9/29/24, 3:11 PM AIML-3 - Colab

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Part-01: List of Tasks to Perform

- 1. Install the Python Libraries for Game Strategy
- 2. Implement a Game Class Constructor with actions, is_terminal, result, utility
- 3. Implement a Player Game using game class function

```
from collections import namedtuple, Counter, defaultdict
import random
import math
import functools
cache = functools.lru_cache(10**6)
class Game:
   def actions(self, state):
        raise NotImplementedError
   def result(self, state, move):
        raise NotImplementedError
   def is terminal(self, state):
        return not self.actions(state)
   def utility(self, state, player):
        raise NotImplementedError
def play_game(game, strategies: dict, verbose=False):
   state = game.initial
   while not game.is_terminal(state):
       player = state.to move
       move = strategies[player](game, state)
       state = game.result(state, move)
        if verbose:
           print('Player', player, 'move:', move)
           print(state)
   return state
```

Part-02: Implementation of Game Strategy Algorithm

- 1. MiniMax Tree
- 2. Alpha-Beta Search Algorithm

```
def minimax_search(game, state):
    player = state.to_move

def max_value(state):
        if game.is_terminal(state):
            return game.utility(state, player), None
        v, move = -infinity, None
        for a in game.actions(state):
            v2, _ = min_value(game.result(state, a))
            if v2 > v:
                 v, move = v2, a
        return v, move
```

```
def min value(state):
        if game.is_terminal(state):
            return game.utility(state, player), None
        v, move = +infinity, None
        for a in game.actions(state):
            v2, _ = max_value(game.result(state, a))
            if v2 < v:
               v, move = v2, a
        return v, move
    return max_value(state)
infinity = math.inf
def alphabeta_search(game, state):
    player = state.to_move
    def max_value(state, alpha, beta):
        if game.is_terminal(state):
            return game.utility(state, player), None
        v, move = -infinity, None
        for a in game.actions(state):
            v2, _ = min_value(game.result(state, a), alpha, beta)
            if v2 > v:
                v, move = v2, a
                alpha = max(alpha, v)
            if v >= beta:
               return v, move
        return v, move
    def min_value(state, alpha, beta):
        if game.is_terminal(state):
            return game.utility(state, player), None
        v, move = +infinity, None
        for a in game.actions(state):
            v2, _ = max_value(game.result(state, a), alpha, beta)
            if v2 < v:
                v, move = v2, a
               beta = min(beta, v)
            if v <= alpha:</pre>
                return v, move
        return v, move
    return max_value(state, -infinity, +infinity)
Part-03: Implement the Game Strategy using TicTacToe
class TicTacToe(Game):
    def __init__(self, height=3, width=3, k=3):
        self.k = k # k in a row
        self.squares = \{(x, y) \text{ for } x \text{ in range(width) for } y \text{ in range(height)}\}
        self.initial = Board(height=height, width=width, to_move='X', utility=0)
    def actions(self, board):
        return self.squares - set(board)
    def result(self, board, square):
        player = board.to_move
        board = board.new({square: player}, to_move=('0' if player == 'X' else 'X'))
        win = k in row(board, player, square, self.k)
        board.utility = (0 if not win else +1 if player == 'X' else -1)
        return board
    def utility(self, board, player):
        return board.utility if player == 'X' else -board.utility
    def is_terminal(self, board):
```

```
return board.utility != 0 or len(self.squares) == len(board)
    def display(self, board): print(board)
def k_in_row(board, player, square, k):
    \texttt{def in\_row}(x,\ y,\ \mathsf{dx},\ \mathsf{dy}) : \ \mathsf{return}\ 0 \ \mathsf{if}\ \mathsf{board}[x,\ y] \ != \ \mathsf{player}\ \mathsf{else}\ 1 \ + \ \mathsf{in\_row}(x \ + \ \mathsf{dx},\ y \ + \ \mathsf{dy},\ \mathsf{dx},\ \mathsf{dy})
    return any(in_row(*square, dx, dy) + in_row(*square, -dx, -dy)-1>=k
                for (dx, dy) in ((0, 1), (1, 0), (1, 1), (1, -1)))
class Board(defaultdict):
    empty = '.'
    off = '#'
    def __init__(self, width=8, height=8, to_move=None, **kwds):
         self.__dict__.update(width=width, height=height, to_move=to_move, **kwds)
    def new(self, changes: dict, **kwds) -> 'Board':
         board = Board(width=self.width, height=self.height, **kwds)
         board.update(self)
         board.update(changes)
         return board
    def __missing__(self, loc):
        x, y = loc
         if 0 <= x < self.width and 0 <= y < self.height:
            return self.empty
         else:
             return self.off
    def __hash__(self):
         return hash(tuple(sorted(self.items()))) + hash(self.to_move)
    def __repr__(self):
         def row(y): return ' '.join(self[x, y] for x in range(self.width))
         return '\n'.join(map(row, range(self.height))) + '\n'
def random_player(game, state): return random.choice(list(game.actions(state)))
def player(search_algorithm):
    return lambda game, state: search_algorithm(game, state)[1]
Evaluate the Game Strategy using TicTokToe
play\_game(TicTacToe(), dict(X=random\_player, O=player(alphabeta\_search)), verbose=True).utility
\rightarrow Player X move: (0, 1)
     х..
     . . .
     Player O move: (2, 1)
     х.о
     Player X move: (1, 2)
     . . .
X . 0
     Player O move: (0, 0)
     0 . .
     . x .
     Player X move: (1, 0)
     οх.
     X . O
     . x .
     Player O move: (1, 1)
```

```
O X .
X O O . X .

Player X move: (0, 2)
O X .
X O O .
X X .

Player O move: (2, 2)
O X .
X O O .
X X O .
```

 $play_game(TicTacToe(), dict(X=player(alphabeta_search), O=player(minimax_search)), verbose=True). utility$

Start coding or generate with AI.