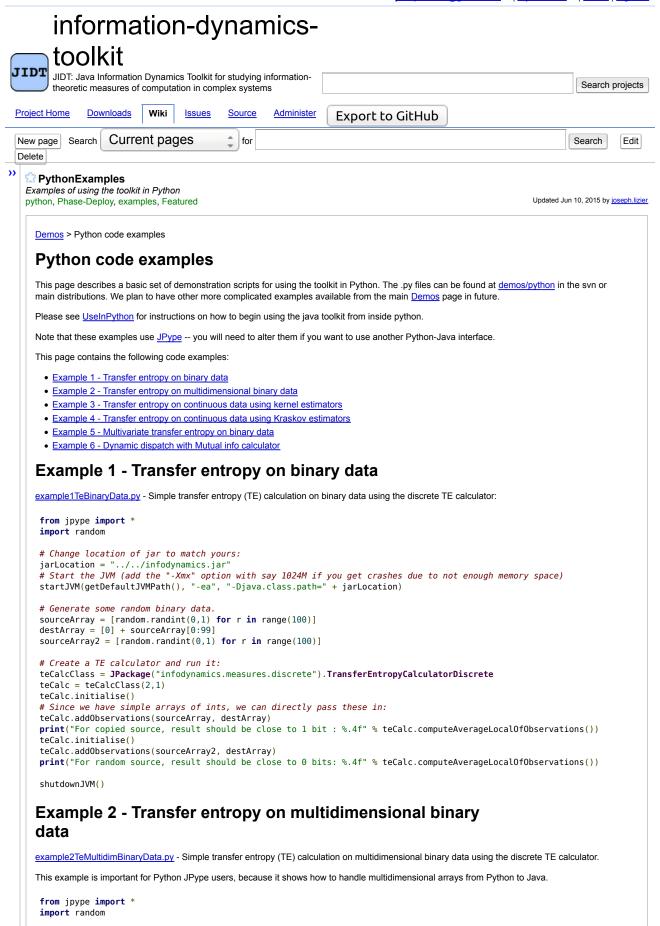
joseph.lizier@gmail.com ▼ | My favorites ▼ | Profile | Sign out



1 of 5 07/07/15 23:39

```
# Change location of jar to match yours:
jarLocation = "../../infodynamics.jar
# Start the JVM (add the "-Xmx" option with say 1024M if you get crashes due to not enough memory space)
startJVM(getDefaultJVMPath(), "-ea", "-Djava.class.path=" + jarLocation)
# Create many columns in a multidimensional array, e.g. for fully random values:
# twoDTimeSeriesOctave = [[random.randint(0,1) for y in range(2)] for x in range(10)] # for 10 rows (time-steps) for .
# However here we want 2 rows by 100 columns where the next time step (row 2) is to copy the
# value of the column on the left from the previous time step (row 1):
numObservations = 100
row1 = [random.randint(0,1) for r in range(numObservations)]
row2 = [row1[num0bservations-1]] + row1[\overset{\circ}{0}:num0bservations-1] \# Copy \ the \ previous \ row, \ offset \ one \ column \ to \ the \ right
twoDTimeSeriesPvthon = []
twoDTimeSeriesPython.append(row1)
twoDTimeSeriesPython.append(row2)
twoDTimeSeriesJavaInt = JArray(JInt, 2)(twoDTimeSeriesPython) # 2 indicating 2D array
# Create a TE calculator and run it:
teCalcClass = JPackage("infodynamics.measures.discrete").TransferEntropyCalculatorDiscrete
teCalc = teCalcClass(2,1)
teCalc.initialise()
# Add observations of transfer across one cell to the right per time step:
teCalc.addObservations(twoDTimeSeriesJavaInt, 1)
result2D = teCalc.computeAverageLocalOfObservations()
print(('The result should be close to 1 bit here, since we are executing copy ' + \
      operations of what is effectively a random bit to each cell here: %.3f ' + \
      'bits from %d observations') % (result2D, teCalc.getNumObservations()))
```

Example 3 - Transfer entropy on continuous data using kernel estimators

example3TeContinuousDataKernel.py - Simple transfer entropy (TE) calculation on continuous-valued data using the (box) kernel-estimator TE calculator.

```
from jpype import *
import random
import math
# Change location of jar to match yours:
jarLocation = "../../infodynamics.jar"
# Start the JVM (add the "-Xmx" option with say 1024M if you get crashes due to not enough memory space)
startJVM(getDefaultJVMPath(), "-ea", "-Djava.class.path=" + jarLocation)
# Generate some random normalised data.
numObservations = 1000
covariance=0.4
# Source array of random normals:
sourceArray = [random.normalvariate(0,1) for r in range(numObservations)]
# Destination array of random normals with partial correlation to previous value of sourceArray
destArray = [0] + [sum(pair) for pair in zip([covariance*y for y in sourceArray[0:numObservations-1]], \
                                                  [(1-covariance)*y for y in [random.normalvariate(0,1) for r in range(num
# Uncorrelated source array:
sourceArray2 = [random.normalvariate(0,1) for r in range(numObservations)]
# Create a TE calculator and run it:
teCalcClass = \textbf{JPackage}("infodynamics.measures.continuous.kernel"). \textbf{TransferEntropyCalculatorKernel} \\
teCalc = teCalcClass()
teCalc.setProperty("NORMALISE", "true") # Normalise the individual variables
teCalc.initialise(1, 0.5) # Use history length 1 (Schreiber k=1), kernel width of 0.5 normalised units
{\tt teCalc.setObservations}({\tt JArray}({\tt JDouble},\ 1)({\tt sourceArray}),\ {\tt JArray}({\tt JDouble},\ 1)({\tt destArray}))
# For copied source, should give something close to 1 bit:
result = teCalc.computeAverageLocalOfObservations()
print("TE result %.4f bits; expected to be close to %.4f bits for these correlated Gaussians but biased upwards" % \
    (\textit{result}, \; \textit{math.log}(1/(1-\textit{math.pow}(\textit{covariance}, 2)))/\textit{math.log}(2)))
teCalc.initialise() # Initialise leaving the parameters the same
teCalc.setObservations(JArray(JDouble, 1)(sourceArray2), JArray(JDouble, 1)(destArray))
# For random source, it should give something close to 0 bits
result2 = teCalc.computeAverageLocalOfObservations()
print("TE result %.4f bits; expected to be close to 0 bits for uncorrelated Gaussians but will be biased upwards" % \
```

Example 4 - Transfer entropy on continuous data using Kraskov estimators

example4TeContinuousDataKraskov.py - Simple transfer entropy (TE) calculation on continuous-valued data using the Kraskov-estimator TE calculator.

```
from ipype import *
import random
import math
```

2 of 5 07/07/15 23:39 # Change location of jar to match yours: jarLocation = "../../infodynamics.jar"

```
# Start the JVM (add the "-Xmx" option with say 1024M if you get crashes due to not enough memory space)
 startJVM(getDefaultJVMPath(), "-ea", "-Djava.class.path=" + jarLocation)
 # Generate some random normalised data.
 numObservations = 1000
 covariance=0.4
 # Source array of random normals:
 sourceArray = [random.normalvariate(0,1) for r in range(numObservations)]
 # Destination array of random normals with partial correlation to previous value of sourceArray
destArray = [0] + [sum(pair) for pair in zip([covariance*y for y in sourceArray[0:numObservations-1]], \
                                                                                                   \hbox{\tt [(1-covariance)*y for y in } \hbox{\tt [random.normalvariate(0,1) for r in } \hbox{\tt range(num)}
 # Uncorrelated source array:
 sourceArray2 = [random.normalvariate(0,1) for r in range(numObservations)]
 # Create a TE calculator and run it:
 \texttt{teCalcClass} = \textbf{JPackage}(\texttt{"infodynamics.measures.continuous.kraskov"}). \textbf{TransferEntropyCalculatorKraskov}) \\
 teCalc = teCalcClass()
 teCalc.setProperty("NORMALISE", "true") # Normalise the individual variables
 teCalc.initialise(1) # Use history length 1 (Schreiber k=1)
 teCalc.setProperty("k", "4") # Use Kraskov parameter K=4 for 4 nearest points
 # Perform calculation with correlated source:
 teCalc.setObservations(JArray(JDouble, 1)(sourceArray), JArray(JDouble, 1)(destArray))
 result = teCalc.computeAverageLocalOfObservations()
 \# Note that the calculation is a random variable (because the generated
 # data is a set of random variables) - the result will be of the order
 # of what we expect, but not exactly equal to it; in fact, there will
 # be a large variance around it.
print("TE result %.4f nats; expected to be close to %.4f nats for these correlated Gaussians" % \
          (result, math.log(1/(1-math.pow(covariance,2)))))
 # Perform calculation with uncorrelated source:
 teCalc.initialise() # Initialise leaving the parameters the same
 teCalc.setObservations(JArray(JDouble, 1)(sourceArray2), JArray(JDouble, 1)(destArray))
 result2 = teCalc.computeAverageLocalOfObservations()
 print("TE result %.4f nats; expected to be close to 0 nats for these uncorrelated Gaussians" % result2)
Example 5 - Multivariate transfer entropy on binary data
example5TeBinaryMultivarTransfer.py - Multivariate transfer entropy (TE) calculation on binary data using the discrete TE calculator.
 from jpype import *
 import random
 from operator import xor
 # Change location of jar to match yours:
 jarLocation = "../../infodynamics.jar"
# Start the JVM (add the "-Xmx" option with say 1024M if you get crashes due to not enough memory space)
startJVM(getDefaultJVMPath(), "-ea", "-Djava.class.path=" + jarLocation)
 # Generate some random binary data.
 numObservations = 100
 sourceArray = [[random.randint(0,1) for y in range(2)] for x in range(numObservations)] # for 10 rows (time-steps) for x in range(numObservations)] # for 10 rows (time-steps) for x in range(numObservations)] # for x in range
 sourceArray2 = [[random.randint(0,1) \ \textbf{for} \ \textbf{y} \ \textbf{in} \ range(2)] \ \textbf{for} \ \textbf{x} \ \textbf{in} \ range(numObservations)] \ \textit{\# for 10 rows (time-steps) fo}
 # Destination variable takes a copy of the first bit of the source in bit 1,
  # and an XOR of the two bits of the source in bit 2:
 destArray = [[0, 0]]
 for j in range(1,numObservations):
                  # Create a TE calculator and run it:
 te Calc Class = \textbf{JPackage} ("infodynamics.measures.discrete"). \textbf{TransferEntropyCalculatorDiscrete} ("infodynamics.discrete"). \textbf{TransferEntropyCalculatorDiscrete} ("infodynamics.discrete] ("infodynamics.discrete] ("infodynamics.discrete] ("infodynamics.discrete
 teCalc = teCalcClass(4,1)
 teCalc.initialise()
 # We need to construct the joint values of the dest and source before we pass them in,
 # and need to use the matrix conversion routine when calling from Matlab/Octave:
 mUtils= JPackage('infodynamics.utils').MatrixUtils
 teCalc.addObservations(mUtils.computeCombinedValues(sourceArray, 2), \
                                   mUtils.computeCombinedValues(destArray, 2))
 result = teCalc.computeAverageLocalOfObservations()
 print('For source which the 2 bits are determined from, result should be close to 2 bits : %.3f' % result)
 teCalc.addObservations(mUtils.computeCombinedValues(sourceArray2, 2), \
                                  mUtils.computeCombinedValues(destArray, 2))
 result2 = teCalc.computeAverageLocalOfObservations()
 print('For random source, result should be close to 0 bits in theory: %.3f' % result2)
```

Example 6 - Dynamic dispatch with Mutual info calculator

example6DynamicCallingMutualInfo.py - This example shows how to write Python code to take advantage of the common interfaces defined for various information-theoretic calculators. Here, we use the common form of the infodynamics.measures.continuous.MutualInfoCalculatorMultiVariate interface (which is never named here) to write common code into which we can plug one of three concrete implementations (kernel estimator, Kraskov estimator or linear-Gaussian estimator) by dynamically

print('The result for random source is inflated towards 0.3 due to finite observation length (%d). One can verify tha

3 of 5 07/07/15 23:39

```
supplying the class name of the concrete implementation.
Note -- users of the v1.0 distribution will need to separately download the readFloatsFile.py module, which was accidentally not included in this
release
 from ipype import *
 import random
 import string
 import numpy
 import readFloatsFile
 # Change location of jar to match yours:
 jarLocation = "../../infodynamics.jar"
# Start the JVM (add the "-Xmx" option with say 1024M if you get crashes due to not enough memory space)
startJVM(getDefaultJVMPath(), "-ea", "-Djava.class.path=" + jarLocation)
 # 1. Properties for the calculation (these are dynamically changeable):
 # The name of the data file (relative to this directory)
 datafile = '../data/4ColsPairedNoisyDependence-1.txt
 # List of column numbers for univariate time seres 1 and 2:
 # (you can select any columns you wish to be contained in each variable)
 univariateSeries1Column = 0 # array indices start from 0 in python
 univariateSeries2Column = 2
 # List of column numbers for joint variables 1 and 2:
 # (you can select any columns you wish to be contained in each variable)
 jointVariable1Columns = [0,1] # array indices start from 0 in python
 jointVariable2Columns = [2,3]
 # The name of the concrete implementation of the interface
 {\it\# infodynamics.measures.continuous.} {\it MutualInfoCalculatorMultiVariate}
 # which we wish to use for the calculation.
 # Note that one could use any of the following calculators (try them all!):
 # implementingClass = "infodynamics.measures.continuous.kraskov.MutualInfoCalculatorMultiVariateKraskov1" # MI(0;2)
   imple menting Class = "infodynamics.measures.continuous.kernel.MutualInfoCalculatorMultiVariateKernel"
   implementingClass = "infodynamics.measures.continuous.gaussian.MutualInfoCalculatorMultiVariateGaussian"
 implementingClass = "infodynamics.measures.continuous.kraskov.MutualInfoCalculatorMultiVariateKraskov1
 # 2. Load in the data
 data = readFloatsFile.readFloatsFile(datafile)
 # As numpy array:
 A = numpy.array(data)
 # Pull out the columns from the data set for a univariate MI calculation:
 univariateSeries1 = A[:,univariateSeries1Column]
 univariateSeries2 = A[:,univariateSeries2Column]
 \# Pull out the columns from the data set for a multivariate MI calculation:
 jointVariable1 = A[:,jointVariable1Columns]
jointVariable2 = A[:,jointVariable2Columns]
 # 3. Dynamically instantiate an object of the given class:
 # (in fact, all java object creation in python is dynamic - it has to be,
# since the languages are interpreted. This makes our life slightly easier at this
   point than it is in demos/java/example6 where we have to handle this manually)
 indexOfLastDot = string.rfind(implementingClass, ".
 implementingPackage = implementingClass[:indexOfLastDot]
 implementingBaseName = implementingClass[indexOfLastDot+1:]
 miCalc = miCalcClass()
 # 4. Start using the MI calculator, paying attention to only
 # call common methods defined in the interface type
 # infodynamics.measures.continuous.MutualInfoCalculatorMultiVariate
 # not methods only defined in a given implementation class.
 # a. Initialise the calculator for a univariate calculation:
 miCalc.initialise(1, 1)
 # b. Supply the observations to compute the PDFs from:
 miCalc.setObservations(univariateSeries1, univariateSeries2)
 # c. Make the MI calculation:
 miUnivariateValue = miCalc.computeAverageLocalOfObservations()
 # 5. Continue onto a multivariate calculation, still
      only calling common methods defined in the interface type.
 # a. Initialise the calculator for a multivariate calculation
# to use the required number of dimensions for each variable:
 miCalc.initialise(len(jointVariable1Columns), len(jointVariable2Columns))
 # b. Supply the observations to compute the PDFs from:
 miCalc.setObservations(jointVariable1, jointVariable2)
 # c. Make the MI calculation:
 miJointValue = miCalc.computeAverageLocalOfObservations()
  \textbf{print}("MI calculator \$s computed the univariate MI(\$d;\$d) as \$.5f and joint MI([\$s]; [\$s]) as \$.5f \\ \texttt{n}" \$ 
          (implementingClass, univariateSeries1Column, univariateSeries2Column, miUnivariateValue,
```

4 of 5 07/07/15 23:39

 $str(jointVariable1Columns).strip('[]'), \ str(jointVariable2Columns).strip('[]'), \ miJointValue))$

<u>Terms</u> - <u>Privacy</u> - <u>Project Hosting Help</u> Powered by <u>Google Project Hosting</u>

5 of 5 07/07/15 23:39