

AI ASSISTED CODING

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## Lab assignment-11.4

### Task 1: Implementing a Stack (LIFO)

- **Task:** Use AI to help implement a **Stack** class in Python with the following operations: `push()`, `pop()`, `peek()`, and `is_empty()`.
- **Instructions:**
  - Ask AI to generate code skeleton with docstrings.
  - Test stack operations using sample data.
  - Request AI to suggest optimizations or alternative implementations (e.g., using `collections.deque`).

Code:

```
[1] ✓ 0s
▶ class Stack:
    """
    A simple Stack implementation using a Python list.
    """

    def __init__(self):
        """
        Initializes an empty stack.
        """
        self._items = []

    def push(self, item):
        """
        Adds an item to the top of the stack.

        Args:
            item: The item to be added to the stack.
        """
        self._items.append(item)

    def pop(self):
        """
        Removes and returns the top item from the stack.

        Returns:
            The top item from the stack.

        Raises:
            IndexError: If the stack is empty.
        """
        if not self.is_empty():
            return self._items.pop()
        else:
            raise IndexError("pop from empty stack")
```

```
def peek(self):
    """
    Returns the top item from the stack without removing it.

    Returns:
        The top item from the stack.

    Raises:
        IndexError: If the stack is empty.
    """
    if not self.is_empty():
        return self._items[-1]
    else:
        raise IndexError("peek from empty stack")

def is_empty(self):
    """
    Checks if the stack is empty.

    Returns:
        True if the stack is empty, False otherwise.
    """
    return len(self._items) == 0
```

[2]  
✓ 0s

```
▶ # 1. Create an instance of the Stack class.  
my_stack = Stack()  
  
# 2. Push a few sample data elements onto the stack using the push() method.  
my_stack.push(10)  
my_stack.push(20)  
my_stack.push(30)  
  
# 3. Check if the stack is empty using is_empty().  
print(f"Is the stack empty? {my_stack.is_empty()}")  
  
# 4. Peek at the top element of the stack using peek() and print the result.  
try:  
    print(f"Top element (peek): {my_stack.peek()}")  
except IndexError as e:  
    print(f"Error peeking: {e}")  
  
# 5. Pop an element from the stack using pop() and print the popped element.  
try:  
    popped_item = my_stack.pop()  
    print(f"Popped element: {popped_item}")  
except IndexError as e:  
    print(f"Error popping: {e}")  
  
# 6. Peek at the top element again to see if it has changed.  
try:  
    print(f"Top element after pop (peek): {my_stack.peek()}")  
except IndexError as e:  
    print(f"Error peeking after pop: {e}")  
  
# 7. Pop the remaining elements from the stack.  
while not my_stack.is_empty():  
    try:  
        print(f"Popping remaining: {my_stack.pop()}")
```

[2] ✓ 0s

```

while not my_stack.is_empty():
    try:
        print(f"Popping remaining: {my_stack.pop()}")
    except IndexError as e:
        print(f"Error popping remaining: {e}")

# 8. Check if the stack is empty again.
print(f"Is the stack empty now? {my_stack.is_empty()}")

# 9. Attempt to pop or peek from the empty stack to observe the error handling.
try:
    print(f"Attempting to peek from empty stack: {my_stack.peek()}")
except IndexError as e:
    print(f"Error as expected when peeking from empty stack: {e}")

try:
    print(f"Attempting to pop from empty stack: {my_stack.pop()}")
except IndexError as e:
    print(f"Error as expected when popping from empty stack: {e}")

```

→ Is the stack empty? False  
Top element (peek): 30  
Popped element: 30  
Top element after pop (peek): 20  
Popping remaining: 20  
Popping remaining: 10  
Is the stack empty now? True  
Error as expected when peeking from empty stack: peek from empty stack  
Error as expected when popping from empty stack: pop from empty stack

[3] ✓ 0s

```

import collections

# 1. Explain that while the current list-based implementation works, appending and popping from the end of
print("The current Stack implementation uses a Python list.")
print("Appending and popping elements from the end of a list are generally efficient operations (amortized")
print("However, for operations at the beginning of a list, or for very large stacks with frequent operatio

# 2. Suggest using collections.deque as an alternative for potentially better performance.
print("\nAn alternative implementation for a Stack is to use the collections.deque class.")

# 3. Briefly explain why collections.deque can be more efficient for append/pop operations.
print("collections.deque is a double-ended queue, implemented as a doubly linked list.")
print("This structure allows for efficient appending and popping from both ends (O(1) on average),")
print("which can be beneficial in scenarios requiring such operations, though for a standard stack (LIFO),")
print("appending and popping from one end is sufficient and efficient with deque.")

# 4. Provide a simple code example showing how to implement a stack using collections.deque.
print("\nHere's a simple example of a Stack implemented using collections.deque:")

class DequeStack:
    """
    A Stack implementation using collections.deque.
    """
    def __init__(self):
        """
        Initializes an empty stack using a deque.
        """
        self._items = collections.deque()

    def push(self, item):
        """
        Adds an item to the top of the stack.
        """

```

[3]  
✓ 0s



```
Args:  
    item: The item to be added to the stack.  
    """  
    self._items.append(item) # Append to the right side  
  
def pop(self):  
    """  
    Removes and returns the top item from the stack.  
  
    Returns:  
        The top item from the stack.  
  
    Raises:  
        IndexError: If the stack is empty.  
    """  
    if not self.is_empty():  
        return self._items.pop() # Pop from the right side  
    else:  
        raise IndexError("pop from empty stack")  
  
def peek(self):  
    """  
    Returns the top item from the stack without removing it.  
  
    Returns:  
        The top item from the stack.  
  
    Raises:  
        IndexError: If the stack is empty.  
    """  
    if not self.is_empty():  
        return self._items[-1] # Peek at the rightmost element  
    else:  
        raise IndexError("peek from empty stack")
```

```
[3] 0s  def is_empty(self):
        """
        Checks if the stack is empty.

        Returns:
            True if the stack is empty, False otherwise.
        """
        return len(self._items) == 0

    # Example usage of DequeStack
    deque_stack = DequeStack()
    deque_stack.push(100)
    deque_stack.push(200)
    print(f"\nDequeStack is empty? {deque_stack.is_empty()}")
    print(f"DequeStack peek: {deque_stack.peek()}")
    print(f"DequeStack pop: {deque_stack.pop()}")
    print(f"DequeStack peek after pop: {deque_stack.peek()}")

    ➔ The current stack implementation uses a Python list.
    Appending and popping elements from the end of a list are generally efficient operations (amortized O(1)). However, for operations at the beginning of a list, or for very large stacks with frequent operations, other implementations like collections.deque might be more appropriate.

    An alternative implementation for a Stack is to use the collections.deque class.
    collections.deque is a double-ended queue, implemented as a doubly linked list.
    This structure allows for efficient appending and popping from both ends (O(1) on average), which can be beneficial in scenarios requiring such operations, though for a standard stack (LIFO), appending and popping from one end is sufficient and efficient with deque.

    Here's a simple example of a Stack implemented using collections.deque:
    DequeStack is empty? False
    DequeStack peek: 200
    DequeStack pop: 200
    DequeStack peek after pop: 100
```

## ## Summary:

### ### Data Analysis Key Findings

- \* A Python class `Stack` was successfully implemented using a standard Python list (`self.\_items`) to store elements.
- \* The `push()` method appends elements to the end of the list, `pop()` removes and returns the last element, and `peek()` returns the last element without removing it.
- \* The `is\_empty()` method correctly checks if the internal list is empty.

- \* Error handling for `pop()` and `peek()` on an empty stack was implemented using `IndexError`.
- \* Testing confirmed that `push()`, `pop()`, `peek()`, and `is\_empty()` methods function as expected, including the error handling for empty stacks.
- \* An alternative `DequeStack` class using `collections.deque` was presented, demonstrating an alternative implementation that also provides efficient O(1) operations for stack functionality.

### ### Insights or Next Steps

- \* The list-based stack implementation is generally efficient for typical stack operations.
- \* For scenarios requiring high performance with very large stacks or potential extensions involving operations on both ends, `collections.deque` offers a potentially more performant alternative.

## Task 2: Queue Implementation with Performance Review

- Task: Implement a Queue with enqueue(), dequeue(), and is\_empty() methods.
- Instructions:
  - o First, implement using Python lists.
  - o Then, ask AI to review performance and suggest a more efficient implementation (using collections.deque).

# code:

```
[4]  Os
▶ class Queue:
    """A simple Queue implementation using Python lists (FIFO - First In, First Out)."""

    def __init__(self):
        """Initialize an empty queue."""
        self.items = []

    def enqueue(self, item):
        """Add an item to the end of the queue."""
        self.items.append(item)

    def dequeue(self):
        """Remove and return the first item from the queue.
        Raises:
            IndexError: If the queue is empty.
        """
        if self.is_empty():
            raise IndexError("Dequeue from empty queue")
        return self.items.pop(0) # Removes from front

    def is_empty(self):
        """Check if the queue is empty."""
        return len(self.items) == 0

    def __len__(self):
        """Return the number of items in the queue."""
        return len(self.items)

    def __repr__(self):
        """Return string representation of the queue."""
        return f"Queue({self.items})"

if __name__ == "__main__":
    queue = Queue()
    print("Is queue empty?", queue.is_empty())
```

```
[4] ✓ 0s # Enqueue elements
queue.enqueue("A")
queue.enqueue("B")
queue.enqueue("C")
print("After enqueue A, B, C:", queue)

# Dequeue element
first = queue.dequeue()
print("Dequeued:", first)
print("After dequeue:", queue)

# Check if empty
print("Is queue empty?", queue.is_empty())
print("Queue length:", len(queue))

→ Is queue empty? True
After enqueue A, B, C: Queue(['A', 'B', 'C'])
Dequeued: A
After dequeue: Queue(['B', 'C'])
Is queue empty? False
Queue length: 2
```

### Task 3: Singly Linked List with Traversal

- Task: Implement a Singly Linked List with operations: `insert_at_end()`, `delete_value()`, and `traverse()`.
- Instructions:
  - Start with a simple class-based implementation (`Node`, `LinkedList`).
  - Use AI to generate inline comments explaining pointer updates (which are non-trivial).
  - Ask AI to suggest test cases to validate all operations.

Code:

[6] ✓ 0s

```
▶ class Node:
    """A Node in a singly linked list."""
    def __init__(self, data):
        self.data = data      # Store the data
        self.next = None       # Pointer to the next node (default: None)

class LinkedList:
    """A simple Singly Linked List implementation."""

    def __init__(self):
        self.head = None  # Initially, the list is empty (no head node)

    def insert_at_end(self, data):
        """Insert a new node with the given data at the end of the list."""
        new_node = Node(data)

        # If the list is empty, the new node becomes the head
        if self.head is None:
            self.head = new_node
            return

        # Otherwise, traverse to the last node
        current = self.head
        while current.next:
            current = current.next

        # Update the last node's next pointer to point to the new node
        current.next = new_node  # <-- This "links" the new node at the end

    def delete_value(self, value):
        """Delete the first occurrence of a node with the given value."""
        current = self.head
        previous = None
```

```
[6] 0s   # Traverse the list to find the node to delete
      while current and current.data != value:
          previous = current           # Move 'previous' forward
          current = current.next       # Move 'current' forward

      # Value not found
      if current is None:
          print(f"Value {value} not found in the list.")
          return

      # Case 1: Deleting the head node
      if previous is None:
          # Move head pointer to the next node
          self.head = current.next
      else:
          # Skip the current node by linking previous node to next
          previous.next = current.next # <-- Bypass the node to delete

      print(f"Deleted node with value {value}.")

def traverse(self):
    """Traverse the linked list and print all node values."""
    current = self.head
    if not current:
        print("The list is empty.")
        return

    print("Linked List contents:", end=" ")
    while current:
        print(current.data, end=" -> ")
        current = current.next
    print("None") # End of list indicator

def __repr__(self):
    """Return string representation of the list."""

```

```
[6]  ✓ 0s   nodes = []
          current = self.head
          while current:
              nodes.append(str(current.data))
              current = current.next
          return " -> ".join(nodes) + " -> None"
if __name__ == "__main__":
    ll = LinkedList()

    # Insert elements
    ll.insert_at_end(10)
    ll.insert_at_end(20)
    ll.insert_at_end(30)
    ll.insert_at_end(40)

    print("\nAfter insertions:")
    ll.traverse()

    # Delete a middle element
    ll.delete_value(20)
    print("\nAfter deleting 20:")
    ll.traverse()

    # Delete the head element
    ll.delete_value(10)
    print("\nAfter deleting 10 (head):")
    ll.traverse()

    # Delete a non-existent element
    ll.delete_value(99)
    print("\nAfter trying to delete 99 (not in list):")
    ll.traverse()

    # Delete the last element
    ll.delete_value(40)
    print("\nAfter deleting 40 (last node):")
```

```
[6] ✓ 0s      ll.delete_value(40)
               print("\nAfter deleting 40 (last node):")
               ll.traverse()

→ After insertions:
Linked List contents: 10 -> 20 -> 30 -> 40 -> None
Deleted node with value 20.

After deleting 20:
Linked List contents: 10 -> 30 -> 40 -> None
Deleted node with value 10.

After deleting 10 (head):
Linked List contents: 30 -> 40 -> None
Value 99 not found in the list.

After trying to delete 99 (not in list):
Linked List contents: 30 -> 40 -> None
Deleted node with value 40.

After deleting 40 (last node):
Linked List contents: 30 -> None
```

## Task 4: Binary Search Tree (BST)

- **Task:** Implement a **Binary Search Tree** with methods for `insert()`, `search()`, and `inorder_traversal()`.
- **Instructions:**
  - Provide AI with a partially written `Node` and `BST` class.
  - Ask AI to complete missing methods and add docstrings.
  - Test with a list of integers and compare outputs of `search()` for present vs absent elements.
- **Expected Output:**

```
[1] ✓ 0s # Binary Search Tree Implementation in Python

class Node:
    """A Node in the Binary Search Tree."""
    def __init__(self, key):
        self.key = key
        self.left = None
        self.right = None


class BST:
    """Binary Search Tree with insert, search, and inorder traversal methods."""

    def __init__(self):
        self.root = None

    def insert(self, key):
        """
        Insert a new key into the BST.
        If the tree is empty, the new node becomes the root.
        Otherwise, it recursively finds the correct position.
        """
        if self.root is None:
            self.root = Node(key)
        else:
            self._insert(self.root, key)

    def _insert(self, current_node, key):
        if key < current_node.key:
            if current_node.left is None:
                current_node.left = Node(key)
            else:
                self._insert(current_node.left, key)

        elif key > current_node.key:
            if current_node.right is None:
                current_node.right = Node(key)
            else:
                self._insert(current_node.right, key)

        # Duplicate keys are ignored

    def search(self, key):
        """
        Search for a key in the BST.
        Returns True if found, else False.
        """
        return self._search(self.root, key)

    def _search(self, current_node, key):
        if current_node is None:
            return False
        if key == current_node.key:
            return True
        elif key < current_node.key:
            return self._search(current_node.left, key)
        else:
            return self._search(current_node.right, key)

    def inorder_traversal(self):
        """
        Perform an inorder traversal of the BST.
        Returns a sorted list of all keys.
        """
        elements = []
        self._inorder_traversal(self.root, elements)
        return elements
```

```
[1] ✓ 0s

    self._insert(current_node.left, key)
elif key > current_node.key:
    if current_node.right is None:
        current_node.right = Node(key)
    else:
        self._insert(current_node.right, key)
# Duplicate keys are ignored

def search(self, key):
    """
    Search for a key in the BST.
    Returns True if found, else False.
    """
    return self._search(self.root, key)

def _search(self, current_node, key):
    if current_node is None:
        return False
    if key == current_node.key:
        return True
    elif key < current_node.key:
        return self._search(current_node.left, key)
    else:
        return self._search(current_node.right, key)

def inorder_traversal(self):
    """
    Perform an inorder traversal of the BST.
    Returns a sorted list of all keys.
    """
    elements = []
    self._inorder_traversal(self.root, elements)
    return elements
```

```

[1] ✓ 0s   def _inorder_traversal(self, current_node, elements):
          if current_node:
              self._inorder_traversal(current_node.left, elements)
              elements.append(current_node.key)
              self._inorder_traversal(current_node.right, elements)

# ----- TESTING -----

if __name__ == "__main__":
    bst = BST()
    numbers = [50, 30, 70, 20, 40, 60, 80]

    for num in numbers:
        bst.insert(num)

    print("Inorder Traversal (Sorted Elements):", bst.inorder_traversal())

    # Test search for present and absent elements
    test_values = [40, 25, 70, 90]
    for val in test_values:
        result = bst.search(val)
        print(f"Search for {val}: {'Found' if result else 'Not Found'}")

...
  • Inorder Traversal (Sorted Elements): [20, 30, 40, 50, 60, 70, 80]
  Search for 40: Found ✓
  Search for 25: Not Found ✗
  Search for 70: Found ✓
  Search for 90: Not Found ✗

```

## Task 5: Graph Representation and BFS/DFS Traversal

- **Task:** Implement a **Graph** using an adjacency list, with traversal methods `BFS()` and `DFS()`.
- **Instructions:**
  - Start with an adjacency list dictionary.
  - Ask AI to generate BFS and DFS implementations with inline comments.
  - Compare recursive vs iterative DFS if suggested by AI.

```
[2] ✓ 0s # Graph Representation and Traversal in Python

from collections import deque

class Graph:
    """Graph represented using an adjacency list."""

    def __init__(self):
        # adjacency list as a dictionary {node: [neighbors]}
        self.adj_list = {}

    def add_edge(self, u, v):
        """
        Add an edge between node u and v.
        For an undirected graph, add both directions.
        """
        if u not in self.adj_list:
            self.adj_list[u] = []
        if v not in self.adj_list:
            self.adj_list[v] = []

        self.adj_list[u].append(v)
        self.adj_list[v].append(u)

    def bfs(self, start):
        """
        Breadth-First Search (BFS) traversal starting from 'start' node.
        Uses a queue to visit nodes level by level.
        """
        visited = set()
        queue = deque([start])
        traversal_order = []

        while queue:
            vertex = queue.popleft() # remove from front of queue
            if vertex not in visited:
                visited.add(vertex)
                traversal_order.append(vertex)
                # Add all unvisited neighbors to the queue
                for neighbor in self.adj_list[vertex]:
                    if neighbor not in visited:
                        queue.append(neighbor)
        return traversal_order
```

```
[2] ✓ 0s

def dfs_recursive(self, start, visited=None):
    """
    Depth-First Search (DFS) traversal using recursion.
    Visits nodes by going as deep as possible along each branch.
    """
    if visited is None:
        visited = set()
    visited.add(start)
    traversal_order = [start]

    for neighbor in self.adj_list[start]:
        if neighbor not in visited:
            traversal_order.extend(self.dfs_recursive(neighbor, visited))
    return traversal_order

def dfs_iterative(self, start):
    """
    Depth-First Search (DFS) traversal using an explicit stack.
    Iterative version avoids recursion stack overflow for large graphs.
    """
    visited = set()
    stack = [start]
    traversal_order = []

    while stack:
        vertex = stack.pop() # remove from top of stack
        if vertex not in visited:
            visited.add(vertex)
            traversal_order.append(vertex)
            for neighbor in self.adj_list[vertex]:
                if neighbor not in visited:
                    stack.append(neighbor)
```

```
[2] ✓ 0s
traversal_order = []

while stack:
    vertex = stack.pop() # remove last element (LIFO)
    if vertex not in visited:
        visited.add(vertex)
        traversal_order.append(vertex)
        # Add neighbors in reverse order for consistent output
        for neighbor in reversed(self.adj_list[vertex]):
            if neighbor not in visited:
                stack.append(neighbor)
return traversal_order

# ----- TESTING -----
if __name__ == "__main__":
    # Create a sample graph
    g = Graph()
    edges = [
        ('A', 'B'), ('A', 'C'),
        ('B', 'D'), ('B', 'E'),
        ('C', 'F'), ('E', 'F')
    ]

    for u, v in edges:
        g.add_edge(u, v)

    print("Adjacency List Representation:")
    for node, neighbors in g.adj_list.items():
        print(f"{node}: {neighbors}")

    # BFS Traversal
    print("\nBFS Traversal starting from A:", g.bfs('A'))
```

```
[2] ✓ 0s
# BFS Traversal
print("\nBFS Traversal starting from A:", g.bfs('A'))

# DFS (Recursive)
print("DFS (Recursive) starting from A:", g.dfs_recursive('A'))

# DFS (Iterative)
print("DFS (Iterative) starting from A:", g.dfs_iterative('A'))

# Comparison
print("\n✓ Both DFS methods visit all nodes, but order may differ slightly due to recursion vs st

...
••• Adjacency List Representation:
A: ['B', 'C']
B: ['A', 'D', 'E']
C: ['A', 'F']
D: ['B']
E: ['B', 'F']
F: ['C', 'E']

BFS Traversal starting from A: ['A', 'B', 'C', 'D', 'E', 'F']
DFS (Recursive) starting from A: ['A', 'B', 'D', 'E', 'F', 'C']
DFS (Iterative) starting from A: ['A', 'B', 'D', 'E', 'F', 'C']

✓ Both DFS methods visit all nodes, but order may differ slightly due to recursion vs stack behavior.
```