



BITS Pilani
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Data Structures and Algorithms Design

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Depth-First Search



Algorithm *DFS(G)*

Input graph G

Output labeling of the edges of G
as discovery edges and
back edges

for all $u \in G.vertices()$

$setLabel(u, UNEXPLORED)$

for all $e \in G.edges()$

$setLabel(e, UNEXPLORED)$

for all $v \in G.vertices()$

if $getLabel(v) = UNEXPLORED$
 $DFS(G, v)$

Algorithm *DFS(G, v)*

Input graph G and a start vertex v of G

Output labeling of the edges of G
in the connected component of v
as discovery edges and back edges

$setLabel(v, VISITED)$

for all $e \in G.incidentEdges(v)$

if $getLabel(e) = UNEXPLORED$

$w \leftarrow opposite(v, e)$

if $getLabel(w) = UNEXPLORED$

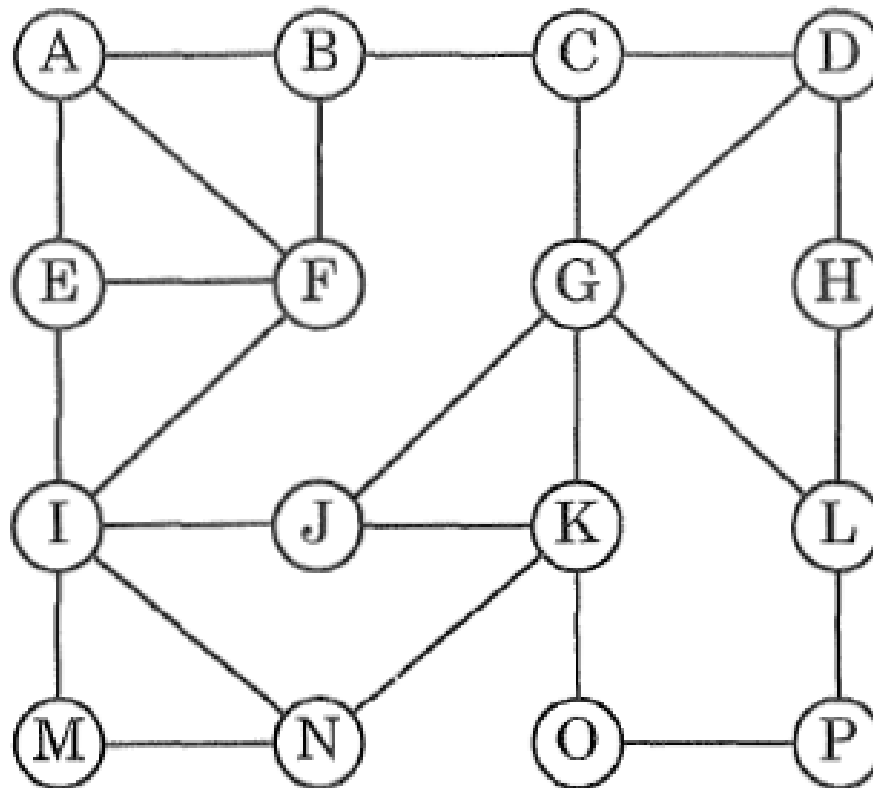
$setLabel(e, DISCOVERY)$

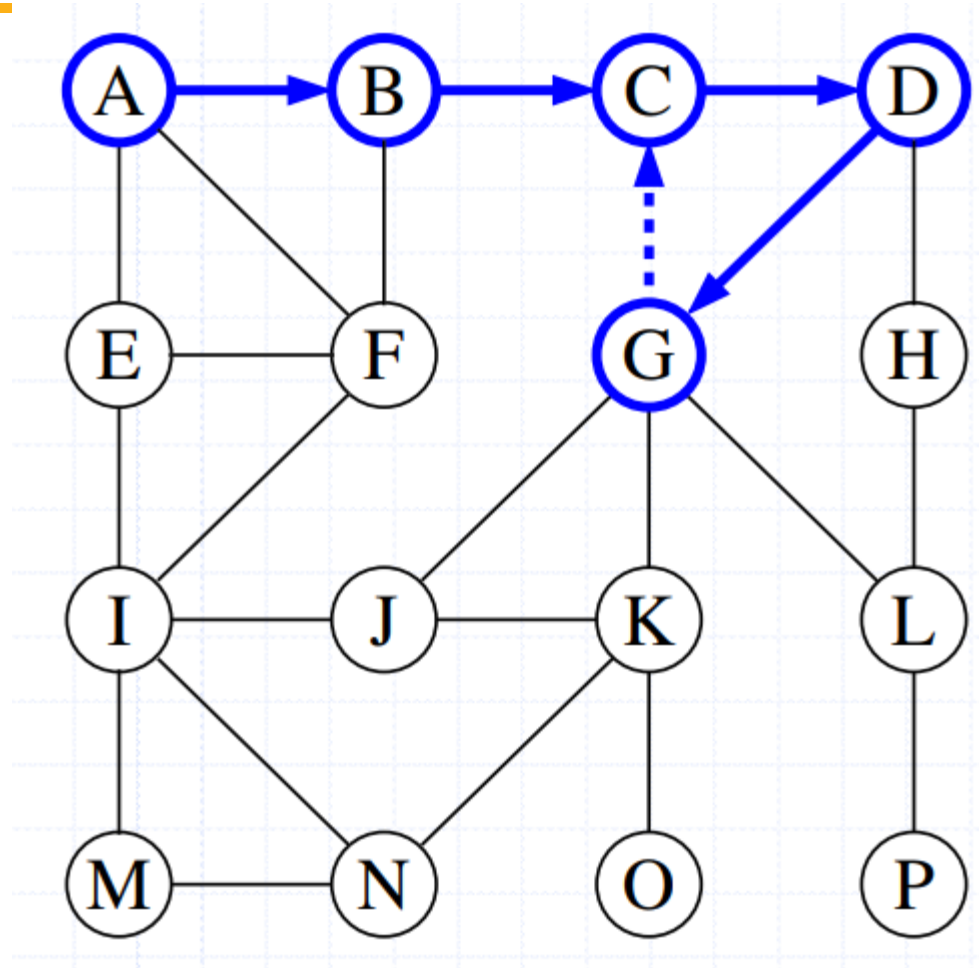
$DFS(G, w)$

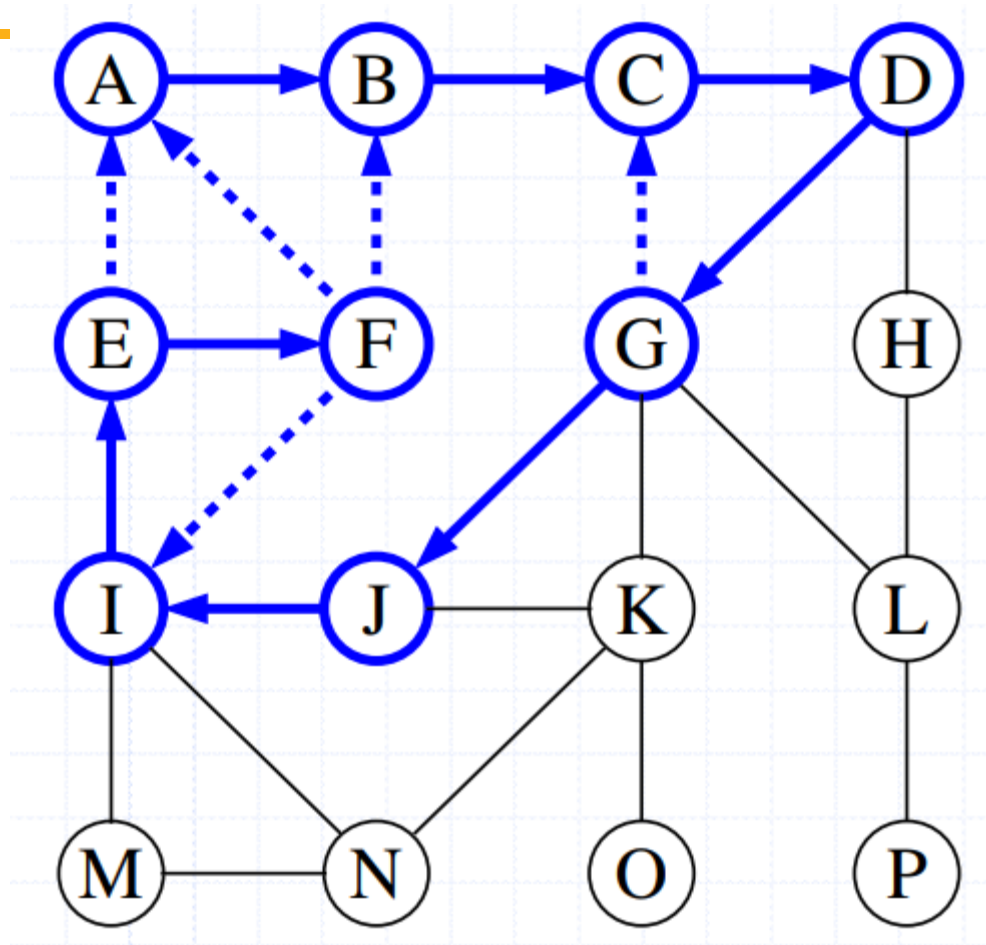
else

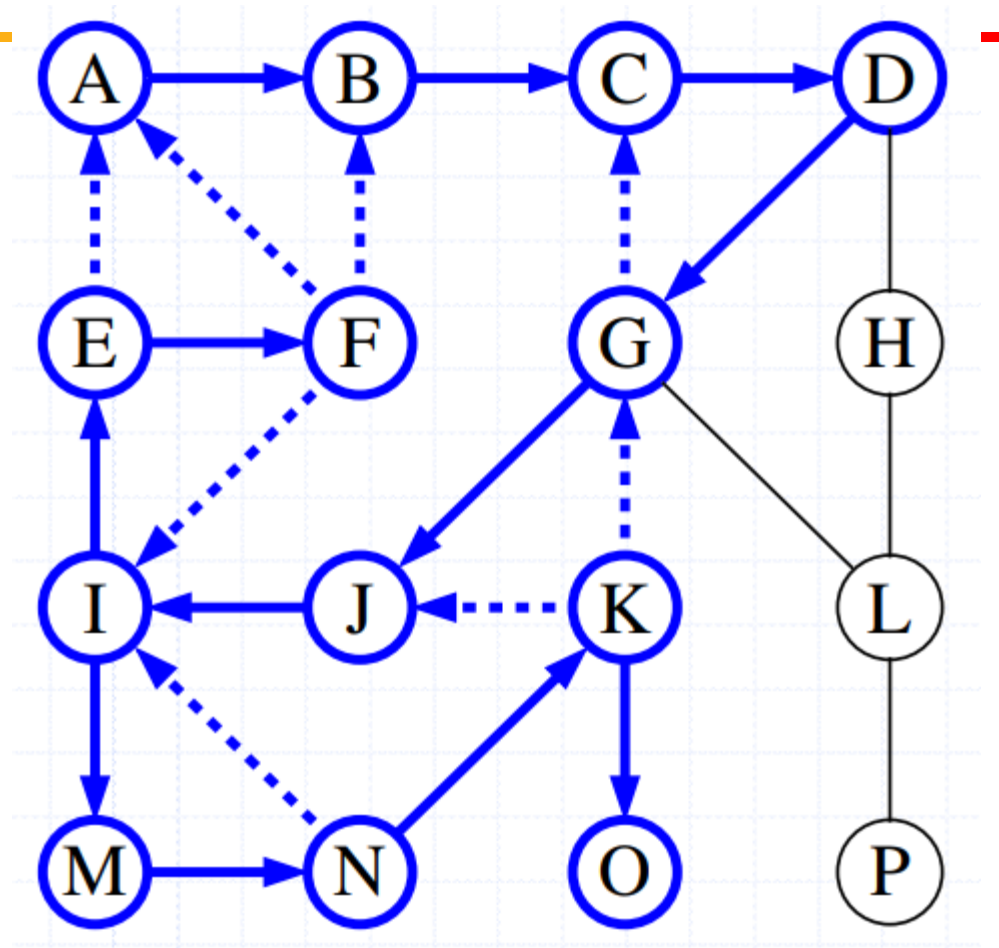
$setLabel(e, BACK)$

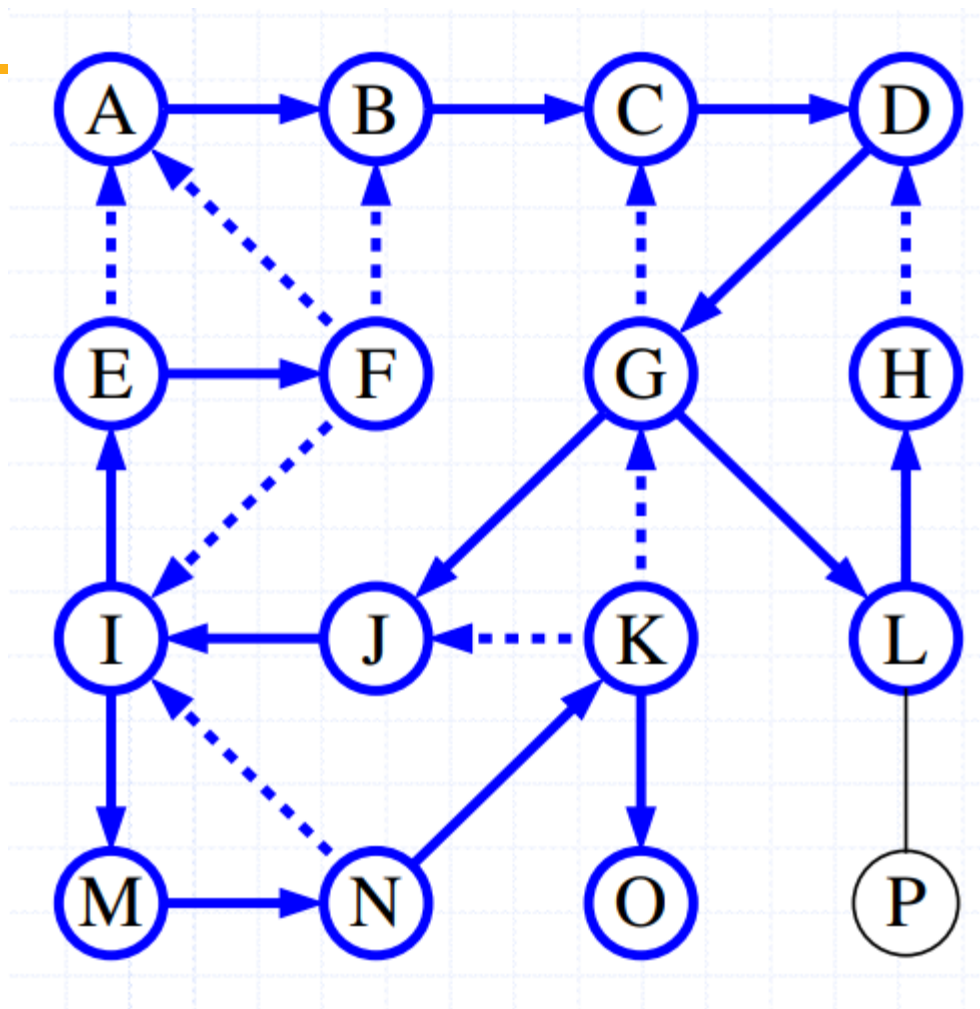
Example 1-Solved

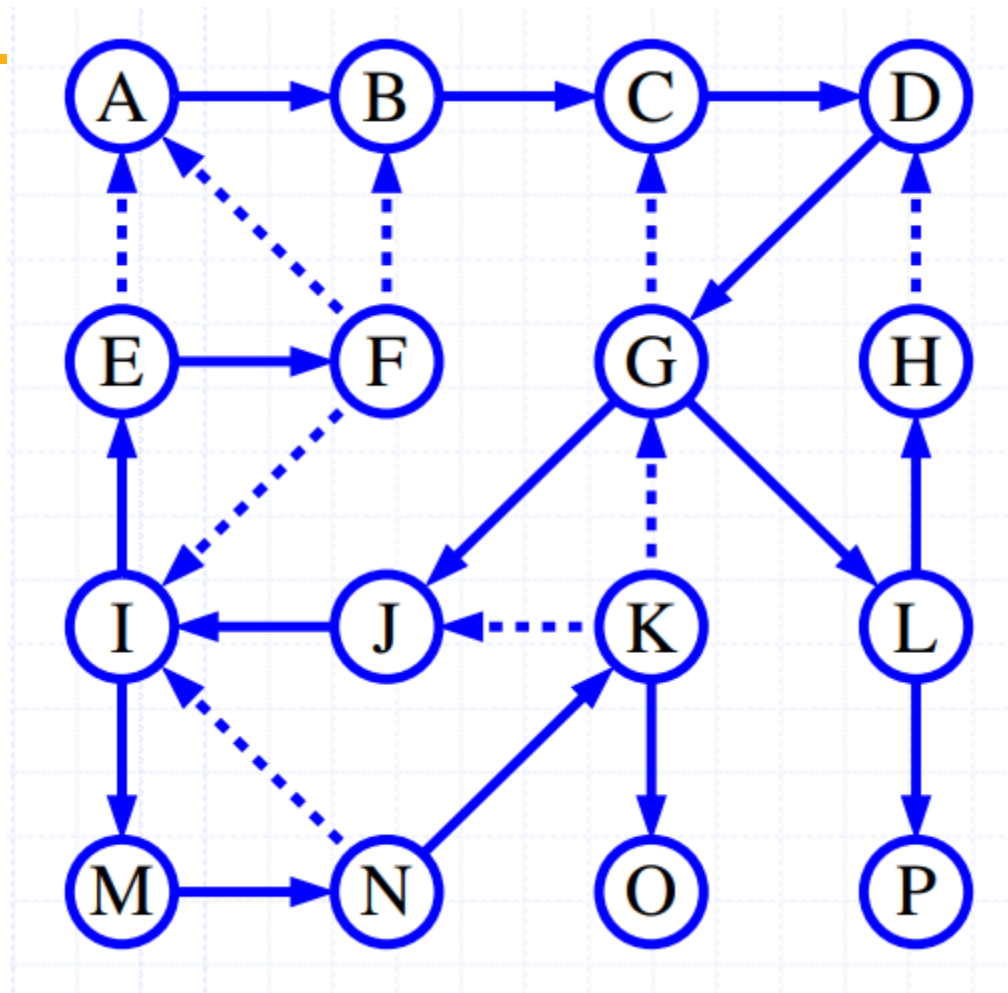




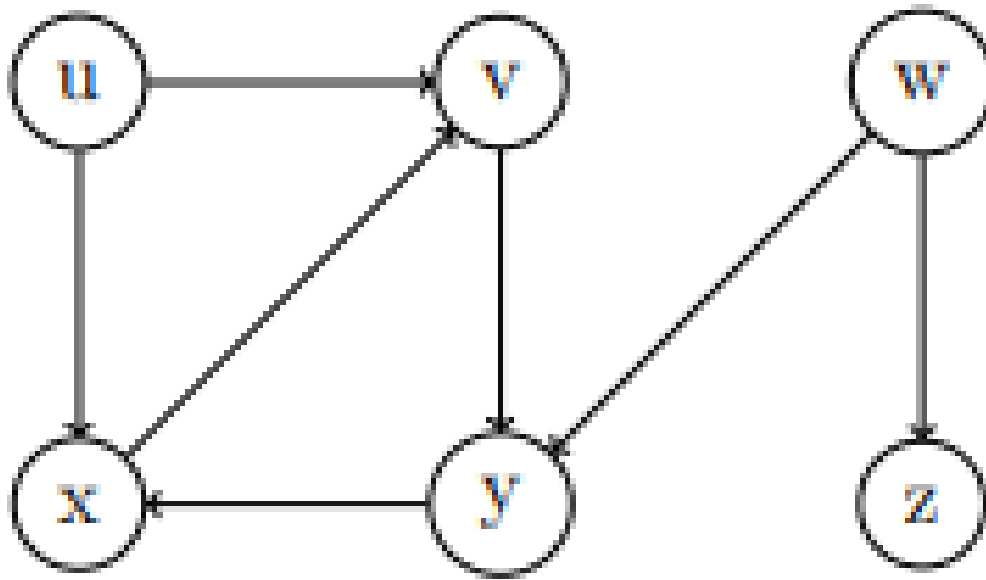




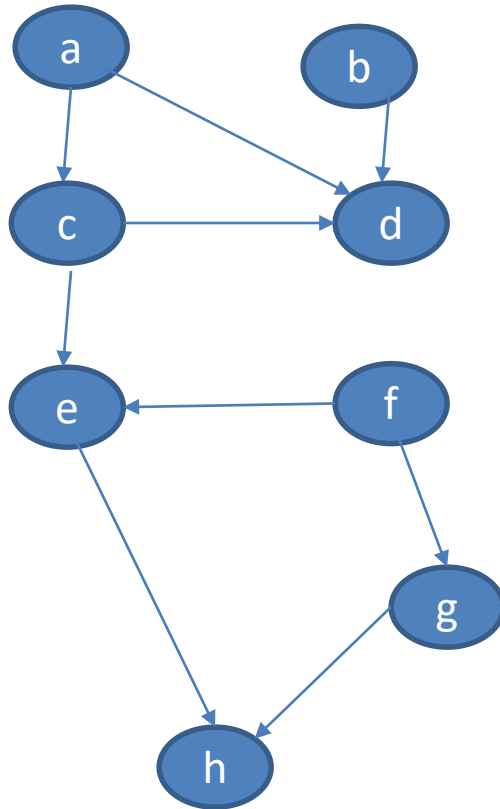




Example 2-Directed graph-Find the DFS tree-Discuss in Canvas



Example 3-Directed graph-Find the connected Components-Discuss in Canvas





THANK YOU!

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