

UNIVERSITY OF TORONTO  
Faculty of Arts and Science

Midterm 1  
CSC165H1S

Duration: 50 minutes  
Instructor(s): David Liu, Toniann Pitassi  
No Aids Allowed



midterm1 21-1

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Name: A

Student Number: 100

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Please read the following guidelines carefully!

- Please write your name on both the front and back of this exam.
  - This examination has 4 questions. There are a total of 8 pages, **DOUBLE-SIDED**.
  - Answer questions clearly and completely, with justifications unless explicitly asked not to.
  - Unless stated otherwise, your formulas can use *only* the propositional connectives and quantifiers we have seen in class, arithmetic operators (like  $+$ ,  $\times$ , and exponentiation), comparison operators (like  $=$  and  $>$ ), and the divisibility and *Prime* predicates. You may not define your own sets or predicates unless asked to do so.
  - All formulas must have negations applied directly to propositional variables or predicates (e.g.,  $\neg \text{Prime}(n)$ ). You do *not* need to show your work for computing negations.
  - In your proofs, you may always use definitions of predicates. You may *not* use any external facts about rates of growth, divisibility, primes, or greatest common divisor unless you prove them, or they are given to you in the question.
  - You may **not** use induction for your proofs on this midterm.
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Take a deep breath.

This is your chance to show us

How much you've learned.

We **WANT** to give you the credit

That you've earned.

A number does not define you.

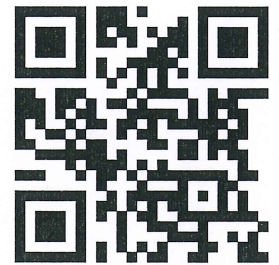
Good luck!

midterm 21.pdf

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Name: B

Student Number: 200

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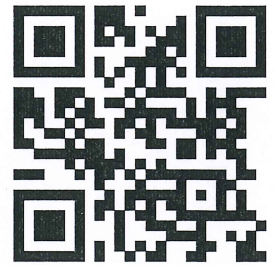
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midterm1 21-1

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Name: C

Student Number: 300

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Please read the following guidelines carefully!

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