

# DSA through C++

## Heap

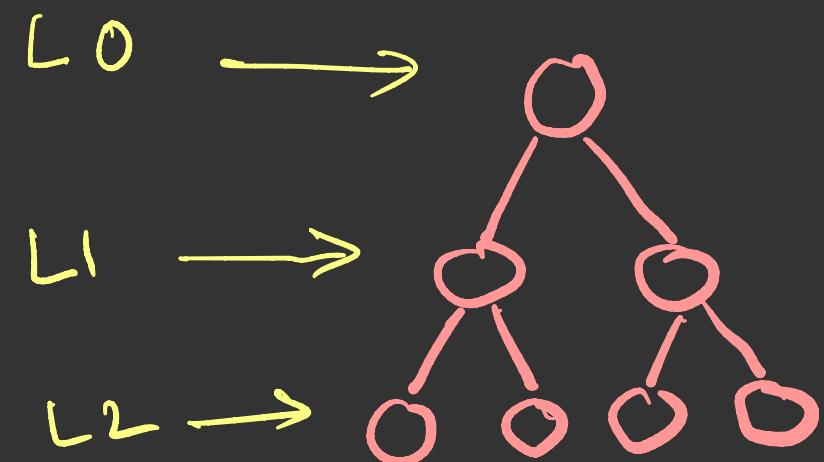


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# Agenda

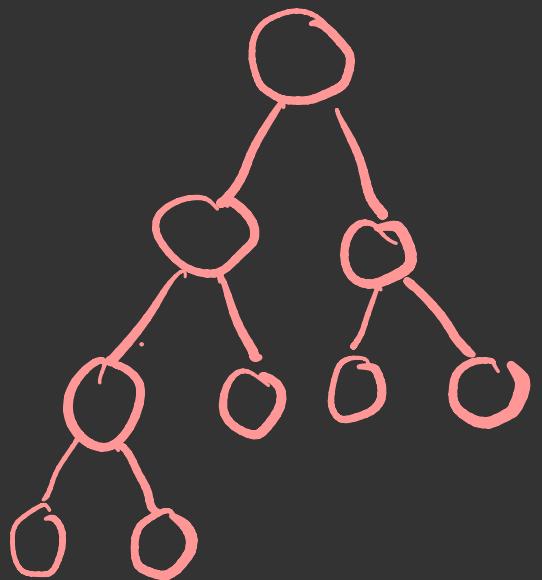
- ① Complete Binary Tree
- ② Almost Complete Binary Tree
- ③ Heap
- ④ Insertion in heap
- ⑤ Deletion in heap
- ⑥ Heap Sort

## Complete Binary Tree



All levels must be completely filled.

## Almost Complete Binary Tree



All level must be completely filled except possibly the last level and all the nodes in the last level must be left aligned

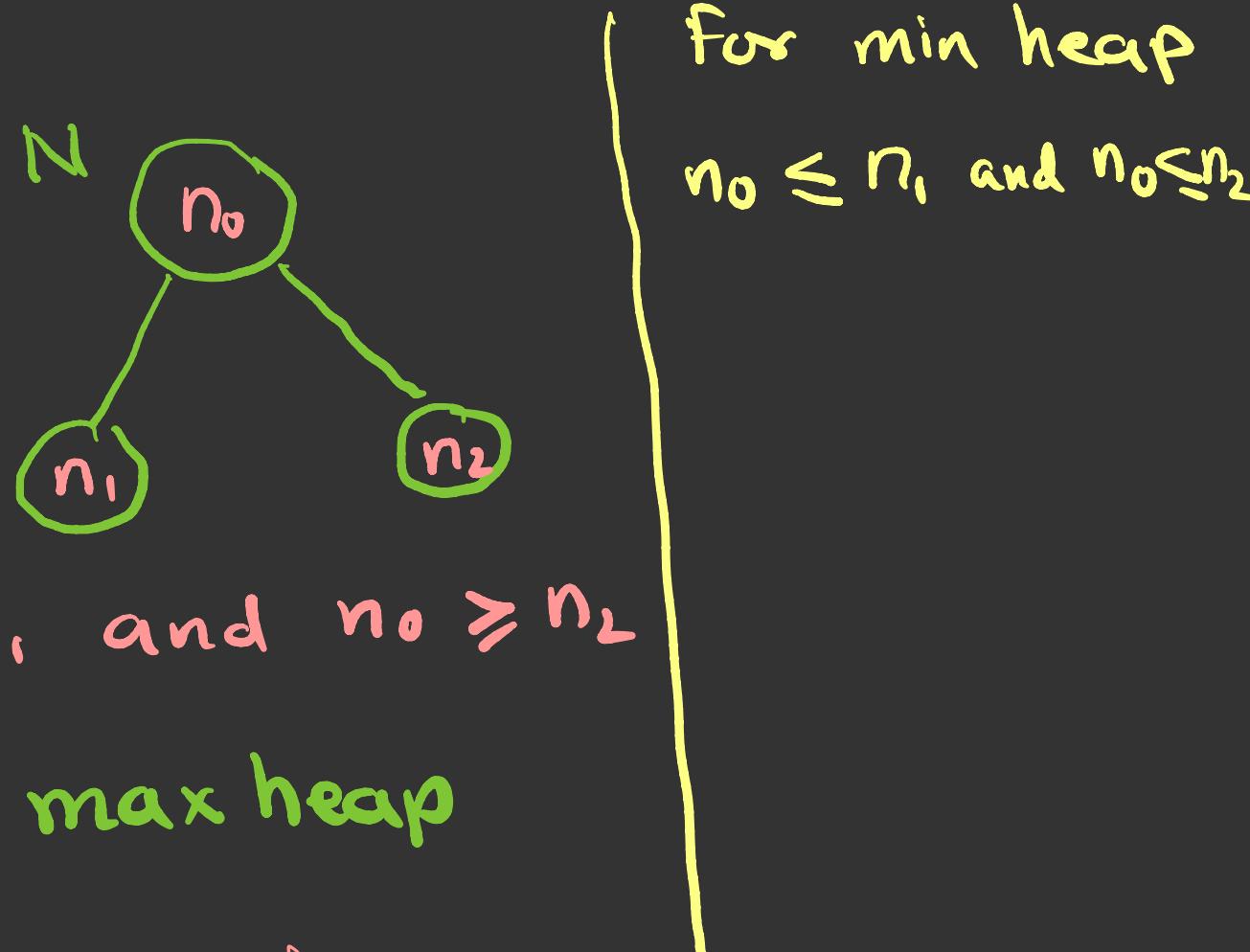
## Heap

- Heap is a data structure
- Heap is used in a sorting algorithm known as heap sort
- Heaps are of two types
  - Max Heap (default)
  - Min Heap

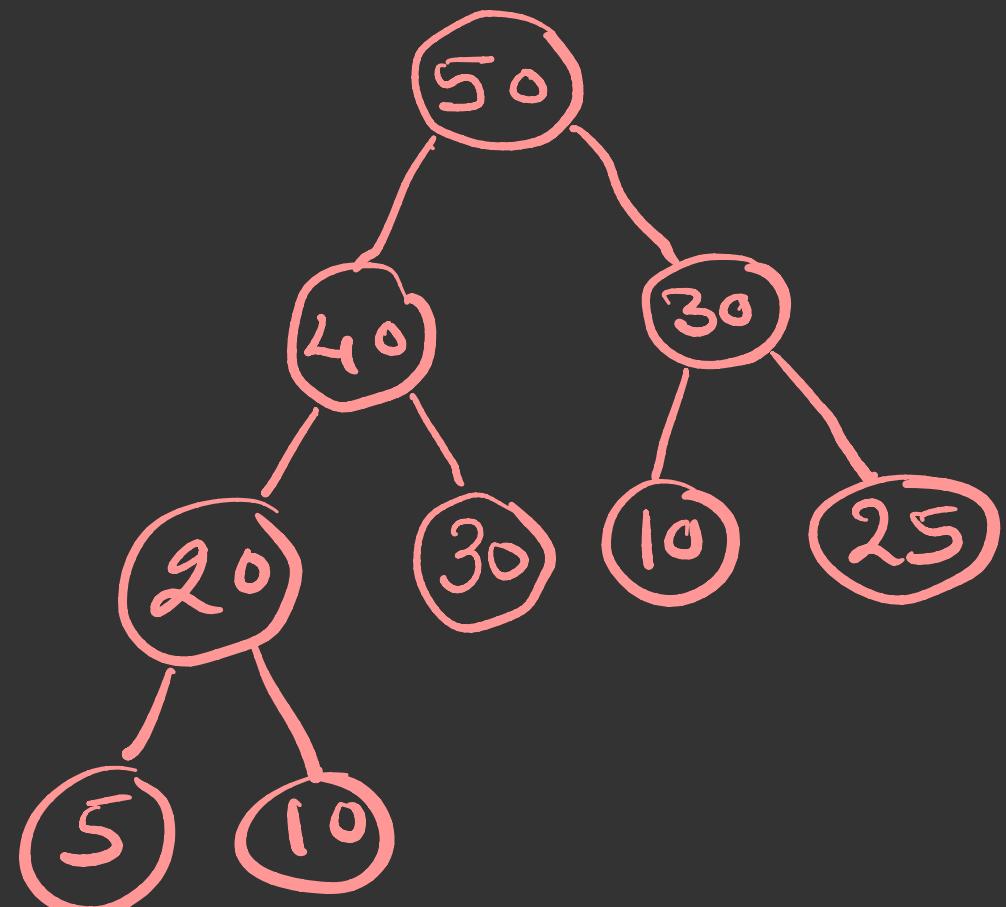
## Heap Properties

The value at node N is greater than or equal to value at each children of node N

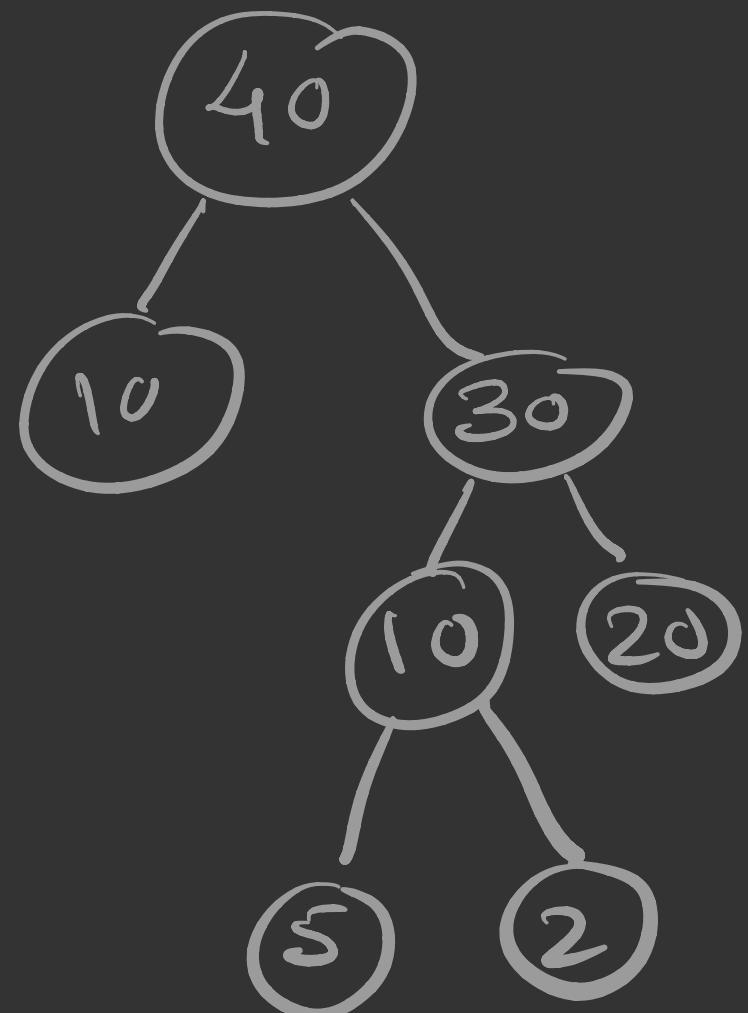
Heap must be an almost complete binary tree.



## Example



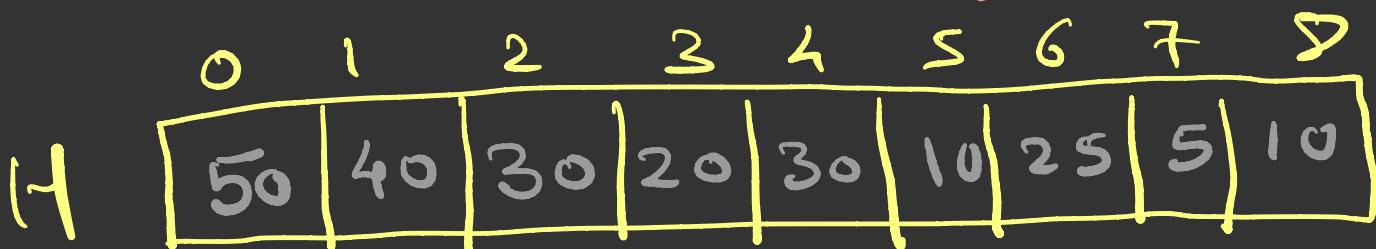
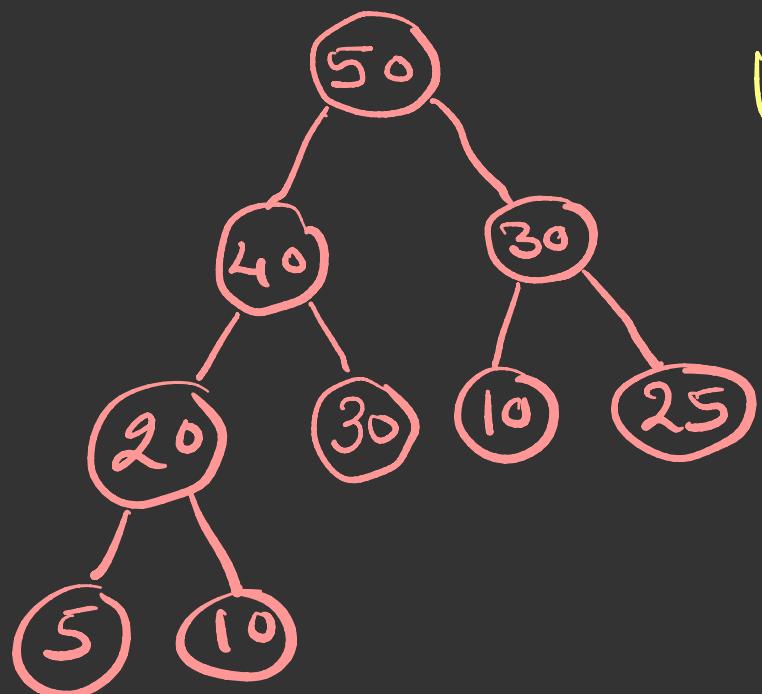
Max - heap

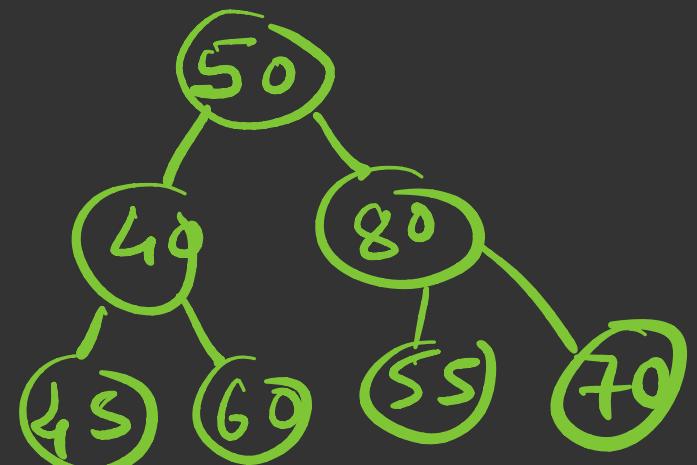
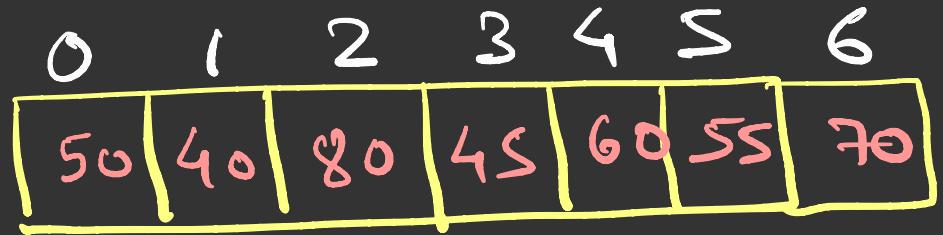
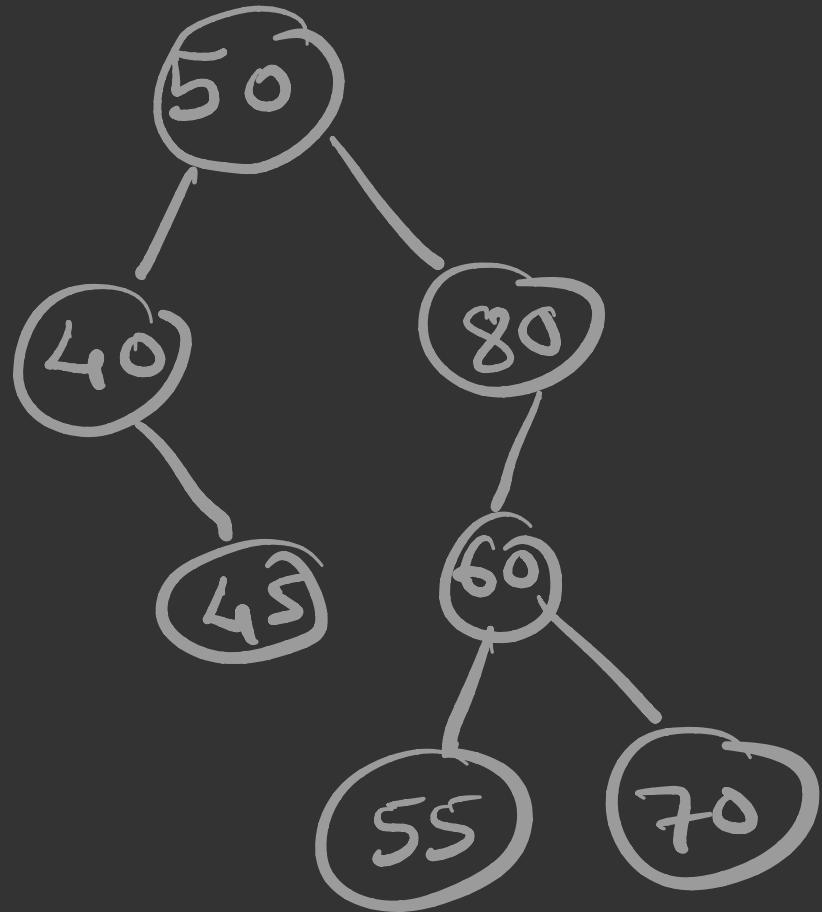


Not a heap

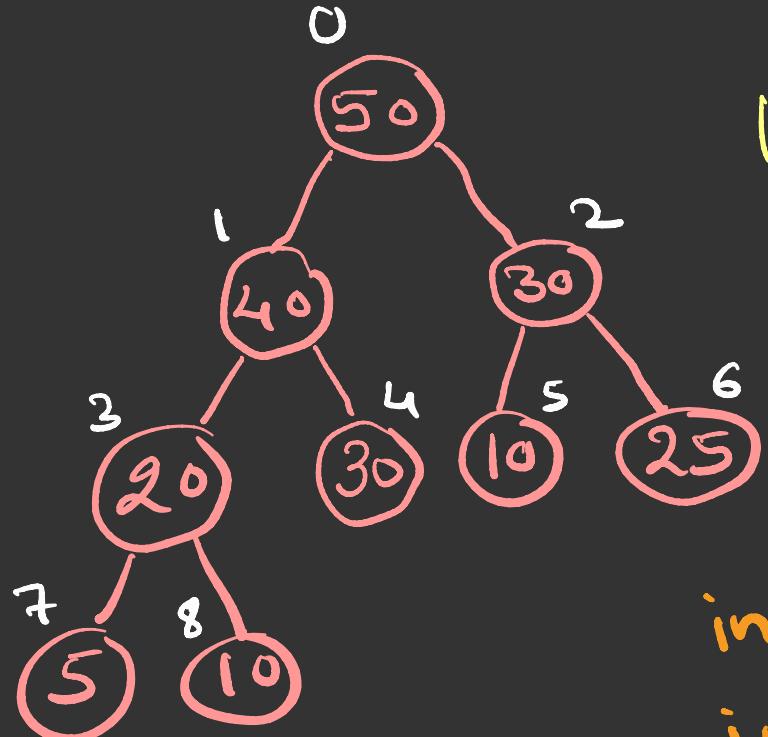
## Representation of Heap

Unless otherwise stated, heap is maintained in memory by a linear array.

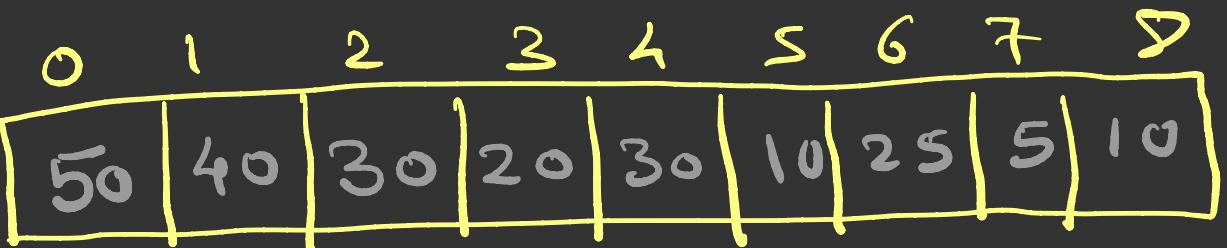




## How to find parent or child node?



H



How to find index of child nodes?

index is index of node N

index of left child =  $2 * \text{index} + 1$

index of right child =  $2 * \text{index} + 2$

How to find index of parent node?

index of node N = index

index of Parent node of N =  $\frac{\text{index} - 1}{2}$

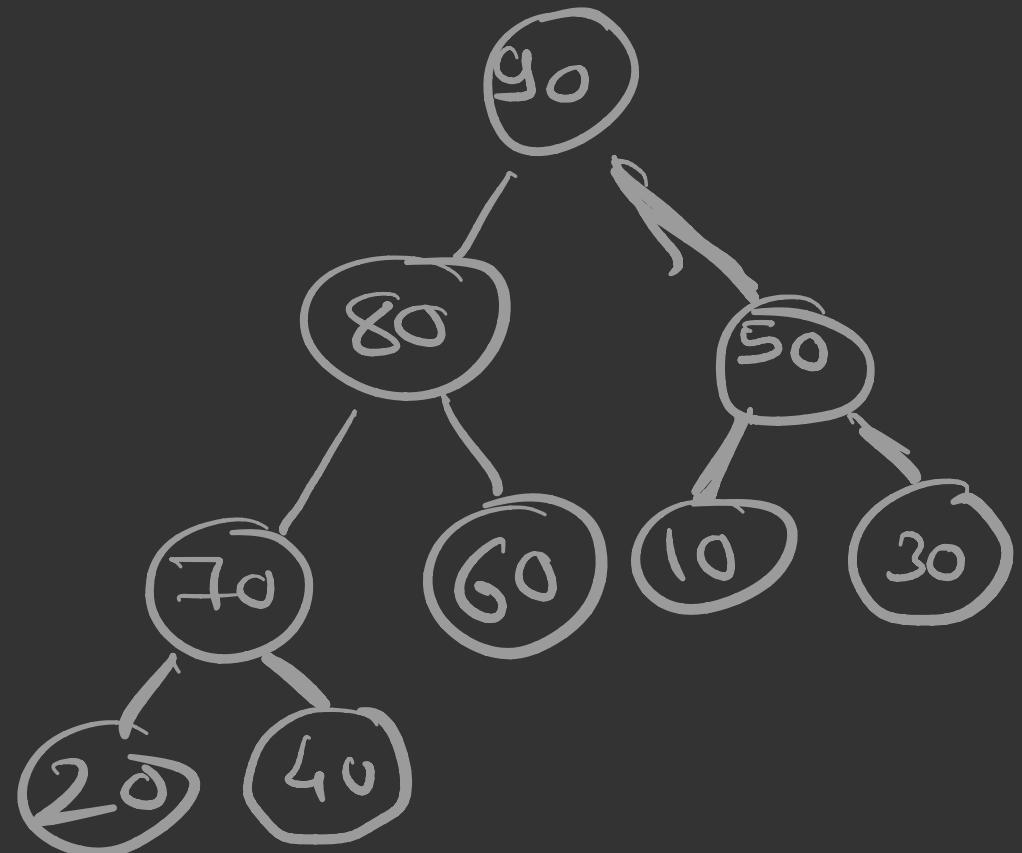
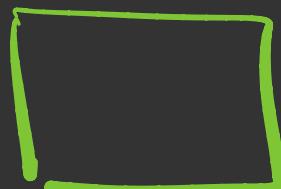
## Insertion

0	1	2	3	4	5	6	7	8
40	70	10	90	60	30	50	20	80

0	1	2	3	4	5	6	7	8	
H	90	80	50	70	60	10	30	20	40

HeapSize = 9

temp

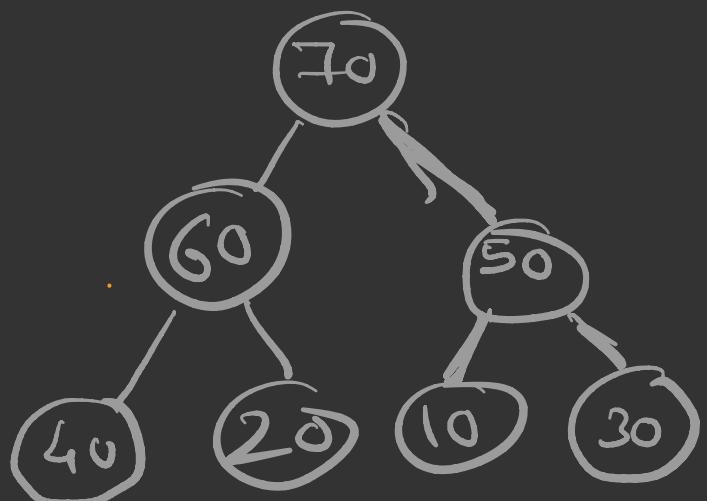


## Deletion

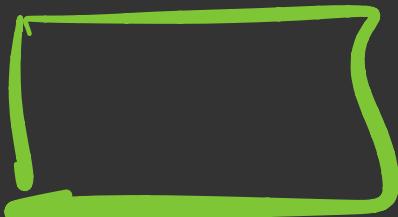
0	1	2	3	4	5	6	7	8
H	70	60	50	40	20	10	30	

90  
80

HeapSize = 887



temp



## Heap Sort

Delete values from the heap (max-heap) and store them in an array from right to left. As a result, at the end of deleting all the elements of heap, array becomes sorted.

Heap can be used to implement priority queue.