DROGRAM: B.TECH

SPECIALIZATION: CSE-AIML

COURSE TITLE: ALCODING

SEMESTER: 3PD SEM

NAME OF STUDENT: Jasmitha

ENROLLMENT NO: 2403A51281

BATCH NO: 01

ASSIGNMENT 12.3:

Task Description #1 – Linear Search implementation

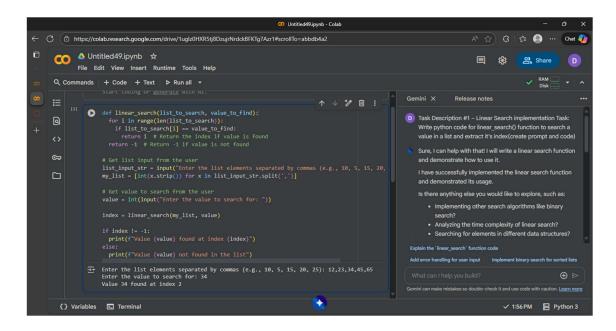
Task: Write python code for linear_search() function to search a

value

in a list and extract it's index

PROMPT:

Write python code for linear_search() function to search a value in a list and extract it's index with user given input CODE:



OBSERVATION:

Based on the execution of the code:

- 1. The user was prompted to enter a list of elements separated by commas and entered "12,23,34,45,65". This input was successfully parsed into a Python list [12, 23, 34, 45, 65].
- 2. The user was then prompted to enter the value to search for and entered "34".

- 3. The linear_search function was called with the list [12, 23, 34, 45, 65] and the value 34.
- 4. The function iterated through the list and found the value 34 at index 2.
- 5. The function returned the index 2.
- 6. The code then printed the message "Value 34 found at index 2".

Task Description #2 – Sorting Algorithms

Task: Ask AI to implement Bubble Sort

and check sorted output

PROMPT:

Write a python code on bubble sort with user given input.

CODE:

```
def bubble sort(list to sort):
      n = len(list_to_sort)
      for i in range(n):
        for j in range(0, n - i - 1):
         # Traverse the list from 0 to n-i-1
          # Swap if the element found is greater than the next element
            list_to_sort[j], list_to_sort[j + 1] = list_to_sort[j + 1], list_to_sort[j]
      return list_to_sort
    # Get list input from the user
    list_input_str = input("Enter the list elements separated by commas (e.g., 64, 34, 25, 12, 22, 11, 90): ")
    my_list = [int(x.strip()) for x in list_input_str.split(',')]
    sorted_list = bubble_sort(my_list.copy()) # Use a copy to keep the original list
    print("Original list:", my_list)
    print("Sorted list:", sorted_list)

    Enter the list elements separated by commas (e.g., 64, 34, 25, 12, 22, 11, 90): 12,34,23,45,12,56,67

    Original list: [12, 34, 23, 45, 12, 56, 67]
Sorted list: [12, 12, 23, 34, 45, 56, 67]
```

OBSERVATION:

1. The code takes a commaseparated list as user input.

- 2. The bubble_sort function sorts the list by repeatedly swapping adjacent elements.
- 3. A copy of the original list is sorted to preserve the original.
- 4. The original and the correctly sorted lists are then printed.

Task Description #3 – Optimization

Task: Write python code to solve below case study using linear optimization

PROMPT:

Write python code to solve below case study using linear optimization

CODE:

```
from pulp import LpProblem, LpVariable, lpSum, LpMaximize, LpStatus

# Create a linear programming problem instance
prob = LpProblem("Chocolate Manufacturing", LpMaximize)

# Define decision variables
A = LpVariable("Product_A", lowBound=0, cat="Integer")
B = LpVariable("Product_B", lowBound=0, cat="Integer")

# Define the objective function (maximize profit)
prob += lpSum([25 * A, 20 * B]), "Total Profit"

# Define the constraints
prob += 4 * A + 3 * B <= 200, "Milk Constraint"
prob += 2 * A + 4 * B <= 240, "Chocolate Constraint"

# Solve the problem
prob.solve()

# Print the status of the solution
print("Status:", LpStatus[prob.status])

# Print the optimal number of units for Product A and Product B
print("Optimal number of units for Product A:", A.varValue)
print("Optimal number of units for Product R:" R varValue)
```

```
# Print the status of the solution
print("Status:", LpStatus[prob.status])

# Print the optimal number of units for Product A and Product B
print("Optimal number of units for Product A:", A.varValue)
print("Optimal number of units for Product B:", B.varValue)

# Print the maximum profit
print("Maximum Profit:", prob.objective.value())

Status: Optimal
Optimal number of units for Product A: 8.0
Optimal number of units for Product B: 56.0
Maximum Profit: 1320.0
```

OBSERVATION:

Data Analysis Key Findings

- The linear programming problem for chocolate manufacturing was successfully set up with the objective of maximizing profit.
- The constraints on milk and chocolate availability were incorporated into the model
 (4*Product_A + 3*Product_B <= 200 for milk and 2*Product_A +
 4*Product_B <= 240 for chocolate).
- The solver found an optimal integer solution for the production quantities.

- The optimal production plan is to produce 8 units of Product A and 56 units of Product B.
- Following this production plan yields a maximum profit of \$1320.0.

Task Description #4 – Gradient Descent Optimization

Task: Write python code to find value of x at which the function f(x)=2X3+4x+5 will be minimum

PROMPT:

Write python code to find value of x at which the function f(x)=2X3+4x+5 will be minimum

CODE:

```
from sympy import symbols, diff, solve
# Define the variable
x = symbols('x')
# Define the function
f x = 2*x**3 + 4*x + 5
derivative_f_x = diff(f_x, x)
print("First Derivative:", derivative_f_x)
# Solve for the values of x where the first derivative is equal to zero (critical points)
critical points = solve(derivative f x, x)
print("Critical Points:", critical_points)
# Calculate the second derivative of f_x with respect to x
second_derivative_f_x = diff(derivative_f_x, x)
print("Second Derivative:", second derivative f x)
# Evaluate the second derivative at the critical points (complex)
# This step is primarily to demonstrate the process, as complex points don't yield real m
for point in critical points:
   second_deriv_at_point = second_derivative_f_x.subs(x, point)
```

```
NIS SCEP IS PRIMARITY TO DEMONSTRATE THE PROCESS, AS COMPLEX POINTS DOI
for point in critical_points:
    second deriv at point = second derivative f x.subs(x, point)
    print(f"Second Derivative at {point}: {second_deriv_at_point}")
# Analyze the behavior of the function as x approaches infinity
# The leading term is 2x^3. As x \rightarrow infinity, 2x^3 \rightarrow infinity. As x \rightarrow -infinity, 2x^3 \rightarrow
print("\nBehavior as x approaches infinity:")
print("As x -> infinity, f(x) -> infinity")
print("As x -> -infinity, f(x) -> -infinity")
print("\nConclusion:")
print("There is no real value of x at which the function has a minimum value.")
First Derivative: 6*x**2 + 4
Critical Points: [-sqrt(6)*I/3, sqrt(6)*I/3]
Second Derivative: 12*x
Second Derivative at -sqrt(6)*I/3: -4*sqrt(6)*I
Second Derivative at sqrt(6)*I/3: 4*sqrt(6)*I
Behavior as x approaches infinity:
As x \rightarrow infinity, f(x) \rightarrow infinity
As x \rightarrow -infinity, f(x) \rightarrow -infinity
Conclusion:
There is no real value of x at which the function has a minimum value.
```

OBSERVATION:

- 1. The first derivative of f(x) was calculated as 6*x**2 + 4.
- 2. Setting the first derivative to zero and solving for x yielded complex critical points [-sqrt(6)*I/3, sqrt(6)*I/3].
- 3. The second derivative was calculated as 12*x.
- 4. Evaluating the second derivative at the complex critical points resulted in complex values.
- 5. Analysis of the function's behavior as x approaches infinity and negative infinity showed that f(x) approaches infinity and negative infinity, respectively.
- 6. The conclusion is that there is no real value of x at which the function has a minimum value.