

AIML Assignment.

Name: K. Jaswita Reddy.

Roll no: 2320030014

Sec: 04

Uninformed Searching Techniques:

Breadth First Search (BFS):

Initialization:

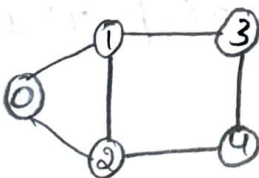
* start at a root node (or any arbitrary node in the case of a graph).

* Use a queue (FIFO) to keep track of unvisited nodes.

* Mark the starting node as visited.

Example:

1.



visited:

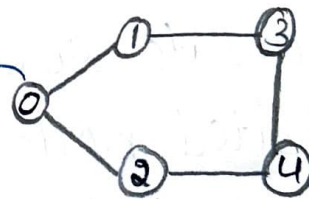
--	--	--	--	--

Queue:

--	--	--	--	--

↑ Front

2.



visited:

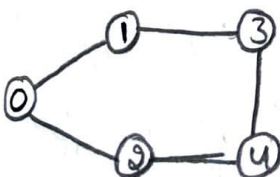
0				
---	--	--	--	--

Queue:

0				
---	--	--	--	--

↑ Front

3.



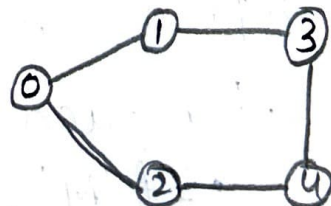
visited:

0	1	2		
---	---	---	--	--

Queue:

1	2			
---	---	--	--	--

4.



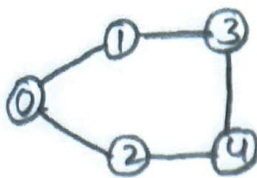
visited:

0	1	2	3	
---	---	---	---	--

Queue:

2	3			
---	---	--	--	--

5.



visited:

0	1	2	3	4
---	---	---	---	---

Queue:

3	4			
---	---	--	--	--

 ↑ Front

6. visited:

0	1	2	3	4
---	---	---	---	---

Queue:

3				
---	--	--	--	--

 ↑ Front

7. visited:

0	1	2	3	4
---	---	---	---	---

Queue:

--	--	--	--	--

 ↑ Front

Algorithm:

* Given a graph $G=(V, E)$ where;

$V \rightarrow$ set of vertices

$E \rightarrow$ set of edges.

and a starting node s .

* Create a queue ' Q ' and add the starting node s to it.

* create set 'visited' to keep track of visited nodes.

* Add ' s ' to 'visited'

* While ' Q ' is not empty.

1. Dequeue a node ' N ' in the front of queue

2. process node ' N ' (Print (or) store)

3. For each neighbor (M) of node ' N '

• If ' M ' has not been visited

• Enqueue ' M ' to ' Q '

• Add ' M ' to visited.

Advantages:

- * BFS will never get trapped exploring the useful path forever.
- * Low storage requirement - linear with depth.

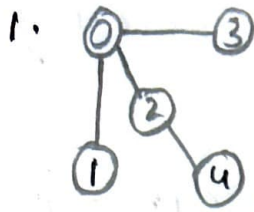
Applications:

- * Shortest path and minimum spanning tree for unweighted graph.
- * Peer to peer networks.
- * Broadcasting in network.
- * Ford-Fulkerson algorithm.
- * Image processing.

Depth First search (DFS):

- * Depth First search (DFS) is a recursive algorithm for searching all the vertices of a graph (or) tree data structure.
- * It uses a stack to remember to get next vertex to get the next vertex to start a search.
- * Stack uses last in first out (LIFO) Principle.

Example:

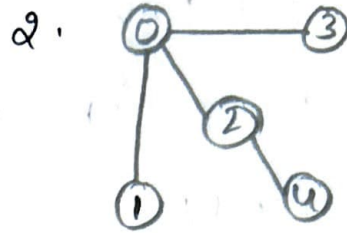


visited:

--	--	--	--	--

stack:

--	--	--	--	--

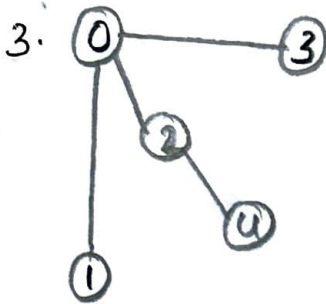


visited:

0				
---	--	--	--	--

stack:

1	2	3		
---	---	---	--	--

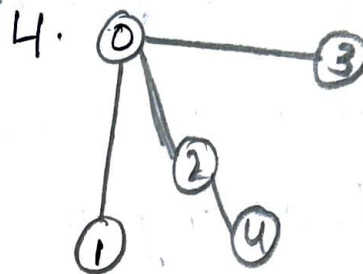


visited:

0	1			
---	---	--	--	--

stack:

2	3			
---	---	--	--	--

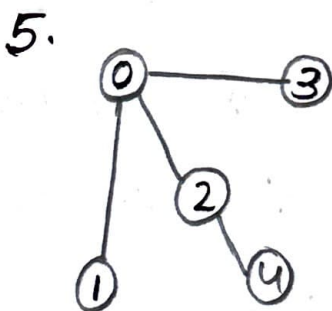


visited:

0	1	2		
---	---	---	--	--

stack:

4	3			
---	---	--	--	--

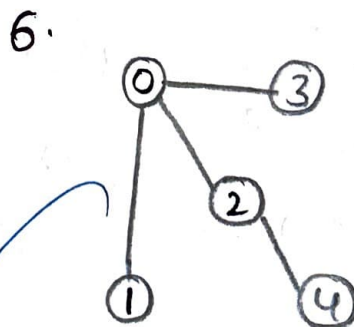


visited:

0	1	2	4	
---	---	---	---	--

stack:

3				
---	--	--	--	--



visited:

0	1	2	4	3
---	---	---	---	---

stack:

--	--	--	--	--

Algorithm:

- * create a set 'visited' to keep track of visited nodes
- * create a stack 's' and add the starting node 's' to it.
- * Add s to 'visited.'
- * While 's' is not empty:
 - pop a node N from the top of the stack.
 - Process the node (print (or) store).
 - For each neighbor M of node N;
 - If M has not-been visited.
 - Push M onto the stack
 - Add M to visited
- * The process continues until the stack is empty. At this point, all reachable nodes from the starting node have been visited.

Applications:

- * For finding the path.
- * To test if the graph is bipartite.
- * For finding strongly connected graph.

complexity:

Time: $O(V+E)$ $V \rightarrow$ no. of nodes

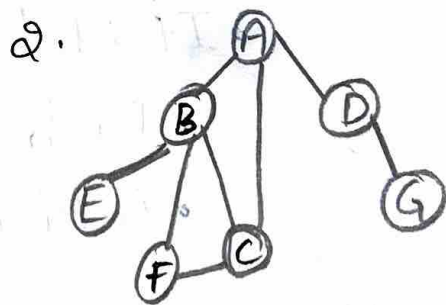
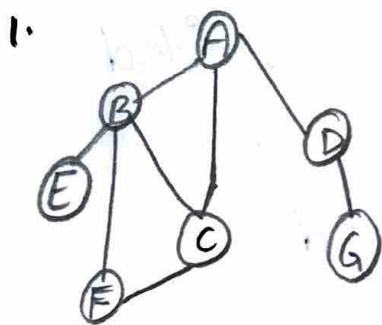
Space: $O(V)$ $E \rightarrow$ no. of edges

Iterative Deeping Search (IDS):

* combines the benefits of BFS and DFS by performing a series of depth-limited searches, each with an increasing depth limit

* Here, we do DFS in a BFS fashion (stack)

Example:



A \rightarrow Source node.

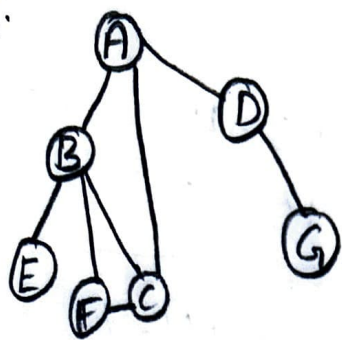
D \rightarrow solution node.

Here, depth limit = $O(L)$

Place the reachable node in S_1 and mark visited.

A $\rightarrow S_1: A$
Explore A, because the current level is already at the max. depth L. There will be no reachable nodes. Takes A from S_1 & start the process again.

3.



Three nodes are accessible now B, C & D. Assume we start exploration with B.

B \Rightarrow pushed into s_1 and marked visited.

complexity:

Time: $O(b^d)$ $b \rightarrow$ branching factor

Space: $O(b \cdot d)$ $d \rightarrow$ shallowest node depth.

Informed Searching Techniques:

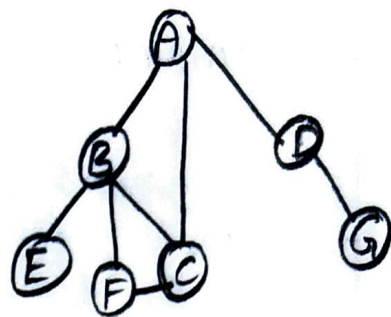
A* Search:

* This ~~informed~~ search technique is also called as heuristic search.

* A* uses $h(n) \rightarrow$ heuristic fn. & $g(n) \rightarrow$ cost to reach the node 'n' from start state.

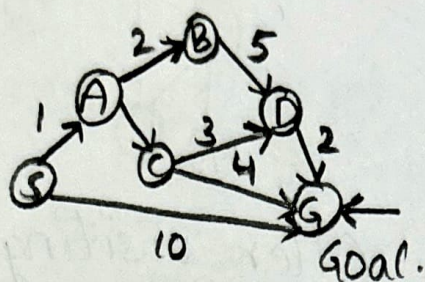
* Estimated cost $f(n) = g(n) + h(n)$.

4.



After visiting C, D will be accessible from A, so D should be pushed into s_1 and marked visited.

Example:



State $n(n)$

S 5

A 3

B 4

C 2

D 6

G 0

$$S \rightarrow A = 1 + 3 = 4$$

$$S \rightarrow G = 10 + 0 = 10$$

$$S \rightarrow A \rightarrow B = 1 + 2 + 4 = 7$$

$$S \rightarrow A \rightarrow C = 1 + 2 + 1 = 4$$

$$S \rightarrow A \rightarrow C \rightarrow D = 1 + 1 + 3 + 6 = 11$$

$$S \rightarrow A \rightarrow C \rightarrow G = 1 + 1 + 4 = 6$$

$$S \rightarrow A \rightarrow B \rightarrow D = 1 + 2 + 5 + 6 = 14$$

$$S \rightarrow A \rightarrow C \rightarrow D \rightarrow G = 1 + 1 + 3 + 2 = 7$$

$$S \rightarrow A \rightarrow B \rightarrow D \rightarrow G = 1 + 2 + 5 + 2 = 10$$

* A* Algorithm involves maintaining two lists:

- OPEN can have nodes that have been evaluated by the heuristic fn. but have not been expanded into successors yet.
- CLOSED contains those nodes that have already been visited.

Algorithm:

* Define a list OPEN.

* Initially, OPEN consists solely of a single node, the start node s.

- * If the list is empty, return failure & exit.
- * Remove node n with the smallest value of $f(n)$ from OPEN and move it to list CLOSED
- * If node n is a goal state, return success and exit.
- * Expand node n .
- * If any successor to n is the goal node, return success and the solution by tracing the path from goal node to s .
- * otherwise, go to the next step.
- * For each successor node,
 - Apply the evaluation fn. f to the node.
 - If the node has not been in either list, add it to OPEN.
- * Go back to step 3.

complexities:

Time: $O(b^d)$ $b \rightarrow$ branching factor.

Space: $O(b^d)$ $d \rightarrow$ shallowest node depth.

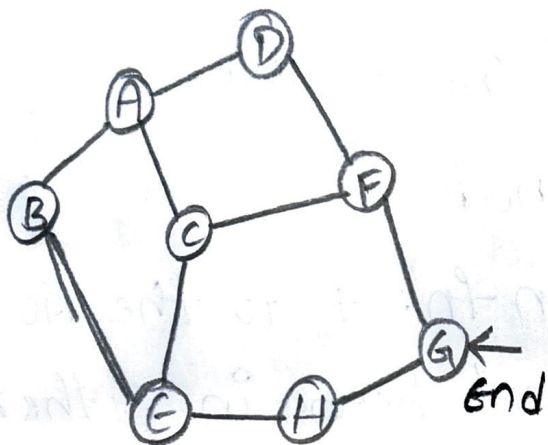
Best first search:

* This algorithm uses evaluation fn. to decide which adjacent node is most Promising and then explore.

* Priority queue is used to store cost of function.

* Implementation involves maintaining 2 lists: CLOSED & OPEN

Example:



st. line distance:

$$A \rightarrow G = 40$$

$$B \rightarrow G = 32$$

$$C \rightarrow G = 25$$

$$D \rightarrow G = 35$$

$$E \rightarrow G = 19$$

$$F \rightarrow G = 17$$

$$H \rightarrow G = 10$$

$$G \rightarrow G = 0$$

OPEN

[A]

[C, B, D]

B, D

F, E, B, D

G, E, B, D

E, B, D

CLOSE

[E]

[A]

A, C

A, C

A, C, F

A, C, F, G

Path: $A \rightarrow C \rightarrow F \rightarrow G$

Cost: 44

Algorithm:

- * Priority queue 'PQ' containing initial states. loop
- * If PQ = Empty, Return fail.
- * Insert node into PQ (open list).
- * Remove first(PQ) \rightarrow NODE (close-list)
- * If NODE \rightarrow GOAL,
Return path from initial state to NODE.
Else
- * Generate all successor of NODE & insert newly generated NODE into 'PQ' according to cost value.
- END loop.

Complexities:

Time: $O(b^d)$ $b \rightarrow$ branching factor
Space: $O(b^d)$ $d \rightarrow$ shallowest node depth.

Hill climbing Search:

- * local search algorithm which continuously moves in the direction of increasing evaluation to find the peak of the mountain (or) best solution to the problem.

It is also called greedy local search
is mostly used when a good heuristic is available.

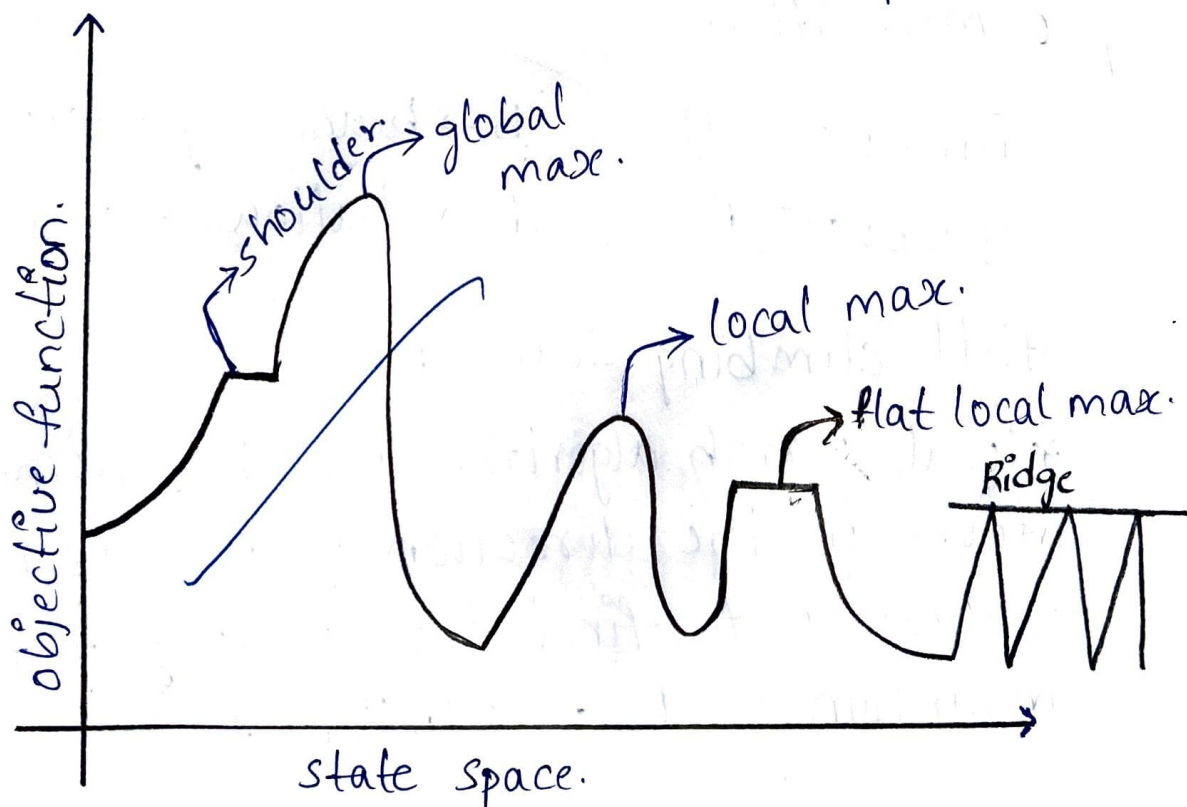
*simple Hill climbing.

Algorithm:

*start an initial solution s_0 .

* Repeat:

- Generate a neighboring solution s' of the current solution s .
- If $f(s')$ (objective fn. value of s') is better than $f(s)$
 - Move to s' (i.e; set $s = s'$)
- Else keep the current solution
- stop when no improvement is possible.



* steepest - Ascent hill climbing.

Algorithm:

* start with an initial solⁿ s_0

* Repeat:

- Evaluate all neighbors of current solⁿ s .
- choose the neighbor s' with best improvement (steepest ascent).
- If $f(s')$ is better than $f(s)$:
 - Move to s' (i.e; set $s = s'$)
- Else, stop as no better neighbor exists.

* stop when no improvement possible

Applications:

* Machine learning

* Robotics

* Natural language processing

* Network design.

* Data mining.

complexities:

Time: $O(d)$

Space: $O(b)$

$b \rightarrow$ branching factor.

 25/12/24.