for how factors 'align' with data.



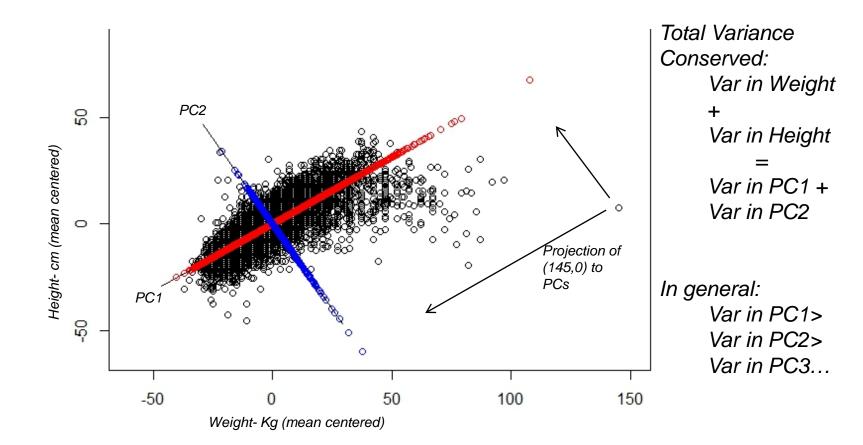
More generally:

Factorization Algorithms may vary depending on criterion for how factors 'align' with data.

 Number of factors to use depends on tradeoff of good approximation vs good dimensional reduction

Can use cross validation or heuristics to choose.

Note: PCA conserves and reorders variance



Summary: Principle Components

- Can choose k heuristically as approximation improves, or choose k so that high percent (ie 80-95%) of data variance accounted for
- aka Singular Value Decomposition
 - PCA on square matrices only
 - SVD gives same vectors on square matrices
- Works for numeric data only
- For higher dimensional data, use factors to visualize 2 factors at a time



SVD Exercise

Overview

Run on numeric fields of weather data Run SVD and select smaller number of dimensions Run linear model with original and reduced data



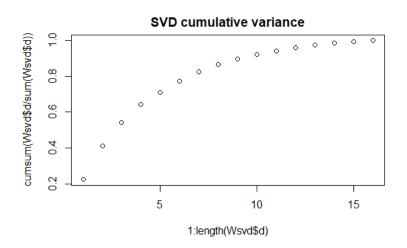
Later, we'll compare SVD components with Clustering

```
#W_num is only numeric or integer fields of Weather data > Wsvd=svd(W_num)

> str(Wsvd)
List of 3
$ d: num [1:9] 27442.7 231.2 96.4 68.2 44.5 ...
$ u: num [1:363, 1:9] -0.0524 -0.0521 -0.052 -0.0519 -0.0525 ...
$ v: num [1:9, 1:9] -0.005042 -0.014276 -0.000969 -0.00314 -0.005491 ...
```



Exercise highlights



Compare Linear Model results, using Y = raintomorrow:

look for residual standard error values and degree of freedom,
look at coefficient estimates



```
Call:
Im(formula = Ymc ~ W_mncntr)
Coefficients:
             Estimate Std. Error t value Pr(>|t|)
               -1.124e-15 1.641e-02 0.000 1.000000
(Intercept)
W mncntrMinTemp
                     -1.368e-02 1.013e-02 -1.350 0.177844
W mncntrMaxTemp
                      1.035e-02 2.010e-02 0.515 0.607120
W mncntrRainfall
                    4.269e-03 4.471e-03 0.955 0.340442
W mncntrEvaporation 2.690e-02 1.010e-02 2.663 0.008137 **
W mncntrSunshine
                     -3.446e-02 9.898e-03 -3.482 0.000570 ***
W mncntrPressure9am 6.569e-02 1.325e-02 4.960 1.16e-06 ***
W mncntrPressure3pm -8.047e-02 1.337e-02 -6.021 4.89e-09 ***
Residual standard error: 0.2971 on 311 degrees of freedom
Call:
Im(formula = Ymc ~ W dfred)
Coefficients: (13 not defined because of singularities)
       Estimate Std. Error t value Pr(>|t|)
(Intercept) -4.874e-16 1.808e-02 0.000 1.000000
W dfred1 4.519e+00 1.242e+00 3.638 0.000320 ***
W dfred2 4.650e+00 1.307e+00 3.559/0.000429 ***
W dfred3 1.580e+00 4.357e-01 3.627 0.000333 ***
W dfred4
                       NA
                             NA
                                   NA
               NA
W dfred5
               NA
                       NA
                             NA
                                   NA
```

Residual standard error: 0.3274 on 324 degrees of freedom



• end

