

(An ISO 21001 : 2018 Certified Institution)
Periyar E.V.R. High Road, Maduravoyal, Chennai-95. Tamilnadu, India.

RECORD NOTEBOOK

DESIGN AND ANALYSIS OF ALGORITHMS LAB (EBCS22L03)

2024-2025(EVEN SEMESTER)

DEPARTMENT OF COMPUTER SCIENCE AND ENGINEERING

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Name of Lab : DESIGN AND ANALYSIS OFALGORITHMS LAB

(EBCS22L03)

Department COMPUTERSCIENCEANDENGINEERING

Certified that this is the bonafide record of work done by **R.SANJU**231061101481 of II Year B.Tech (CSE), Sec-'BE' in the **DESIGN AND ANALYSIS**OF ALGORITHM'S LAB(EBCS22L03) during the year 2024-2025

Signature of Lab-in-Charge Signature of Head of Dept

Submitted for the Practical Examination held on -----

Internal Examiner External Examiner

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Ex.no:1 Date:

Quick Sort Algorithm

Aim:

Algorithm:

- 1. Input the number of elements(`n`).
- 2. Generate `n` random numbers** and store them in an array.
- 3. Start the timer to measure execution time.
- 4. Call Quick Sort function with the array and its bounds (low = 0, low = n-1).
- 5. Quick Sort function:
 - If `low < high`, partition the array and get the pivot index (`pi`).
 - Recursively sort the left sub-array (`low to pi-1`).
 - Recursively sort the right sub-array (`pi+1 to high`).
- 6. Partition function:
 - Select the pivot (last element of sub-array).
 - Rearrange elements so that smaller elements are before the pivot.
 - Swap the pivot to its correct position.
 - Return pivot index.
- 7. Stop the timer after sorting completes.
- 8. Display the sorted array.
- 9. Calculate and display execution time.

Flowchart:

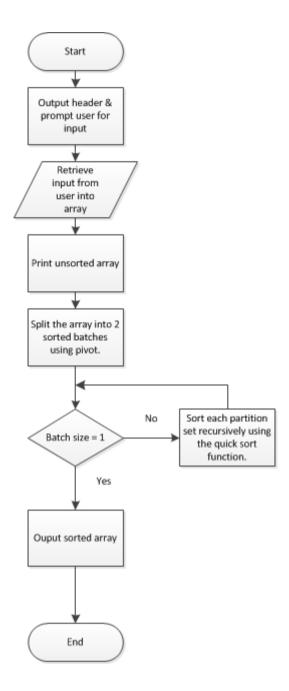


Fig.no 1a

Program:

```
#include <iostream>
#include <vector>
#include <cstdlib>
#include <ctime>
Void swap(int&a,int&b) {
  int temp = a;
  a = b;
  b = temp;
}
Int partition(std::vector<int> &arr, int low, int high) {
  int pivot = arr[high];
  int i = low - 1;
  for (int j = low; j < high; j++) {
     if (arr[j] <= pivot) {
       i++;
       swap(arr[i], arr[j]);
     }
  }
  swap(arr[i+1], arr[high]);
  return i + 1;
Void quickSort(std::vector<int> &arr, int low, int high) {
  if (low < high) {
     int pi = partition(arr, low, high);
     quickSort(arr, low, pi - 1);
     quickSort(arr, pi + 1, high);
  }
```

```
int main() {
  int n;
  std::cout<<"231061101481 & R.SANJU\n";
  std::cout << "Enter number of integers: ";</pre>
  std::cin >> n;
  std::vector<int> arr(n);
  srand(static_cast<unsigned>(time(nullptr)));
  std::cout << "Generated random numbers: ";</pre>
  for (int &num : arr) {
    num = rand() \% 100;
    std::cout << num << " ";
  }
  clock_t start = clock();
  quickSort(arr, 0, n - 1);
  clock_t end = clock();
  std::cout << "\nSorted array: ";</pre>
  for (const int &num : arr) {
    std::cout << num << " ";
  }
  double time_taken = static_cast<double>(end - start) / CLOCKS_PER_SEC;
  std::cout << "\nTime taken: " << time_taken << " seconds\n";
  return 0;
}
```

Program explanation:

- 1. Generate random numbers and store them in an array.
- 2. Select a pivot from the array and partition elements into smaller and larger groups.
- 3. Recursively apply QuickSort on the left and right sub-arrays.
- 4. Swap elements to ensure correct order.
- 5. Sort the array completely by continuing partitioning.
- 6. Display the sorted numbers and execution time.

Output:

231061101481 & R.SANJU

Enter number of integers: 5

Generated random numbers: 23 17 55 9 58

Sorted array: 9 17 23 55 58

Time taken: 2e-06 seconds

Fig.no:1b

RESULT:

Exp.no:2		Date:
	Strassen matrix	

Aim:

Algorithm:

- 1. Divide the matrices into four equal submatrices.
- 1. Compute seven intermediate matrices using recursive multiplication.
- 3. Calculate submatrix products using scalar additions and subtractions.
- 4. Recursively compute the seven matrix products for smaller submatrices.
- 5. Construct the final submatrices using computed values.
- 6. Merge the submatrices to form the final matrix.
- 7. Return the result matrix as the product of the original matrices.

Flow chart:

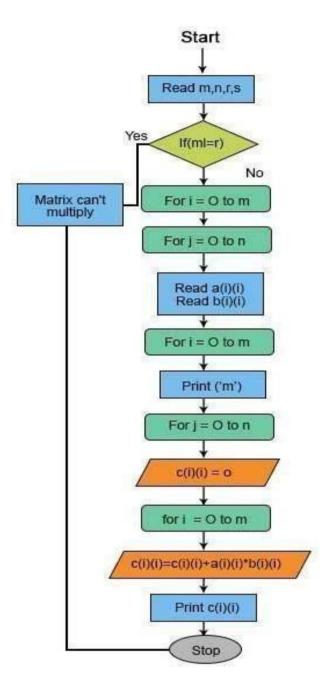


Fig.no:2

Program:

```
#include <iostream>
    using namespace std;
    void multiplyMatrices(int A[][10], int B[][10], int C[][10], int rowsA, int colsA, int rowsB, int
    colsB) {
       if (colsA != rowsB) {
         cout << "Matrix multiplication not possible. Columns of A must equal rows of B." <<
    endl;
         retur
for (int i = 0; i < rowsA; i++) { for (int j = 0; j < colsB; j++) {
            C[i][j] = 0;
            for (int k = 0; k < cols A; k++) {
              C[i][j] += A[i][k] * B[k][j];
            }
    int main() {
       cout<<"231061101481 & R.SANJU\n";
       int rowsA, colsA, rowsB, colsB;
       int A[10][10], B[10][10], C[10][10];
       cout << "Enter number of rows and columns for first matrix: ";</pre>
       cin >> rowsA >> colsA;
       cout << "Enter number of rows and columns for second matrix: ";
       cin >> rowsB >> colsB;
       if (colsA = rowsB) {
          cout << "Matrix multiplication not possible. Columns of A must equal rows of B." <<
    endl;
         return 1
       }
```

```
cout << "Enter elements of first matrix:" << endl;</pre>
for (int i = 0; i < rowsA; i++) {
  for (int j = 0; j < colsA; j++) {
     cin >> A[i][j];
  }
cout << "Enter elements of second matrix:" << endl;</pre>
for (int i = 0; i < rowsB; i++) {
  for (int j = 0; j < colsB; j++) {
     cin \gg B[i][j];
  }
multiplyMatrices(A, B, C, rowsA, colsA, rowsB, colsB);
cout << "Resultant matrix:" << endl;</pre>
for (int i = 0; i < rowsA; i++) {
  for (int j = 0; j < colsB; j++) {
     cout << C[i][j] << " ";
   }
  cout << endl;
return 0;
```

}

Program Explanation:

- 1. Initialize matrices `A` and `B` and store their elements.
- 2. Create a result matrix `C`, initially filled with zeros.
- 3. Multiply corresponding elements of matrices using nested loops.
- 4. Store computed values in matrix `C`.
- 5. Complete multiplication for all elements.
- 6. Print the final matrix `C` as output.

Output:

231061101481 & R.SANJU Enter number of rows and columns for first matrix: 2 2 Enter number of rows and columns for second matrix: 2 2 Enter elements of first matrix: 4 5 3 2 Enter elements of second matrix: 7 5 9 4 Resultant matrix: 73 40 39 23

Fig.no:2b

RESULT:

Exp.no:3		Date:
	Warshall Algorithm	

Aim:

Algorithm:

- 1. Initialize the adjacency matrix representing the graph.
- 2. Set diagonal elements to 1 (each node is reachable from itself).
- 3. Iterate over all intermediate vertices (k from 1 to n).
- 4. For each pair of vertices (i, j), update the reachability:
- 5. If i can reach k and k can reach j, then i can reach j.
- 6. Repeat for all vertices to compute transitive closure.
- 7. Return the updated matrix, showing reachability between all pairs.

Flowchart

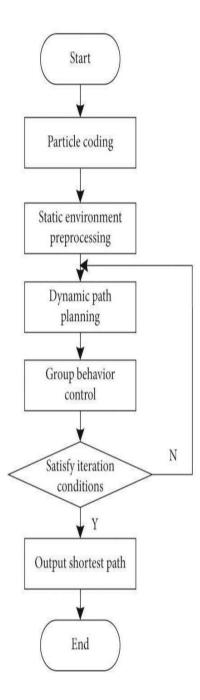


Fig.no:3a

Program:

```
#include <iostream>
using namespace std;
void warshallTransitiveClosure(int graph[][10], int V) {
  int tc[10][10];
  for (int i = 0; i < V; i++)
     for (int j = 0; j < V; j++)
        tc[i][j] = graph[i][j];
  for (int k = 0; k < V; k++) {
     for (int i = 0; i < V; i++) {
        for (int j = 0; j < V; j++) {
          tc[i][j] = tc[i][j] \parallel (tc[i][k] \&\& tc[k][j]);
        }
  cout << "Transitive Closure:\n";</pre>
  for (int i = 0; i < V; i++) {
     for (int j = 0; j < V; j++) {
        cout << tc[i][j] << " ";
     }
     cout << endl;
  }
  int main() {
  cout<<"231061101481 & R.SANJU\n";
  int V;
  int graph[10][10];
  cout << "Enter number of vertices (max 10): ";</pre>
  cin >> V;
  cout << "Enter adjacency matrix:\n";</pre>
  for (int i = 0; i < V; i++)
```

```
for (int j = 0; j < V; j++) \\ cin >> graph[i][j]; \\ warshallTransitiveClosure(graph, V); \\ return 0; \\ \}
```

Program Expanation:

- 1. Initialize adjacency matrix with connectivity between vertices.
- 2. Copy initial values into the transitive closure matrix.
- 3. Iterate over all vertices as possible intermediate nodes.
- 4. Update reachability between vertex pairs using logical OR.
- 5. Process all vertices to compute transitive closure.
- 6. Display the final transitive closure matrix.

Output:

```
231061101481 & R.SANJU
Enter number of vertices (max 10): 2
Enter adjacency matrix:
5
6
1
3
Transitive Closure:
1 1
1 1
```

Fig.no:3b

RESULT:

•

Exp.no:4	Date:

Floyd-Warshall algorithm

Aim:

Algorithm:

- 1. Initialize the adjacency matrix with edge weights; set unreachable paths to infinity.
- 2. Set diagonal elements to zero (each node's shortest path to itself is zero).
- 3. Iterate over all intermediate vertices ('k' from '1' to 'n').
- 4. For each pair of vertices (`i`, `j`), update the shortest path:
 - If $i \to k \to j$ is shorter than $i \to j$, update the distance.
- 5. Repeat for all vertices to compute shortest paths between all pairs.
- 6. Store the final matrix, which contains the shortest distances between all nodes.
- 7. Return the matrix as the solution to the shortest path problem.

Flowchart:

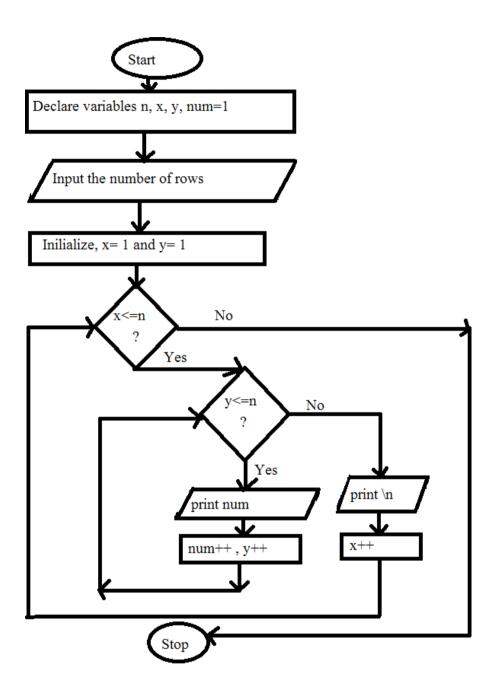


Fig.no:4a

Program:

```
#include <iostream>
         #include <vector>
         #include <climits>
         #define V 4
         #define INF INT_MAX
        void floydWarshall(std::vector<std::vector<int>>& graph) {
for (int k = 0; k < V; k++) {
              for (int i = 0; i < V; i++) {
                 for (int j = 0; j < V; j++) {
                   if (graph[i][k] != INF && graph[k][j] != INF) {
                     graph[i][j] = std::min(graph[i][j], graph[i][k] + graph[k][j]);
                   }
                 }
         void printGraph(const std::vector<std::vector<int>>& graph) {
           std::cout << "All-Pairs Shortest Path Matrix:\n";</pre>
           for (int i = 0; i < V; i++) {
              for (int j = 0; j < V; j++) {
                if(graph[i][j] == INF)
                   std::cout << "INF";
                else
                   std::cout << graph[i][j] << " ";
              }
              std::cout << '\n';
           }
         }
         int main() {
           std::vector<std::vector<int>> graph(V, std::vector<int>(V));
           std::cout<<"231061101481 & R.SANJU\n";
           std::cout << "Enter adjacency matrix (" << V << "x" << V << ") for the weighted
```

```
\begin{split} & graph: \n"; \\ & std::cout << "(Use " << INF << " for no direct path) \n"; \\ & for (int i = 0; i < V; i++) \ \{ \\ & for (int j = 0; j < V; j++) \ \{ \\ & std::cin >> graph[i][j]; \\ & \} \\ & \} \\ & floydWarshall(graph); \\ & printGraph(graph); \\ & return 0; \end{split}
```

Program Explanation:

- 1. Initialize adjacency matrix with edge weights.
- 2. Set unreachable paths to infinity (`INF`).
- 3. Consider each node as an intermediate vertex.
- 4. Update shortest paths using the formula `distance[i][j] = min(distance[i][j], distance[i][k]
- + distance[k][j])`.
- 5. Complete shortest path computation for all vertex pairs.
- 6. Display the final shortest path matrix.

Output:

```
231061101481 & R.SANJU
Enter adjacency matrix (4x4) for the weighted graph:
(Use 2147483647 for no direct path)
8 3 4 7
7 3 2 4
6 2 3 7
2 1 4 8
All-Pairs Shortest Path Matrix:
8 3 4 7
6 3 2 4
6 2 3 6
2 1 3 5
```

Fig.no:4b

RESULT:

Exp.no:5		
	Travelling Salesman Problem	

Aim:

Algorithm:

- 1. List all cities and their distances.
- 2. Generate all possible routes visiting each city exactly once.
- 3. Calculate the total distance for each route.
- 4. Select the route with the minimum total distance.
- 5. Use dynamic programming or branch-and-bound to optimize the search.
- 6. Store the optimal path and its cost.
- 7. Return the shortest route as the solution.

Flowchart:

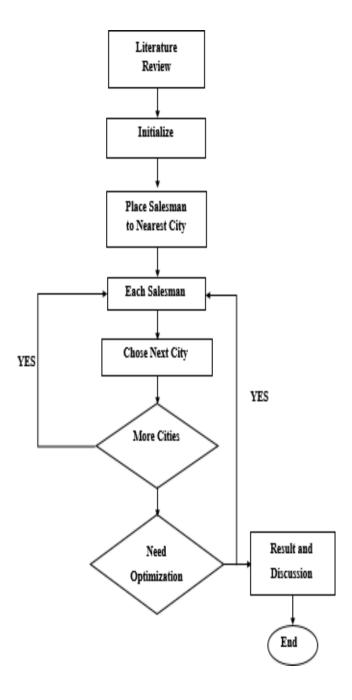


Fig.no:5a

Program:

```
#include <iostream>
#include <climits>
#define V 4
#define INF INT_MAX
int minCost = INF;
int optimalPath[V];
void branchAndBound(int graph[V][V], int path[], int visited[], int level, int cost) {
  if (level == V) {
     if (graph[path[V - 1]][path[0]] == INF) return; // Prevent overflow
     cost += graph[path[V - 1]][path[0]];
     if (cost < minCost) {
       minCost = cost;
       for (int i = 0; i < V; i++)
          optimalPath[i] = path[i];
     }
     return;
  }
  for (int i = 0; i < V; i++) {
     if (!visited[i] && graph[path[level - 1]][i] != INF) {
       visited[i] = 1;
       path[level] = i;
       branchAndBound(graph, path, visited, level + 1, cost + graph[path[level - 1]][i]);
       visited[i] = 0;
     }
  }
}
int nearestNeighbor(int graph[V][V], int start) {
  int cost = 0, current = start;
  bool visited[V] = {false};
  visited[current] = true;
  for (int count = 1; count < V; count++) {
     int nearest = -1, minDist = INF;
231061101481
                                                                               R.SANJU
                                                27
```

```
for (int j = 0; j < V; j++) {
       if (!visited[j] && graph[current][j] < minDist) {</pre>
          minDist = graph[current][j];
          nearest = i;
       }
     if (nearest == -1) return INF; // No valid path
     cost += minDist;
     current = nearest:
     visited[current] = true;
  }
  if (graph[current][start] == INF) return INF;
  cost += graph[current][start]; // Return to start
  return cost;
}
int main() {
  int graph[V][V];
  std::cout<<"231061101481 & R.SANJU\n";
  std::cout << "Enter adjacency matrix (" << V << "x" << V << ") for the weighted
graph:\n";
  std::cout << "(Enter -1 if no direct path exists between nodes)\n";
  for (int i = 0; i < V; i++)
     for (int j = 0; j < V; j++) {
       int val;
       std::cin >> val;
       graph[i][j] = (val == -1) ? INF : val;
  int path[V], visited[V] = \{0\};
  path[0] = 0;
  visited[0] = 1;
  branchAndBound(graph, path, visited, 1, 0);
  int approxCost = nearestNeighbor(graph, 0)
  std::cout << "\nOptimal TSP Cost (Branch & Bound): ";
  if (minCost == INF)
231061101481
                                                                               R.SANJU
                                                28
```

```
std::cout << "No valid tour exists.\n";
else {
  std::cout << minCost << "\nOptimal Path: ";</pre>
  for (int i = 0; i < V; i++)
     std::cout << optimalPath[i] << " ";</pre>
  std::cout << optimalPath[0] << "\n"; // Return to start
}
std::cout << "Approximate TSP Cost (Nearest Neighbor): ";</pre>
if (approxCost == INF)
  std::cout << "No valid tour exists.\n";
else {
  std::cout << approxCost << "\n";
  if (minCost != INF) {
     float error = ((float)(approxCost - minCost) / minCost) * 100;
     std::cout << "Approximation Error: " << error << "%\n";
  }
}
return 0;
```

}

Program Explanation:

- 1. Define cities and their distances in a matrix.
- 2. Use branch-and-bound method to explore possible routes.
- 3. Calculate cost of each possible route.
- 4. Track the minimum cost route as the best solution.
- 5. Use nearest neighbor heuristic for approximation.
- 6. Display optimal and approximate solutions with error percentage.

Output:

```
231061101481 & R.SANJU
Enter adjacency matrix (4x4) for the weighted graph:
(Enter -1 if no direct path exists between nodes)
9 6 9 8
8 6 7 9
7 8 9 7
9 5 8 9
ERROR!

Optimal TSP Cost (Branch & Bound): 27
Optimal Path: 0 3 1 2 0
Approximate TSP Cost (Nearest Neighbor): 29
Approximation Error: 7.40741%
```

Fig.no:5b

RESULT:

Knapsack Problem

Aim:

.

Algorithm:

- 1. Initialize a table for storing maximum values for different weights.
- 2. Iterate over items, checking if they fit in the knapsack.
- 3. For each item, decide whether to include it based on maximum value achievable.
- 4. Update the table with the best possible value at each weight.
- 5. Trace back to determine selected items.
- 6. Store the optimal selection of items.
- 7. Return the maximum value achievable within the weight limit.

Flowchart:

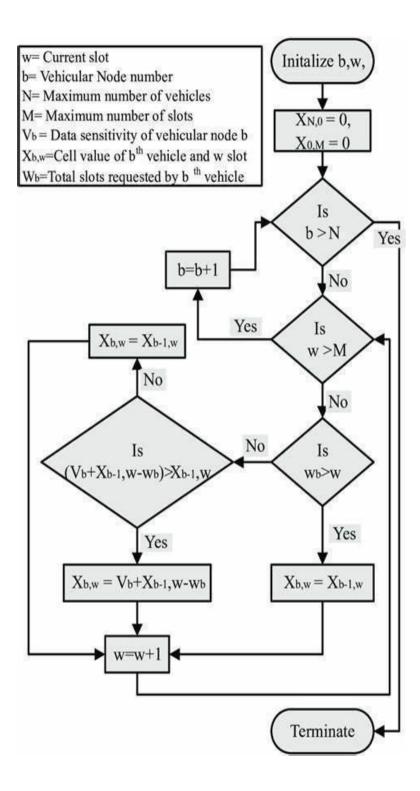


Fig.no:6a

```
#include <iostream>
#include <vector>
#include <algorithm>
using namespace std;
int knapsack(int W, const vector<int>& wt, const vector<int>& val, int n) {
  vector<vector<int>> dp(n + 1, vector<int>(W + 1, 0));
  for (int i = 1; i \le n; ++i) {
    for (int w = 1; w \le W; ++w) {
       if (wt[i - 1] \le w) {
          dp[i][w] = max(dp[i-1][w], val[i-1] + dp[i-1][w-wt[i-1]]);
       } else {
          dp[i][w] = dp[i - 1][w];
       }
     }
  return dp[n][W];
}
int main() {
  int n, W;
  cout<<"231061101481 & R.SANJU\n";
  cout << "Enter the number of items: ";</pre>
  cin >> n;
  vector < int > wt(n), val(n);
  cout << "Enter the capacity of the knapsack: ";</pre>
  cin \gg W;
  cout << "Enter the weights and values of the items:\n";
  for (int i = 0; i < n; ++i) {
    cout << "Item" << i + 1 << " - Weight: ";
    cin >> wt[i];
    cout << "Item" << i + 1 << " - Value: ";
    cin >> val[i];
  }
231061101481
```

```
int maxProfit = knapsack(W, wt, val, n);
cout << "\nMaximum value in Knapsack = " << maxProfit << endl;
return 0;
}</pre>
```

- 1. Initialize a table for storing computed values.
- 2. Check each item for inclusion based on weight capacity.
- 3. Choose items that maximize value without exceeding weight limit.
- 4. Update values recursively to find optimal solutions.
- 5. Complete table computation for maximum profit.
- 6. Display the highest achievable value in knapsack.

```
231061101481 & R.SANJU
Enter the number of items: 3
Enter the capacity of the knapsack: 50
Enter the weights and values of the items:
Item 1 - Weight: 26
Item 1 - Value: 10
Item 2 - Weight: 40
Item 2 - Value: 35
Item 3 - Weight: 68
Item 3 - Value: 59

Maximum value in Knapsack = 35
```

Fig.no:6b

Date:

Dijkstra's Algorithm

Aim:

.Algorithm:

- 1. Initialize distance from the source to all vertices as infinity, except the source itself.
- 2. Set the source vertex as visited.
- 3. For each unvisited neighbor, update its shortest distance if a shorter path is found.
- 4. Select the next vertex with the smallest known distance.
- 5. Repeat until all vertices are visited and shortest paths are determined.
- 6. Store the shortest paths from the source to all vertices.
- 7. Return the shortest path distances for all nodes.

Flowchart:

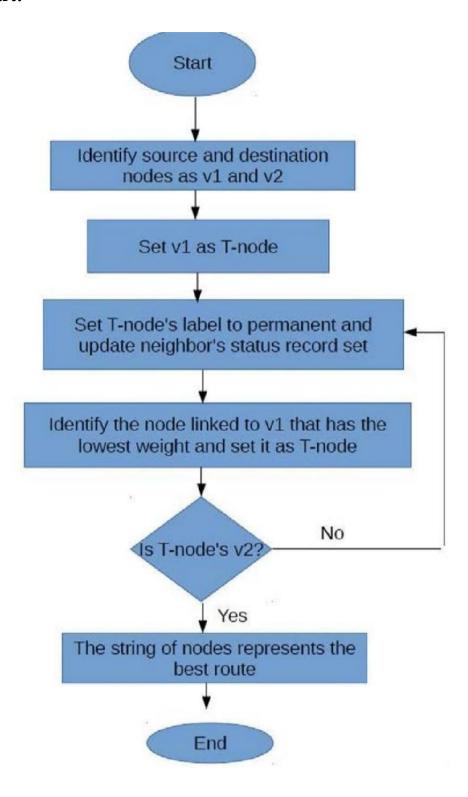


Fig.no:7a

```
#include <iostream>
#include <climits>
#include <vector>
using namespace std;
void dijkstra(const vector<vector<int>>& graph, int vertices, int start) {
  const int INF = INT_MAX;
  vector<int> distance(vertices, INF);
  vector<bool> visited(vertices, false);
  distance[start] = 0;
  for (int count = 0; count < vertices - 1; ++count) {
     int minDistance = INF, minIndex = -1;
     for (int i = 0; i < vertices; ++i) {
       if (!visited[i] && distance[i] < minDistance) {
          minDistance = distance[i];
          minIndex = i;
       }
     if (minIndex == -1) break; // All remaining vertices are unreachable
     visited[minIndex] = true;
     for (int j = 0; j < vertices; ++j) {
       if (!visited[j] &&
          graph[minIndex][j] != 0 &&
          distance[minIndex] != INF &&
          distance[minIndex] + graph[minIndex][j] < distance[j]) {</pre>
          distance[j] = distance[minIndex] + graph[minIndex][j];
  cout << "\nVertex\tDistance from Source\n";</pre>
  for (int i = 0; i < vertices; ++i) {
     cout \ll i \ll "\t";
```

```
if (distance[i] == INF)
        cout << "INF";</pre>
     else
        cout << distance[i];</pre>
     cout \ll "\n";
  }
}
int main() {
  cout<<"231061101481 & R.SANJU\n";
  int vertices, start;
  cout << "Enter number of vertices: ";</pre>
  cin >> vertices;
  vector<vector<int>>> graph(vertices, vector<int>(vertices));
  cout << "Enter adjacency matrix (use 0 for no direct path):\n";
  for (int i = 0; i < vertices; ++i) {
     for (int j = 0; j < vertices; ++j) {
        cin >> graph[i][j];
     }
  cout << "Enter starting vertex (0 to " << vertices - 1 << "): ";
  cin >> start;
  if (start < 0 \parallel start >= vertices) {
     cout << "Invalid starting vertex.\n";</pre>
     return 1;
  }
  dijkstra(graph, vertices, start);
  return 0;
}
```

- 1. Initialize distances from source as infinite ('INF').
- 2. Set source distance to zero and mark it as visited.
- 3. Select the nearest vertex and update distances of neighbors.
- 4. Repeat for all vertices to find shortest paths.
- 5. Complete path computation ensuring optimal distances.
- 6. Display shortest distances from source to all nodes.

```
Enter number of vertices: 3
Enter adjacency matrix (use 0 for no direct path):
0 5 3
4 2 0
2 6 0
Enter starting vertex (0 to 2): 2

Vertex Distance from Source
0 2
1 6
2 0
```

Fig.no:7b

Date:

Kruskal's Algorithm

Aim:

Algorithm:

- 1. Sort all edges by increasing weight.
- 2. Initialize a forest with each vertex as a separate tree.
- 3. Iterate through edges, adding them if they don't form a cycle.
- 4. Use Union-Find to check for cycles.
- 5. Continue adding edges until all vertices are connected.
- 6. Store the minimum spanning tree with selected edges.
- 7. Return the minimum spanning tree as the solution.

Flowchart:

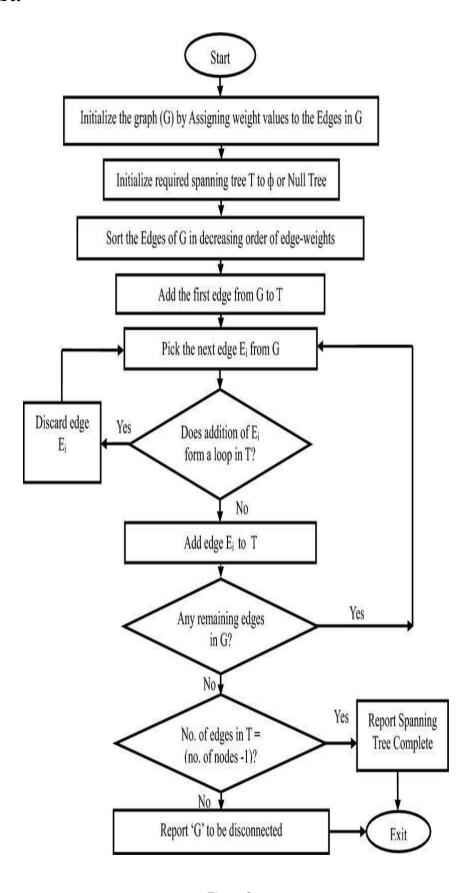


Fig.no:8a

```
#include <iostream>
#include <vector>
#include <algorithm>
#define MAX_VERTICES 10
struct Edge {
  int src, dest, weight;
};
class DisjointSet {
  std::vector<int> parent, rank;
public:
  DisjointSet(int n) {
     parent.resize(n);
     rank.resize(n, 0);
     for (int i = 0; i < n; i++)
       parent[i] = i;
  }
  int find(int u) {
     if (parent[u] != u)
       parent[u] = find(parent[u]); // Path compression
     return parent[u];
  }
  void unite(int u, int v) {
     int rootU = find(u);
     int rootV = find(v);
     if (rootU!=rootV) {
       if(rank[rootU] > rank[rootV])
          parent[rootV] = rootU;
       else if (rank[rootU] < rank[rootV])</pre>
          parent[rootU] = rootV;
       else {
          parent[rootV] = rootU;
          rank[rootU]++;
231061101481
```

```
}
};
void kruskalMST(std::vector<Edge>& edges, int V) {
  DisjointSet ds(V);
  int mstWeight = 0;
  std::vector<Edge> mst;
  std::sort(edges.begin(), edges.end(), [](const Edge& a, const Edge& b) {
    return a.weight < b.weight; });
  for (const auto& edge : edges) {
    int rootSrc = ds.find(edge.src);
    int rootDest = ds.find(edge.dest);
    if (rootSrc != rootDest) {
       mst.push_back(edge);
       mstWeight += edge.weight;
       ds.unite(rootSrc, rootDest);
     }
  }
  std::cout << "\nEdges in the Minimum Spanning Tree:\n";</pre>
  for (const auto& edge: mst)
     std::cout << edge.src << " - " << edge.dest << " : " << edge.weight << "\n";
  std::cout << "Total MST Weight: " << mstWeight << "\n";
}
int main() {
  int V, E;
  std::cout<<"231061101481 & R.SANJU\n";
  std::cout << "Enter number of vertices: ";</pre>
  std::cin >> V;
  std::cout << "Enter number of edges: ";</pre>
  std::cin >> E;
  std::vector<Edge> edges(E);
```

```
std::cout << "Enter edges (src dest weight):\n"; \\ for (int i = 0; i < E; i++) \\ std::cin >> edges[i].src >> edges[i].dest >> edges[i].weight; \\ kruskalMST(edges, V); \\ return 0; \\ \}
```

- 1. Sort edges based on increasing weight.
- 2. Initialize parent sets for all vertices.
- 3. Select edges one by one, ensuring no cycles.
- 4. Use Union-Find to check connectivity.
- 5. Continue adding edges until all vertices are connected.
- 6. Display minimum spanning tree edges and total cost.

```
231061101481 & R.SANJU
Enter number of vertices: 2
Enter number of edges: 2
Enter edges (src dest weight):
4
7
3
9
1
2
Edges in the Minimum Spanning Tree:
9 - 1 : 2
Total MST Weight: 2
```

Fig.no:8b

Exp.no:9		Date:
	N-Queens Problem	

Aim:

Algorithm:

- 1. Place the first queen in the first row.
- 2. Check for conflicts (same column, diagonal).
- 3. If a conflict occurs, backtrack and try a different position.
- 4. Repeat until all queens are placed or backtracking finds no solution.
- 5. Store the valid board configurations.
- 6. Return all possible solutions for placing `N` queens safely.

Flowchart:

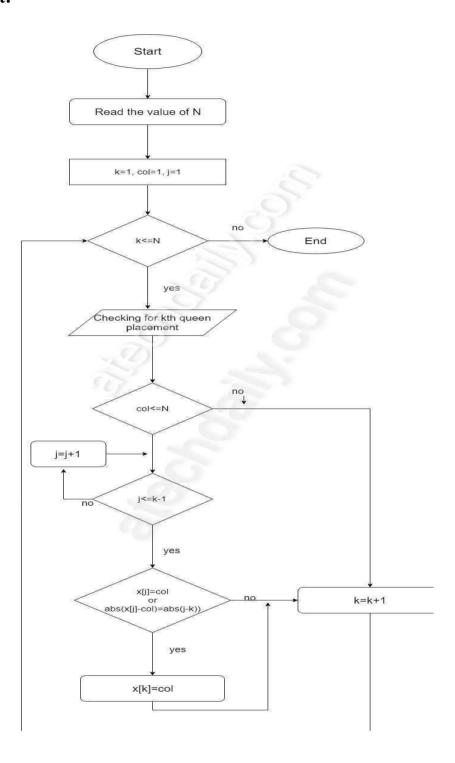


Fig.no:9a

```
#include <iostream>
    #include <vector>
    using namespace std;
    int N;
    vector<vector<int>> board;
    bool is Safe(int row, int col)
    {
       for (int i = 0; i < col; i++)
          if (board[row][i])
            return false;
 for (int i = row, j = col; i >= 0 && j >= 0; i --, j --)
  if (board[i][j])
            return false;
       for (int i = row, j = col; i < N && j >= 0; i++, j--)
          if (board[i][j])
            return false;
       return true;
    ool solveNQueens(int col) {
       if (col >= N)
          return true;
       for (int i = 0; i < N; i++) {
          if (isSafe(i, col)) {
            board[i][col] = 1;
if (solveNQueens(col + 1)
   return true;
  231061101481
```

```
board[i][col] = 0; }
  }
  return false;
void printSolution() {
  cout << "Solution:\n";</pre>
  for (int i = 0; i < N; i++) {
     for (int j = 0; j < N; j++)
        cout << (board[i][j] \ ? \, "Q \, " : " - ");
     cout << endl;
  } }
int main() {
   cout<<"231061101481 & R.SANJU\n";
  cout << "Enter the value of N: ";</pre>
  cin >> N;
  if (N \le 0) {
     cout << "N must be a positive integer.\n";
     return 1; }
  board.assign(N, vector<int>(N, 0));
  if (solveNQueens(0))
     printSolution();
  else
     cout << "No solution exists\n";</pre>
  return 0;
}
```

- 1. Initialize an empty board for `N` queens.
- 2. Place first queen in the first row.
- 3. Move to the next row checking safe positions.
- 4. Backtrack if conflicts arise and try different placements.
- 5. Repeat until all queens are placed correctly.

Print all valid board configura

231061101481 & R.SANJU
Enter the value of N: 4
Solution:
- - Q Q - - - - Q
- Q - - -

Fig.no:9b