

# ASSIGNMENT 1

## AI ASSISTED CODING

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### Task 1: AI-Generated Logic Without Modularization (Fibonacci Sequence Without Functions)

#### ❖ Scenario

You are asked to write a quick numerical sequence generator for a learning platform prototype.

#### ❖ Task Description

Use GitHub Copilot to generate a Python program that:

- Prints the Fibonacci sequence up to  $n$  terms
- Accepts user input for  $n$
- Implements the logic directly in the main code
- Does not use any user-defined functions

```
1.py > ...  
  
1  n = int(input("Enter the number of terms: "))  
2  
3  a = 0  
4  b = 1  
5  count = 0  
6  if n <= 0:  
7      print("Please enter a positive integer")  
8  elif n == 1:  
9      print(a)  
10 else:  
11     print(a, end=" ")  
12     while count < n - 1:  
13         print(b, end=" ")  
14         a, b = b, a + b  
15         count += 1
```

Problems Output Debug Console Terminal

```
PS C:\Users\x\Downloads> & C:/Users/x/AppData/Local/Program  
Enter the number of terms: 8  
0 1 1 2 3 5 8 13  
PS C:\Users\x\Downloads>
```

## Task 2: AI Code Optimization & Cleanup (Improving Efficiency)

### ❖ Scenario

The prototype will be shared with other developers and needs optimization.

### ❖ Task Description

- Examine the Copilot-generated code from Task 1 and improve it by:
- Removing redundant variables
- Simplifying loop logic
- Avoiding unnecessary computations
- Use Copilot prompts such as:
  - *"Optimize this Fibonacci code"*
  - *"Simplify variable usage"*

### IMPROVED CODE

```
1.py > ...  
1  n = int(input("Enter the number of terms: "))  
2  
3  if n <= 0:  
4      print("Please enter a positive integer")  
5  else:  
6      a, b = 0, 1  
7      for i in range(n):  
8          if i == n - 1:  
9              print(a, end="")  
10             else:  
11                 print(a, end=" ")  
12             a, b = b, a + b
```

Problems Output Debug Console Terminal

```
PS C:\Users\x\Downloads> & C:/Users/x/AppData/Local/Programs/Python/Python314/python.exe c:/Users/x/Downloads/1.py  
Enter the number of terms: 10  
0 1 1 2 3 5 8 13 21 34  
PS C:\Users\x\Downloads>
```

## EXPLANATION

This version keeps everything in the main code (no functions) but:

- Removes the extra count variable
- Uses a for loop directly over the number of terms
- Avoids a separate `n == 1` branch
- Uses a single print location for all terms

What was inefficient / less clean in the original

- Redundant loop counter
  - count was tracking iterations, but Python already gives you loop counters with `range`.
  - Managing count manually ( `count = 0` , `count += 1` ) adds noise.
- Unnecessary branching for `n == 1`
  - Special-case branch `elif n == 1`: printed `a` alone.
  - Then for larger `n`, the code printed `a` once before the loop and `b` inside the loop.
  - Logic is split across multiple places, which reduces readability.
- Two separate print patterns
  - First term ( `a` ) is printed before the loop.
  - Remaining terms ( `b` ) are printed inside the loop.
  - This makes it harder to reason about “what exactly is printed each iteration”.
- Less direct mapping to “print `n` Fibonacci numbers”
  - The condition `while count < n - 1` is slightly less intuitive than “repeat `n` times”.

## Task 3: Modular Design Using AI Assistance (Fibonacci Using Functions)

### ❖ Scenario

The Fibonacci logic is now required in multiple modules of an application.

### ❖ Task Description

Use GitHub Copilot to generate a function-based Python program that:

- Uses a user-defined function to generate Fibonacci numbers
- Returns or prints the sequence up to  $n$
- Includes meaningful comments (AI-assisted)

### ❖ Expected Output

- Correct function-based Fibonacci implementation
- Screenshots documenting Copilot’s function generation

Sample test cases with outputs

```

def fibonacci(n):
    """
    Return a list containing the first n Fibonacci numbers.

    n: number of terms to generate (non-negative integer)
    """
    # Handle non-positive n by returning an empty sequence
    if n <= 0:
        return []

    # Start the sequence with the first Fibonacci number
    sequence = [0]

    # If only one term is requested, return [0]
    if n == 1:
        return sequence

    # Add the second Fibonacci number
    sequence.append(1)

    # Generate remaining terms from index 2 to n-1
    for _ in range(2, n):
        # Next term is sum of the last two terms
        next_value = sequence[-1] + sequence[-2]
        sequence.append(next_value)

    return sequence

def main():
    """Read n from the user and print the Fibonacci sequence up to n terms."""
    try:
        n = int(input("Enter the number of terms: "))
    except ValueError:
        print("Invalid input. Please enter an integer.")
        return

    fib_seq = fibonacci(n)

    if not fib_seq:
        print("No terms to display (n should be > 0).")
    else:
        print("Fibonacci sequence:")
        # Join all numbers with spaces for nice output
        print(" ".join(str(x) for x in fib_seq))

if __name__ == "__main__":
    main()

```

Test: n = 0

• Call:

Python

1 fibonacci(0)

• Output (return value):

Python

1 []

• Running the script and entering 0 :

PlainText

1 Enter the number of terms: 0  
2 No terms to display (n should be > 0).

Test: n = 1

#### Task 4: Comparative Analysis – Procedural vs Modular Fibonacci Code

##### ❖ Scenario

You are participating in a code review session.

##### ❖ Task Description

Compare the Copilot-generated Fibonacci programs:

- Without functions (Task 1)
- With functions (Task 3)
- Analyze them in terms of:
  - Code clarity
  - Reusability
  - Debugging ease
  - Suitability for larger systems

#### Comparison Overview

- Procedural version (Task 1) : all logic in main , no functions
- Modular version (Task 3) : fibonacci(n) function + main() wrapper

Aspect	Procedural (no functions)	Modular (with functions)
Code clarity	Short and linear, but mixes input, logic, and printing in one block	Separates “compute Fibonacci” from “interact with user”; intention of each part is clearer
Reusability	Hard to reuse: logic is tied to <code>input()</code> and <code>print()</code> in the same place	Easy to reuse: <code>fibonacci(n)</code> can be imported and called from any module, including tests and other components
Debugging ease	Must rerun whole script or add ad-hoc prints inside main flow	Can test <code>fibonacci(n)</code> in isolation (REPL, unit tests); easier to pinpoint bugs in the pure computation
Suitability for larger systems	Poor: scales badly as more features are added; main becomes a “god block”	Good: Fibonacci logic lives in a small, focused function that fits into layered or modular architectures
Testability	Awkward to unit-test: you test via I/O behavior or refactor first	Straightforward: write tests against <code>fibonacci(n)</code> return values without dealing with console I/O
Extensibility	Adding options (e.g., different starting values, returning vs printing) complicates main	You can extend by adding parameters or new functions while keeping existing callers mostly unchanged
Abstraction level	Low: works at the “how” level (loop and updates) only	Higher: exposes “what” (get sequence of n terms) as an interface; hides details of how it’s computed
Readability for new developers	Understandable for small scripts, but logic is packed together	More readable in a team: clear entry points, docstring, and separation of concerns

## Short Analytical Report

- Code clarity
  - The procedural version is fine for very small, one-off scripts: everything is visible in one place.
  - However, it mixes three concerns: reading input, computing Fibonacci, and printing results. As soon as you add more features (validation, logging, different output formats), this block gets harder to read.
  - The modular version clearly separates concerns:
    - fibonacci(n) is about the sequence calculation.
    - main() is about user interaction and display.
  - This makes it easier for a reviewer to answer “where is the Fibonacci logic?” and “where is the I/O?”.
- Reusability
  - In the procedural version, the only way to “reuse” the logic is to copy and paste the loop, or to call the script as a separate process. Both are fragile.
  - The modular version provides a reusable unit: fibonacci(n) can be imported by other modules ( from fib import fibonacci ) and used in GUI apps, APIs, other scripts, or tests.
- Debugging ease
  - Debugging the procedural code often means sprinkling extra prints into the main block or stepping through the entire input/print flow in a debugger.
  - With the function-based design, you can:
    - Call fibonacci(5) directly in a REPL and inspect the list.
    - Add unit tests for edge cases ( n = 0 , n = 1 , large n ) without touching I/O.
  - When a bug appears, you can quickly determine whether it lives in the pure logic ( fibonacci ) or in the user interaction ( main ).
- Suitability for larger systems
  - Larger applications benefit from modularity: clear APIs, small functions, and layers (UI, business logic, data).
  - The procedural version doesn’t scale well because as more requirements are added, the main block grows and becomes tightly coupled to everything else.
  - The modular version maps naturally into a larger architecture:
    - fibonacci(n) is part of a “domain” or “core” module.
    - Different front-ends (CLI, web, GUI) can all reuse the same core function.

## Task 5: AI-Generated Iterative vs Recursive Fibonacci Approaches (Different Algorithmic Approaches for Fibonacci Series)

### ❖ Scenario

Your mentor wants to assess AI's understanding of different algorithmic paradigms.

### ❖ Task Description

Prompt GitHub Copilot to generate:

An iterative Fibonacci implementation

A recursive Fibonacci implementation

#### ITERATIVE

```
def fib_iterative(n):  
    if n < 0:  
        raise ValueError("n must be non-negative")  
  
    a, b = 0, 1  
    for _ in range(n):  
        a, b = b, a + b  
    return a
```

#### RECURSIVE

```
def fib_recursive(n):  
    if n < 0:  
        raise ValueError("n must be non-negative")  
  
    if n == 0:  
        return 0  
    if n == 1:  
        return 1  
  
    return fib_recursive(n - 1) + fib_recursive(n - 2)
```

#### Execution flow

##### - Iterative

- Initialize  $a = 0$ ,  $b = 1$ .
- Loop  $n$  times:
  - Set  $(a, b)$  to the next Fibonacci pair  $(b, a + b)$ .
- After the loop,  $a$  holds  $\text{fib}(n)$ .
- Control flow is straightforward: one loop, no call stack growth.

##### - Recursive

- For each call  $\text{fib\_recursive}(n)$  :
  - If  $n$  is 0 or 1, return the base value directly.
  - Otherwise, call itself twice:
    - $\text{fib\_recursive}(n - 1)$

- fib\_recursive(n - 2)
- Sum the two results.
- The call tree branches until all paths hit  $n == 0$  or  $n == 1$ .

### Complexity and performance comparison

- Time complexity
  - Iterative:
    - Each loop iteration does  $O(1)$  work.
    - Loop runs  $n$  times.
    - Time complexity:  $O(n)$ .
  - Naive recursive:
    - Each call branches into two more calls (except at base cases).
    - Number of calls grows roughly like  $2^n$ .
    - Time complexity:  $O(2^n)$  (exponential).
- Space complexity
  - Iterative:
    - Uses a constant number of variables ( $a$ ,  $b$ , loop index).
    - Space complexity:  $O(1)$  auxiliary space.
  - Naive recursive:
    - Each call waits on the result of two child calls.
    - Maximum recursion depth is  $n$  (for the longest path down to  $0/1$ ).
    - Space complexity:  $O(n)$  due to call stack.
- Performance for large  $n$ 
  - Iterative:
    - Scales well up to very large  $n$  (e.g., hundreds of thousands) until integers or time become the bottleneck.
    - Work grows linearly; practical for most uses.
  - Naive recursive:
    - Becomes unusable quickly:
      - For  $n \sim 30-40$ , it is already noticeably slow.
      - For  $n > 40-45$ , runtime explodes because of exponential growth in calls.

### when recursion should be avoided

- You need to handle large  $n$ .
- You are in a performance-sensitive path (e.g., called many times in a loop or server endpoint).
- The recursive formulation introduces overlapping subproblems (like Fibonacci), causing repeated work and exponential behavior.
- Your runtime has a strict recursion depth limit that the algorithm might hit.