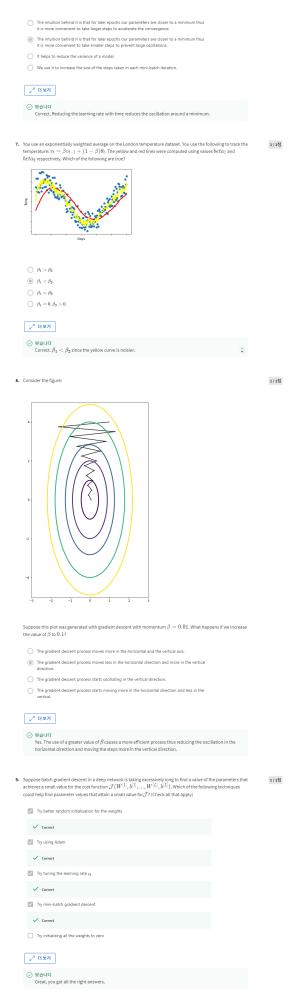
다음 항목으로 이동

1.	Which notation would you use to denote the 4th layer's activations when the input is the 7th example from the 3rd mini-batch?	1/1점
	(a) a <sup>(q</sup> (13(r))	
	(a) a(₹(3)4)	
	○ a <sup>[7]</sup> (3)(4)	
	✓ 러보기	
	$\odot$ 契合니다 Yes. In general $a^{[l](t)(k)}$ denotes the activation of the layer $l$ when the input is the example $k$ from the	
	mini-batch $t$ .	
2.	Suppose you don't face any memory-related problems. Which of the following make more use of vectorization.	1/1점
	Batch Gradient Descent	
	Stochastic Gradient Descent, Batch Gradient Descent, and Mini-Batch Gradient Descent all	
	make equal use of vectorization.  Mini-Batch Gradient Descent with mini-batch size $m/2$ .	
	Stochastic Gradient Descent	
	√² 대보기	
	⊘ 맛습니다	
	Yes. If no memory problem is faced, batch gradient descent processes all of the training set in one pass, maximizing the use of vectorization.	
,	We usually choose a mini-batch size greater than 1 and less than $m_i$ because that way we make use of	1/1점
٥.	vectorization but not fall into the slower case of batch gradient descent.	1/10
	○ False	
	True	
	₹ 터보기	
	<ul> <li>♥ 맞습니다</li> </ul>	
	Correct. Precisely by choosing a batch size greater than one we can use vectorization; but we choose a	
	value less than m so we won't end up using batch gradient descent.	
4.	While using mini-batch gradient descent with a batch size larger than 1 but less than m, the plot of the cost function $J$ looks like this:	1/1점
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Adam combines the advantages of RMSProp and momentum.

Adam can contribute the hyperparameter α.

Adam can only be used with batch gradient descent and not with mini-batch gradient descent.

The most important hyperparameter on Adam is α and should be carefully tuned.

\*\*CLM7

\*\*CLM7

\*\*CLM7

True. Precisely Adam combines the features of RMSProp and momentum that is why we use two-parameter β₁ and β₂, besides α.

\*\*CLM7

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