



Webinar on Performance Assessment & CPU-OS Simulator

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Agenda

- Performance Assessment
 - Execution Time
 - CPI
 - MIPS
 - Amdahl's Law
- Disk Assessment
 - Access Time, Seek Time, Transfer Time
- CPU-OS Simulator





Performance Assessment

Performance Assessment - Summary

- If you were running a program on two different desktop computers, you'd say that the faster one is the desktop computer that gets the job done first.
- Execution time: The total time required for the computer to complete a task, including disk accesses, memory accesses, I/O activities, operating system overhead, CPU execution.

$$Performance_{x} = \frac{1}{Execution time_{y}}$$

This means that for two computers X and Y, if the performance of X is greater than the performance of Y, we have

$$\frac{1}{\text{Execution time}_{x}} > \frac{1}{\text{Execution time}_{y}}$$

$$\frac{1}{\text{Execution time}_{y}} > \frac{1}{\text{Execution time}_{y}}$$

$$\text{Execution time}_{y} > \text{Execution time}_{y}$$



Example

- Suppose Machine X runs a program in 100 seconds and Machine Y runs the same program in 125 seconds.
 - Which one is faster?
 - How many times its faster?
 - $\frac{Performance\ of\ X}{Performance\ of\ Y} = \frac{Execution\ Time\ of\ Y}{Execution\ Time\ of\ X}$
 - That means machine X is 1.25 times faster than Machine Y.

Performance Assessment - Clock Speed and Instructions per Second

- All computers are governed by a clock that determines when events take place in the hardware.
- These discrete time intervals are called clock cycles.
- The rate of clock pulses is known as the *clock rate*, or clock speed. (e.g., 4 gigahertz, or 4 GHz), which is the inverse of the clock period.



Performance Assessment

CPU Performance and Its Factor

$$\frac{\text{CPU execution time}}{\text{for a program}} = \frac{\text{CPU clock cycles}}{\text{for a program}} \times \text{Clock cycle time}$$

Alternatively, because clock rate and clock cycle time are inverses,

$$\frac{\text{CPU execution time}}{\text{for a program}} = \frac{\text{CPU clock cycles for a program}}{\text{Clock rate}}$$

Instruction Performance

CPU clock cycles = Instructions for a program × Average clock cycles per instruction

The term clock cycles per instruction, which is the average number of cycles each instruction takes to execute, is often abbreviated as CPI.

Performance Assessment - CPU Performance Equation



CPU time = Instruction count \times CPI \times Clock cycle time

or, since the clock rate is the inverse of clock cycle time:

$$CPU time = \frac{Instruction count \times CPI}{Clock rate}$$



A compiler designer is trying to decide between two code sequences for a particular machine. Based on the hardware implementation, there are three different classes of instructions: Class A, Class B, and Class C, and they require two, three, and five cycles (respectively). The first code sequence has 5 instructions: 2 of A, 1 of B, and 2 of C The second sequence has 5 instructions: 1 of A, 2 of B, and 2 of C.

What is the CPI for each sequence?
Which code sequence will be faster and How much?

Solution#1

| Instruction Class | CPI |
|-------------------|-----|
| A | 2 |
| В | 3 |
| С | 5 |

| Code | IC for instruction Class | | |
|----------|--------------------------|---|---|
| sequence | A | В | C |
| C1 | 2 | 1 | 2 |
| C2 | 1 | 2 | 2 |

For Code C1;

Total Cycles =
$$2*2+1*3+2*5 = 17$$

Total instructions =
$$2 + 1 + 2 = 5$$

$$= 17/5 = 3.4$$

Solution#1

| Instruction Class | CPI |
|-------------------|-----|
| A | 2 |
| В | 3 |
| С | 5 |

| Code | IC for instruction Class | | |
|----------|--------------------------|---|---|
| sequence | A | В | C |
| C1 | 2 | 1 | 2 |
| C2 | 1 | 2 | 2 |

For Code C2;

Total Cycles =
$$1*2+2*3+2*5 = 18$$

Total instructions =
$$1 + 2 + 2 = 5$$

$$= 18/5 = 3.6$$



Solution#1

 $\frac{\text{CPU execution time}}{\text{for a program}} = \frac{\text{CPU clock cycles}}{\text{for a program}} \times \text{Clock cycle time}$

For Code C1;

Total Cycles =
$$2*2+1*3+2*5 = 17$$

Total instructions =
$$2 + 1 + 2 = 5$$

$$= 17/5 = 3.4$$

$$\frac{Performance\ of\ X}{Performance\ of\ Y} = \frac{Execution\ Time\ of\ Y}{Execution\ Time\ of\ X}$$

For Code C2;

Total Cycles =
$$1*2+2*3+2*5 = 18$$

Total instructions =
$$1 + 2 + 2 = 5$$

$$= 18/5 = 3.6$$

What is the CPI for each sequence? C1=3.4 and C2=3.6Which code sequence will be faster and How much? -----C1 1.05 times

Performance Assessment - Millions of Instructions per Second (MIPS) Rate

• The rate at which instructions are executed.

$$MIPS = \frac{Instruction\ count}{Execution\ time \times 10^6}$$

MIPS =
$$\frac{\text{Instruction count}}{\frac{\text{Instruction count} \times \text{CPI}}{\text{Clock rate}} \times 10^6} = \frac{\text{Clock rate}}{\text{CPI} \times 10^6}$$



 A benchmark program is run on a 40 MHz processor. The executed program consists of 100,000 instruction executions, with the following instruction mix and clock cycle count.

| Instruction Type | struction Type | |
|--------------------|----------------|---|
| Integer arithmetic | 45000 | 1 |
| Data transfer | 32000 | 2 |
| Floating point | 15000 | 2 |
| Control transfer | 8000 | 2 |

 Determine the effective CPI, MIPS rate, and execution time for this program.



Solution #2

| Instruction | Instruction | Cycles Per | Cycles in |
|--------------------|-------------|-------------|-------------|
| Type | Count | Instruction | Instruction |
| Integer Arithmetic | 45000 | 1 | 45000 |
| Data Transfer | 32000 | 2 | 64000 |
| Floating Point | 15000 | 2 | 30000 |
| Control Transfer | 8000 | 2 | 16000 |
| | 100000 | | 155000 |

```
CPI = Total cycles / total instructions = 155000 / 100000 = 1.55

MIPS = clock rate / (CPI *10^6) = 40*10^6 / (1.55*10^6) = 25.8

Execution Time = Total cycles * cycle time = Total cycles / cycle rate

= 155000 / 40*10^6 = 3.87*10^{-3} sec
```



- A new microprocessor was designed and tested for performance. This microprocessor requires 2, 4 or 8 machine cycles to perform various operations. 45% of its instructions take 2 machine cycles, 40% take 4 machine cycles and 15% take 8 machine cycles.
- (a) Compute the average CPI for the microprocessor.
- (b) What is the clock frequency required for the microprocessor to be a 500 MIPS processor?



Solution #3

| Instruction | Cycles Per | Cycles in |
|-------------|-------------|-------------|
| Count | Instruction | Instruction |
| 45 | 2 | 90 |
| 40 | 4 | 160 |
| 15 | 8 | 120 |
| 100 | | 370 |

```
CPI = Total cycles / total instructions = 370 / 100 = 3.7

MIPS = clock rate / (CPI *10^6)

Clock rate = MIPS * CPI * 10^6

= 500 * 3.7 * 10^6 = 1850 MHz
```





Amdahl's Law

Amdahl's Law Use to predict system speed up

$$Speedup = \frac{Performance after enhancement}{Performance before enhancement} = \frac{Execution time before enhancement}{Execution time after enhancement}$$

$$S = \frac{1}{(1-f) + \frac{f}{k}}$$

- S=Speedup,
- f=fraction of time enhancement,
- k=speedup of the faster component

 Let a program have 40percent of its code enhanced to run 2.3 times faster. What is the overall system speedup 5?

$$S = \frac{1}{(1-f) + \frac{f}{k}}$$

$$S = \frac{1}{(1-0.4)+0.4/2.3} = 1.29$$

 Floating point instructions are improved to run twice as fast, but only 10% of the time was spent on these instructions originally. How much faster is the new machine?

$$S = \frac{1}{(1-f) + \frac{f}{k}}$$

$$S = \frac{1}{(1-0.1)+0.1/2} = 1.05$$

 Let a program have a portion of its code enhanced to run 4 times faster to yield a system speedup 3.3 times faster. What is the fraction of the code enhanced?

$$S = \frac{1}{(1-f) + \frac{f}{k}}$$

$$3.3 = \frac{1}{(1-f)+f/4}$$

$$1 - 3f/4 = \frac{1}{3.3}$$
 $f = 0.93$

- You need to design a data analytics server. You have 2 options available:
 - a) A matrix computation module unit with a speedup of 2.5 which processes 60% of calculations
 - b) A statistical computation module unit with a speedup of 1.5 which processes 40% of calculations.
- Which option is a better method to design and justify your answer. $S = \frac{1}{(1-f) + \frac{f}{k}}$

$$S1 = \frac{1}{(1-0.6)+0.6/2.5} = 1.56$$

$$52 = \frac{1}{(1-0.4)+0.4/1.5} = 1.15$$



 A programmer has parallelized 99% of a program, but there is no value in increasing the problem size, i.e., the program will always be run with the same problem size regardless of the number of processors or cores used. What is the expected speedup on 20 processors?

$$S = \frac{1}{(1-f) + \frac{f}{k}}$$

$$S = \frac{1}{(1-0.99)+0.99/20} = 16.81$$





Disk Assessment



Consider a disk pack with the following specifications- 16 surfaces, 128 tracks per surface, 256 sectors per track and 512 bytes per sector.

Answer the following questions-

- a) What is the capacity of disk pack?
- b) What is the number of bits required to address the sector?
- c) What is the average access time with a seek time of 11.5 msec, if the disk is rotating at 3600 RPM?

Given Data:

Number of surfaces = 16 Number of tracks per surface = 128 Number of sectors per track = 256 Number of bytes per sector = 512 bytes

Disk Capacity = No. of Surfaces x No. of tracks per surface x No. of sectors per track x No. of bytes per sector

= 16 x 128 x 256 x 512 = 2^4 x 2^7 x 2^8 x 2^9 = 2^28 = 256 MB



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Given Data:

```
Number of surfaces = 16
Number of tracks per surface = 128
Number of sectors per track = 256
```

```
Total Sectors = No. of Surfaces x No. of tracks per
surface x No. of sectors per track
= 16 \times 128 \times 256
= 2^4 \times 2^7 \times 2^8
= 2^{19}
```

Bits required to access sectors are $--\rightarrow$ 19 bits



Consider a disk pack with the following specifications- 16 surfaces, 128 tracks per surface, 256 sectors per track and 512 bytes per sector.

Answer the following questions-

- a) What is the capacity of disk pack?
- b) What is the number of bits required to address the sector?
- c) What is the average access time with a seek time of 11.5 msec, if the disk is rotating at 3600 RPM?

Given Data:

Rotating Rate = 3600 RPM

Seek Time = 11.5 ms

Sector = 256 and bytes per sector = 512 bytes

Taccess= Tavgseek + Tavgrotation + Tavgtransfer

Taygrotation = 1/2r = 1/(2*60) = 8.33 ms

Tavgtransfer = b/rN

= 512 / (60*256*512)

= 0.06 ms

Hence Taccess= 11.5 + 8.33 + 0.06 = 19.9 ms





CPU-OS Simulator



How to write a new Program

- Start CPU simulator and explain how to create a program.
- How to execute a program?
- Where we can check the stored result?



Example - CPU Simulator

- Program to compute average of two numbers
 - -MOV #10, ROO
 - -MOV #20, R01
 - -ADD R00, R01
 - -DIV #02, R01
 - -HLT

How to Simulate and Run the program



Simulator Teaching Language (STL)

```
program LinearSearch
       var a array(50) byte
       for n = 0 to 10
              a(n) = n
       next
       key = 10
       found = 0
       for n = 0 to 20
              temp = a(n)
              if temp = key then
                      found = 1
                      writeln("Key Found",temp)
                      break
              end if
       next
       if found <> 1 then
               writeln("Key Not Found")
       end if
end
```

How to Simulate and Run the



program

a) Execute the above program by setting block size to 2, 4, 8, 16 and 32 for cache size = 8, 16 and 32. Record the observation in the following table.

| Block Size | Cache size | # Hits | # Misses | % Miss Ratio | %Hit Ratio |
|---------------|------------|--------|----------|--------------|------------|
| 2 | 8 | | | | |
| 4 | | | | | |
| 8 | | | | | |
| 2 | 16 | | | | |
| 4 | | | | | |
| 8 | | | | | |

b) Plot a single graph of Cache hit ratio Vs Block size with respect to cache size = 8, 16 and 32. Comment on the graph that is obtained.

Q&A

Thankyou