

```
# Forward pass
Z1 = np.dot(X, W1) + B1 + c1 # Calculate the weighted sum of inputs to the first hidden layer and add c1
Y1 = sigmoid(Z1) # Apply the activation function to get the activations of the first hidden layer
Z2 = np.dot(Y1, W2) + B2 # Calculate the weighted sum of inputs to the output layer
Y2 = sigmoid(Z2) # Apply the activation function to get the predicted outputs

yhat_history.append(Y2.copy()) # Store the predicted outputs

# Backpropagation and weight updates will come here in the training loop

# Backpropagation
dZ2 = Y2 - Y_true # Compute the error at the output layer
dW2 = np.dot(Y1.T, dZ2) # Compute the gradient of the loss with respect to weights W2
dB2 = np.sum(dZ2, axis=0, keepdims=True) # Compute the gradient of the loss with respect to biases B2
dZ1 = np.dot(dZ2, W2.T) * Y1 * (1 - Y1) # Compute the error at the first hidden layer
dW1 = np.dot(X.T, dZ1) # Compute the gradient of the loss with respect to weights W1
dB1 = np.sum(dZ1, axis=0, keepdims=True) # Compute the gradient of the loss with respect to biases B1
dc1 = np.sum(dZ1, axis=0, keepdims=True) # Compute the gradient of the loss with respect to c1

# Update weights, biases, and c1
W1 -= learning_rate * dW1 # Update weights W1
B1 -= learning_rate * dB1 # Update biases B1
W2 -= learning_rate * dW2 # Update weights W2
B2 -= learning_rate * dB2 # Update biases B2
c1 -= learning_rate * dc1 # Update c1

# Store changes of c1
c1_changes.append(c1.copy())

# Plot changes of c1
plt.figure(figsize=(10, 5)) # Create a new figure for plotting
plt.subplot(1, 2, 1) # Create a subplot with 1 row and 2 columns, and select the first subplot
plt.plot(range(1, 1001), [c[0] for c in c1_changes], label='c1') # Plot changes of c1 over iterations
plt.xlabel('Iteration') # Set the label for the x-axis
```

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In [1]: import numpy as np
import matplotlib.pyplot as plt

# Define activation function
def sigmoid(x):
    return 1 / (1 + np.exp(-x))

# Initialize weights and biases
W1 = np.random.randn(2, 5) # Weight matrix connecting input layer to first hidden layer
B1 = np.random.randn(1, 5) # Bias vector for the first hidden layer
W2 = np.random.randn(5, 2) # Weight matrix connecting first hidden layer to output layer
B2 = np.random.randn(1, 2) # Bias vector for the output layer
c1 = np.zeros((1, 5)) # Initialize c1 with zeros

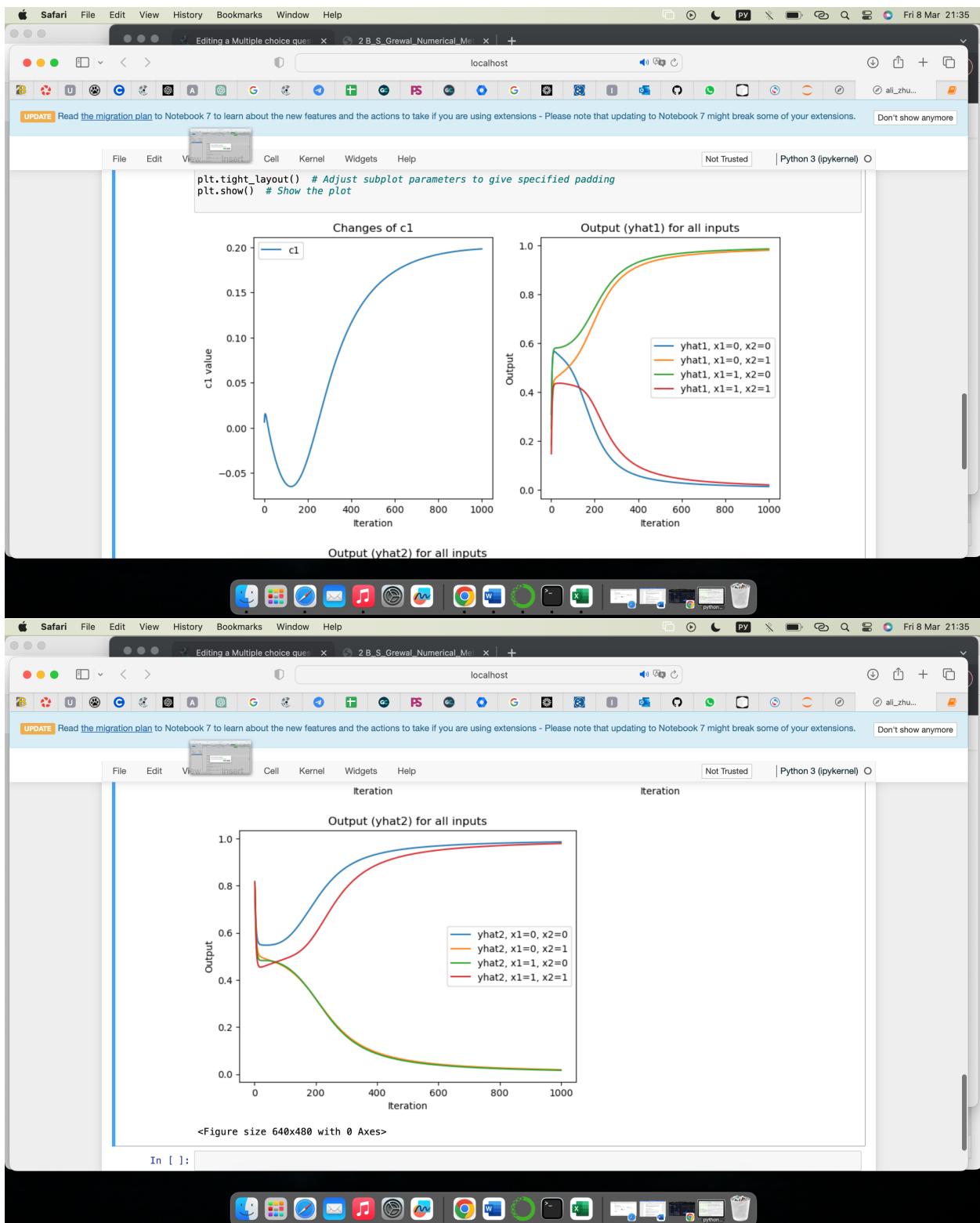
# Define activation function
def sigmoid(x):
    return 1 / (1 + np.exp(-x))

# Initialize inputs and outputs
X = np.array([[0, 0], [0, 1], [1, 0], [1, 1]]) # Input data
Y_true = np.array([[0, 1], [1, 0], [1, 0], [0, 1]]) # True output data

# Define learning rate
learning_rate = 0.1 # Learning rate for gradient descent

# List to store changes of c1
c1_changes = [] # Initialize an empty list to store changes in c1 during training
yhat_history = [] # Initialize an empty list to store the predicted outputs during training

# Repeat 1000 times
for _ in range(1000): # Training loop
    # Forward pass
    Z1 = np.dot(X, W1) + B1 + c1 # Calculate the weighted sum of inputs to the first hidden layer and add c1
    Y1 = sigmoid(Z1) # Apply the activation function to get the activations of the first hidden layer
    Z2 = np.dot(Y1, W2) + B2 # Calculate the weighted sum of inputs to the output layer
    Y2 = sigmoid(Z2) # Apply the activation function to get the predicted outputs
```



The screenshot shows a Safari browser window displaying a Jupyter Notebook cell. The cell contains Python code for plotting data. The code uses matplotlib's plt module to create subplots for yhat1 and yhat2 across four input-output pairs. It includes labels for the x-axis ('Iteration'), y-axis ('Output'), and title ('Output (yhat1) for all inputs'). The code is as follows:

```
# Plot yhat1 and yhat2 for all inputs in all iterations
yhat_history = np.array(yhat_history) # Convert yhat_history to a numpy array
plt.subplot(1, 2, 2) # Select the second subplot

# Plot yhat1 for each input-output pair
for i in range(4): # Iterate over each input data point
    # Plot yhat1 for the ith input data point over all iterations
    plt.plot(range(1, 1001), yhat_history[:, i, 0], label=f'yhat1, x1={X[i][0]}, x2={X[i][1]}')

plt.xlabel('Iteration') # Set the label for the x-axis
plt.ylabel('Output') # Set the label for the y-axis
plt.title('Output (yhat1) for all inputs') # Set the title of the plot
plt.legend() # Display the legend
plt.show() # Show the plot

plt.figure() # Create a new figure

# Plot yhat2 for each input-output pair
for i in range(4): # Iterate over each input data point
    # Plot yhat2 for the ith input data point over all iterations
    plt.plot(range(1, 1001), yhat_history[:, i, 1], label=f'yhat2, x1={X[i][0]}, x2={X[i][1]}')

plt.xlabel('Iteration') # Set the label for the x-axis
plt.ylabel('Output') # Set the label for the y-axis
plt.title('Output (yhat2) for all inputs') # Set the title of the plot
plt.legend() # Display the legend
plt.show() # Show the plot

plt.tight_layout() # Adjust subplot parameters to give specified padding
plt.show() # Show the plot
```