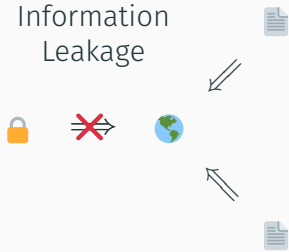


Structural Information Flow: A Fresh Look at Types for Non-Interference

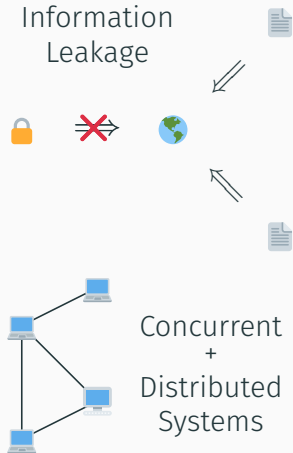
Hemant Gouni with Frank Pfenning & Jonathan Aldrich
MWPLS 2025 and previously OOPSLA 2025

Information Flow Tracks *Dependencies*

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Information Flow Tracks *Dependencies*

Information
Leakage



Concurrent
+
Distributed
Systems

Program Slicing

Information Flow Tracks *Dependencies*

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Leakage



Concurrent
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Build Systems 

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Incremental Computation 

Information Flow Tracks *Dependencies*


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Controlling Opaque Definitions

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Proof Irrelevance + Type Erasure

Information Flow Tracks *Dependencies*


Information
Leakage



Concurrent
+
Distributed
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Program Slicing

Build Systems

Incremental Computation 

Controlling Opaque Definitions

Proof Irrelevance + Type Erasure

...and **much** more!!

How to Reinvent Our Approach From Scratch 🧑🔧

A Familiar Friend: Parametric Polymorphism

`val id : α -> α`

`val snd : α -> β -> α`

`val map : (α -> β) -> list α -> list β`

A Familiar Friend: Parametric Polymorphism

`val id : α -> α`



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A Familiar Friend: Parametric Polymorphism

val id : $\alpha \rightarrow \alpha$



val snd : $\alpha \rightarrow \beta \rightarrow \alpha$



val map : $(\alpha \rightarrow \beta) \rightarrow \text{list } \alpha \rightarrow \text{list } \beta$

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What about `incr : int -> int`?

A Familiar Friend: Parametric Polymorphism

val id : $\alpha \rightarrow \alpha$

val snd : $\alpha \rightarrow \beta \rightarrow \alpha$

val map : $(\alpha \rightarrow \beta) \rightarrow \text{list } \alpha \rightarrow \text{list } \beta$

What about `incr : int -> int`?

Insight 1

Separate **data abstraction** from **information flow**.

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Relaxing Parametricity

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Idea: Tag types with *dependency variables* α

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Result: `incr : α int -> α int`

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Separate data abstraction from information flow.

Idea: Tag types with *dependency variables* α

Result: $\text{incr} : \alpha \text{ int} \rightarrow \alpha \text{ int}$

A pink line connects the α in the input type $\alpha \text{ int}$ to the α in the output type $\alpha \text{ int}$, indicating that the same dependency variable is used for both.

Relaxing Parametricity

Insight 1

Separate **data abstraction** from **information flow**.

Idea: Tag types with *dependency variables* α

Result: $\text{incr} : \alpha \text{ int} \rightarrow \alpha \text{ int}$



What about $\text{add} : \alpha \text{ int} \rightarrow \beta \text{ int} \rightarrow \boxed{?} \text{ int}$?

Relaxing Parametricity

Insight 1


Separate data abstraction from information flow.

Idea: Tag types with *dependency variables* α

Result: $\text{incr} : \alpha \text{ int} \rightarrow \alpha \text{ int}$

A black line connects the α in the input type to the α in the output type, indicating that the output depends on the input's dependency variable.

What about $\text{add} : \alpha \text{ int} \rightarrow \beta \text{ int} \rightarrow \boxed{?} \text{ int}$?

Two dependency arrows are shown: a pink arrow from the first α to the β , and a blue arrow from the β to the boxed question mark. This indicates that the final result depends on both input types.

Relaxing Parametricity

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Idea: Tag types with *dependency variables* α

Result: $\text{incr} : \alpha \text{ int} \rightarrow \alpha \text{ int}$



What about $\text{add} : \alpha \text{ int} \rightarrow \beta \text{ int} \rightarrow \boxed{?} \text{ int?}$



Insight 2

Track **sets of dependencies** in types.

Generalizing to Dependency Sets

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Separate **data abstraction** from **information flow**.

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Idea: Generalize each α to a *dependency set* $[\alpha]$

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Generalizing to Dependency Sets

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Track **sets of dependencies** in types.

Idea: Generalize each α to a *dependency set* $[\alpha]$

Result: $\text{add} : [\alpha] \text{ int} \rightarrow [\beta] \text{ int} \rightarrow [\alpha \beta] \text{ int}$

```
graph LR; A["[α] int"] -- red --> R["[α β] int"]; B["[β] int"] -- blue --> R;
```

Let's work a more interesting example of information flow!

A Password Checker

```
let pass : [pwd] string = "katya"
```

```
let check : [ $\alpha$ ] string -> [ $\alpha$  pwd] bool =  
  fun attempt -> attempt == pass
```

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The conventional solution to this issue is *declassification*...

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Our checker is too conservative!

The conventional solution to this issue is *declassification*...

...which *subverts* the type system.

Non-interference says dependency tracking must be faithful; declassification opposes it.

Non-interference says dependency tracking must be **faithful**; declassification **opposes** it.

[Non-interference] is too strict to be usable in realistic programs.

— Wikipedia (Information Flow)

Non-interference says dependency tracking must be **faithful**; declassification **opposes** it.

Noninterference is over-restrictive for programs with intentional information release (average salary, information purchase and password checking programs are flatly rejected by noninterference).

— Sabelfeld and Sands 07

Non-interference says dependency tracking must be **faithful**; declassification **opposes** it.

We resolve this conflict: the tools we've **already introduced** suffice for realistic programs.

Declassification for Free 🩹

Step 0: Wishful Thinking

```
signature PasswordChecker = sig
```

```
end
```

```
open PasswordChecker as pc
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    pass : [pwd] string
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open PasswordChecker as pc
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```
let _ : [pwd] string = pc.pass ++ "arren"
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Step 0: Wishful Thinking

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signature PasswordChecker = sig
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  check : [ $\alpha$ ] string -> [ $\alpha$ ] bool

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open PasswordChecker as pc
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let _ : [pwd] string = pc.pass ++ "arren"
let _ : [ ] bool = pc.check "nemmerle"
```

Step 0: Wishful Thinking

```
signature PasswordChecker = sig
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  pass : [pwd] string
  check : [ $\alpha$ ] string -> [ $\alpha$ ] bool
  encrypt : [pwd  $\alpha$ ] string -> [ $\alpha$ ] string
end
```

```
open PasswordChecker as pc
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```
let _ : [pwd] string = pc.pass ++ "arren"
let _ : [ ] bool = pc.check "nemmerle"
let _ : [ ] string = pc.encrypt pc.pass
```

Step 1: Expose Lurking Quantifiers 🧐

id : $\alpha \rightarrow \alpha$

map : $(\alpha \rightarrow \beta) \rightarrow \text{list } \alpha \rightarrow \text{list } \beta$

add : $[\alpha] \text{ int} \rightarrow [\beta] \text{ int} \rightarrow [\alpha \beta] \text{ int}$

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Insight 3

Construct `exists α` from `forall α` + higher-order functions

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Insight 3

Construct `exists α` from `forall α` + higher-order functions

Existentials are better known as *modules* or *classes*!*

*(roughly)

Step 2: Dependency Abstraction 🍷

```
signature Queue = sig
```

```
  type t
```

```
  enqueue : int -> t -> t
```

```
  dequeue : t -> t * int
```

```
end
```

```
structure naive_queue : Queue = struct
```

```
  type t = List int
```

```
  enqueue x q = Cons(x, q)
```

```
  dequeue q = match q with ...
```

```
end
```

Step 2: Dependency Abstraction 🍷

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signature Queue = sig
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```
  type t  Existentially Quantified!
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Step 2: Dependency Abstraction 🤖

client view

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signature Queue = sig
  type t

  enqueue : int -> t -> t
  dequeue : t -> t * int
end
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structure naive_queue : Queue = struct
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  enqueue x q = Cons(x, q)
  dequeue q = match q with ...
end
```

Step 2: Dependency Abstraction 🤖

implementation view

```
signature Queue = sig
  type t = List int

  enqueue : int -> List int -> List int
  dequeue : List int -> List int * int
end
```

```
structure naive_queue : Queue = struct
  type t = List int

  enqueue x q = Cons(x, q)
  dequeue q = match q with ...
end
```

Step 3: Our New Password Checker 🎉

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end
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    = fun str -> gpg str
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end
```

Takeaway: Full-strength **non-interference** and **practical programming** are perfectly aligned.

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POPL 2026:

Security Reasoning via Substructural Dependency Tracking

HEMANT GOUNI, Carnegie Mellon University, USA

FRANK PFENNING, Carnegie Mellon University, USA

JONATHAN ALDRICH, Carnegie Mellon University, USA

Substructural type systems provide the ability to speak about *resources*. By enforcing usage restrictions on *inputs* to computations they allow programmers to reify limited system units—such as memory—in types. We demonstrate a new form of resource reasoning founded on constraining *outputs* and explore its utility