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Batch 03
Lab Assignment 5.5

Task Description 1 (Transparency in Algorithm Optimization):

Task: Use AI to generate two solutions for checking prime numbers:

- Naive approach(basic)
- Optimized approach

Prompt:

“Generate Python code for two prime-checking methods and explain how the optimized version improves performance.”

CODE:

```
def is_prime_basic(n):
    """Basic method to check if a number is prime."""
    if n < 2:
        return False
    for i in range(2, n):
        if n % i == 0:
            return False
    return True

def is_prime_optimized(n):
    """Optimized method to check if a number is prime."""
    if n < 2:
        return False
    if n == 2 or n == 3:
        return True
    if n % 2 == 0 or n % 3 == 0:
        return False
    i = 5
    while i * i <= n:
        if n % i == 0 or n % (i + 2) == 0:
            return False
        i += 6
    return True

# Example Usage
print(f"Is 17 prime (basic)? {is_prime_basic(17)}")
print(f"Is 17 prime (optimized)? {is_prime_optimized(17)}")
```

```

print(f"Is 25 prime (basic)? {is_prime_basic(25)}")
print(f"Is 25 prime (optimized)? {is_prime_optimized(25)}")

print(f"Is 97 prime (basic)? {is_prime_basic(97)}")
print(f"Is 97 prime (optimized)? {is_prime_optimized(97)}")

# You can also compare performance for larger numbers using the `time`
module
import time

num_to_check = 1000000007 # A large prime number

start_time = time.time()
result_basic = is_prime_basic(num_to_check)
end_time = time.time()
print(f"\nBasic method for {num_to_check}: {result_basic} (Time:
{end_time - start_time:.6f} seconds)")

start_time = time.time()
result_optimized = is_prime_optimized(num_to_check)
end_time = time.time()
print(f"Optimized method for {num_to_check}: {result_optimized} (Time:
{end_time - start_time:.6f} seconds)")

```

Output:

```

Is 17 prime (basic)? True
Is 17 prime (optimized)? True
Is 25 prime (basic)? False
Is 25 prime (optimized)? False
Is 97 prime (basic)? True
Is 97 prime (optimized)? True

```

```

Basic method for 1000000007: True (Time: 86.331080 seconds)
Optimized method for 1000000007: True (Time: 0.000974 seconds)

```

Time Complexity:

- **Basic Method (`is_prime_basic`):** Has a time complexity of $O(n)$. This means that as the input number n gets larger, the number of operations required by the basic method grows linearly with n . For example, if n is 1 million, it might perform close to 1 million checks.
- **Optimized Method (`is_prime_optimized`):** Has a time complexity of $O(\sqrt{n})$. This is a significant improvement because the number of operations grows with the square root of n . For instance, if n is 1 million, \sqrt{n} is 1,000, meaning it performs roughly 1,000 checks instead of 1 million.

Comparison Highlighting Efficiency Improvements:

As demonstrated in the execution of the code:

For num_to_check = 1000000007 (a large prime number):

- **Basic Method:** Took approximately **86.33 seconds**.
- **Optimized Method:** Took only about **0.001 seconds**.

This dramatic difference in execution time clearly highlights the efficiency improvement. The optimized method leverages mathematical properties (like checking divisibility only up to the square root of n and the $6k \pm 1$ optimization) to drastically reduce the number of calculations needed, making it much faster for larger numbers.

Task Description 2 (Transparency in Recursive Algorithms)

Objective: Use AI to generate a recursive function to calculate Fibonacci numbers.

Instructions:

1. Ask AI to add clear comments explaining recursion.
2. Ask AI to explain base cases and recursive calls.

Expected Output:

- Well-commented recursive code.
- Clear explanation of how recursion works.
- Verification that explanation matches actual execution.

CODE:

```
# Example Usage
print(f"Is 17 prime (basic)? {is_prime_basic(17)}")
print(f"Is 17 prime (optimized)? {is_prime_optimized(17)}")

print(f"Is 25 prime (basic)? {is_prime_basic(25)}")
print(f"Is 25 prime (optimized)? {is_prime_optimized(25)}")

print(f"Is 97 prime (basic)? {is_prime_basic(97)}")
print(f"Is 97 prime (optimized)? {is_prime_optimized(97)}")

# You can also compare performance for larger numbers using the `time`
module
import time

num_to_check = 1000000007 # A large prime number

start_time = time.time()
result_basic = is_prime_basic(num_to_check)
end_time = time.time()
print(f"\nBasic method for {num_to_check}: {result_basic} (Time:
{end_time - start_time:.6f} seconds)")
```

```

start_time = time.time()
result_optimized = is_prime_optimized(num_to_check)
end_time = time.time()
print(f"Optimized method for {num_to_check}: {result_optimized} (Time:
{end_time - start_time:.6f} seconds)")

```

OUTPUT:

```

Is 17 prime (basic)? True
Is 17 prime (optimized)? True
Is 25 prime (basic)? False
Is 25 prime (optimized)? False
Is 97 prime (basic)? True
Is 97 prime (optimized)? True

```

```

Basic method for 1000000007: True (Time: 86.331080 seconds)
Optimized method for 1000000007: True (Time: 0.000974 seconds)

```

CODE:

```

def fibonacci_recursive(n):
    """Calculates the nth Fibonacci number using recursion.

    The Fibonacci sequence starts with 0 and 1, and each subsequent
    number
    is the sum of the two preceding ones (e.g., 0, 1, 1, 2, 3, 5,
    8...).

    Args:
        n: The index of the Fibonacci number to calculate (non-negative
        integer).

    Returns:
        The nth Fibonacci number.
    """

    # Base Cases:
    # These are the conditions that stop the recursion. Without them,
    # the function would call itself indefinitely, leading to a stack
    overflow.
    if n < 0:
        # Handle invalid input: Fibonacci numbers are typically defined
        for non-negative integers.
        raise ValueError("Input must be a non-negative integer.")

```

```

elif n == 0:
    # The 0th Fibonacci number is 0.
    return 0
elif n == 1:
    # The 1st Fibonacci number is 1.
    return 1
else:
    # Recursive Call:
    # This is where the function calls itself with smaller inputs.
    # To find the nth Fibonacci number, we sum the (n-1)th and
    (n-2)th Fibonacci numbers.
    # The problem is broken down into simpler, identical
    subproblems.
    return fibonacci_recursive(n - 1) + fibonacci_recursive(n - 2)

# Example Usage:
print(f"Fibonacci(0): {fibonacci_recursive(0)}")      # Expected: 0
print(f"Fibonacci(1): {fibonacci_recursive(1)}")      # Expected: 1
print(f"Fibonacci(2): {fibonacci_recursive(2)}")      # Expected: 1 (0 +
1)
print(f"Fibonacci(3): {fibonacci_recursive(3)}")      # Expected: 2 (1 +
1)
print(f"Fibonacci(5): {fibonacci_recursive(5)}")      # Expected: 5 (2 +
3)
print(f"Fibonacci(10): {fibonacci_recursive(10)}")    # Expected: 55

```

OUTPUT:

```

Fibonacci(0): 0
Fibonacci(1): 1
Fibonacci(2): 1
Fibonacci(3): 2
Fibonacci(5): 5
Fibonacci(10): 55

```

The well-commented recursive code I provided, along with the explanation of base cases and recursive calls, perfectly matches the actual execution results you observed.

Let's recap how recursion works in this context:

1. **Well-commented Recursive Code:** The `fibonacci_recursive(n)` function is designed with internal comments that delineate the purpose of the function, the base cases, and the recursive call logic.
2. **Clear Explanation of How Recursion Works:**

- **Base Cases ($n < 0$, $n == 0$, $n == 1$):** These are the stopping conditions. Without them, the function would call itself indefinitely. For $n=0$ and $n=1$, the function returns fixed values directly, providing a known starting point.
 - **Recursive Call (`else: return fibonacci_recursive(n - 1) + fibonacci_recursive(n - 2)`):** This is the core of recursion. For any n greater than 1, the problem is broken down into two smaller, identical sub-problems (`fibonacci_recursive(n-1)` and `fibonacci_recursive(n-2)`). The function calls itself to solve these smaller problems, and their results are combined to solve the original problem. This continues until the base cases are reached.
3. **Verification that Explanation Matches Actual Execution:** The output you saw from executing the code (e.g., `Fibonacci(0): 0`, `Fibonacci(1): 1`, `Fibonacci(10): 55`) directly confirms that:
- The base cases are correctly handled (e.g., `Fibonacci(0)` and `Fibonacci(1)`).
 - The recursive calls correctly compute the sequence by summing the previous two numbers (e.g., `Fibonacci(2)` is `Fibonacci(1) + Fibonacci(0)` which is $1 + 0 = 1$).

Every step in the execution aligns with the recursive logic and the explanation provided.

Task Description #3 (Transparency in Error Handling)

Task: Use AI to generate a Python program that reads a file and processes data.

Prompt:

“Generate code with proper error handling and clear explanations for each exception.”

Expected Output:

- Code with meaningful exception handling.
- Clear comments explaining each error scenario.
- Validation that explanations align with runtime behavior.

```
def process_data(data, divisor=1, filename='data.txt'):
    """Demonstrates error handling for various scenarios.

    Args:
        data: A list of numbers to process.
        divisor: A number to divide elements by.
        filename: A file to attempt to open.
    """
    print(f"\n--- Attempting to process with data={data},
divisor={divisor}, filename='{filename}' ---")
```

```

try:
    # Scenario 1: Type Error (if data is not iterable or numbers
are not numeric)
    total_sum = sum(data) # Might raise TypeError if 'data'
contains non-numeric types
    print(f"Sum of data: {total_sum}")

    # Scenario 2: ZeroDivisionError
    result = total_sum / divisor
    print(f"Result of division: {result}")

    # Scenario 3: FileNotFoundError
    with open(filename, 'r') as f:
        file_content = f.read()
        print(f"File content: {file_content[:50]}...") # Print
first 50 chars

except TypeError as e:
    # Catches errors where operations are performed on incorrect
data types.
    print(f"Error: A TypeError occurred. Please ensure 'data'
contains only numbers. Details: {e}")
except ZeroDivisionError:
    # Catches errors when attempting to divide by zero.
    print("Error: Cannot divide by zero. Please provide a non-zero
divisor.")
except FileNotFoundError:
    # Catches errors when a specified file does not exist.
    print(f"Error: The file '{filename}' was not found. Please
check the path.")
except ValueError as e:
    # Catches errors for invalid values, e.g., if sum() tried to
convert non-numeric string
    print(f"Error: A ValueError occurred. Invalid value detected.
Details: {e}")
except Exception as e:
    # This is a general catch-all for any other unexpected errors.
    # It's good practice to catch more specific exceptions first.
    print(f"An unexpected error occurred: {e}")
else:
    # The 'else' block executes ONLY if the 'try' block completes
without any exceptions.

```

```

        print("All operations in the 'try' block completed
successfully!")
    finally:
        # The 'finally' block always executes, regardless of whether an
        # exception occurred or not.
        # This is useful for cleanup operations like closing files or
        # releasing resources.
        print("Error handling attempt completed. Cleaning up (if
necessary)...")

# --- Test Cases ---

# Successful execution
process_data(data=[10, 20, 30], divisor=5)

# Demonstrate TypeError
process_data(data=[1, 'a', 3], divisor=2)

# Demonstrate ZeroDivisionError
process_data(data=[100, 200], divisor=0)

# Demonstrate FileNotFoundError
process_data(data=[1, 2, 3], divisor=1,
filename='non_existent_file.txt')

# Demonstrate a combination (e.g., FileNotFoundError without previous
errors)
process_data(data=[10, 20], divisor=2,
filename='another_missing_file.txt')

# Create a file for successful file read
with open('data.txt', 'w') as f:
    f.write('This is some sample content for the data file.')
process_data(data=[1, 2, 3], divisor=1, filename='data.txt')

```

OUTPUT:

```

Attempting to process with data=[10, 20, 30], divisor=5,
filename='data.txt' ---
Sum of data: 60
Result of division: 12.0

```



```

Error: The file 'data.txt' was not found. Please check the path.
Error handling attempt completed. Cleaning up (if necessary)...

--- Attempting to process with data=[1, 'a', 3], divisor=2,
filename='data.txt' ---
Error: A TypeError occurred. Please ensure 'data' contains only
numbers. Details: unsupported operand type(s) for +: 'int' and 'str'
Error handling attempt completed. Cleaning up (if necessary)...

--- Attempting to process with data=[100, 200], divisor=0,
filename='data.txt' ---
Sum of data: 300
Error: Cannot divide by zero. Please provide a non-zero divisor.
Error handling attempt completed. Cleaning up (if necessary)...

--- Attempting to process with data=[1, 2, 3], divisor=1,
filename='non_existent_file.txt' ---
Sum of data: 6
Result of division: 6.0
Error: The file 'non_existent_file.txt' was not found. Please check the
path.
Error handling attempt completed. Cleaning up (if necessary)...

--- Attempting to process with data=[10, 20], divisor=2,
filename='another_missing_file.txt' ---
Sum of data: 30
Result of division: 15.0
Error: The file 'another_missing_file.txt' was not found. Please check
the path.
Error handling attempt completed. Cleaning up (if necessary)...

--- Attempting to process with data=[1, 2, 3], divisor=1,
filename='data.txt' ---
Sum of data: 6
Result of division: 6.0
File content: This is some sample content for the data file....
All operations in the 'try' block completed successfully!
Error handling attempt completed. Cleaning up (if necessary)...

Task Description #4 (Security in User Authentication)
Task: Use an AI tool to generate a Python-based login system.
Analyze: Check whether the AI uses secure password handling
practices.
Expected Output:


- Identification of security flaws (plain-text passwords, weak
validation).
- Revised version using password hashing and input validation
- Short note on best practices for secure authentication.



# In-memory database for users (username: password)

```

```

# In a real application, this would be a secure database with hashed
passwords.
users_db = {}

def register_user(username, password):
    """
    Registers a new user in the in-memory database.
    Returns True if registration is successful, False if the username
    already exists.
    """
    if username in users_db:
        print(f"Registration failed: Username '{username}' already
exists.")
        return False

    # In a real system, the password would be hashed and salted before
    storing.
    users_db[username] = password
    print(f"User '{username}' registered successfully.")
    return True

def login_user(username, password):
    """
    Authenticates a user.
    Returns True if login is successful, False otherwise.
    """
    stored_password = users_db.get(username)

    if stored_password and stored_password == password:
        print(f"Login successful for user '{username}'.")
        return True
    else:
        print(f"Login failed: Invalid username or password for
'{username}'.")
        return False

# --- Demonstration ---
print("--- User Registration ---")
register_user("alice", "password123")
register_user("bob", "securepwd")
register_user("alice", "anotherpassword") # Attempt to register
existing user

print("\n--- User Login ---")
login_user("alice", "password123") # Successful login

```

```
login_user("bob", "wrongpwd")      # Failed login (wrong password)
login_user("charlie", "anypwd")    # Failed login (non-existent user)
login_user("bob", "securepwd")     # Successful login
```

```
print("\n--- Current Users in DB (for demonstration purposes only)
---")
print(users_db)
```

```
output:
--- User Registration ---
User 'alice' registered successfully.
User 'bob' registered successfully.
Registration failed: Username 'alice' already exists.
```

```
--- User Login ---
Login successful for user 'alice'.
Login failed: Invalid username or password for 'bob'.
Login failed: Invalid username or password for 'charlie'.
Login successful for user 'bob'.
```

```
--- Current Users in DB (for demonstration purposes only) ---
{'alice': 'password123', 'bob': 'securepwd'}
```

Task Description #5 (Privacy in Data Logging)

Task: Use an AI tool to generate a Python script that logs user activity (username, IP address, timestamp).

Analyze: Examine whether sensitive data is logged unnecessarily or insecurely.

Expected Output:

- Identified privacy risks in logging.
- Improved version with minimal, anonymized, or masked logging.
- Explanation of privacy-aware logging principles.

```
import datetime
```

```
# In-memory list to store activity logs
# In a real application, this would be written to a file, database, or
a dedicated logging service.
activity_logs = []
```

```
def log_user_activity(username, ip_address):
    """
    Logs user activity with username, IP address, and a timestamp.
```

```

    Args:
        username (str): The username of the active user.
        ip_address (str): The IP address from which the activity
originated.
    """
    timestamp = datetime.datetime.now()
    log_entry = {
        "timestamp": timestamp.strftime("%Y-%m-%d %H:%M:%S"),
        "username": username,
        "ip_address": ip_address
    }
    activity_logs.append(log_entry)
    print(f"Activity logged for {username} from {ip_address} at
{timestamp.strftime('%H:%M:%S')}")

# --- Demonstration ---
print("--- Logging User Activities ---")
log_user_activity("alice", "192.168.1.100")
log_user_activity("bob", "10.0.0.5")
log_user_activity("alice", "192.168.1.100") # Alice doing another
activity

print("\n--- All Activity Logs ---")
for log in activity_logs:
    print(log)

```

Output :

```

--- Logging User Activities ---
Activity logged for alice from 192.168.1.100 at 06:33:41
Activity logged for bob from 10.0.0.5 at 06:33:41
Activity logged for alice from 192.168.1.100 at 06:33:41

--- All Activity Logs ---
{'timestamp': '2026-01-30 06:33:41', 'username': 'alice', 'ip_address':
'192.168.1.100'}
{'timestamp': '2026-01-30 06:33:41', 'username': 'bob', 'ip_address':
'10.0.0.5'}
{'timestamp': '2026-01-30 06:33:41', 'username': 'alice', 'ip_address':
'192.168.1.100'}

```