

HW13

17.6

the graph is acyclic, so it can obtain a serializable schedule

$T1 \rightarrow T2 \rightarrow T4 \rightarrow T3 \rightarrow T5$; or $T1 \rightarrow T2 \rightarrow T3 \rightarrow T4 \rightarrow T5$

17.7

cascadeless schedule use simple description, we need commit our changes to one data before another transactions use this data. It is worse for less concurrency than noncascadeless, but if a transaction is abort, it will not cause any other transaction. So if failures occur rarely, we can use noncascadeless schedules for the increased concurrency

18.1

Assume the following cycle exists in the precedence graph: $T_0 \rightarrow T_1 \rightarrow T_2 \rightarrow \dots \rightarrow T_{n-1} \rightarrow T_0$. Let a_i be the time at which T_i obtains its last lock. Then for all transactions such that $T_i \rightarrow T_j$, $a_i < a_j$. Then for the cycle we have

$$a_0 < a_1 < a_2 < \dots < a_{n-1} < a_0$$

the lock point ordering of the transactions is also a topological sort ordering of the precedence graph. Thus transactions can be serialized according to their lock points.

18.7

a

Firstly we need to show 2PL can ensure serializability, assume that there exists a schedule :

T_0, T_1, \dots, T_{n-1} ,

which obtain by 2PL.

If there is non-serializability, then exist a circle

$T_0 \rightarrow T_1, \dots, T_r \rightarrow T_0$,

let a_i be the t_i check point, so we can obtain $a_o < a_r$

so 2PL can obtain a serializability schedule

So, Lock-I is similar to Lock-S, because Lock-S, Lock-X is heritability. So, Lock-S, Lock-I, and Lock-X is also serializability by check lock points.

b

it's obvious that know that increments mode can create concurrency. Lock-I allow multi-transaction get the lock at the same time, if we don't have this lock, we must use Lock-X to write the value exclusive.

18.18

1. implement more easy
2. support rollback
3. allow concurrency