

The Final Problem

Sherlock has had enough time getting BORED! To keep him busy, John decides to give him a puzzle:

The "merit" of a N-digit number containing digits as $D_1D_2D_3...D_n$ (without any leading zeroes) is given as:

$$\sum_{i=2}^N (D_i - D_{i-1}).$$

Given 2 Numbers, N and M. The task is to find the count of all such N digit positive integers whose merit value is equal to M.

Sherlock is a high functioning sociopath but isn't very good with numbers. He needs your help to get through this. Help him find the answer.

Note: Since the value can be large, compute the answer modulo 10^9+7 .

Input:

The first line contains one integer T denoting the number of test cases.

This will be followed by T lines each two space-separated integers N and M.

Output:

A single integer modulo $10^9 + 7$ which denotes the count of N digit numbers having merit value as M.

Constraints:

$$2 \leq N \leq 10^{18}$$

$$|M| \leq 300$$

$$1 \leq T \leq 10^5$$

Sample Input:

1

2 3

Sample Output:

6

Explanation: The integers will be 14, 25, 36, 47, 58 and 69.