$\sigma\sqrt{2\pi}e[\square] - f(x)=\frac{1}{\sigma\sqrt{2\pi}}e^{-\frac{(x-\mu)^2}{2\sigma^2}} C=\pi\cdot d=2\cdot\pi\cdot r x-45\frac{\%mu65x¿}{2 f(x)=\frac{1}{\sigma\sqrt{2\pi}}e^{-\frac{(x-\mu)^2}{2\sigma^2}} a^2+b^2=c^2 f(x)=\sum_{i=0}^{\infty}\frac{f^{(i)}(0)}{i!}x^i\sigma^2}$ ¿ $w\circ n=k\vee b$ 600/1640 $\frac{590}{6000}$ $\frac{200}{10000}$ [64/25 [32/65 [84/350] 250/980 $\oiiint_x$ $f(x)=\sum \frac{f^{(i)}(\mathbb{R}\, 0.000000000000000000000\ .60)}{i!}x^i y$

$\int \emptyset\ \mathbb{Z}\ni 652\not\supset 1640\ \aleph\ 10000\cup 590\ \Re\ 1000000 f(x)=\sum_{i=0}^{\infty}\frac{5555 f^{(45556 i)}(k\neq 0)}{i!}x^i \oiiint V(x)(k)(l)\prod l!3 \therefore \exp\infty \therefore a^2+b^2=c^2\sqrt[x]{f(x)=\frac{1}{\sigma\sqrt{2\pi}}e^{-\frac{(x-\mu)^2}{2\sigma^{f(x)=\sum\frac{f^{(i)}(0)}{i!}x^i 2}}}}$ $(bnfrom 0\,\forall\, xyt\,o\,x\,\nexists\sum 10\uparrow 10\,\partial\,\Re\ 200035822441652200233665225554458955662223)\because .k\log(503)^{\lim\inf \Re<156<hj>¿<w^{5568}/\exists<bn¿\partial\Re\infty¿^{95>90}}\sqrt{\infty}> \exists\partial>36\mathbb{R}\ 50\ 50\notin 24\setminus 24/50\ 24\neq\square\stackrel{def}{=}\square\ 50000000000000000000\sqrt{\ln(\log(\operatorname{arcoth}(\exp(\square(\square)!))))}$ ¿ $\emptyset\ 24 f\ 66253$ ¿ $=\frac{1}{\sigma\sqrt{x 2\pi}}e^{-\frac{(x-\mu)^2}{y 2\sigma^2}} f(x)0(k)0$ ¿¿ $x_{01000101}\setminus^{222360} bn\because. f(x)=\frac{1}{f}(k)kx(ky)$