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«The scientific heritage»

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Одним из недостатков социального менеджмента в России является отсутствие обучения данной дисциплине в университетах, что создает слабую подготовку менеджеров в этой сфере. Помимо этого, отрицательное воздействие оказывает консерватизм социального мышления, низкий теоретический и аналитический потенциал развития и недостаточное применение на практике.

Также слабая подготовка менеджеров в этой сфере создает такую ситуацию, когда социальную политику приравнивают к экономике, а социальный менеджмент - к экономическому или финансовому менеджменту, что является не совсем верным.

Социальная политика есть цель социального менеджмента, лишь вместе они выступают процессом либерализации социальной сферы, совершенствования социальных систем, вопросами защиты и стабилизации качества жизни граждан.

Подводя итог, хотелось бы сделать вывод, что социальная политика представляет не только науку об институциональной экономике, но и науку об отношениях граждан с обществом, их взаимосвязях. Социальная политика непосредственно затрагивает повседневные интересы людей, создает те или иные, лучшие или худшие возможности для удовлетворения самых различных их нужд. Поэтому, если она в максимально возможной степени способствует удовлетворению таких нужд и созданию благоприятных условий жизни социума, то это является важным фактором обеспечения стабильности в обществе или в какой-то общественной системе, предотвращая социальную напряженность и конфликты.

Для социального менеджмента, который напрямую взаимосвязан и взаимозависим от социальной политики, большое влияние имеет поведение человека, который выступает объектом социальных отношений. Следовательно, данный менеджмент призван обеспечить современное общество стабильно функционирующим социальным «механизмом» управления социальной сферой жизни.

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ВЛИЯНИЕ ШЕСТИ ПЕРЕМЕННЫХ НА РАСЧЕТ ВВП ЧЕРЕЗ ПЕРЕМЕННУЮ X1

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THE IMPACT EXERTED BY SIX VARIABLES ONTO THE GDP CALCULATION THROUGH THE VARIABLE X1

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Аннотация

В статье рассматривается вопрос расчета валового внутреннего продукта при шести различных переменных. На основе результатов расчета были построены двухмерные графики, которые дают наглядное представление, как изменяется ВВП от их значений.

Abstract

The present article deals with the issue of the gross domestic product calculation, in the event when six variables affect the GDP. Based on calculation results the 2D graphs were plotted, making it possible to visualize the GDP variations depending on specific variables.

Ключевые слова: валовой внутренний продукт, расчеты, таблицы, 2D.

Keywords: gross domestic product, calculation, tables, 2D figures.

The article as presented below shows how six variables' values affect the GDP calculations. For this purpose the variables' values may be whether constant, increasing or decreasing by a factor of 10. Hence, at issue

is $V_{eu}(GDP) - V_{eu}(GDP) = f(X_1, X_2, X_3, X_4, X_5, X_6)$ variation. Herein $V_{eu}(GDP)$ denotes the volume of economic shell. In this particular case the $V_{eu}(GDP)$ values were calculated through the variable X_1 [1, 2].

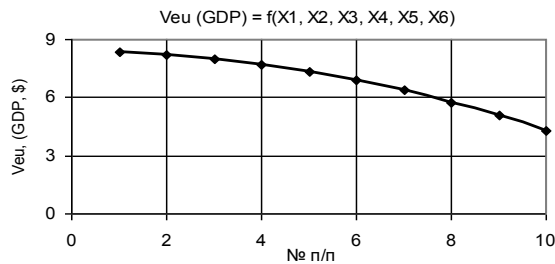


Fig. 1. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1=0,24..13, X2=X3=X4=X5=1, X6=0,1..1$

Thus, Figure 1 shows the $Veu(GDP)$ curve when the variables' values were as follows $X1 = 0.24...13$, $X2 = X3 = X4 = X5 = 1$, $X6 = 0.1...1$. As can be seen from the figure in question, the plotted curve decreases from 8.34 to 4.27, that is by 1.95 times. Therefore, the given variables aren't recommended for use where a country recovers from an economic crisis. In the event the plotted $Veu(GDP)$ curve grows, the variables used may then be applied to draw the country out of the economic crisis.

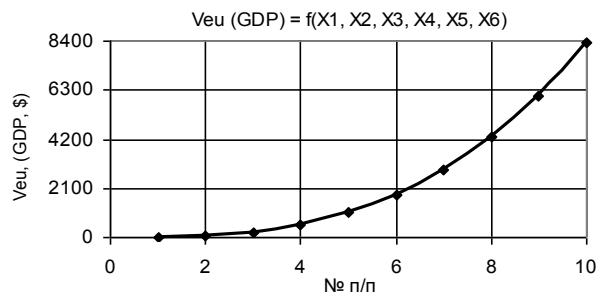


Fig. 2. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1=0,24..13, X2=X3=X4=1, X5=1..10, X6=0,1..1$

The scenario when the dependency $Veu(GDP)$, plotted during the calculations, is a constant value makes it feasible to support the country's economy during the recession period without fluctuations. The following Figure 2 shows the $Veu(GDP)$ curve, with the variables $X1 = 1.7...243$, $X2 = 1$, $X3 = X5 = 1...10$, $X4 = X6 = 0.1...1$, which increases from 8.34 and up to 8338.93, that is by a factor of 1000.

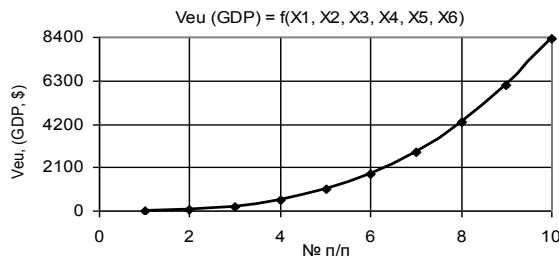


Fig. 3. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1=1,7..24,31, X2=X3=1, X4=X6=0,1..1, X5=1..10$

The next two Figures 3 and 4 display two curves when the variables were $X1 = 1.7...24.31$, $X2 = X3 = 1$, $X4 = X6 = 0.1...1$, $X5 = 1...10$ and $X1 = 1.7...243$, $X2 = 1$, $X3 = X5 = 1...10$, $X4 = X6 = 0.1...1$ accordingly. As it can be seen, the plotted curves increase equally from

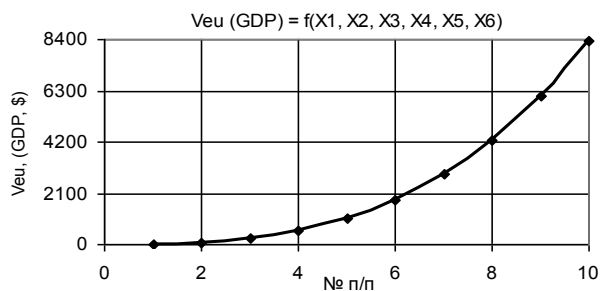


Fig. 4. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1=1,7..243, X2=1, X3=X5=1..10, X4=X6=0,1..1$

8.34 to 8339.93, that is by a factor of 1000. However, it's worth noting here that the values of the variable $X1$ have their maximums: specifically, $X1_{\max} = 67.35$ at point 8 (Fig. 3) and $X1_{\max} = 570.44$ at point 9 (Fig. 4).

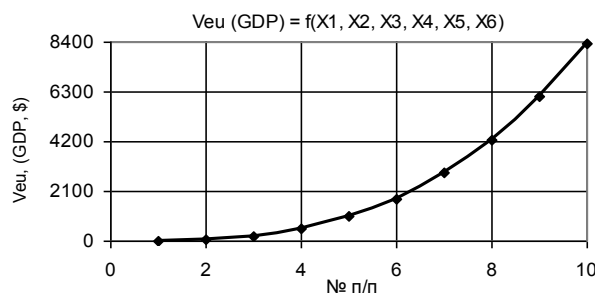


Fig. 5. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1=1,7..2,4, X2=X3=X5=1..10, X4=X6=0,1..1$

The curve plotted in Figure 5 with the variables $X1 = 1.7...2.4$, $X2 = X3 = X5 = 1...10$, $X4 = X6 = 0.1...1$ is similar to the curves in Figures 3 and 4, and it also has its maximum for the variable $X1_{\max} = 8.7$ at point

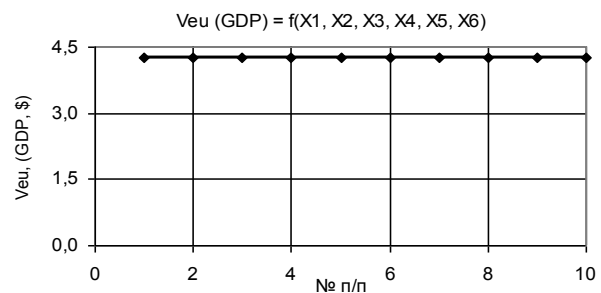


Fig. 6. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1=0,88..0,01, X2=1, X3=1..10, X4=0,1..1, X5=X6=1$

7. From the next Figure 6 it is obvious that the $Veu(GDP)$ values remain invariable at the variables $X1 = 0.88...0.01$, $X2 = 1$, $X3 = 1...10$, $X4 = 0.1...1$, $X5 = X6 = 1$.

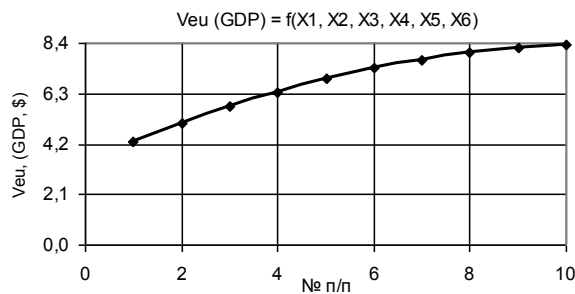


Fig.7. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1=0,12...2,4, X2=X3=X4=X5=1, X6=0,99...0,1$

Similarly, Figure 7 shows that the plotted Veu curve, with $X1 = 0.12...2.4$, $X2 = X3 = X4 = X5 = 1$, $X6 = 0.99...0.1$, increases marginally by a factor of 1.95,

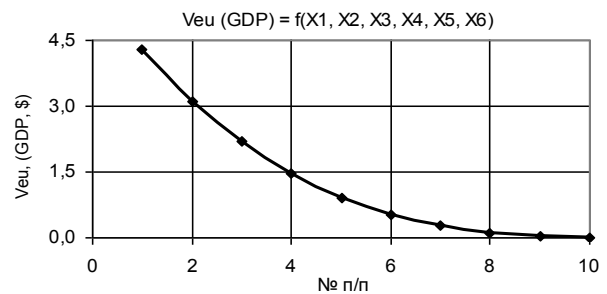


Fig. 8. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1=0,12...0,001, X2=1, X3=X4=1, X5=X6=1..0,1$

that is from 4.27 to 8.34. In Figure 8, the $Veu(GDP)$ curve decreases from 4.27 to 0.004, that is by a factor of 1000.

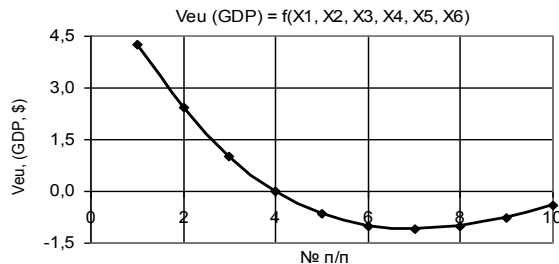


Fig. 9. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1=0,12...0,12, X2=X3=X4=X5=X6=1..0,1$

In the following two Figures 9 and 10, the reducing $Veu(GDP)$ curves are shown at $X1 = 0.12...0.12$, $X2 = X3 = X4 = X5 = X6 = 1...0.1$ and $X1 = 0.12...0.12$, $X2 = X3 = X4 = X5 = 1...0.1$, $X6 = 1$ respectively, having their minimums for $Veu(GDP)_{min} = -1.11$ at points 7. As it may be noticed, here at once we have negative $Veu(GDP)$ values, which is due to the fact that the variable $X5$ becomes lesser than the variable $X6$, i.e. $X5 < X6$. Therefore in these instances the calculations may be used for point 1 only, when $X5 > X6$.

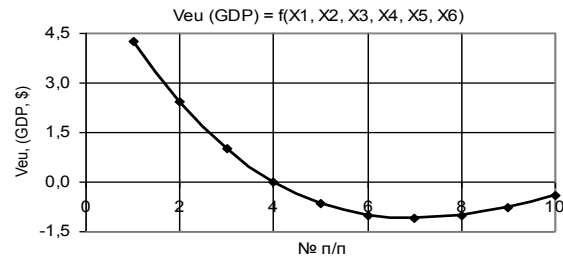


Fig. 10. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1=0,12...0,12, X2=X3=X4=X5=1..0,1, X6=1$

Figure 11 clearly shows that the $Veu(GDP)$ curve decreases from 4.27 down to 0.004, that is by 1000 times, and has its maximum value for the variable $X1$ being equal to 0.45 at point 4 ($X1_{max} = 0.45$). The curve plotted in Figure 12 drops from 8.34 down to its minimum of -0.6 at point 9, that is by 13.94 times, upon which value it raises from -0.6 up to -0.4 , by a factor of 1.5. In the example given above the calculations may be utilized only between points 1 and 5, since in this particular case the values $X5 > X6$.

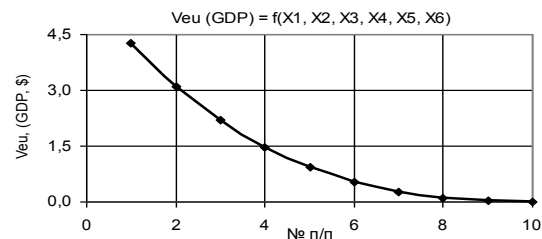


Fig.11. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1=0,12...0,45, X2=X3=X4=X5=X6=1..0,1$

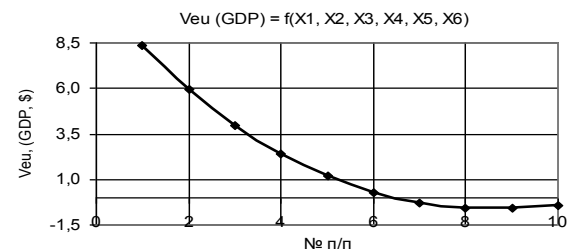


Fig.12. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1=0,24...0,06, X2=X3=X4=1, X5=1..0,1, X6=0,1..1$

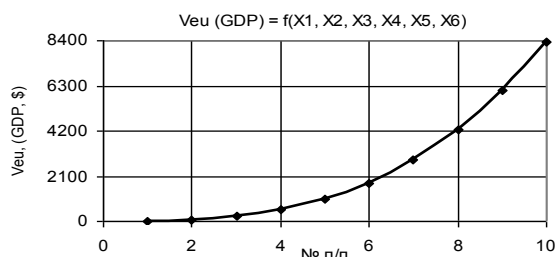


Fig. 13. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1=0,12...1,71, X2=X3=X6=1, X4=1..0,1, X5=1..10$

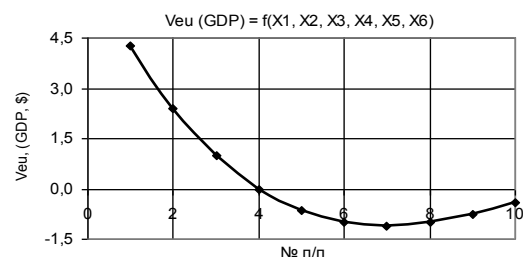


Fig. 14. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1=0,88...0,88, X2=X3=X6=1, X4=0,1..1, X5=1..0,1$

Figure 13 points out that the Veu (GDP) curve, with the variables $X1 = 0.12...171$, $X2 = X3 = X6 = 1$, $X4 = 1...0.1$, $X5 = 1...10$, increases from 4.27 and up to 8339.93, that is by 1951.37 times. And the Veu (GDP) curve in Figure 14, plotted with $X1 = 0.88...0.88$, $X2 = X3$

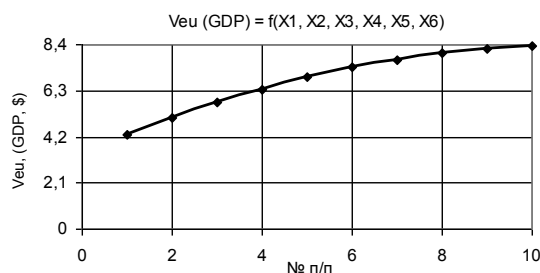


Fig. 15. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1 = 0.12...0.002, X2 = 1...10, X3 = X4 = X5 = X6 = 1$

As seen from the Veu (GDP) dependency, plotted in Figure 15, it grows from 4.27 up to 8.34, that is by a factor of 1.94. This curve was plotted under the following values of the variables $X1 = 0.12...0.002$, $X2 = 1...10$, $X3 = X4 = X5 = X6 = 1$. The values Veu (GDP) here vary more vigorously between points 1 and 7. The next Figure 16 was plotted with the variables $X1 = 1.72...0.36$, $X2 = X3 = 1$, $X4 = X6 = 0.1...1$, $X5 = 1...0.1$

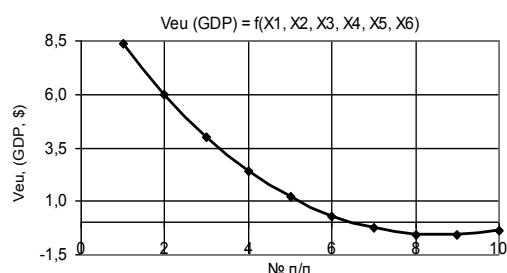


Fig. 17. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1 = 1.72...0.21, X2 = 1, X3 = X5 = 1...0.1, X4 = X6 = 0.1...1$

When Figure 17 was plotted, the following variables were used: $X1 = 1.72...0.21$, $X2 = 1$, $X3 = X5 = 1...0.1$, $X4 = X6 = 0.1...1$. The obtained curve Veu (GDP) is also similar to two curves plotted in Figures 12 and 16 and, hence, their conclusions are also applicable

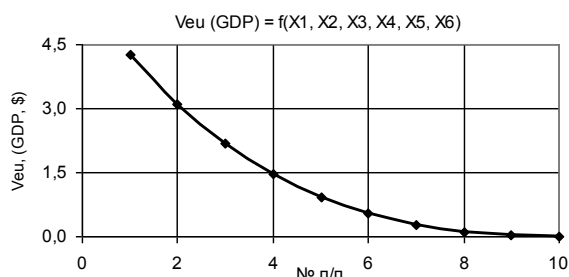


Fig. 19. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1 = 0.88...0.01, X2 = 1, X3 = 1...10,$
 $X4 = 0.1...1, X5 = X6 = 1...0.1$

The Veu (GDP) dependency, plotted in Figure 19, is decreasing from 4.27 down to 0.004, that is by 10 times, with the variables $X1 = 0.88...0.01$, $X2 = 1$, $X3 = 1...10$, $X4 = 0.1...1$, $X5 = X6 = 1...0.1$. In this example the variable $X1$ also has its maximum of 1.62 at point 3 ($X1_{max} = 1.62$). The curve Veu (GDP) plotted in Figure 20

= $X6 = 1$, $X4 = 0.1...1$, $X5 = 1...0.1$, first drops from 4.27 down to its minimum of Veu (GDP) = -1.11 at point 7, and then raises up to -0.4. It is worth mentioning here that yet in the second line the variable values $X5 < X6$, and therefore these shall be disregarded.

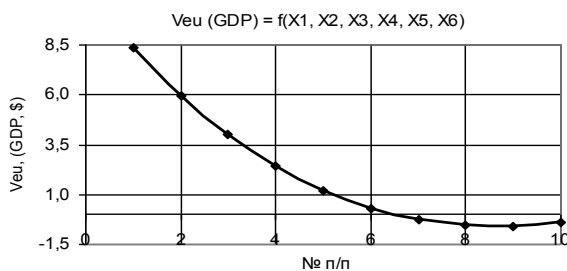


Fig. 16. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1 = 1.72...0.36, X2 = X3 = 1, X4 = X6 = 0.1...1, X5 = 1...0.1$

and it shows that it is similar to Figure 12. The curve plotted here also drops from 8 down to its minimum being -0.6 at point 9, that is by 13.94 times, upon which value it raises from -0.6 up to -0.4, by a factor of 1.5. In the example given above the calculations may be utilized only between points 1 and 5, since in this particular range the values $X5 > X6$.

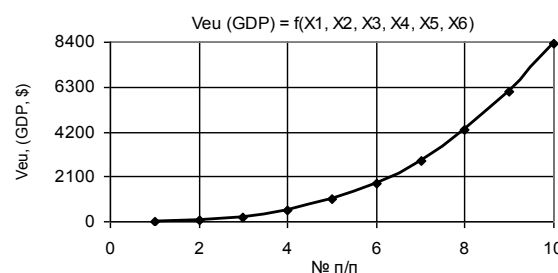


Fig. 18. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1 = 0.24...17.15, X2 = 1, X3 = X4 = X5 = 1...0.1, X6 = 0.1...1$

to the former curve. Figure 18 depicts the Veu (GDP) curve which raises from 8.34 and up to 8338.93, that is by 1000 times, with the variables being $X1 = 0.24...17.15$, $X2 = 1$, $X3 = X4 = X5 = 1...0.1$, $X6 = 0.1...1$. In this example the variable $X1$ has its maximum of 31.6 at point 8 ($X1_{max} = 31.6$).

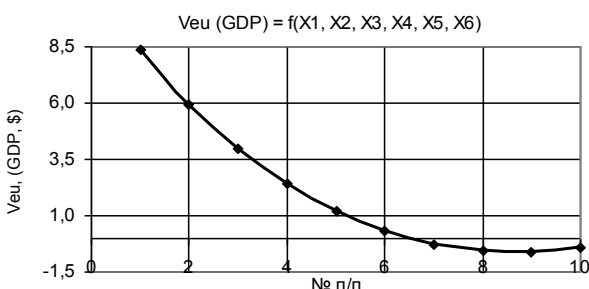


Fig. 20. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1 = 0.24...1.65, X2 = 1, X3 = 1...10, X4 = X5 = 1...0.1,$
 $X6 = 0.1...1$

also drops from 8.34 down to its minimum being -0.6 at point 9, that is by a factor of 13.94, upon which value it raises from -0.6 up to -0.4, by a factor of 1.5. In this example the variable $X1$ has its maximum of 2.06 at point 4 ($X1_{max} = 2.06$).

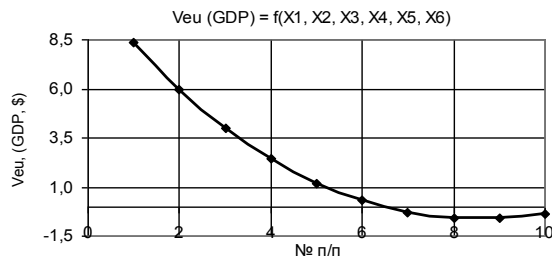


Fig. 21. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1=0.24..0.20, X2=1, X3=X4=X5=1..0.1, X6=0.1..1$

The Veu (GDP) curve presented in Figure 21, with variables being $X1 = 0.24...0.20$, $X2 = 1$, $X3 = X4 = X5 = 1...0.1$, $X6 = 0.1...1$, is identical to the curve in Figure 21. However in this instance the variable $X1$ has its maximum of 0.56 at point 2 ($X1_{max} = 0.56$). The Veu (GDP) dependency in Figure 22 was obtained when the

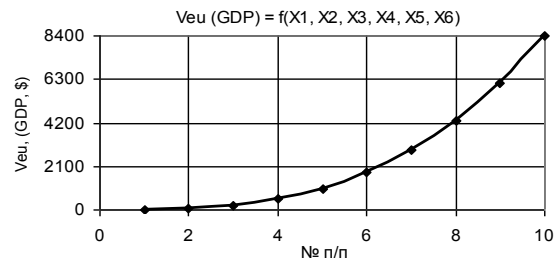


Fig. 22. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1=0.24..0.20, X2=1, X3=X4=X5=1..0.1, X6=0.1..1$

variables had the following values $X1 = 0.24...0.20$, $X2 = 1$, $X3 = X4 = X5 = 1...0.1$, $X6 = 0.1...1$. In this example the Veu (GDP) values increase from 4.27 to 8379.59, i.e. grew by 1960.88 times. With these variables the $X1$ value has its maximum of 573.12 at point 9 ($X1_{max} = 573.12$).

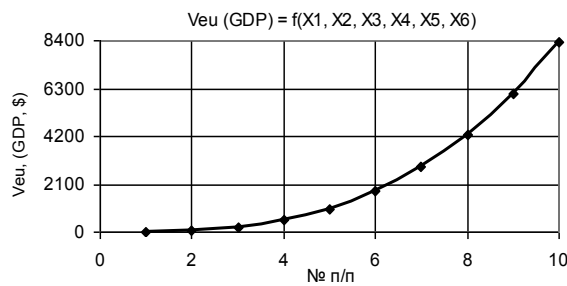


Fig. 23. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1=0.12..0.17, X2=X5=1..10, X3=X4=1..0.1, X6=1$

As seen in Figure 23 the plotted Veu (GDP) dependency raises from 4.27 to 8338.93, that is by 1951.37 times, under the following variables being $X1 = 0.12...0.17$, $X2 = X5 = 1...10$, $X3 = X4 = 1...0.1$, $X6 = 1$. In this example the variable $X1$ has its maximum of 0.85 at point 4 ($X1_{max} = 0.85$). Figure 24, which was plotted

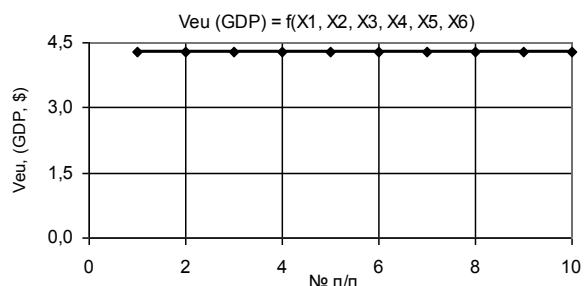


Fig. 24. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1=0.12..0.09, X2=X3=1..10, X4=1..0.1, X5=X6=1$

with the variables $X1 = 0.12...0.09$, $X2 = X3 = 1...10$, $X4 = 1...0.1$, $X5 = X6 = 1$, demonstrates that Veu (GDP) dependency remains invariable and equal to 4.27. In this instance the value of the variable $X1$ has its maximum of 0.2 at point 2 ($X1_{max} = 0.2$).

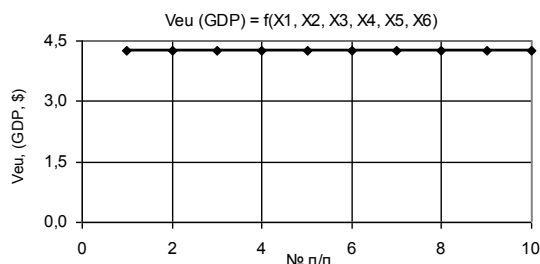


Fig. 25. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1=0.88..1.25, X2=X3=1..0.1, X4=0.1..1, X5=X6=1$

The Veu (GDP) dependency, plotted in Figure 25 with variables $X1 = 0.88...1.25$, $X2 = X3 = 1...0.1$, $X4 = 0.1...1$, $X5 = X6 = 1$, is identical to that of Figure 24, except here the $X1$ variable's value has its maximum of 2.01 at point 9 ($X1_{max} = 2.01$). From the following Figure 26 plotted with the variables $X1 = 0.24...0.17$, $X2 = X5 = 1...10$, $X3 = X4 = 1...0.1$, $X6 = 0.1...1$, it can be seen that the Veu (GDP) curve raises from 8.34 and up to 8338.93, that is by 1000 times. And the variable $X1$ has its maximum of 0.87 at point 4 ($X1_{max} = 0.87$).

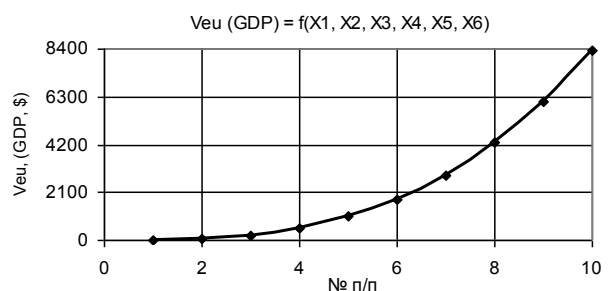


Fig. 26. $Veu(GDP) = f(X1, X2, X3, X4, X5, X6)$
 $X1=0.24..0.17, X2=X5=1..10, X3=X4=1..0.1, X6=0.1..1$

In Figure 27, the Veu (GDP) values increase from 4.27 up to 8338.93, that is by 1951.88 times, under the variables being $X1 = 0.88...243$, $X2 = X6 = 1$, $X3 = X5 = 1...10$, $X4 = 0.1...1$. In this example the variable $X1$ has also its maximum of 569.79 at point 9 ($X1_{max} = 569.79$). Should the Veu (GDP) dependency with the variables $X1 = 0.86...1.25$, $X2 = X3 = X5 = 1...10$, $X4 = 0.1...1$, $X6 = 1...0.1$ be plotted, then the resulting curve in Figure 28 will go from 4.27 and up to 4273.38, that is by 1000 times. Then, the variable $X1$ will have its maximum of 4.46 at point 7 ($X1_{max} = 4.46$).

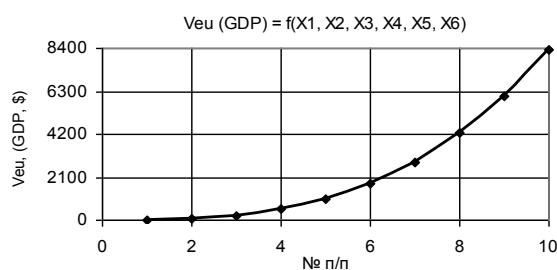


Fig. 27. $Ve_u(GDP) = f(X_1, X_2, X_3, X_4, X_5, X_6)$
 $X_1=0.88, X_2=X_6=1, X_3=X_5=1..10, X_4=0.1..1$

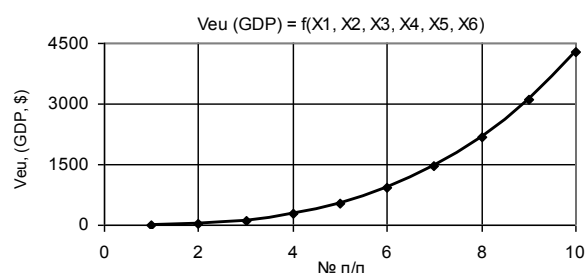


Fig. 28. $Ve_u(GDP) = f(X_1, X_2, X_3, X_4, X_5, X_6)$
 $X_1=0.86, X_2=X_3=X_5=1..10, X_4=0.1..1, X_6=1..0.1$

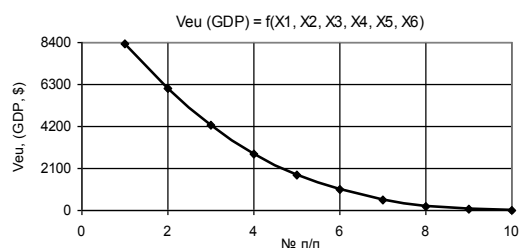


Fig. 29. $Ve_u(GDP) = f(X_1, X_2, X_3, X_4, X_5, X_6)$
 $X_1=171..1.25, X_2=X_6=1, X_3=1..10, X_4=0.1..1, X_5=10..1$

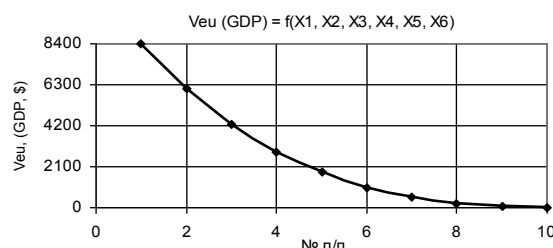


Fig. 30. $Ve_u(GDP) = f(X_1, X_2, X_3, X_4, X_5, X_6)$
 $X_1=171..1.25, X_2=1, X_3=1..10, X_4=X_6=0.1..1, X_5=10..1$

The next two Figures 29 and 30 display two Ve_u (GDP) dependencies which had been plotted with variables $X_1 = 171...1.25$, $X_2 = X_6 = 1$, $X_3 = 1...10$, $X_4 = 0.1...1$, $X_5 = 10...1$ and $X_1 = 171...1.25$, $X_2 = 1$, $X_3 = 1...10$, $X_4 = X_6 = 0.1...1$, $X_5 = 10...1$ accordingly. We can see that both Figures drop from 8338.93 down to

4.27 by 1951.37 times (Fig. 29), and from 8379.59 down to 4.27, by 1960.88 times (Fig. 30). In this case the variables X_1 have the following maximums on both curves: 308.61 at point 4 ($X_{1max} = 308.61$) for Figure 29, and 317.33 at point 3 ($X_{1max} = 317.33$) – for Figure 30.

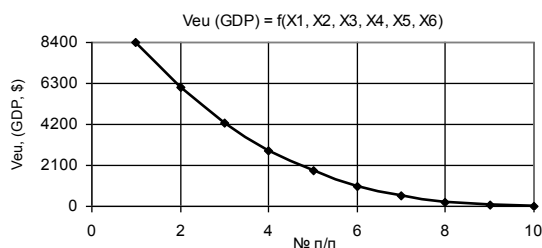


Fig.31. $Ve_u(GDP) = f(X_1, X_2, X_3, X_4, X_5, X_6)$
 $X_1=172...0.01, X_2=X_3=1..10, X_4=X_6=0.1..1, X_5=10..1$

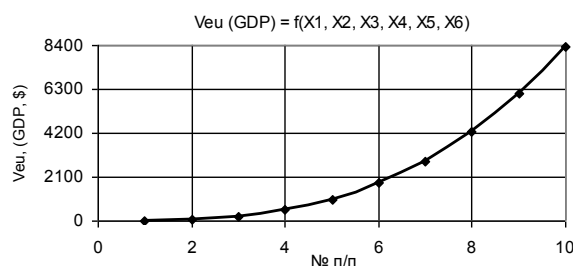


Fig. 32. $Ve_u(GDP) = f(X_1, X_2, X_3, X_4, X_5, X_6)$
 $X_1=0.24..17.15, X_2=X_3=X_5=1..10, X_4=1..0.1, X_6=0.1..1$

In the last two Figures 31 and 32, two Ve_u (GDP) dependencies are presented, with variables $X_1 = 172...0.01$, $X_2 = X_3 = 1...10$, $X_4 = X_6 = 0.1...1$, $X_5 = 10...1$ and $X_1 = 0.24...17.15$, $X_2 = X_3 = X_5 = 1...10$, $X_4 = 1...0.1$, $X_6 = 0.1...1$, accordingly. In Figure 31 the Ve_u (GDP) curve decreases from 8379.59 down to 4.27, that is by 1960.88 times. In Figure 32 the Ve_u (GDP) curve, conversely, increases from 8.34 to 8338.93, that is by 1000 times.

Below is the Combined Table 1, which incorporates calculations of 25 scenarios out of 83 considered by the author during the Ve_u (GDP) calculations. This

Table presents all values of Ve_u (GDP) parameters in descending order. Here, the $Veub$ and $Veuf$ values stand for initial and final values of the parameter Ve_u (GDP) which had been obtained during the calculations. The $Veuf/Veub$ ratio characterizes the degree of increase (decrease) of the last parameter $Veuf$ value in relation to the initial $Veub$ value, occurred during calculation. This allows for selection of such values of the variables $X_1, X_2, X_3, X_4, X_5, X_6$ under which the Ve_u (GDP) growth takes place, even under the provision of the economic crisis, i.e. when the ratio $Veuf/Veub \geq 1$.

Table 1.

**Scenarios of variation of the values of the variables X1 X2, X3, X4, X5, X6, as well as calculated data
Veub and Veuf, and their ratio Veub / Veuf**

№	X1	X2	X3	X4	X5	X6	$V_{ab} \dots V_{af}$ (GDP _{ab} ...GDP _{af} , \$)	V_{af}/V_{ab} (GDP _{af} /GDP _{ab})
1.	0.12...2443	1	1	1	1...10	1...0.1	427...8379.59	1960.88
2.	0.12...172	1	1	1...0.1	1...10	1...0.1	427...8379.59	1960.88
3.	0.12...1723	1	1...10	0.1...1	1...10	1...0.1	427...8379.59	1960.88
4.	0.12...171	1	1	1...0.1	1...10	1	427...8338.93	1951.37
5.	0.12...17150	1...0.1	1...10	1...0.1	1...10	1	427...8338.93	1951.37
6.	0.88...243	1...0.1	1...0.1	0.1...1	1...10	1	427...8338.93	1951.37
7.	0.12...1715	1...0.1	1...0.1	1...0.1	1...10	1	427...8338.93	1951.37
8.	0.88...573	1	1...10	0.1...1	1...9	1...0.1	427...6107.54	1429.21
9.	0.88...569	1	1...10	0.1...1	1...10	1	427...6072.06	1420.90
10.	0.88...67.63	1	1	0.1...1	1...8	1...0.1	427...4287.60	1003.33
11.	0.24...2431	1	1	1	1...10	0.1...1	8.34...8338.93	1000.00
12.	0.12	1...10	1	1	1...10	1...9.90	427...4273.38	1000.00
13.	0.12...125	1...10	1...10	1	1...10	1...9.90	427...4273.38	1000.00
14.	0.12...124	1	1...10	1	1...10	1...9.90	427...4273.38	1000.00
15.	0.88...124	1	1...10	0.1...1	1...10	1...9.90	427...4273.38	1000.00
16.	0.24...17.15	1...10	1...10	1...0.1	1...10	0.1...1	8.34...8338.93	1000.00
17.	0.12...31.51	1	1...0.1	1...0.1	1...8	1	427...4257.71	996.33
18.	0.12...0.001	1	1...0.1	1...0.1	1...0.1	1...0.1	427...4198.45	982.47
19.	0.88...0.01	1...10	1...0.1	0.1...1	1...10	1...9.90	427...4198.45	982.47
20.	1.72...570	1	1...10	0.1...1	1...9	0.1...1	8.34...6079.08	729.00
21.	0.88...8.65	1...10	1...10	0.1...1	1...7	1	427...2845.59	665.89
22.	0.88...8.65	1...10	1...10	0.1...1	1...7	1	427...2845.59	665.89
23.	1.72...67.35	1	1	0.1...1	1...8	0.1...1	8.34...4269.53	512.00
24.	0.24...31.60	1	1...0.1	1...0.1	1...8	0.1...1	427...4269.53	512.00
25.	0.24...31.60	1	1...0.1	1...0.1	1...8	0.1...1	8.34...4269.63	512.00

The last Table 2 is actually a modified Table 1, in which only the ratio $Veuf/Veub \geq 1$ was left, while the variable $X2 = 1$. The variable $X2$ characterizes the thickness of the economic shell in question. In this way the final Table 2 had been obtained in which all the values of the variables $X1, X2, X3, X4, X5, X6$, were consolidated, with the help of which a country may be brought out of economic crisis. It shall immediately be mentioned here that when variables from Table 2 are

being selected attention should primarily be focused on those lines which have maximal number of items. In case a variable's value is equal to 1, this means that during the calculations it remained unchanged. In the example given this takes place at three variables' values which are highlighted bold. Therefore in this particular case it will be necessary to change three variables only, which is of course easier.

Table 2.

**Scenarios of variation of the values of the variables X1 X2, X3, X4, X5, X6, as well as calculated data
Veub and Veuf, and their ratio Veub / Veuf at $X2 = 1$**

№	X1	X2	X3	X4	X5	X6	$V_{ab} \dots V_{af}$ (GDP _{ab} ...GDP _{af} , \$)	V_{af}/V_{ab} (GDP _{af} /GDP _{ab})
1.	0.12...2443	1	1	1	1...10	1...0.1	427...8379.59	1960.88
2.	0.12...172	1	1	1...0.1	1...10	1...0.1	427...8379.59	1960.88
3.	0.12...1723	1	1...10	0.1...1	1...10	1...0.1	427...8379.59	1960.88
4.	0.12...171	1	1	1...0.1	1...10	1	427...8338.93	1951.37
5.	0.88...573	1	1...10	0.1...1	1...9	1...0.1	427...6107.54	1429.21
6.	0.88...569	1	1...10	0.1...1	1...10	1	427...6072.06	1420.90
7.	0.88...67.63	1	1	0.1...1	1...8	1...0.1	427...4287.60	1003.33
8.	0.24...2431	1	1	1	1...10	0.1...1	8.34...8338.93	1000.00
9.	0.12...124	1	1...10	1	1...10	1...9.90	427...4273.38	1000.00
10.	0.88...124	1	1...10	0.1...1	1...10	1...9.90	427...4273.38	1000.00
11.	0.12...31.51	1	1...0.1	1...0.1	1...8	1	427...4257.71	996.33
12.	0.12...0.001	1	1...0.1	1...0.1	1...0.1	1...0.1	427...4198.45	982.47
13.	1.72...570	1	1...10	0.1...1	1...9	0.1...1	8.34...6079.08	729.00
14.	1.72...67.35	1	1	0.1...1	1...8	0.1...1	8.34...4269.53	512.00
15.	0.24...31.60	1	1...0.1	1...0.1	1...8	0.1...1	427...4269.53	512.00
16.	0.24...31.60	1	1...0.1	1...0.1	1...8	0.1...1	8.34...4269.63	512.00

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