SCHOOL OF COMPUTER SCIENCE AND ARTIFIC INTELLIGENCE				DEPARTMENT OF COMPUTER SCIENCE ENGINEERING		
Program Name: B. Tech		Assignment Type: Lab		Academic Year:2025-2026		
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D4G9002DG215		NS_2 ( Mour				
Course Code	24CS002PC215	Course Title	AI Assisted Codi	ng		
Year/Sem	II/I	Regulation	R24			
Date and Day of Assignment	Week6 - Thursday	Time(s)				
Duration	2 Hours	Applicable to Batches				
AssignmentNumber:11.1(Present assignment number)/24(Total number of assignments)						
Q.No. Que	estion			7	Expected Time to	

Q.No.	Question	Expected Time to		
		complete		
	Lab 11 – Data Structures with AI: Implementing Fundamental Structures			
	Lab Objectives			
	<ul> <li>Use AI to assist in designing and implementing fundamental data</li> </ul>			
1	structures in Python.	Week6 -		
	Learn how to prompt AI for structure creation, optimization, and	Thursday		
	documentation.			
	• Improve understanding of Lists, Stacks, Queues, Linked Lists, Trees,			
	Graphs, and Hash Tables.			

• Enhance code quality with AI-generated comments and performance suggestions.

# Task 1: Implementing a Stack (LIFO)

- **Task**: Use AI to help implement a **Stack** class in Python with the following operations: push(), pop(), peek(), and is empty().
- Instructions:
  - Ask AI to generate code skeleton with docstrings.
  - o Test stack operations using sample data.
  - Request AI to suggest optimizations or alternative implementations (e.g., using collections.deque).
- Expected Output:
  - A working Stack class with proper methods, Google-style docstrings, and inline comments for tricky parts.

PROMPT: write a python program implement a **Stack** class with proper methods, Google-style docstrings, and inline comments for tricky parts.

#### CODE:

```
class Stack:
    """A simple Stack implementation in Python.
    Provides standard stack operations such as push, pop, peek, is_empty, and size
    def __init__(self):
    """Initialize an empty stack."""
        self. items = []
    def push(self, item):
         """Push an item onto the stack.
          item: The item to be added to the stack.
        self._items.append(item)
        print(f"Pushed {item!r}: {self._items}")
    def pop(self):
        """Remove and return the top item from the stack.
        Returns:
            The item at the top of the stack.
        Raises:
           IndexError: If the stack is empty.
        if self.is_empty():
            print("Error: pop from empty stack")
            raise IndexError('pop from empty stack')
        popped_item = self._items.pop()
        print(f"Popped {popped_item!r}: {self._items}")
```

```
return popped_item
def peek(self):
    """Return the top item from the stack without removing it.
    Returns:
       The item at the top of the stack.
    Raises:
      IndexError: If the stack is empty.
    if self.is empty():
        print("Error: peek from empty stack")
        raise IndexError('peek from empty stack')
    print(f"Peeked at {self._items[-1]!r}: {self._items}")
    return self._items[-1]
def is empty(self):
    """Check whether the stack is empty.
    Returns:
    True if the stack is empty, False otherwise.
    empty = len(self._items) == 0
    print(f"Is empty? {empty}")
    return empty
def size(self):
     """Return the number of items in the stack.
    Returns:
      The size of the stack as an integer.
        sz = len(self._items)
     print(f"Size: {sz}")
if __name__ == "__main__":
    s = Stack()
    s.is_empty() # True
    s.push(10)
    s.push(20)
    s.peek()
    s.push(30)
    s.size()
    s.pop()
    s.pop()
    s.pop()
    s.is_empty() # True
    try:
        s.pop()
    except IndexError:
       pass
OUTPUT:
```

```
Is empty? True
Pushed 10: [10]
Pushed 20: [10, 20]
Is empty? False
Peeked at 20: [10, 20]
Pushed 30: [10, 20, 30]
Size: 3
Is empty? False
Popped 30: [10, 20]
Is empty? False
Popped 20: [10]
Is empty? False
Popped 10: []
Is empty? True
Is empty? True
Error: pop from empty stack
PS C:\Users\DEEKSHA\OneDrive\Desktop\AIAC\Lab-11>
```

## Task 2: Queue Implementation with Performance Review

• **Task**: Implement a **Queue** with enqueue(), dequeue(), and is\_empty() methods.

#### • Instructions:

- o First, implement using Python lists.
- Then, ask AI to review performance and suggest a more efficient implementation (using collections.deque).

# • Expected Output:

Two versions of a queue: one with lists and one optimized with deque, plus an AI-generated performance comparison.

PROMPT: write the python code Implement a **Queue** with Two versions of a queue: one with lists and one optimized with deque, plus an AI-generated performance comparison.

CODE:

```
class ListQueue:
        """A simple queue implementation using Python lists."""
        def __init__(self):
               self.queue = []
        def enqueue(self, item):
               self.queue.append(item)
        def dequeue(self):
               if self.is_empty():
                     raise IndexError("dequeue from empty queue")
               return self.queue.pop(0)
        def is_empty(self):
               return len(self.queue) == 0
        def size(self):
               return len(self.queue)
  from collections import deque
  import time
  class DequeQueue:
        """An optimized queue implementation using collections.deque."""
        def __init__(self):
              self.queue = deque()
        def enqueue(self, item):
               self.queue.append(item)
        def dequeue(self):
              if self.is_empty():
                     raise IndexError("dequeue from empty queue")
              return self.queue.popleft()
def is_empty(self):
return len(self.queue) == 0
# Timing ListQueue
lq = ListQueue()
start_time = time.time()
for i in range(N):
    lq.enqueue()
for i in range(N):
    lq.dequeue()
list_time = time.time() - start_time
start_time = time.time()
for i in range(N):
| dq.enqueue(i)

for i in range(N):

| dq.dequeue()

deque_time = time.time() - start_time
print("Performance comparison:")
print(f"ListQueue: {list_time:.4f} seconds for {N} enqueues and dequeues")
print(f"Euclequeue: {deque time:.4f} seconds for {N} enqueues and dequeues")
print("AI analysis: listQueue dequeue is O(n) because pop(0) requires shifting
performance comparison()
```

## OUTPUT:

```
Performance comparison:
ListQueue: 10.4924 seconds for 100000 enqueues and dequeues
DequeQueue: 0.0140 seconds for 100000 enqueues and dequeues
AI analysis: ListQueue dequeue is O(n) because pop(0) requires shifting elements. DequeQueue dequeue
```

# Task 3: Singly Linked List with Traversal

- **Task**: Implement a **Singly Linked List** with operations: insert at end(), delete value(), and traverse().
- Instructions:
  - Start with a simple class-based implementation (Node, LinkedList).
  - Use AI to generate inline comments explaining pointer updates (which are non-trivial).
  - o Ask AI to suggest test cases to validate all operations.
- Expected Output:
  - A functional linked list implementation with clear comments explaining the logic of insertions and deletions.

PROMPT: write the python program Implement a **Singly Linked List** with clear comments explaining the logic of insertions and deletions. CODE:

```
class Node:
   Represents a node in a singly linked list.
   Each node contains some data and a reference to the next node.
   def __init__(self, data):
class SinglyLinkedList:
   Implements a basic singly linked list with methods to:
   - Insert at the end
   - Delete a node by value
   - Traverse the list
   def __init__(self):
   def insert_at_end(self, data):
       Inserts a new node with the given data at the end of the list.
       new_node = Node(data)
       if self.head is None:
           print(f"Inserted {data} as the head.")
       while current.next:
        current next = new node
```

```
print(f"Inserted {data} at the end.")
 def delete_value(self, value):
     Deletes the first node with the specified value.
      If the value does not exist, nothing happens.
      current = self.head
      prev = None
     while current:
              if prev:
              print(f"Deleted node with value {value}.")
              return
          prev = current
      print(f"Value {value} not found in the list.")
 def traverse(self):
     Prints all elements in the list.
      elements = []
      current = self.head
    elements annend(str(current.data))
der traverse(seit):
        print(" -> ".join(elements) if elements else "List is empty.")
if __name__ == "__main ":
    sll = SinglyLinkedList()
    sll.traverse()
    sll.insert_at_end(10)
    sll.insert_at_end(20)
    sll.insert_at_end(30)
    sll.traverse()
    sll.delete_value(20)
    sll.traverse()
    sll.delete value(100)
    sll.delete_value(10)
    sll.traverse()
    sll.delete_value(30)
    sll.traverse()
OUTPUT:
```

```
List is empty.
Inserted 10 as the head.
Inserted 20 at the end.
Inserted 30 at the end.
10 -> 20 -> 30
Deleted node with value 20.
10 -> 30
Value 100 not found in the list.
Deleted node with value 10.
30
Deleted node with value 30.
List is empty.
```

# Task 4: Binary Search Tree (BST)

- Task: Implement a Binary Search Tree with methods for insert(), search(), and inorder\_traversal().
- Instructions:
  - o Provide AI with a partially written Node and BST class.
  - o Ask AI to complete missing methods and add docstrings.
  - Test with a list of integers and compare outputs of search() for present vs absent elements.
- Expected Output:
  - A BST class with clean implementation, meaningful docstrings, and correct traversal output.

PROMPT: write a python program Implement a **Binary Search Tree with** meaningful docstrings, and correct traversal output.

CODE:

```
Class TreeNode:

Represents a node in the Binary Search Tree.
Each node contains some data and pointers to its left and right children.

def __init__(self, value):

Initialize a tree node.
Args:

value: The value to store in the node.

self.value = value
self.value = value
self.right = None

class BinarySearchTree:

Implements a Binary Search Tree with insert, search, and inorder_traversal methods.

def __init__(self):

"""Initializes an empty BST.""
self.root = None

def insert(self, value):

Insert a value into the BST.
Args:

value: The value to be inserted.

if self.root is None:
self.root = TreeNode(value)
print(f"Inserted {value} as root")
else:
self.insert_recursive(self.root, value)
```

```
Helper for recursive insertion.
   Args:
       node: Current node to compare.
       value: Value to insert.
           node.left = TreeNode(value)
           print(f"Inserted {value} to left of {node.value}")
           self._insert_recursive(node.left, value)
       if node.right is None:
           node.right = TreeNode(value)
           print(f"Inserted {value} to right of {node.value}")
           self._insert_recursive(node.right, value)
       print(f"Value {value} already exists. No duplicates allowed in BST.")
def search(self, value):
   Search for a value in the BST.
       value: The value to search for.
   Returns:
   True if found, False otherwise.
   return self._search_recursive(self.root, value)
def _search_recursive(self, node, value):
    """Helper for recursive search."""
```

```
print(f"{value} not found in BST.")
         return False
         print(f"Found {value} in BST.")
         return True
         return self._search_recursive(node.left, value)
     else:
         return self._search_recursive(node.right, value)
def inorder traversal(self):
     Perform inorder traversal of the BST.
     Returns:
         List of values in inorder sequence.
    result = []
     self._inorder_recursive(self.root, result)
     print("Inorder traversal:", " ".join(str(x) for x in result))
     return result
def _inorder_recursive(self, node, result):
         self._inorder_recursive(node.left, result)
         result.append(node.value)
         self._inorder_recursive(node.right, result)
if __name__ == "__main__":
    Example usage of BinarySearchTree with insert, search, and inorder_traversal:
   bst = BinarySearchTree()
   print("Inserting values into BST:")
   bst.insert(50)
   bst.insert(30)
   bst.insert(70)
   bst.insert(20)
   bst.insert(40)
    bst.insert(60)
   bst.insert(80)
   print("\nPerforming inorder traversal:")
   print("\nSearching for values:")
   bst.search(60)
   bst.search(25)
   bst.search(50)
OUTPUT:
```

```
Inserting values into BST:
Inserted 50 as root
Inserted 30 to left of 50
Inserted 70 to right of 50
Inserted 20 to left of 30
Inserted 40 to right of 30
Inserted 60 to left of 70
Inserted 80 to right of 70
Performing inorder traversal:
Inorder traversal: 20 30 40 50 60 70 80
Searching for values:
Found 60 in BST.
25 not found in BST.
Found 50 in BST.
```

## Task 5: Graph Representation and BFS/DFS Traversal

- **Task**: Implement a **Graph** using an adjacency list, with traversal methods BFS() and DFS().
- Instructions:
  - o Start with an adjacency list dictionary.
  - o Ask AI to generate BFS and DFS implementations with inline comments.
  - o Compare recursive vs iterative DFS if suggested by AI.
- Expected Output:
  - A graph implementation with BFS and DFS traversal methods, with AI-generated comments explaining traversal steps.

PROMPT: write the python program Implement a **Graph** using an adjacency list with BFS and DFS traversal methods, with AI-generated comments explaining traversal steps.

OUTPUT:

```
class Graph:
   Graph implementation using an adjacency list.
   Supports adding edges and performing BFS and DFS traversals.
   def __init__(self):
       self.adj_list = {}
   def add_edge(self, u, v):
       Adds an undirected edge between node u and node v.
           self.adj_list[u] = []
           self.adj_list[v] = []
       self.adj_list[u].append(v)
       self.adj_list[v].append(u)
   def bfs(self, start):
       Breadth-First Search traversal from the starting node.
       Prints the order of traversal with explanatory comments.
       from collections import deque
       visited = set()
       queue = deque([start])
       print(f"Starting BFS from node {start}")
       while queue:
           node = queue.popleft()
               print(f"Visiting: {node}")
               visited.add(node)
               for neighbor in self.adj_list.get(node, []):
                if neighbor not in visited:
```

```
print(f" Queueing neighbor {neighbor} of {node}")
                        queue.append(neighbor)
        print("BFS traversal complete.")
     def dfs(self, start):
        Depth-First Search traversal from the starting node.
        Prints the order of traversal with explanatory comments.
        visited = set()
        print(f"Starting DFS from node {start}")
        def dfs recursive(node):
            print(f"Visiting: {node}")
            visited.add(node)
             for neighbor in self.adj_list.get(node, []):
                     print(f" Going deeper to neighbor {neighbor} of {node}")
                     dfs_recursive(neighbor)
         dfs_recursive(start)
        print("DFS traversal complete.")
 if __name__ == "__main__":
    g = Graph()
    g.add_edge(0, 1)
    g.add_edge(0, 2)
    g.add_edge(1, 3)
    g.add_edge(1, 4)
    g.add_edge(2, 5)
    g.add_edge(2, 6)
    print("Adjacency List Representation:")
    for node, neighbors in g.adj_list.items():
       print(f"{node}: {neighbors}")
  print("\nBFS Traversal Example:")
  g.bfs(0)
  print("\nDFS Traversal Example:")
  g.dfs(0)
OUTPUT:
```

```
Adjacency List Representation:
0: [1, 2]
1: [0, 3, 4]
2: [0, 5, 6]
3: [1]
4: [1]
5: [2]
6: [2]
BFS Traversal Example:
Starting BFS from node 0
Visiting: 0
  Queueing neighbor 1 of 0
  Queueing neighbor 2 of 0
Visiting: 1
  Queueing neighbor 3 of 1
  Queueing neighbor 4 of 1
Visiting: 2
  Queueing neighbor 5 of 2
  Queueing neighbor 6 of 2
Visiting: 3
Visiting: 4
Visiting: 5
Visiting: 6
BFS traversal complete.
DFS Traversal Example:
Starting DFS from node 0
Visiting: 0
  Going deeper to neighbor 1 of 0
Visiting: 1
  Going deeper to neighbor 3 of 1
Visiting: 3
  Going deeper to neighbor 4 of 1
Visiting: 4
  Going deeper to neighbor 2 of 0
Visiting: 2
  Going deeper to neighbor 5 of 2
Visiting: 5
  Going deeper to neighbor 6 of 2
Visiting: 6
DFS traversal complete.
```