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## # Day 8 of DSA

### # Tasks:-

#### checkbox Sorting:-

☒ Sorting Algorithms: Insertion Sort, Selection Sort.

☒ Implement insertion sort, selection sort.

☒ Searching Techniques = Linear search, binary search.

☒ Practice linear search, basic binary search.

eg. taken from

Love Babbar  
Bhaiya

Insertion Sort



eg.

	0	1	2	3
	4	12	11	20

Insertion Sort

4, 12, 20  
11

mean;

We have to insert a particular as per its position.

Algorithm:-

- ① Traverse from  $i=1$  to  $i < n$  1st loop
- ② Take temp & store  $arr[i]$ ;
- ③ then Take another loop  
start temp  $j=i-1$  to  $j >= 0$
- ④ search is  $arr[j] < > arr[i]$   
then  $arr[j+1] = arr[j]$   
else we break;
- ⑤ After loop we put temp in  $arr[j+1]$ .

```

for( int i = 1; i < n; i++)
{
    int temp = arr[i];
    int j = i-1;
    for( j; j >= 0; j--)
    {
        if( arr[j] > arr[i])
        {
            arr[j+1] = arr[j];
        }
        else
        {
            break;
        }
    }
    arr[j+1] = temp;
}

```

Time Complexity = $O(N^2)$ Space Complexity = $O(1)$
---

## \* Selection Sort

### Algorithm

- ① We start traversing Array & checking the min index from  $i+1$  to  $n$ .
- ② & then swap it with current index
- ③ That's it.

Basically, Selection sort linearly  
Arrange elements by their size

eg.

4	3	2	1	
---	---	---	---	--

Round 1

1	3	2	4	
---	---	---	---	--

Round 2

1	2	3	4	
---	---	---	---	--

Round 3

$$\text{Rounds} = n - 1$$

```

For( int i = 0 ; i < n ; i++ )
{
    int minIdx = i;
    For( int j = i+1 ; j < n ; j++ )
    {
        if ( arr[j] < arr[minIdx] )
        {
            minIdx = j;
        }
    }
    swap ( arr[minIdx], arr[i] );
}

```

Time Complexity:  $O(n^2)$   
 Space Complexity:  $O(1)$

## \* Linear Search

\* we have to traverse whole array & check every element that is equal or not

$$TC = O(N)$$

## \* Binary Search

\* we find out mid of Array.

+ & check if array element is  $\leq$  mid.  
then we search in left

+ otherwise right.

+ & search it using mid - Again & Again

$$TC = O(n \log n)$$



① Implement Insertion sort to sort an array of integers in non-decreasing order.

```
int i, j, temp;
```

```
for (i = 0; i < n; i++)
```

```
{
    temp = arr[i];
```

```
    for (j = i - 1; j >= 0; j--)
```

```
    {
        arr[j + 1] = arr[j];
```

```
    }
    arr[j + 1] = temp;
}
```

Time Complexity:  $O(n^2)$

Space Complexity:  $O(1)$

② Implement sort of selection For an array of integers in non-decreasing order

Approach

\* Use Basic selection sort.

that is Find min-idx & put it swap with current element.

\* ~~After~~

```

For (int i = 0; i < n; i++)
{
    int min_idx = i;
    For (int j = i + 1; j < n; j++)
    {
        if (arr[min_idx] > arr[j])
        {
            min_idx = j;
        }
    }
    swap(arr[i], arr[min_idx]);
}

```

Time Complexity: $O(n^2)$ Space Complexity: $O(1)$
---



③ kth smallest element in an array.  
Using Insertion Sort

Approach:

```
For( int i = 0; i < n; i++)
```

```
{
    int i, j, temp;
    temp = arr[i];
    j = i - 1;

```

```
    while(j >= 0 && arr[j] > temp)
```

```
{
        arr[j+1] = arr[j];
        j--;
    }

```

```
    arr[j+1] = temp;

```

```
}
return arr[k-1];

```

Time Complexity:  $O(n^2)$

Time

Space Complexity:  $O(1)$

④  $k$ th smallest element in an array.  
Using Selection sort.

Approach

```

for (int i = 0; i < n; i++)
{
    int min_idx = i;
    for (int j = i + 1; j < n; j++)
    {
        if (arr[min_idx] > arr[j])
        {
            min_idx = j;
        }
    }
    swap(arr[min_idx], arr[j]);
}

return arr[k-1];

```

Time Complexity : $O(n^2)$ Space Complexity : $O(1)$
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