

Multi-task model to enhance short-term numerical weather predictions in Monaco

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Abstract

Within the scope of the Energy Boat Challenge, this paper focuses on short-term solar and wind power prediction as a support to renewable-energy powered boats piloting. Considering both model-based numerical predictions and *in-situ* observations, the implemented models aim for correcting the former by adding the latter's information. Such strategy is first motivated by the will to combine numerical models' ability to provide valuable information over many hours ahead and observations' accuracy. Although machine and deep learning techniques meant to weather prediction have recently led to a number of articles, a few take into account several types of inputs. To that end, a simple baseline model was first investigated, revealing that numerical predictions can easily be corrected that way and achieving satisfactory performances. Then, as this work focuses on different tasks, multi-task neural networks were implemented in order to benefit the most from the similarity between solar irradiance and wind predictions. Yet, none of them managed to beat the linear models' results. It even appears that a simple autoregression on each feature separately outputs almost as good results as the previous linear regression whereas it ignores numerical predictions. As a matter of fact, in both cases, the term that seemingly provides the most valuable information to the prediction is the most recent measurement of the targeted variable. Therefore, autoregression can be considered the most efficient compromise between performances and the amount of data needed. It reveals that the investigated models didn't succeed in capturing numerical predictions added value with respect to *in-situ* observations. To face that limit, the most relevant next step would be to work with data varying with both time and space around the targeted location rather than simple timeseries. Doing so would allow to deal with the numerical models geographical resolution explicitly and to provide a far more complete information to the model.

Keywords — Weather prediction, Multi-task neural network, NWP correction

Notations

NWP: Numerical Weather Predictions

REAN: Reanalyses

GHI: Global Horizontal Irradiance

WS: Wind Speed

WD: Wind Direction

SHWW: Significant Height of Wind Waves

For a feature F : $F(t)$ is the measured value at time t , $\hat{F}^{\text{NWP}}(t + dt|t)$ is the numerical prediction of F at time $t + dt$ knowing the history of the system and $\hat{F}^*(t + dt|t)$, the optimal data-driven obtained prediction of F at time $t + dt$ knowing the history.

1 Introduction

Accurate and precise solar and wind predictions are critical to the planning and use of renewable energies so that power production can switch to dispatchable sources when strictly necessary. This concern has led to a large amount of scientific articles. Many of them seek disruptive ways to predict future weather-related values including deep learning [1]. Present work focuses on the usage of solar and wind power within the scope of a renewable energy-powered boats race – the Energy Boat Challenge organized each year since 2014 by the Monaco Yacht Club. Therefore, its goal is to provide solar irradiance and wind speed and direction predictions that would enable either the pilotes to better anticipate performances or people in charge to adapt the race’s schedule. The quality of predictions being less critical than when it comes to power generation and the purpose being specific, the models implemented are strictly limited to local and short term prediction, namely over a few hours following present hour and at Monaco.

Zhong et al. proposed an error correction multi-view deep learning network to predict solar irradiance [1]. The implemented model learns three different representations of the inputs to output one hour ahead irradiance. Similarly, *Gulin et al.* built a predictor-corrector also meant to solar irradiance forecast [2]. It tackles the lag and computational effort needed by numerical methods by implementing an observation-based model. It is composed of two parts: the predictor outputs raw predictions of future solar irradiance as measurements become available while the corrector aims for transforming the corrector’s result to improve precision.

In both cases, the models are uniquely based on observations, that is to say they don’t rely on a physical model. They are pure supervised learning algorithms. By contrast, present work introduce a different approach consisting in merging weather series from different types of sources : Numerical Weather Predictions (NWP) on the one hand and local measurements on the other. Such method aims for improving the available numerical weather prediction by adding data from local and intentionally specific observations in near real-time. A few articles tackling the enhancement of NWP can be found. For instance, *Huang et al.* rely on the fusion of several numerical models to output more accurate predictions than each one of them [3]. The issue consisting in the fusion of *in-situ* observations is also widely documented since it is the starting point of NWP, called *data assimilation*: that stands for the computation of the initial conditions of the forecast model. Thus, it is not a *a posteriori* revision of the model’s results but a part of it.

The following work rather answers to the question : can local observations help with NWP correction? Its goal is to take advantage of several representations of the targeted variables to predict them as accurately as possible. A series of NWP a few hours ahead are one of these representations. Contrary to the others, it is able to provide information on the future. However, such information contains errors. That is why the described strategy can be called NWP correction. As revealed by *Gulin et al.*, meteorological models complexity and their spatial resolution make NWP correction an important issue [2]. This method will be conducted to exploit as much as possible our problem’s specificity either geographically or temporally.

Beyond the previous question, *Linares-Rodriguez et al.* point out the relationships between many meteorological variables [4]. Their paper introduces a promising artificial neural network predicting solar irradiance with high spatiotemporal resolution. Similarly to our strategy, the model it investigates especially exploits different representations of the measured variables – satellite-based irradiance images – to output accurate predictions. That is why it uses a genetic algorithm to optimize selection of model input variables. Therefore, considering the correlation between solar and wind power, surface temperature and wind waves, our work raises the specific question: can observation-based NWP correction benefit from a single model gathering all the tasks targeted, a task being the prediction of one of the variables of interest, in comparison with separate models for each of them? Multi-task models, predicting simultaneously solar irradiance and the wind vector, were built to this end. *Ruder* [5] and *Zang et al.* [6] introduce the key concepts of this type of networks.

2 Method

The issue is first to investigate NWP correction thanks to local measurements and secondly to evaluate the effectiveness of a multi-task model to do so. Both questions need before all to implement baseline models providing some elements of comparison to latter models and revealing whether even a simple model can capture some useful information from local measurements to add to NWP.

Figure 1 represent the general structure chosen for the investigated models. In general, for each explanatory variable, they take as input the series of the last n measurements and a $2n$ -long series of numerical predictions : the last n predictions (from $t - n + 1$ to t) and the next n ones (from $t + 1$ to $t + n$) when the targeted output is values at time $t + 1, \dots, t + k$ where k is the number of outputs of the task – equal to 1 on the figure. It is clearly preferable to have $k \leq n$ and $n \leq 6$ considering the availability of NWP on live. Measurements of the predicted variables at time $t + 1, \dots, t + k$ are also used as labels.

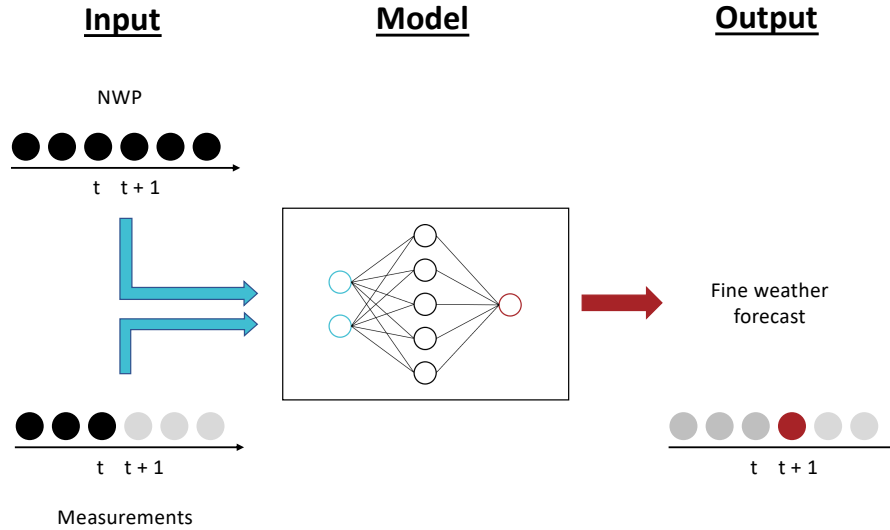


Figure 1 – General architecture

Available data

The implemented models focus on Global Horizontal Irradiance (GHI) as a measurement of solar power and wind speed and wind direction as a measurement of wind power. In particular, this work doesn't use the clear-sky index which consists in normalizing the GHI to make it stationary over the day. It is often used because persistence over the clear-sky index allows good performances as a baseline predictor. Its main drawback is that it excludes all night hours and would deprive the following models of a lot of training samples which would still be interesting considering wind. In order to avoid working with angles, wind inputs and outputs take the form of the cartesian coordinates of the wind. Therefore, these are not direct measurements. Temperature will also be considered but only as input. In other words, no model looks for predicting future temperature since it is not directly responsible for the amount of renewable energy received, either solar or wind. Yet, it is still expected to bear useful information to predict GHI or wind. GHI observations used are not direct measurements neither but computed from satellite data. They are provided by the HelioClim project consisting in satellite-based measurements of the reflection

from the clouds and the ground enabling then to model reliably ground irradiance [7]. This method has led to effective GHI prediction models [4, 8].

The numerical weather predictions used to evaluate the following models stem from the Europe Center for Medium-Range Weather Forecast (ECMWF), measurements come from a public Météo-France buoy near Monaco and the SoDa database at the location of the buoy. Reanalyses from SoDa and the Copernicus programme were also used to check data consistency. The quality control procedures (QCP) achieved try to follow as much as possible the WMO standards [9]. Finally, the considered data range from may to septembre each year between 2016 and 2021 and all have a one hour time step. Focusing on such months allows to stick to the specific scope of the race and to expect the models to exploit these specificities while learning.

Data consistency

Initially, this work was also expected to take into account the significant height of wind waves (SHWW) and their mean periods (MPWW). They are indeed important factors concerning boat piloting. Moreover, wind waves were considered rather than swell first because of geographical criteria and secondly because of their coupled dynamics with respect to wind, making it a good candidate as part of a multi-task model. However, as illustrated in Figure 2, the measurements, the numerical predictions and the reanalyses were not consistent enough and thus could not be exploited. The two latter logically fit well because by definition NWP takes part in the computation of reanalyses. Yet, the observations don't match with them, being generally higher and quite uncorrelated except during peaks. A possible explanations is that such measurements are polluted by ship-generated waves, the buoy where the data come from being close to some crowded shipping routes. Concerning the mean period of wind waves, the high quantization step size made it unusable neither.

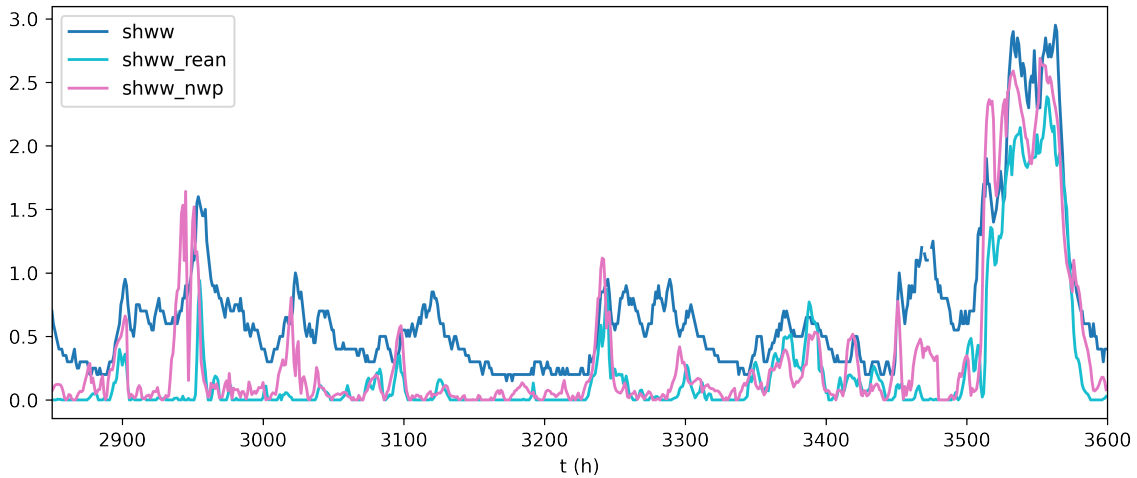


Figure 2 – *Wind wave height*

On the contrary, as shown for wind speed on Figure 3, other features have high correlation levels. For instance, the temperature correlation coefficient reaches 0.97 and the GHI coefficient is equal to 0.98. These series still raised two QCP issues: filling the gaps in the data and controlling their self-consistencies. Concerning the latter in particular, it is crucial to check for bounds and maximal differences between successive values. This was made following the criteria introduced by *Espinar et al.* [10]. Finally, one-hour-long gaps were filled using linear interpolation while reanalyses data were used to complete bigger gaps. Such a choice was made first not to drop too much data – one gap anywhere in the data means a much wider loss in terms of training samples – and secondly considering the low proportion of concerned

samples. For instance, between 2018 and 2020 included, each feature (except GHI) lacks about 200 samples over more than 10,000.

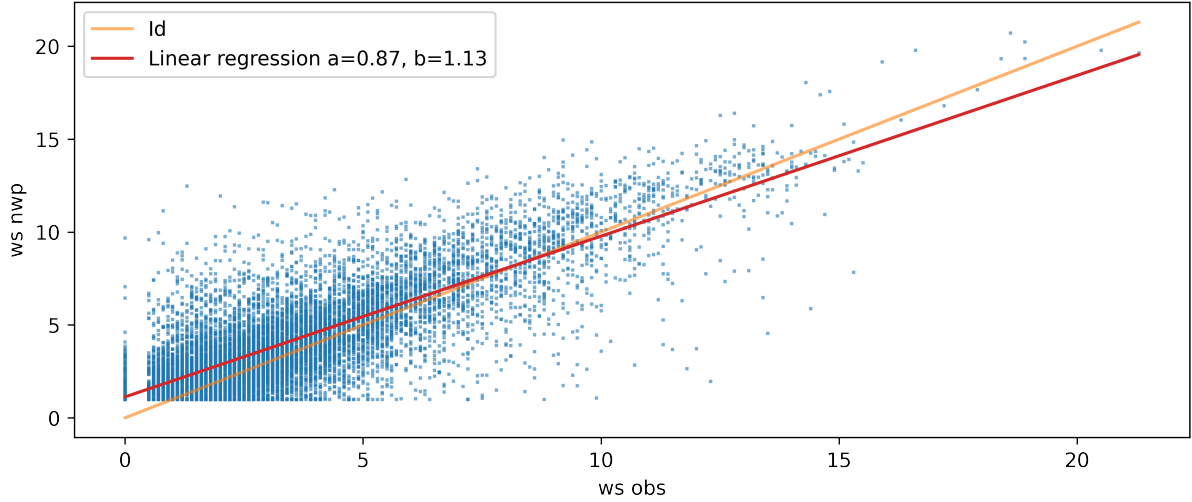


Figure 3 – *Wind speed regression*

Baseline

The implemented baseline is meant to assess two different key points : first, the performances allowed by a simple model that more sophisticated models are to enhance and secondly, the way in which the different data series individually participates in such performances. To address these issues, the baselines mainly consist in single-output linear regressions, that is to say outputting the value of a unique variable one hour ahead. The choice of another machine learning algorithm – regression random forest or persistence for instance – have little impact on targeted metrics.

In order to assess the impact of each part of the input on the quality of predictions, several architectures were investigated. The simplest model built consists in an autoregression only based on past measurements of the targeted value. It is meant to estimate the role of observations. A second basis corresponds to a linear regression taking as input one hour ahead NWP and trained with measurements as labels. That stands for a first attempt to implement a NWP corrector model. None of these two models follow the structure introduced in Figure 1.

Remaining baseline models take as input a series of n past measurements, n past NWP, the next n numerical predictions per variable, for one or several variable – including at least the targeted one – and $n = 3$ or 6 typically, as explained in Figure 1. Several combination of explanatory variables were investigated. In particular, to estimate how the knowledge of time (date and hour) change the quality of the predictions, four artificial features were considered as input in some models : the one-year and one-day periodic sines and cosines.

Multi-task models

In order to answer the second question raised by the introduction, several multi-task models were implemented. They aim for revealing potential transfer learning between the predictions schemes of the different targeted variables. Regarding the amount of data available, the first multi-task network built contains two or three shared layers and one or two specific layers per predicted variable.

As a multi-task model, its training minimizes only one metric. However, each task leads to one metric, chosen as the Mean Squared Error (MSE). In order to solve such a multi-objective optimization problem, the chosen loss function of the overall model L is a linear combination of the three losses. Let's note them MSE_T for each task T which can be $T = GHI, W_x, W_y$ for instance. That solution corresponds to the multi-task models state-of-the-art. Unfortunately, as the three losses can have different order of magnitude, defining $L = \sum_{T \in \text{tasks}} MSE_T$ would cause an imbalanced training: the higher the loss of one task, the more the training would focus on it, resulting in ignoring some of the others. To address this issue, we have to normalize them by a default value leading us to take:

$$L := \sum_{T \in \text{tasks}} \frac{MSE_T}{MSE_T^{\text{baseline}}}$$

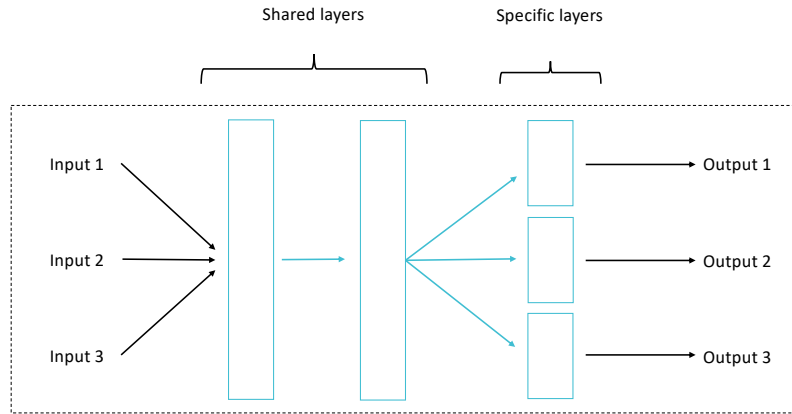


Figure 4 – *Multi-task network architecture*

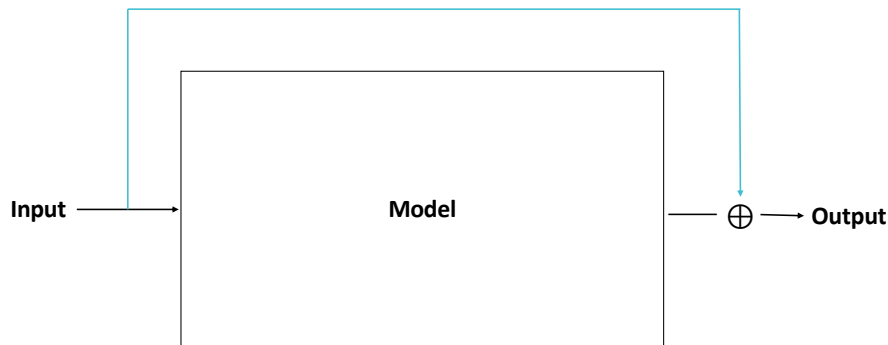


Figure 5 – *Residual network architecture*

By considering the baseline MSE of the task as a normalization factor, having L_{pred} at the end of a prediction means that on quadratic average over the tasks, the model is $\frac{\sqrt{L_{\text{pred}}}}{|\text{tasks}|}$ times worse than the baselines.

The second model implemented is a multi-task *ResNet*, which stands for residual network and consists in adding the input to the output so that the model learns from the error between NWP and observations rather than observations themselves directly. The corresponding architecture is represented Figure 5 for a single-task model. Yet, the principle is the same when it comes to a multi-task model. During the training, in the situation represented, the model is equivalent to a standard network where the labels were replaced by the difference between the labels and the input, which are the numerical prediction errors here. The last multi-task network evaluated has convolutional shared layers so that it learns an abstract representation of the data sent to each value-specific head. Its main advantage is take into account the structure of the data, that is to say that it doesn't flatten the input matrix composed of different type of data series.

3 Results and discussion

Baseline

The results of the baseline models are illustrated through wind speed predictions. Conclusions are very similar for the other variables. Figure 6 plots the results of a linear regression in dimension 1, the explanatory variable being NWP at time t and the targeted output being the measured value at time $t + 1$. Analyzing both the NWP empirical error distribution and the one of the output of the model, such correction mainly removes the systematic bias. Hence the need for adding past measurements to the input. This is what is done by the model whose results are represented Figure 7.

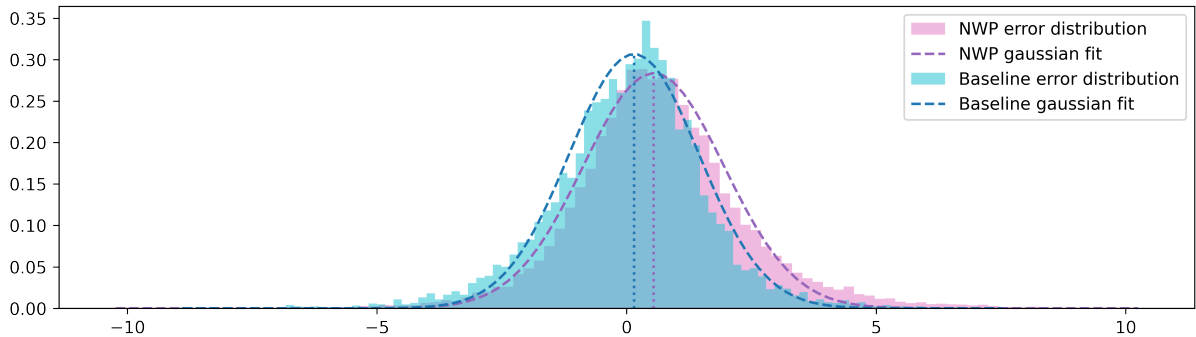


Figure 6 – Wind speed simple regression result

This model corrects bias too but also reduces the standard deviation of the error distribution. In what follows, as the errors approximately verify a normal distribution, the attention is mainly directed towards the standard deviation. First, the bias $\varepsilon_0 = \mathbb{E}[\varepsilon]$ where ε stands for the error, needs much less information to be corrected: bias correction is achieved thanks to a simple addition. Most of the investigated models thus remove it. Secondly, if $\hat{\sigma}$ is an estimate of the standard deviation of ε and $\hat{\varepsilon}_0$ is the empirical mean of ε – which is the maximum-likelihood estimate of ε_0 , we have:

$$\text{RMSE} = \sqrt{\frac{1}{N} \sum_{i=1}^N \varepsilon_i^2} \approx \sqrt{\mathbb{E}[\varepsilon^2]} = \sqrt{\hat{\sigma}^2 + \hat{\varepsilon}_0^2}$$

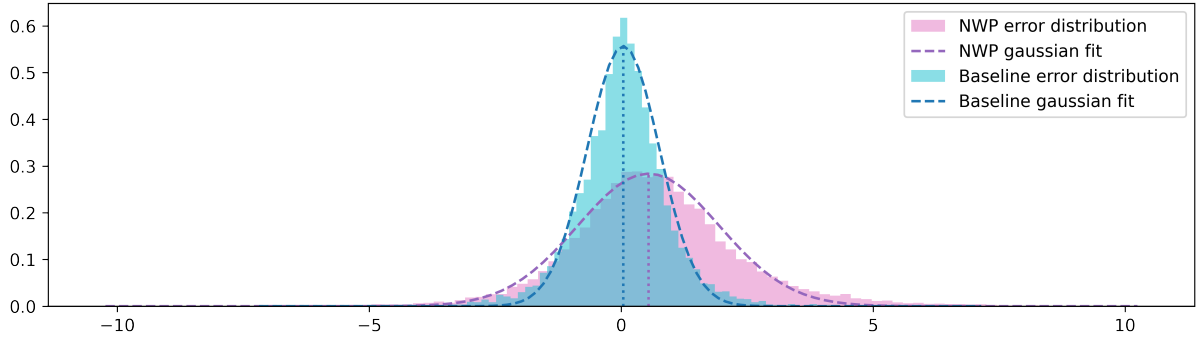


Figure 7 – *Wind speed baseline result*

Therefore, when the a model's bias is indeed negligible, $\text{RMSE} \approx \hat{\sigma}$. The previous model is more performant regarding both criteria but its concrete interest rather lies in the error distribution being sharper.

However, it is remarkable that an autoregression leads to almost as good results as the previous model, either considering their empirical error distributions or their RMSE. Figure 8 plots the coefficients associated with each model in order to compare the hidden mechanisms behind such predictions. What appears is first that the autoregression here is close to a persistence model in addition to bias correction: the predicted output is approximately a linear function of the observation at time t . Secondly, the previous model, called *baseline*, has quite similar coefficients as the autoregression. The main difference between the two series of coefficients lies in the intercept: whereas the autoregression has a high one which stands for bias correction, the second model has a very low intercept since the bias correction is rather computed from future NWP and past observations and NWP. That reveals the interest of taking into account both measurements and short-term NWP. For the same reasons, increasing the number of input timesteps n or adding the date to the inputs has no significant effect on performances.

That is also what explains that an autoregressive scheme is not effective for all variables: it leads to bad performances for the GHI for instance. Yet, it is clear that such a linear regression over NWP and measurements, whose coefficients were plotted, doesn't benefit the most from both series. It is therefore expected that a non-linear model reaches better precision and even more a multi-task model which is able to exploit the similarity between the prediction of the GHI and the wind.

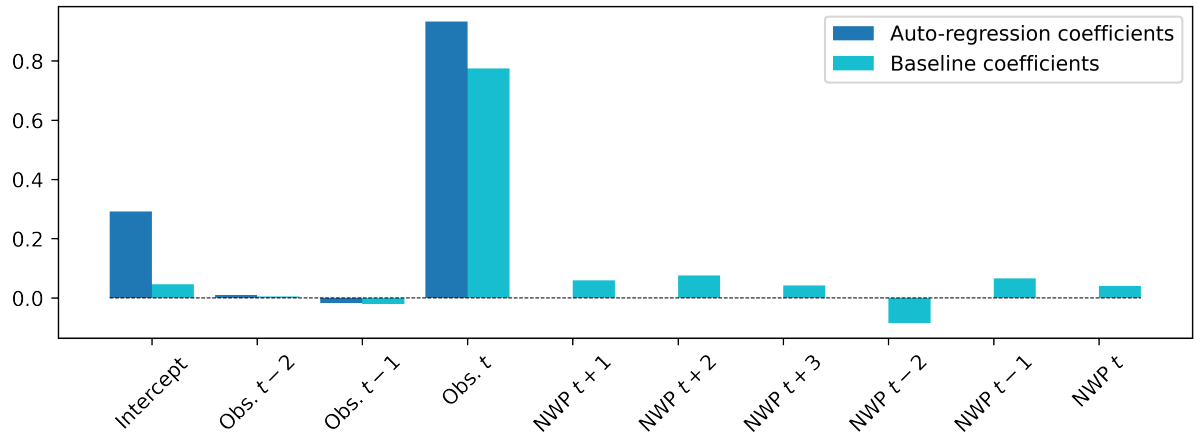


Figure 8 – *Wind speed regression coefficients*

Multi-task networks

Each of the multi-task, the residual multi-task and the convolutional multi-task models actually led to similar results as the baselines. The training generalizes well, as shown on Figure 9 and 10 and stop when the loss approximately reaches the baseline performances. As a matter of fact, the loss function were designed so that the models equal the baseline on quadratic average over the tasks when the loss reaches 10.

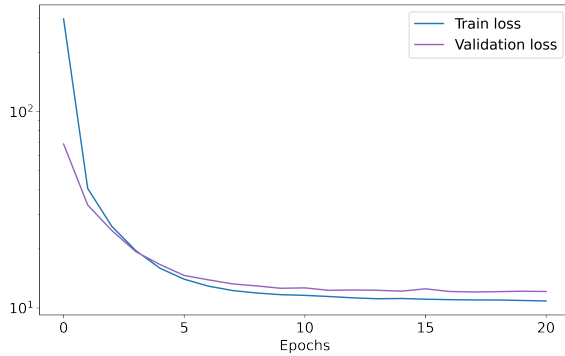


Figure 9 – ResNet training

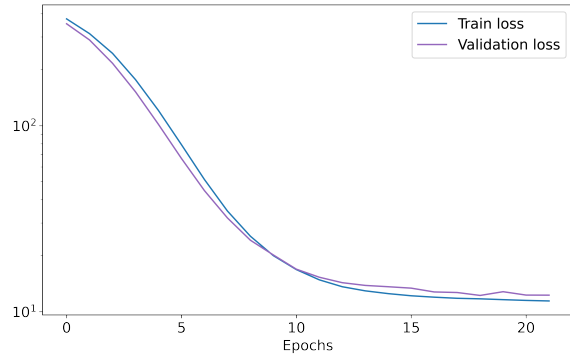


Figure 10 – ConvNet training

Table 1 compares the RMSE obtained in the different situations: NWP, linear baseline and convolutional multi-task network predicting each concerned variable one and two hours ahead. Not only are the multi-task RMSE higher but they increase fast with the number of timesteps predicted.

Such results reveal that the underlying system has a linear behaviour: the neural networks tend to mimic a linear model but is less good at it than a properly linear model. Considering the baselines' characteristics, it is clear that all the models implemented actually mainly rely on the measurement at time t when predicting value at time $t + 1$. In other words, the linear model doesn't manage to extract enough information from the rest of the input and the neural networks don't fix this issue. Hence a linear behaviour too. In other words, as they lack the ability to capture the right information, all the investigated models almost boil down to persistence with bias correction.

Such limit is likely to come from the absence of spatial information within the inputs whereas weather is fundamentally a time-space coupled system. Only a few NWP timeseries are not enough to convey a relevant part of the knowledge contained in the physical model used to make the predictions so that NWP correction cannot be achieved this way.

Feature	NWP RMSE	Baseline RMSE	Multi-task RMSE	
			Ouput 1	Output 2
GHI	40.70	61.03	44.32	54.38
W_x	1.97	1.09	1.13	1.36
W_y	1.12	2.24	1.16	1.43

Table 1 – Multi-task models results

Conclusion and future work

This paper is about considering multiple representations of a set of weather variables – GHI, temperature, wind speed and direction – including both *in-situ* measurements and model-based numerical predictions to output local short-term predictions of such variables and apply them to renewable energy planning. This selection of inputs brings to the model information on the future through NWP and accurate data on the past through measurements and thus allows NWP correction. Considering the relationships between the weather variables at stake and the similarity between the different prediction tasks, three multi-task models were investigated and compared to linear baseline models. The baselines showed encouraging performances, revealing that the chosen architecture could indeed participate in NWP correction. However, multi-tasks neural networks led to unexpectedly bad results and were unable to improve the baseline performances. The main conclusion that can be drawn is that the implemented models don't manage to fully benefit from the numerical predictions added value with respect to the observations.

The most promising perspective would be to take into account the space dimension, that is to say not to take as input the timeseries of each variable at a specific location – here Monaco – but a grid of such values all around the targeted place for each timestep. As the adopted strategy focusing on NWP correction was in particular chosen to tackle the geographical resolution of the numerical models, time-space models can be expected to bring more complete and useful information. That would especially allow more sophisticated convolutional models. It would also be interesting to investigate recurrent networks and particularly LSTM which can learn short-term as well as long-term mechanisms. Yet, the main obstacle remains the amount of data available which keeps from implementing deep networks.

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