

## Experiment 2: Plotting and data visualization

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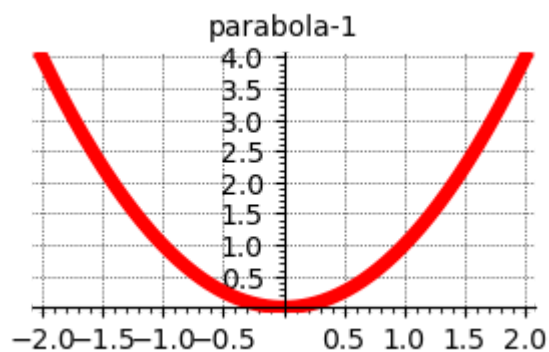
Date: 28/02/2026.

```
In [16]: var('x')  
f(x)=x^2  
show(f)
```

$$x \mapsto x^2$$

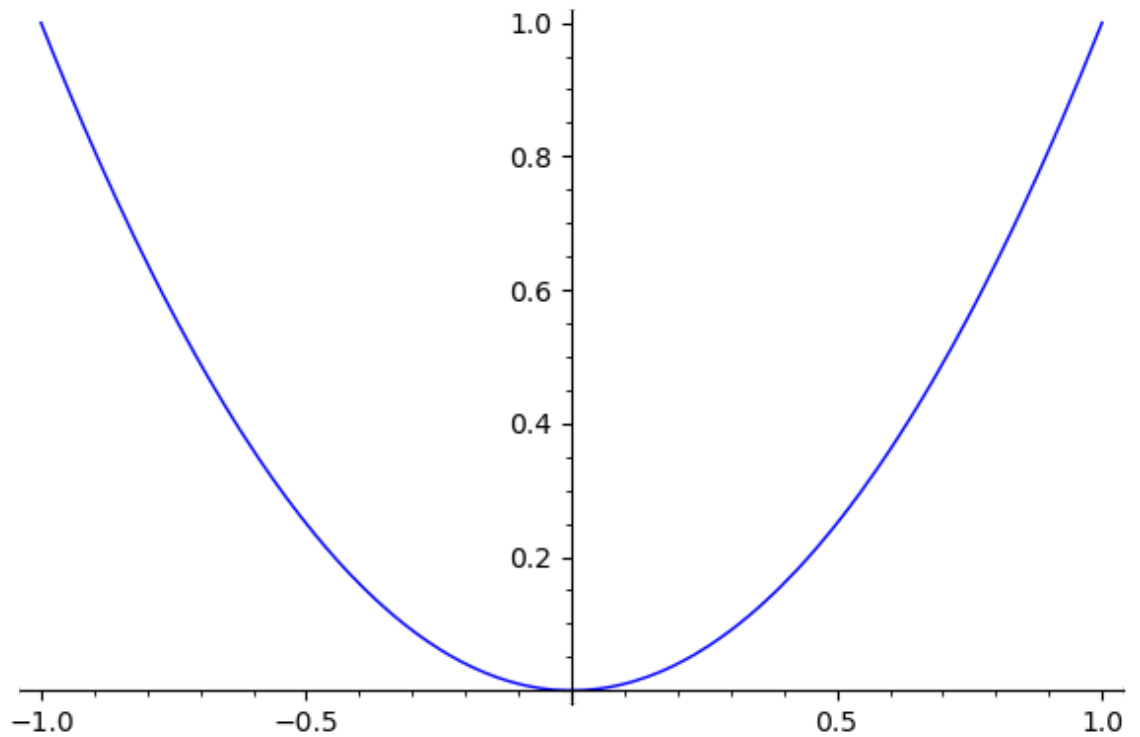
```
In [7]: p1=plot(f,(x,-2,2),figsize=3,color='red',title='parabola-1',thickness=5,gridlines=True)  
p1
```

Out[7]:



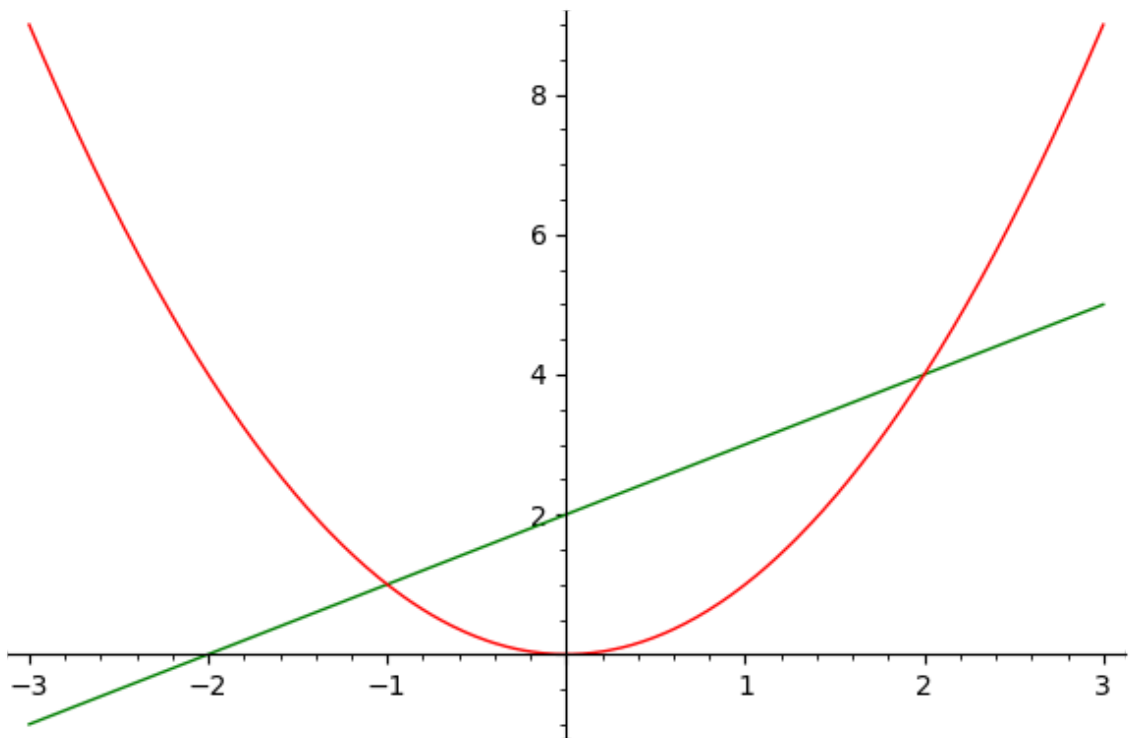
```
In [8]: plot(f)
```

Out[8]:



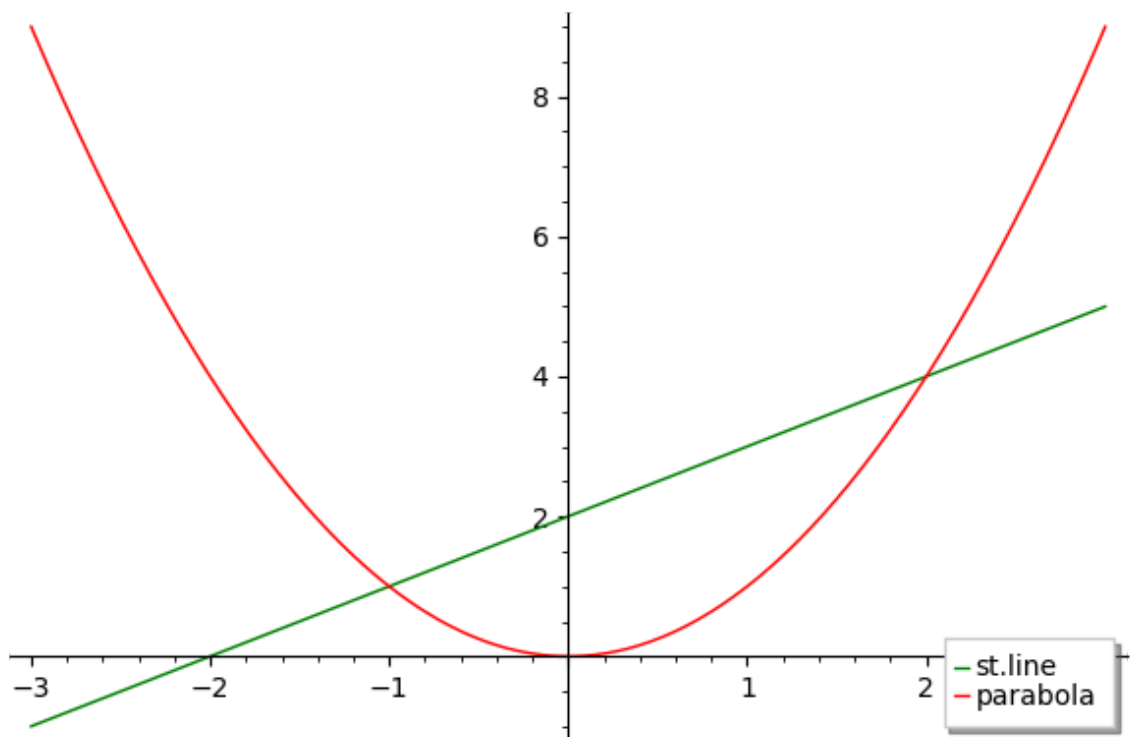
```
In [10]: plot(x+2,(-3,3),color='green')+plot(x^2,(-3,3),color='red')
```

Out[10]:



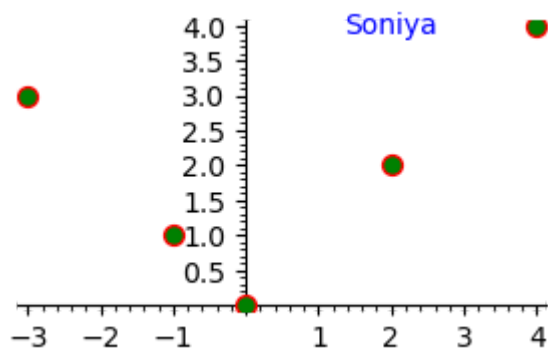
```
In [14]: p1=plot(x+2,(-3,3),color='green',legend_label="st.line")
p2=plot(x^2,(-3,3),color='red',legend_label="parabola")
p1+p2
```

Out[14]:



```
In [1]: data=[(0,0),(-1,1),(2,2),(-3,3),(4,4)]
v1=scatter_plot(data,figsize=3,facecolor='green',edgecolor='red')+text('Son
iya',(2,4))
v1
```

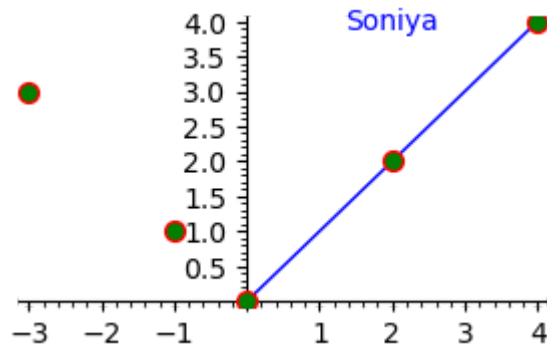
Out[1]:



```
In [2]: v2=plot(x,(x,0,4))
```

In [3]: `v1+v2`

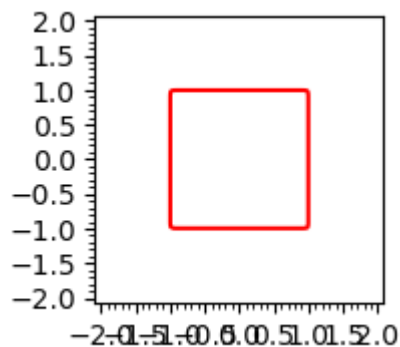
Out[3]:



## Implicit plotting

```
In [27]: var('x,y')
n=50
f(x,y)=(x^n+y^n)-1
y1=implicit_plot(f,(x,-2,2),(y,-2,2),color='red',figsize=3)
y1
## when n is even we will get close graph and if odd it will be open graph#
#
```

Out[27]:

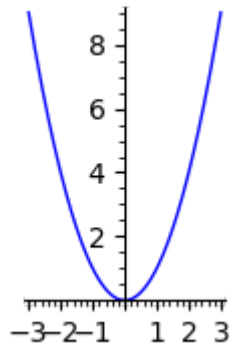


# Parametric plotting

$$x = t \text{ and } y = t^2$$

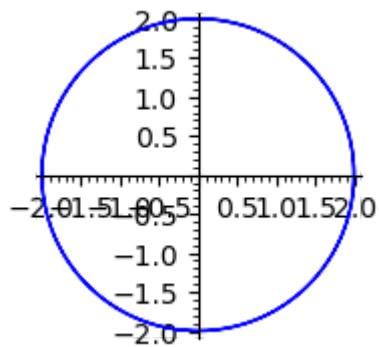
```
In [4]: var('t')
q1=parametric_plot([t,t^2],(t,-3,3),figsize=3)
q1
```

Out[4]:



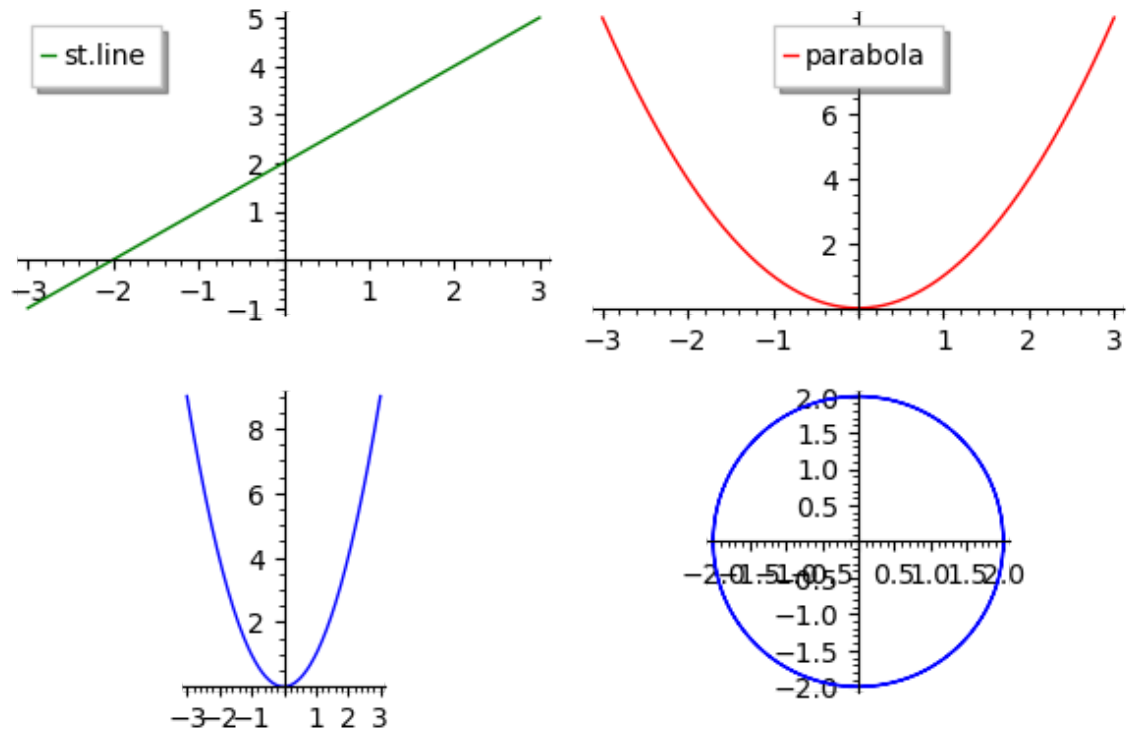
```
In [5]: var('t')
q2=parametric_plot([2*sin(t),2*cos(t)],(t,-2*pi,2*pi),figsize=3)
q2
```

Out[5]:



```
In [37]: List=[p1,p2,q1,q2]
graphics_array(List,2,2)
```

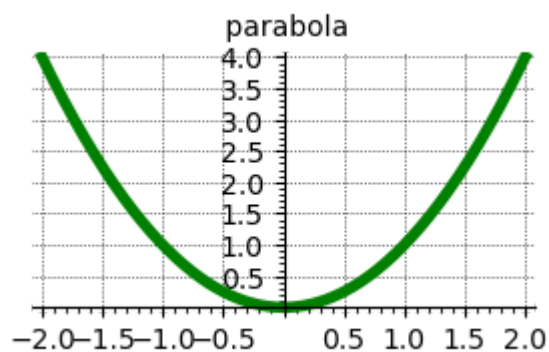
Out[37]:



**ex. ii) Plot  $f(x) = x^2$**

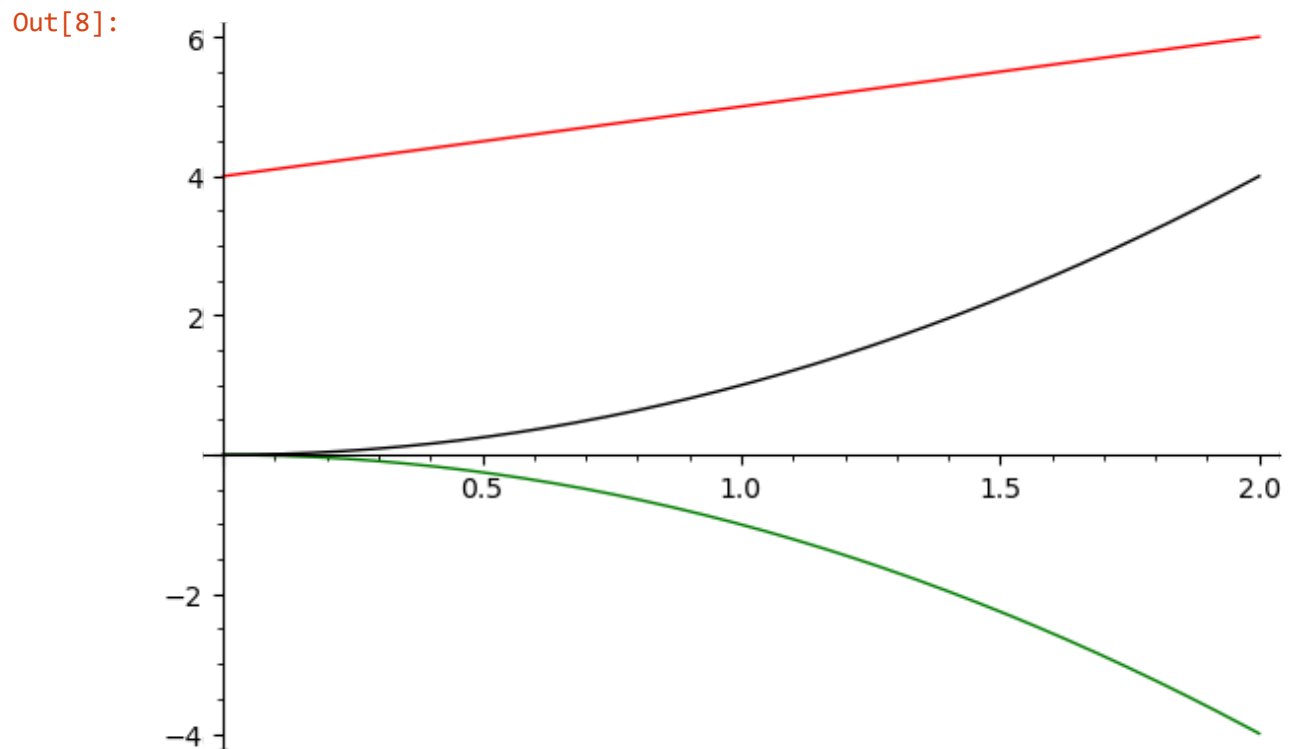
```
In [7]: plot(x^2,(-2,2),color='green',title=" parabola",figsize=3,thickness=4,gridlines='True')
```

Out[7]:

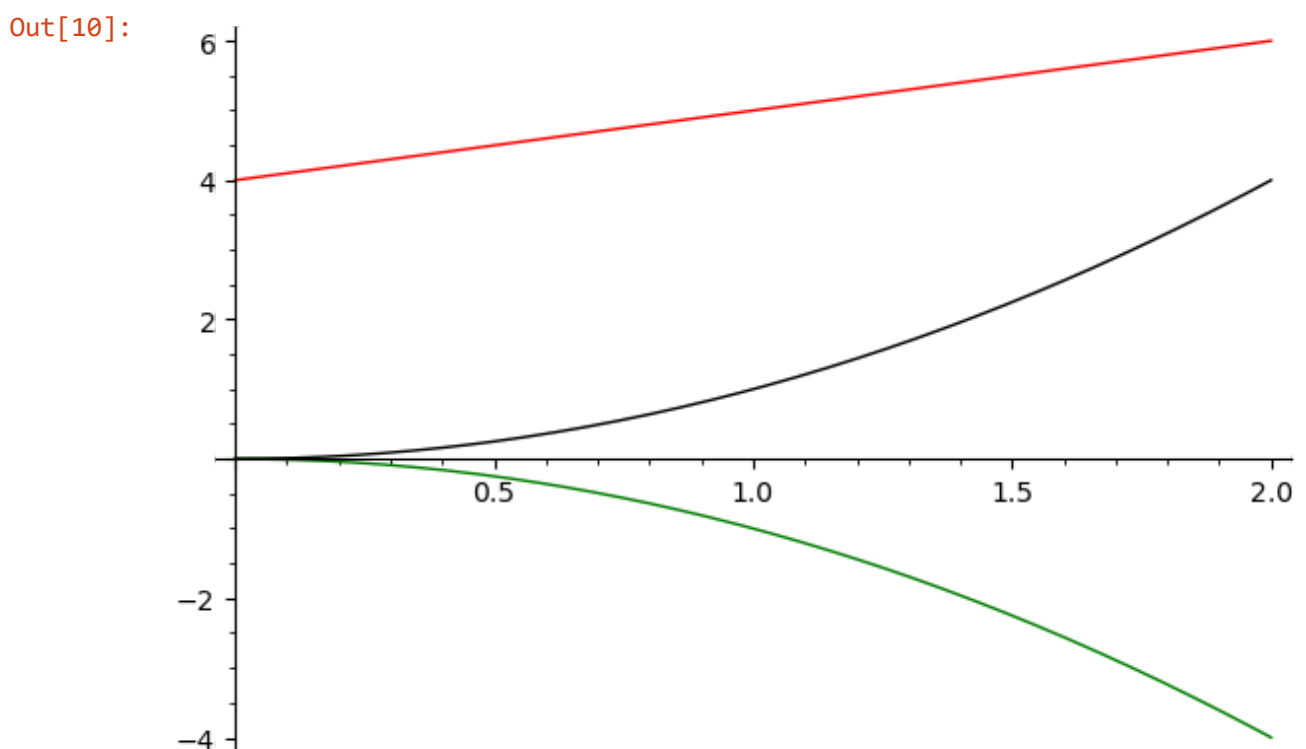


### 3. Draw the combine graph of $y = -x^2$ , $y = x^2$ , $y = 4 + x$

```
In [8]: p1=plot(-x^2,0,2,color="green")
p2=plot(+x^2,0,2,color="black")
p3=plot(4+x,0,2,color="red")
p1+p2+p3
```

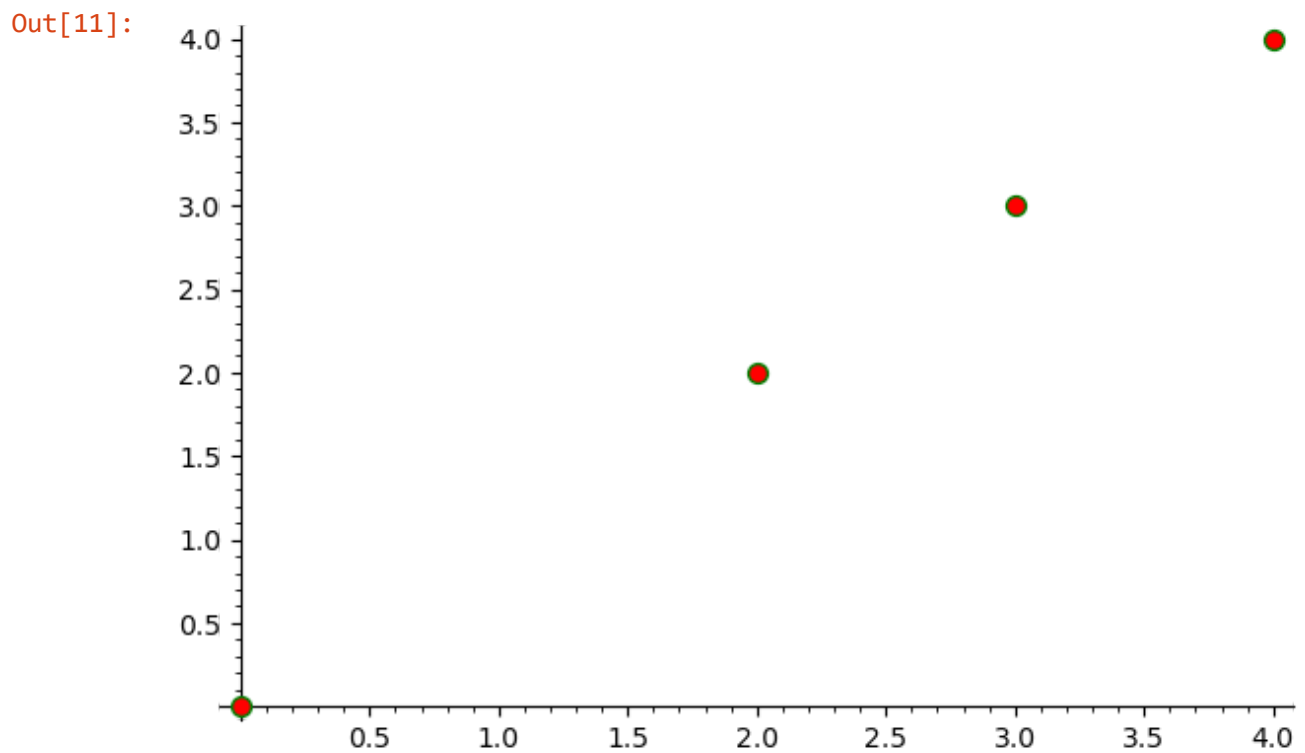


```
In [10]: plot(-x^2,0,2,color="green")+plot(+x^2,0,2,color="black")+plot(4+x,0,2,color="red")
# Another method of drawing combine graph.
```



## 4.Scatter plot

```
In [11]: data=[(0,0),(2,2),(3,3),(4,4)]# L gives list  
scatter_plot(data,facecolor='red',edgecolor='green')
```



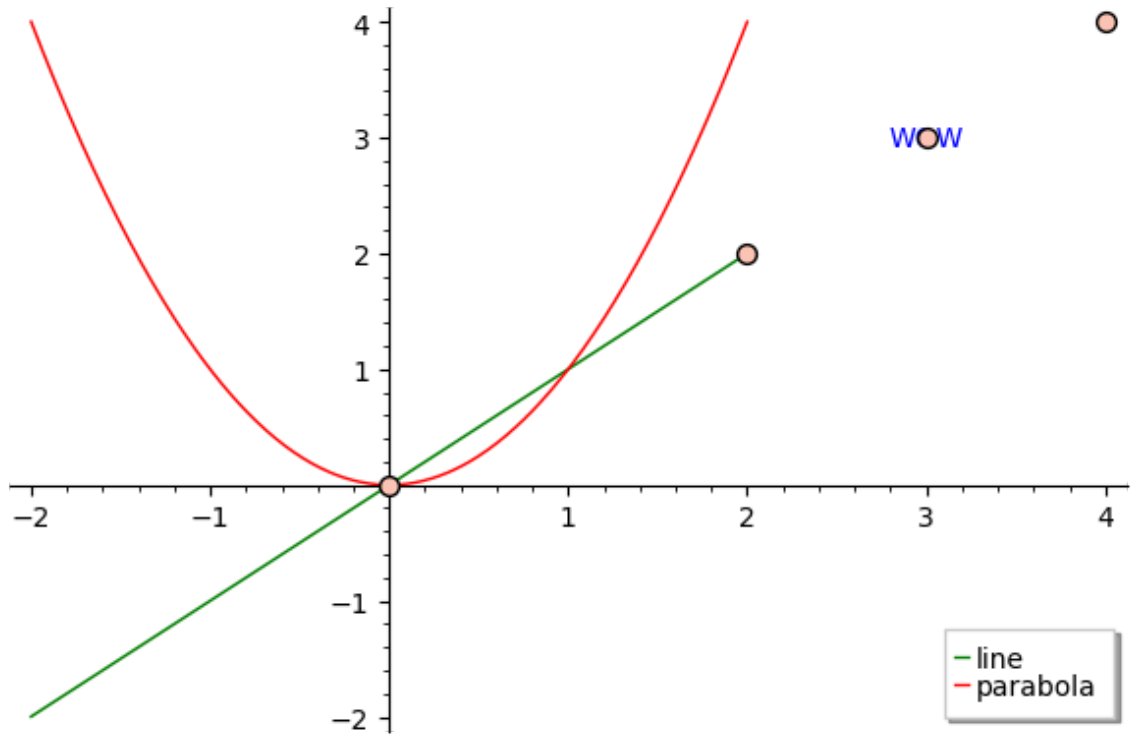
```
In [13]: scatter_plot?
```



## 5.combine graphs

```
In [16]: a=[(0,0),(2,2),(3,3),(4,4)]  
scatter_plot(a)+plot(x,(x,-2,2),legend_label='line',color='green')+plot(x^2,(x,-2,2),legend_label='parabola',color="red")+text('WOW',(3,3))
```

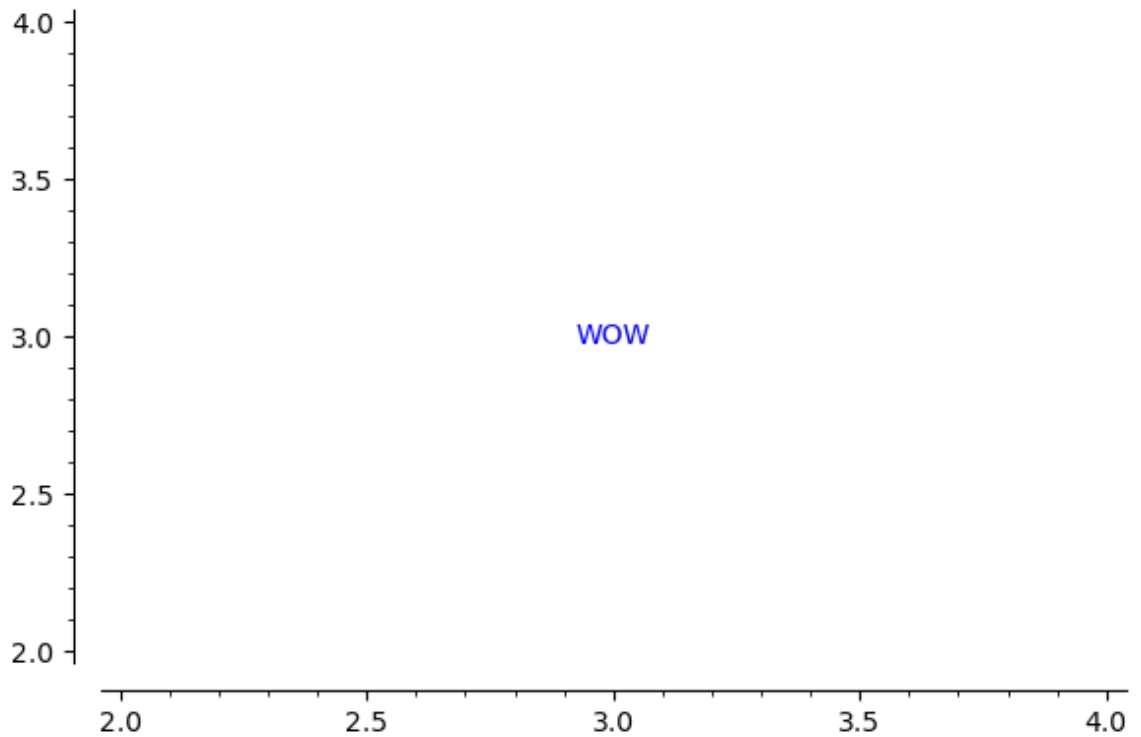
Out[16]:



## 6.text graph

```
In [17]: text('WOW',(3,3))
```

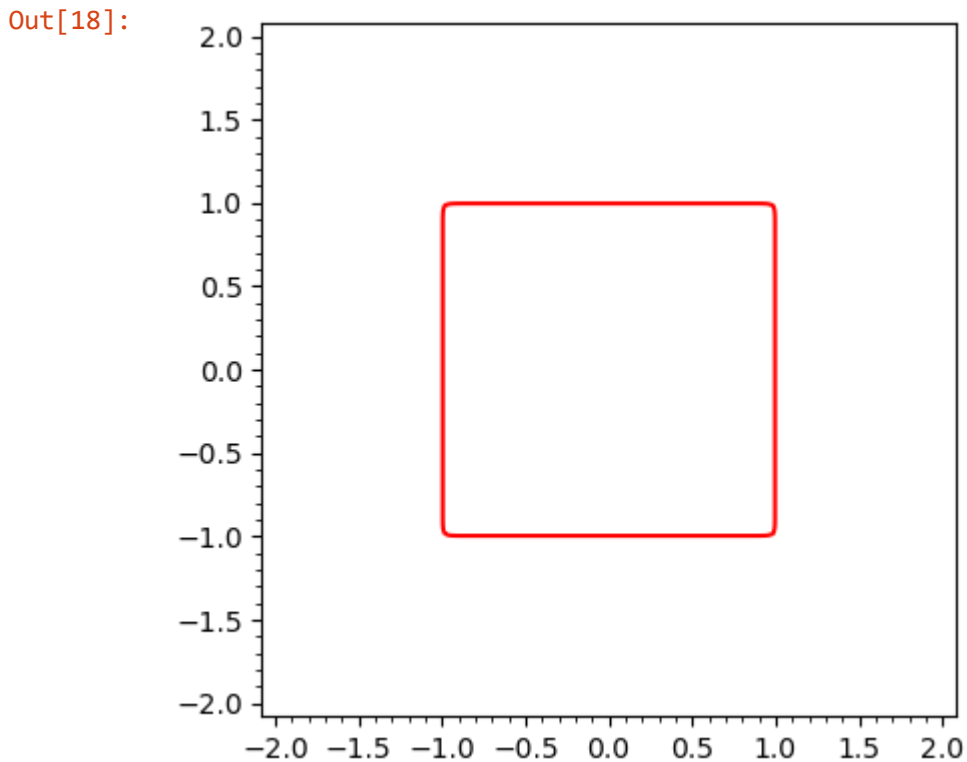
Out[17]:



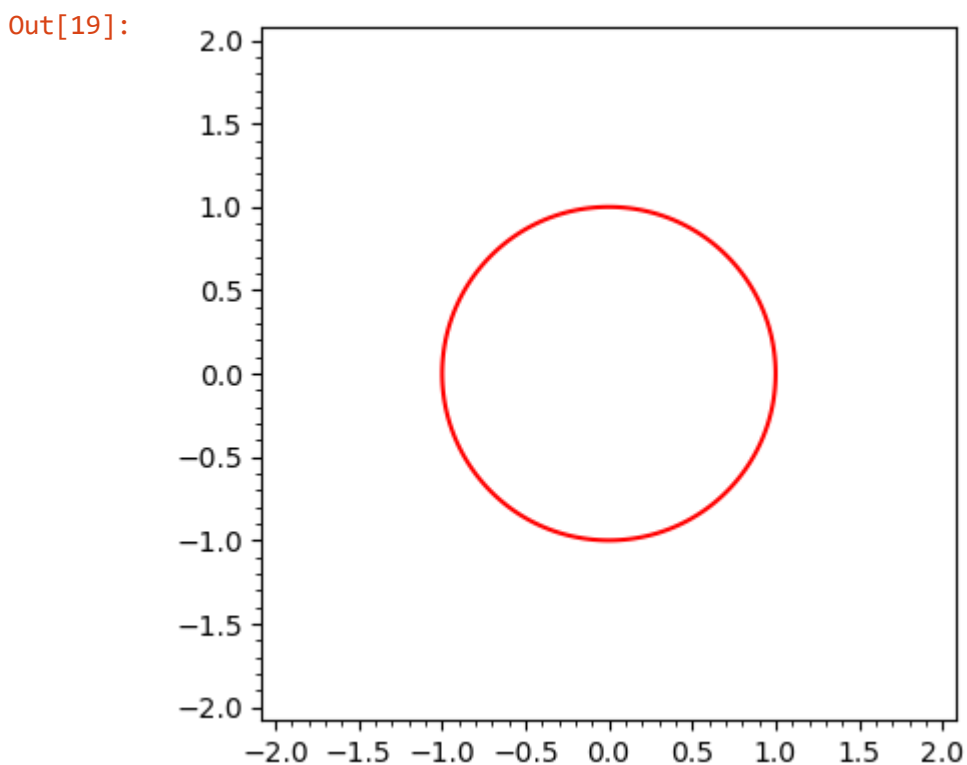
## Implicit plot

1. Plot  $x^n + y^n - 1 = 0$  using different values of  $n$ .

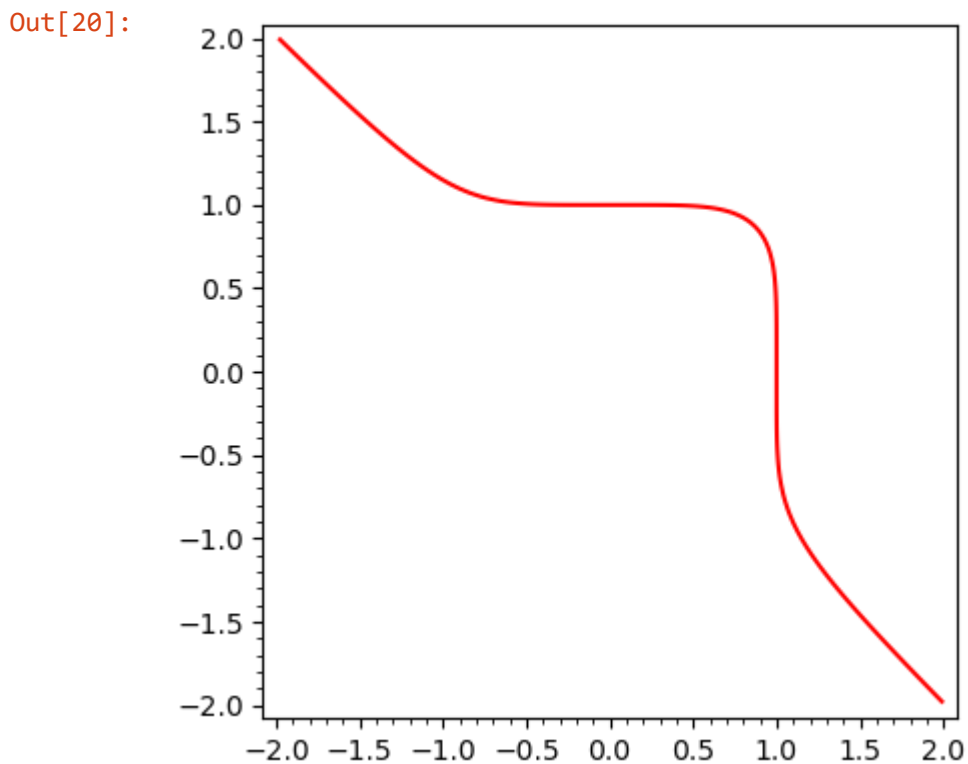
```
In [18]: var('x,y')
n=50
f(x,y)=x^n+y^n-1
implicit_plot(f,(x,-2,2),(y,-2,2),color='red')
#n=even gives closed graph h #n=odd gives open graph
```



```
In [19]: var('x,y')
n=2
f(x,y)=x^n+y^n-1
implicit_plot(f,(x,-2,2),(y,-2,2),color='red')
```



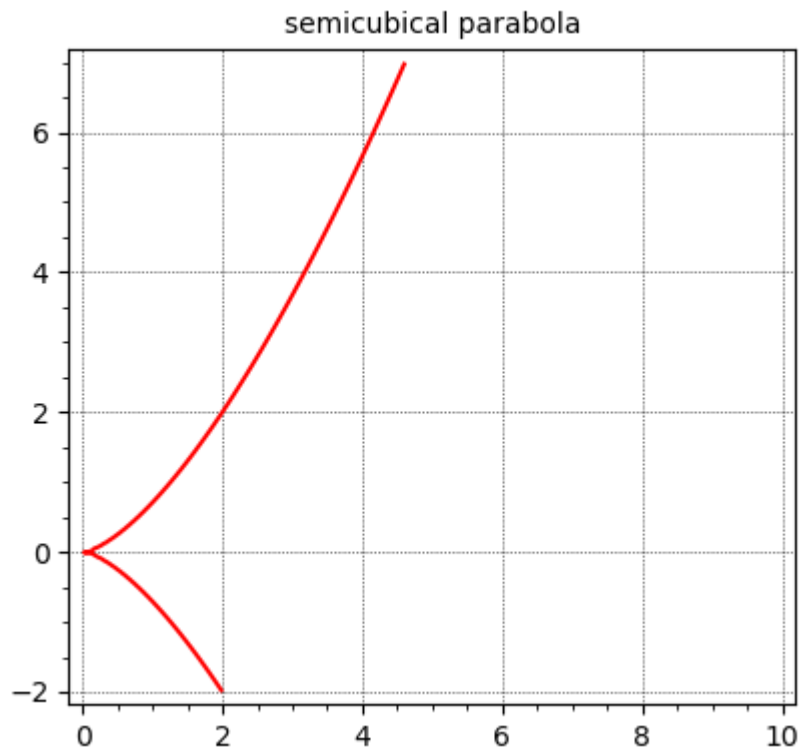
```
In [20]: var('x,y')
n=5
f(x,y)=x^n+y^n-1
implicit_plot(f,(x,-2,2),(y,-2,2),color='red')
#n=odd gives open curve
```



2. Plot  $2y^2 - x^3 = 0$  between the mentioned range.

```
In [22]: var('x,y')
f(x,y)=2*y^2-x^3
implicit_plot(f,(x,0,10),(y,-2,7),color='red',title="semicubical parabola",
gridlines='True')
```

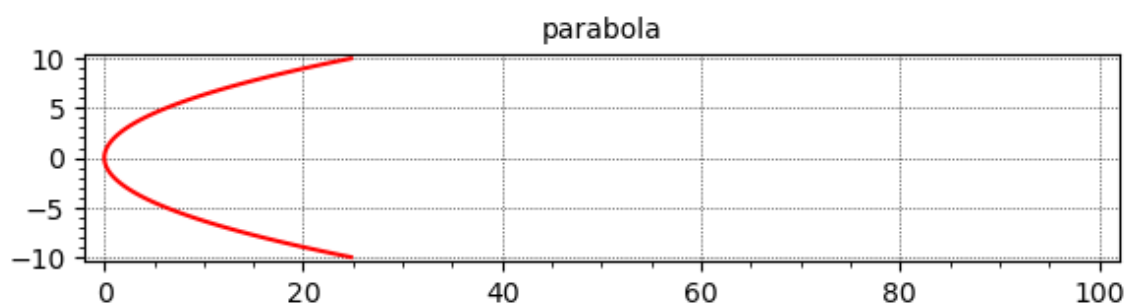
Out[22]:



3. Plot in the range  $y^2 - 4x = 0$  in Range  $(x, 0, 100), (y, -10, 10)$

```
In [24]: var('x,y')
f(x,y)=y^2-4*x
implicit_plot(f,(x,0,100),(y,-10,10),color='red',title="parabola",gridlines
='True')
```

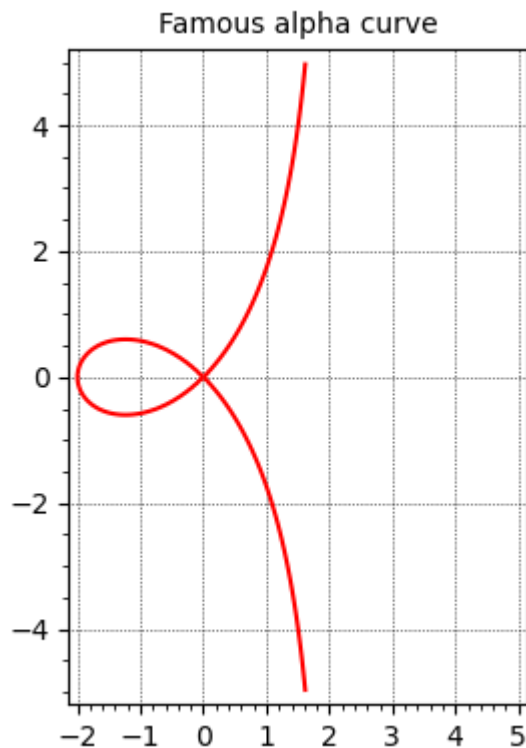
Out[24]:



4. Plot graph of  $y^2(2 - x) - x^2(2 + x) = 0$

```
In [25]: var('x,y')
f(x,y)=y^2*(2-x)-x^2*(2+x)
implicit_plot(f,(x,-2,5),(y,-5,5),color='red',title="Famous alpha curve",gridlines='True')
```

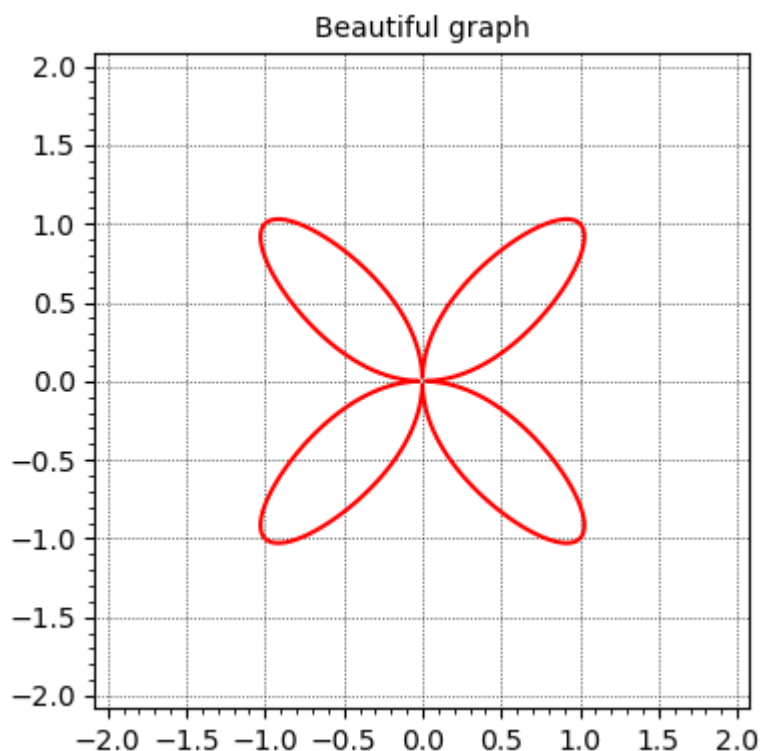
Out[25]:



5. Plot the graph of  $x^6 + y^6 - 2x^2y^2 = 0$

```
In [28]: var('x,y')
f(x,y)=x^6+y^6-2*x^2*y^2
implicit_plot(f,(x,-2,2),(y,-2,2),color='red',title="Beautiful graph",plot_points=5000,gridlines='True')
```

Out[28]:



6.plot the graph of  $x^2 - y^3(2 - y) = 0$

```
In [29]: var('x,y')  
f(x,y)=x^2-y^3*(2-y)  
implicit_plot(f,(x,-2,2),(y,0,2),color='red',title="",plot_points=5000,grid  
lines='True')
```

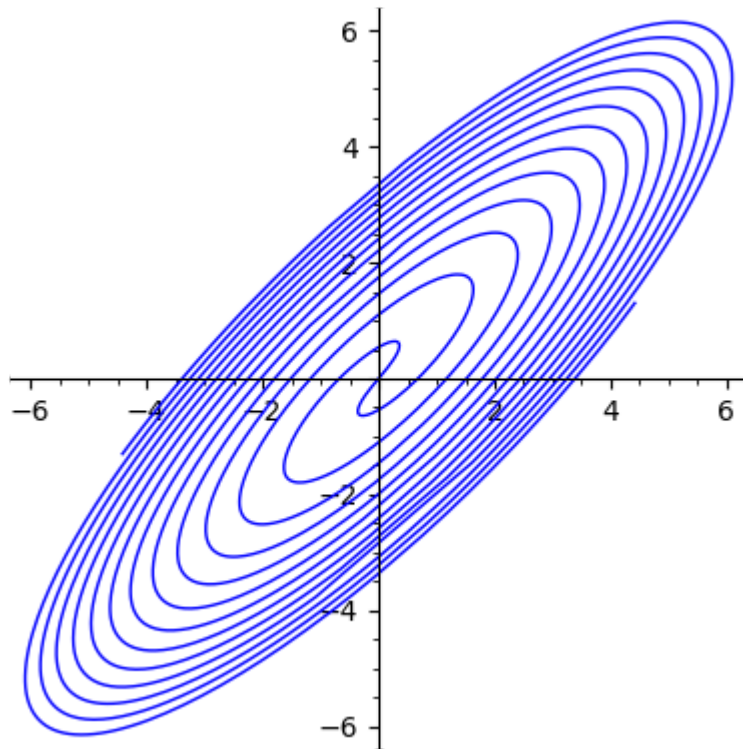


## Parametric Curves in 2D

1.plot the parametric curve  $x = t\sin(1 - t^2)$ ,  $y = t\cos(t^2)$

```
In [30]: var('t')
parametric_plot([t*sin(1-t^2),t*cos(t^2)],(t,-2*pi,2*pi))
```

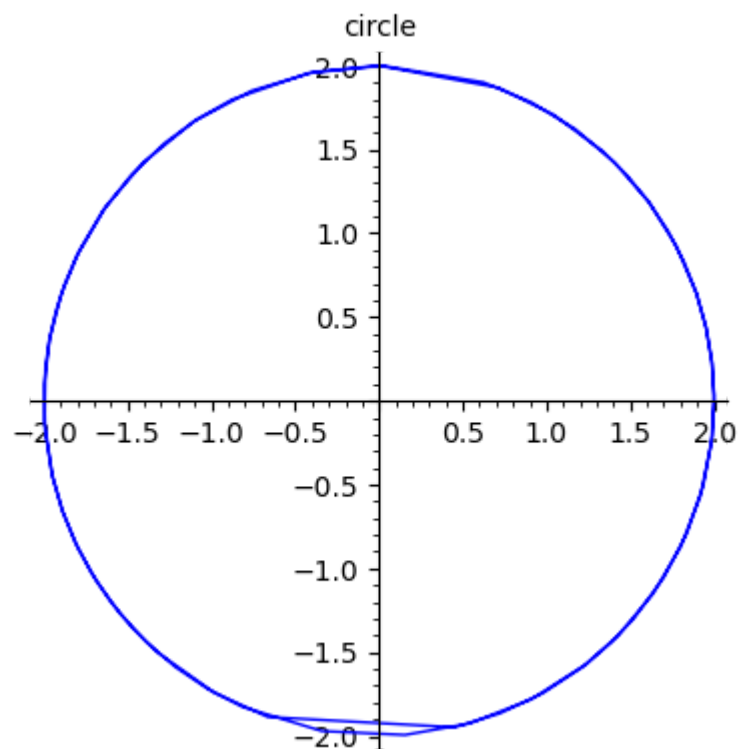
Out[30]:



2.plot the graph of  $x = 2\sin t$ ,  $y = 2\cos t$

```
In [31]: var('t')
parametric_plot([2*sin(t),2*cos(t)],(t,-2*pi,2*pi),title = "circle",plot_points=20)
```

Out[31]:





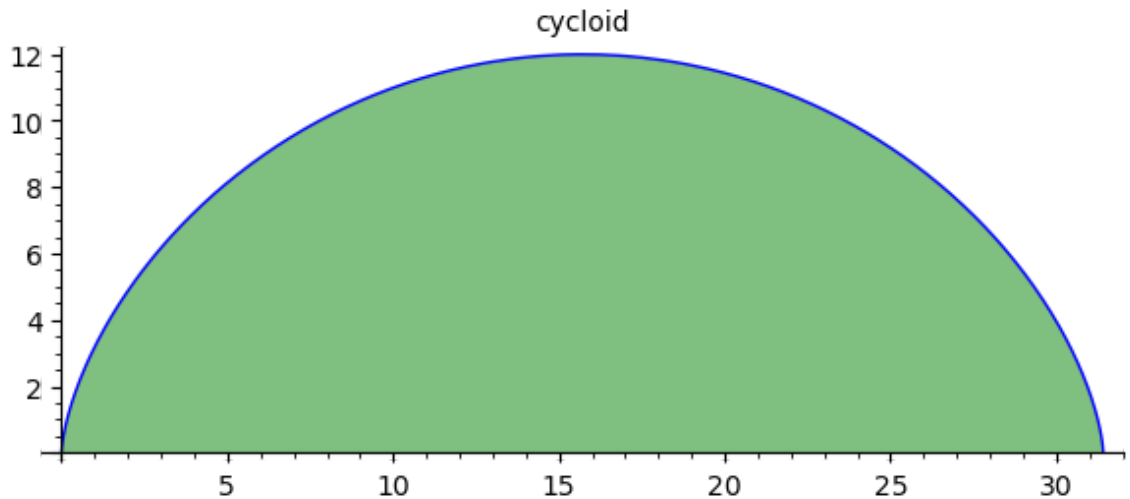
In [32]: `plot_points?`

Object `plot\_points` not found.

3. plot the graph of  $x = 2(t - \sin t)$ ,  $y = 2(1 - \cos t)$

In [34]: `var('t')  
parametric_plot([5*(t-sin(t)),6*(1-cos(t))],(t,0,2*pi),title="cycloid",fill  
color="green",fill=6*(1-cos(t)))`

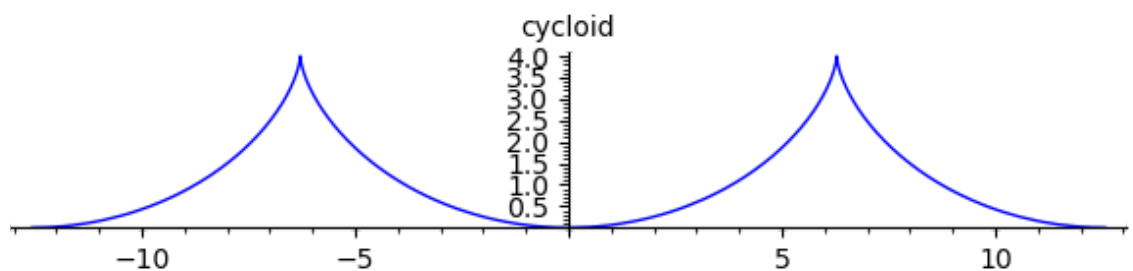
Out[34]:



4. plot the graph of  $x = 2(t + \sin t)$ ,  $y = 2(1 - \cos t)$

In [35]: `var('t')  
parametric_plot([2*(t+sin(t)),2*(1-cos(t))],(t,-2*pi,2*pi),title="cycloid")`

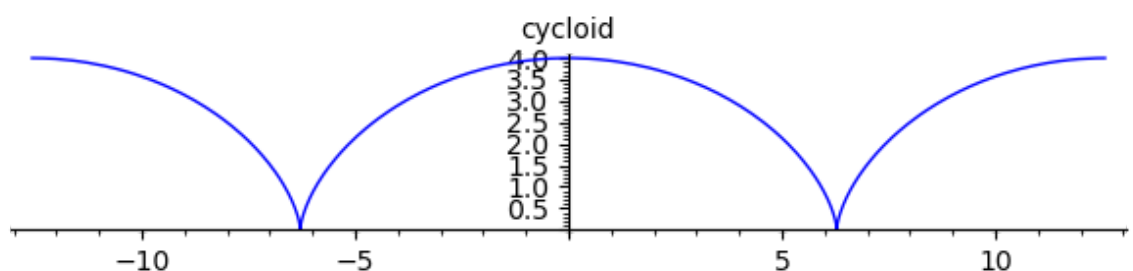
Out[35]:



5. plot the graph of  $x = 2(t + \sin t)$ ,  $y = 2(1 + \cos t)$

In [36]: `var('t')  
parametric_plot([2*(t+sin(t)),2*(1+cos(t))],(t,-2*pi,2*pi),title="cycloid")`

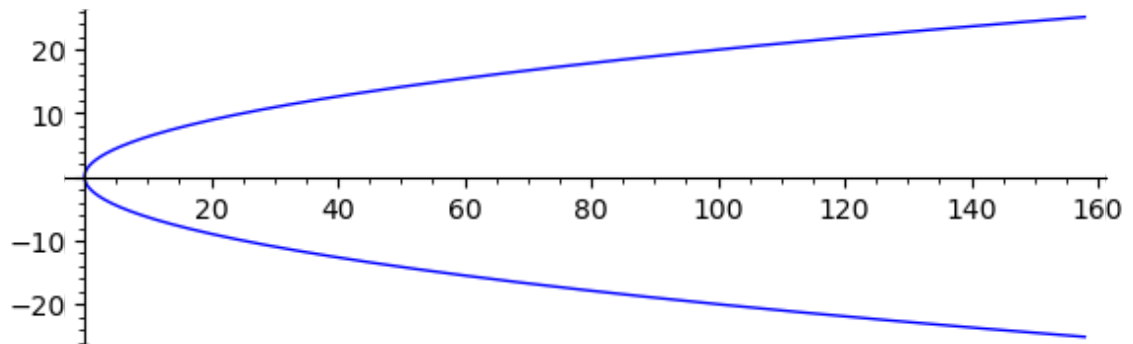
Out[36]:



6. plot the graph of  $x = 4t^2, y = 4t$

```
In [37]: var('t')
parametric_plot([4*t^2,4*t],(t,-2*pi,2*pi))
```

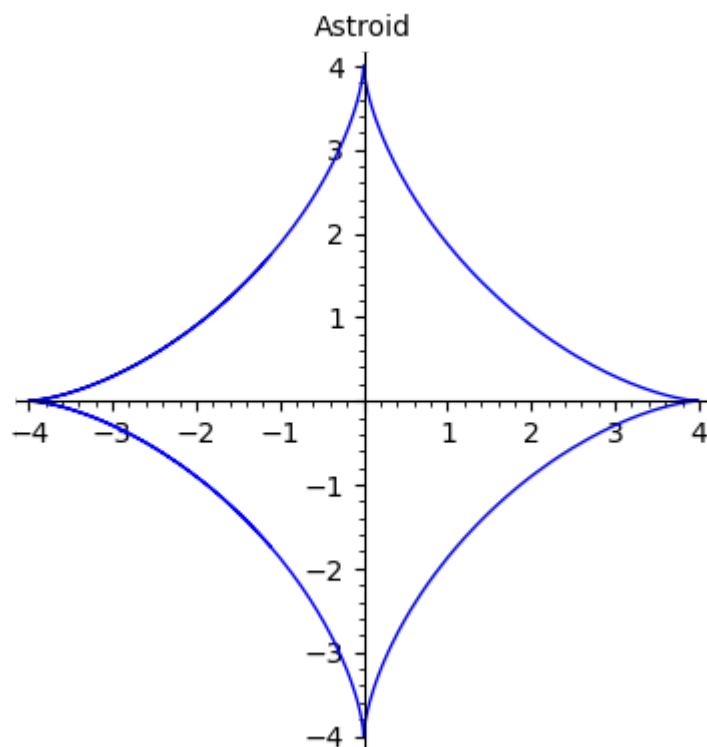
Out[37]:



7. plot the graph of  $x = 4\cos^3 t, y = 4\sin^3 t$

```
In [38]: var('t')
parametric_plot([4*cos(t)^3,4*sin(t)^3],(-4,4),title="Astroid")
```

Out[38]:



Arrange the graphs of

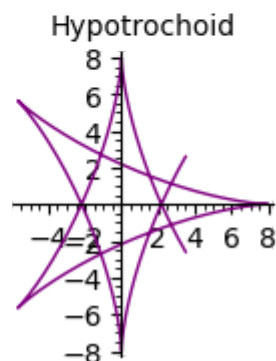
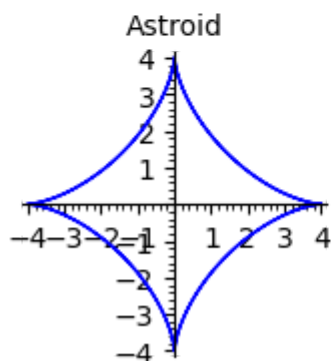
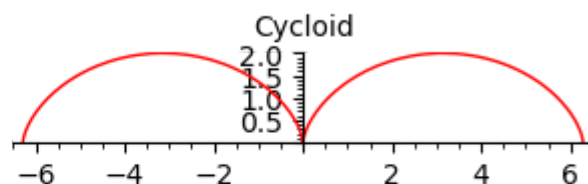
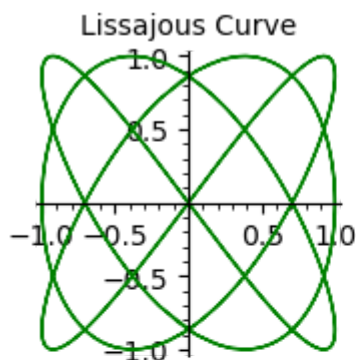
i)  $x = \sin 3t, y = \sin 4t$  ii)  $x = t - \sin t, y = 1 - \cos t$  iii)  $x = 4\cos^3 t, y = 4\sin^3 t$  iv)  $x = 5\cos t + 3\cos 3t, y = 5\sin t + 3\sin 3t$  using a two by two grid.

```

In [39]: var('t, x, y')
# 1. Lissajous curve
p1 = parametric_plot(
[sin(3*t), sin(4*t)],
(t, -2*pi, 2*pi),
color="green",
title="Lissajous Curve"
)
# 2. Cycloid
p2 = parametric_plot(
[t - sin(t), 1 - cos(t)],
(t, -2*pi, 2*pi),
color="red",
title="Cycloid"
)
# 3. Astroid
p3 = parametric_plot(
[4*cos(t)^3, 4*sin(t)^3],
(t, -2*pi, 2*pi),
color="blue",
title="Astroid"
)
# 4. Hypotrochoid
p4 = parametric_plot(
[5*cos(t) + 3*cos(5*t/3),
5*sin(t) - 3*sin(5*t/3)],
(t, -2*pi, 2*pi),
color="purple",
title="Hypotrochoid"
)
L = [p1, p2, p3, p4]
graphics_array(L, 2, 2)

```

Out[39]:



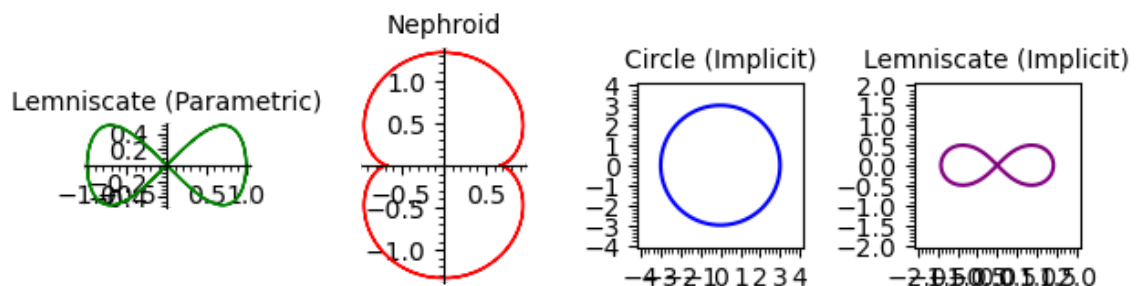
Arrange the graphs of *i*)  $x = \cos t, y = \sin t \cos t$  *ii*)  $x = \cos t - 1/3 \cos 3t, y = \sin t = 1/3 \sin 3t$  *iii*)  $x^2 + y^2 = 9$  *iv*)  $(x^2 + y^2)^2 = 2(x^2 - y^2)$  using a one by four grid.

```

In [41]: var('t, x, y')
# Parametric: Lemniscate of Gerono
p1 = parametric_plot(
[cos(t), sin(t)*cos(t)],
(t, -2*pi, 2*pi),
color="green",
title="Lemniscate (Parametric)"
)
# Parametric: Nephroid
p2 = parametric_plot(
[cos(t) - cos(3*t)/3,
sin(t) - sin(3*t)/3],
(t, -2*pi, 2*pi),
color="red",
title="Nephroid"
)
# Implicit: Circle
p3 = implicit_plot(
x^2 + y^2 == 9,
(x, -4, 4), (y, -4, 4),
color="blue",
title="Circle (Implicit)"
)
# Implicit: Lemniscate of Bernoulli
p4 = implicit_plot(
(x^2 + y^2)^2 == 2*(x^2 - y^2),
(x, -2, 2), (y, -2, 2),
color="purple",
title="Lemniscate (Implicit)"
)
L = [p1, p2, p3, p4]
graphics_array(L, 1, 4)

```

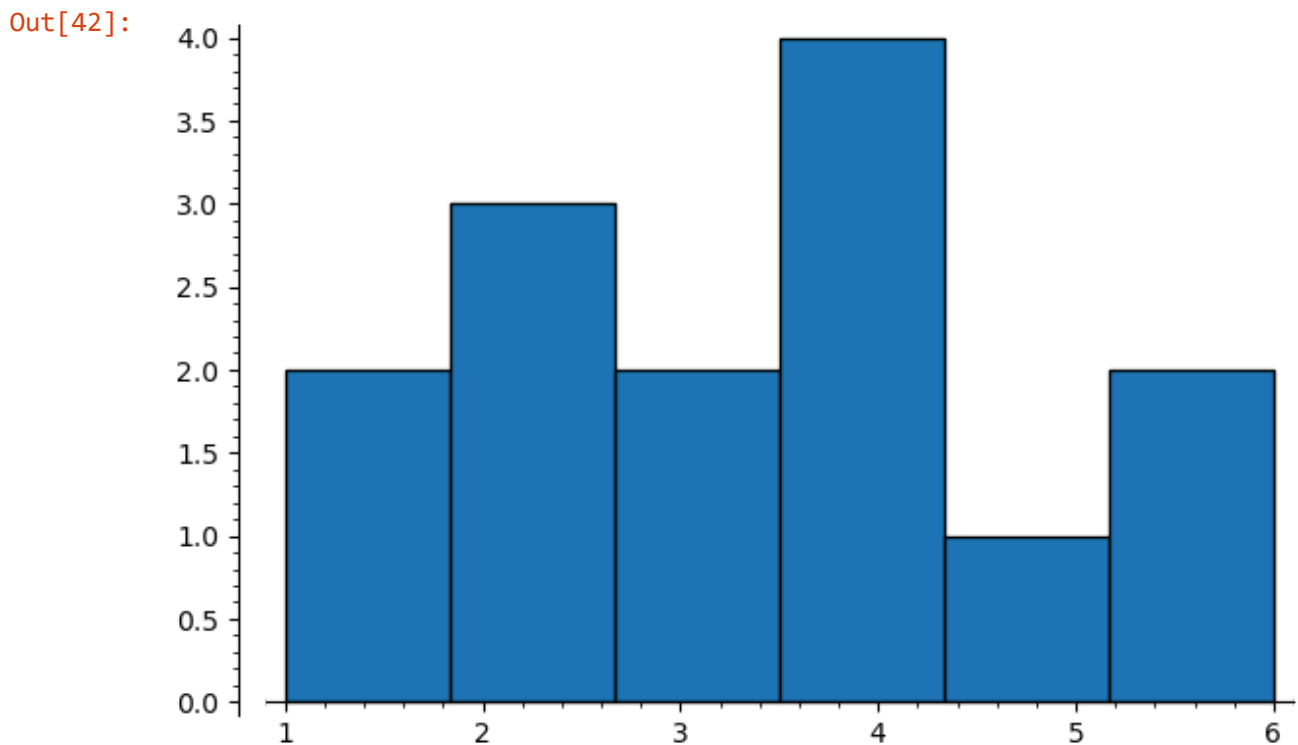
Out[41]:



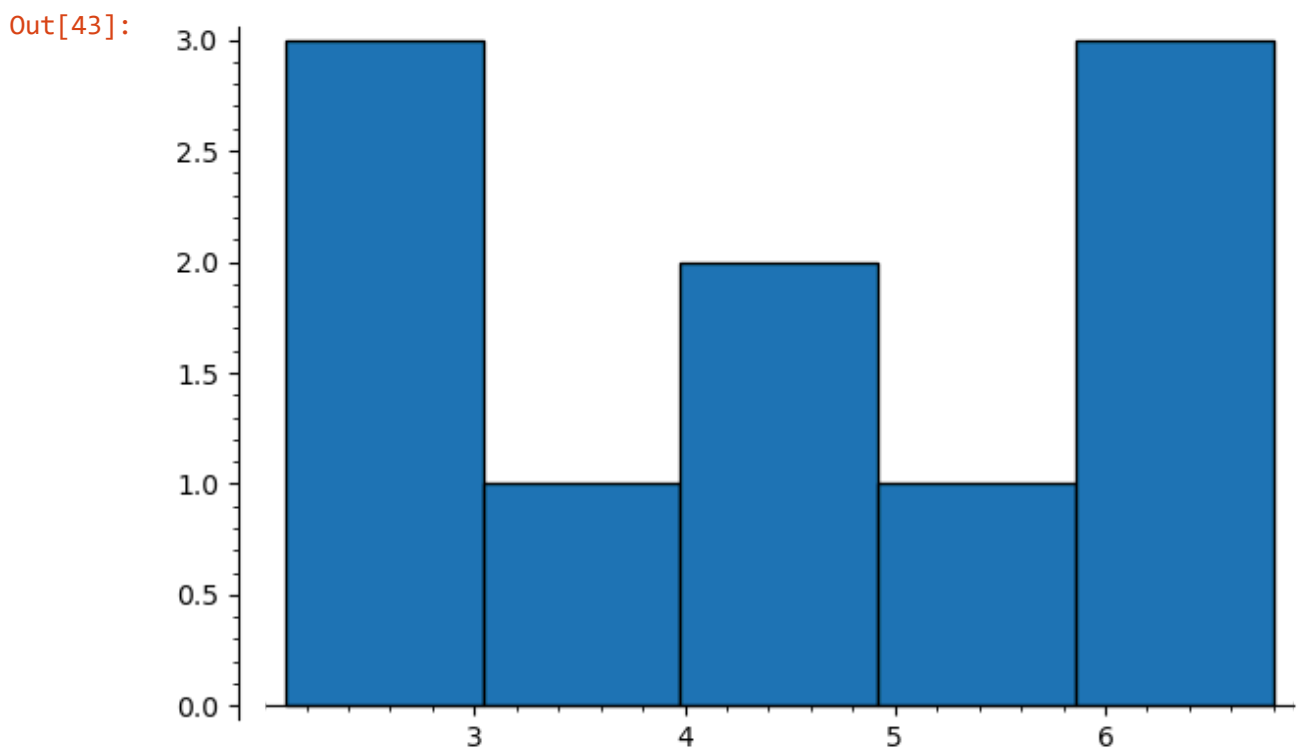
## Histogram

1. Draw the Histogram for the data set {1, 2, 2, 3, 3, 3, 4, 4, 4, 4, 5, 5, 6}

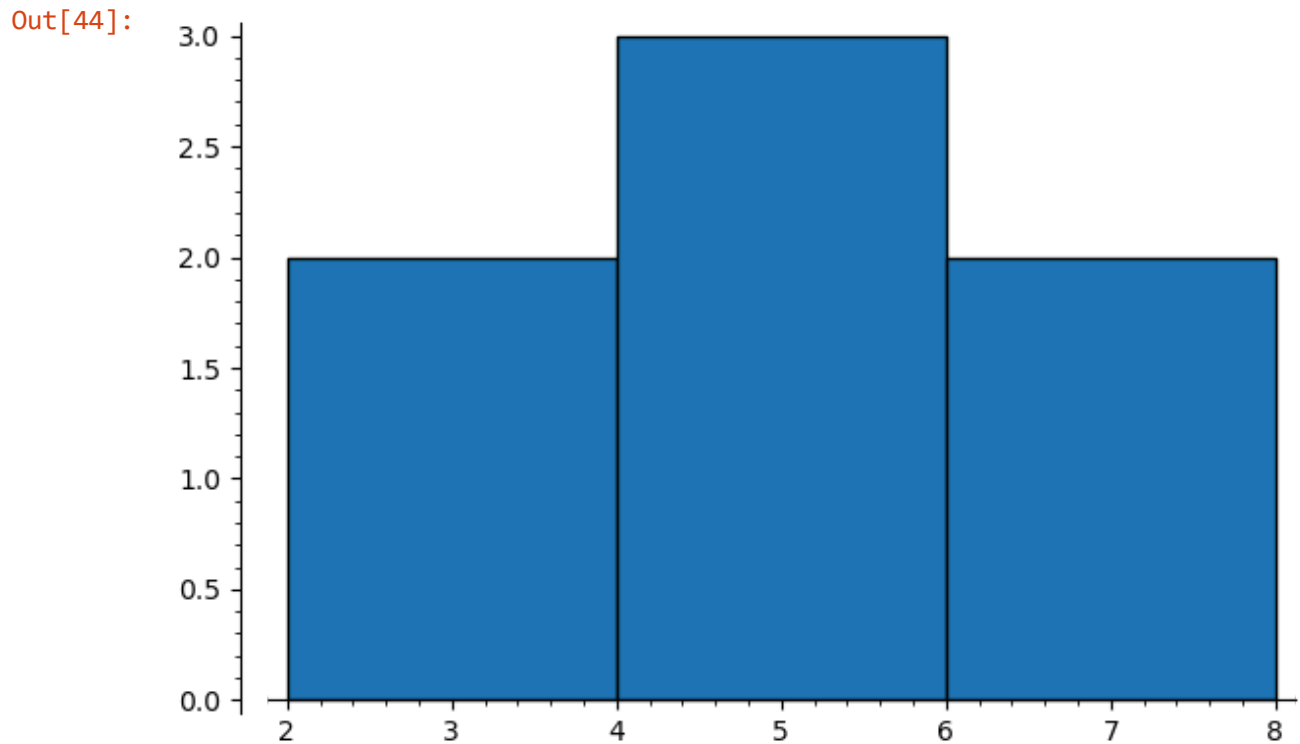
```
In [42]: # Discrete data
data = [ 1, 1, 2, 2, 2, 3, 3, 4, 4, 4, 4, 5, 6,6]
hist = histogram(data,bins=6)
hist
```



```
In [43]: # Sample continuous data
data1 = [2.1, 2.5, 3.0, 3.2, 4.1, 4.7, 5.3, 5.9, 6.0, 6.8]
# Histogram with specified number of bins
hist = histogram(data1, bins=5)
hist
```



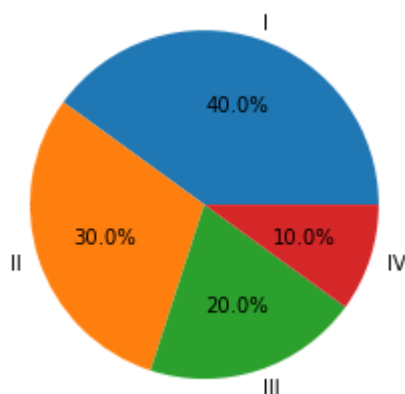
```
In [44]: #customized class intervals
# Continuous data
data1 = [ 2.5, 3.0, 4.1, 4.7, 5.3, 6.0, 6.8]
# Custom class intervals (bin edges)
bins = [2, 4, 6, 8]
# Histogram with customized frequency classes
hist = histogram(data1, bins=bins)
hist
```



## Pie Chart

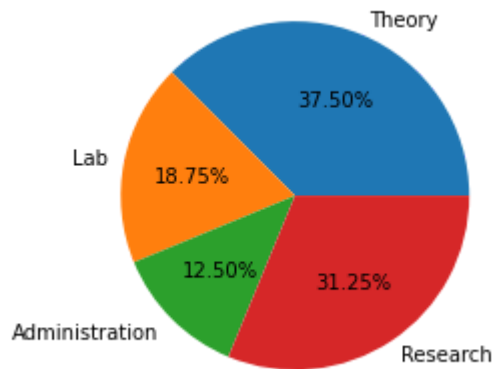
1. A data shows the following percentage of Students were placed in four different classes in an Exam.  
Draw a Pie chart to visualize the data\ Class: I II III IV \ Students: 40 30 20 10

```
In [48]: import matplotlib.pyplot as plt
plt.pie([40, 30, 20, 10], labels=['I', 'II', 'III', 'IV'], autopct='%1.1f%%')
plt.show()
```



The Workload of a Faculty is distributed as Theory: 6 hour Lab: 3 hour Administration: 2 hour Research: 5 hours Draw a pie chart to visualize the distribution of the workload.

```
In [49]: import matplotlib.pyplot as plt
plt.pie([6, 3, 2, 5], labels=['Theory', 'Lab', 'Administration', 'Research'],
autopct='%1.2f%%')
plt.show()
```

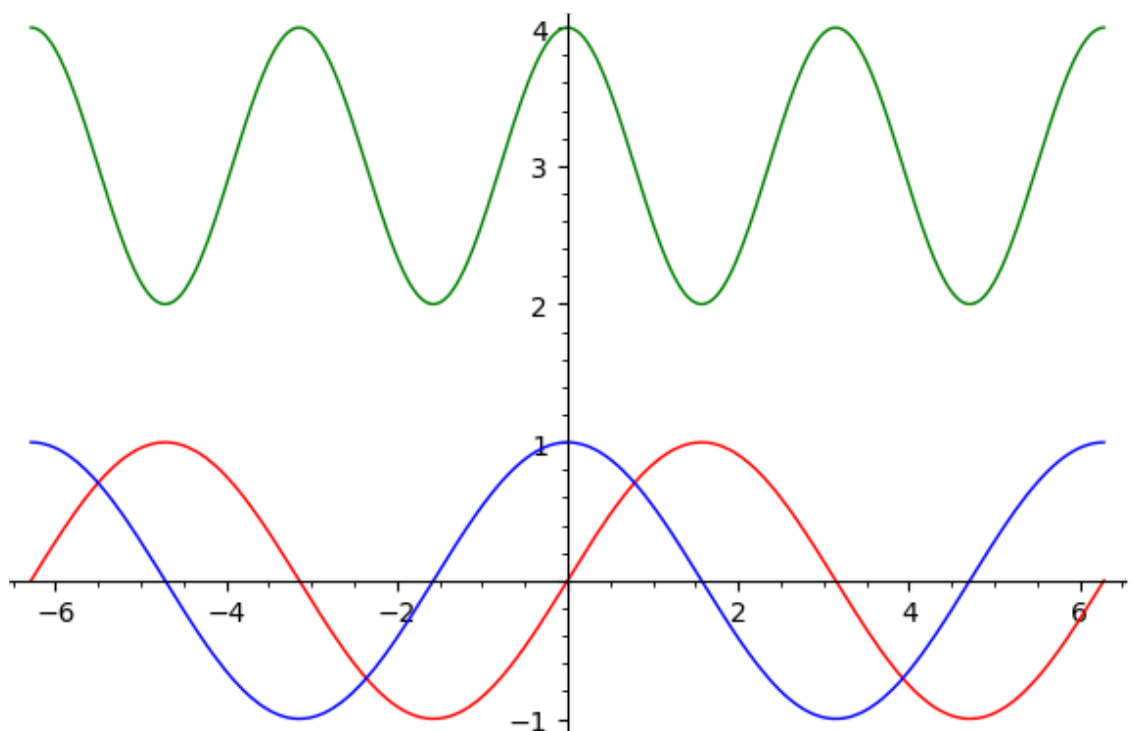


## Exercises

1) Draw the combine graph of  $y=\sin x$ ,  $y=\cos x$  and  $y=3+\cos 2x$  with different colors and legends.

```
In [60]: p1=plot(sin(x),-2*pi,2*pi, color="red")
p2=plot(cos(x),-2*pi,2*pi, color="blue")
p3=plot(3+cos(2*x),-2*pi,2*pi, color="green")
p1+p2+p3
```

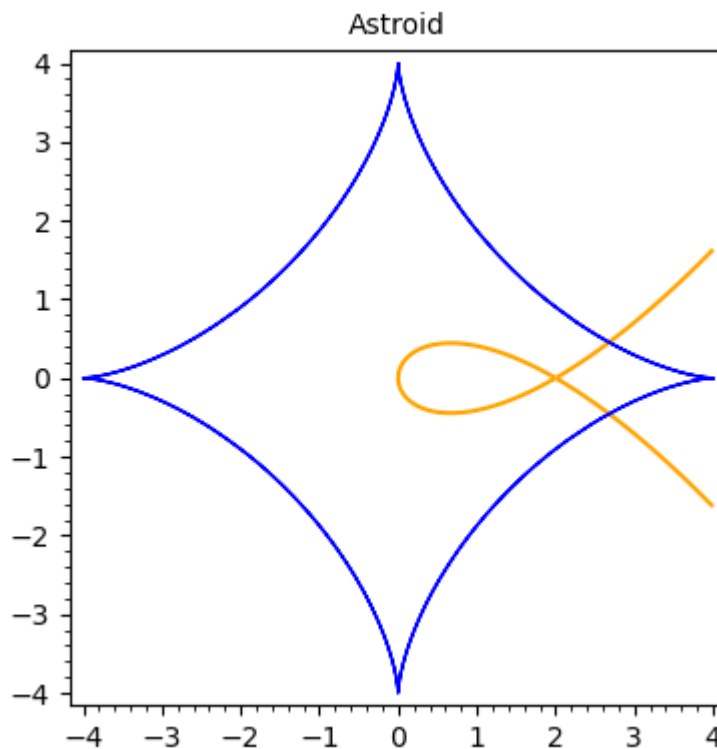
Out[60]:



2) Draw the graph of 1) Astroid  $(x)^2/3 + (y)^2/3 = (4)^2/3$  and 2)  $6y^2 = x(x - 2)^2$  with different colors and figsize.

```
In [65]: p1 = parametric_plot(
[4*cos(t)^3, 4*sin(t)^3],
(t, -2*pi, 2*pi),
color="blue",
title="Astroid"
)
p2=implicit_plot(6*y^2 == x*(x - 2)^2, (x, -4, 4), (y, -3, 3),
color='orange')
p1+p2
```

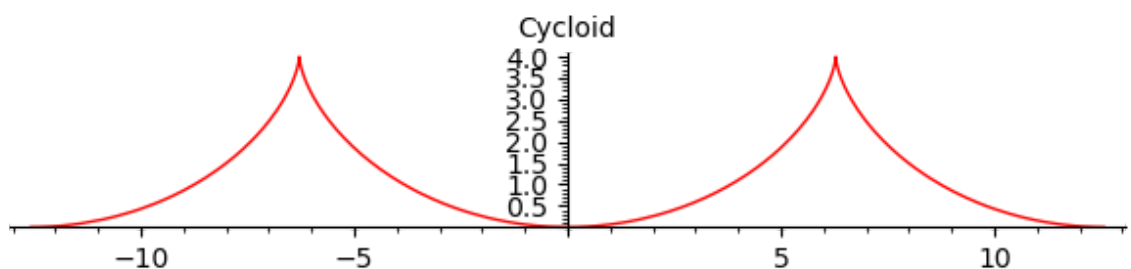
Out[65]:



3) Draw the parametric curve of cycloid  $x = 2(t + \sin t)$ ,  $y = 2(1 - \cos t)$  with proper legend and title.

```
In [72]: p1=parametric_plot(
[2*(t+sin(t)), 2*(1 - cos(t))],
(t, -2*pi, 2*pi),
color="red",
title="Cycloid"
)
p1
```

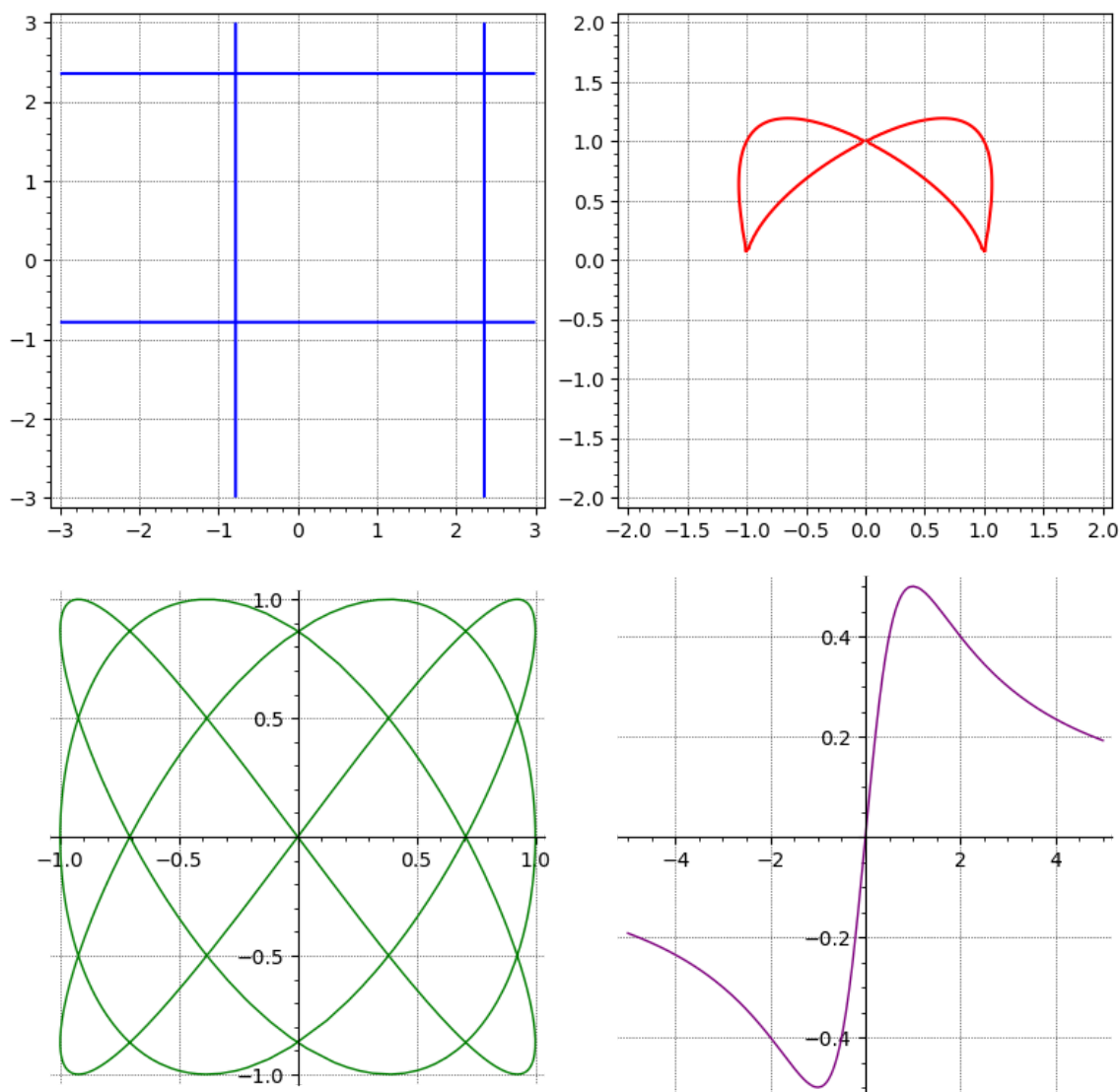
Out[72]:





4) Draw the graph of (a)  $\sin(x + y) + \cos(x - y) = 0$ , (b)  $(x^2 + y^2 - 1)^2 = x^2 y^3$  within appropriate range. (c) Plot the Lissajous figure  $x = \sin(3t)$ ,  $y = \sin(4t)$  and (d)  $y = x/x^2 + 1$  and arrange the in  $2 \times 2$  and grids

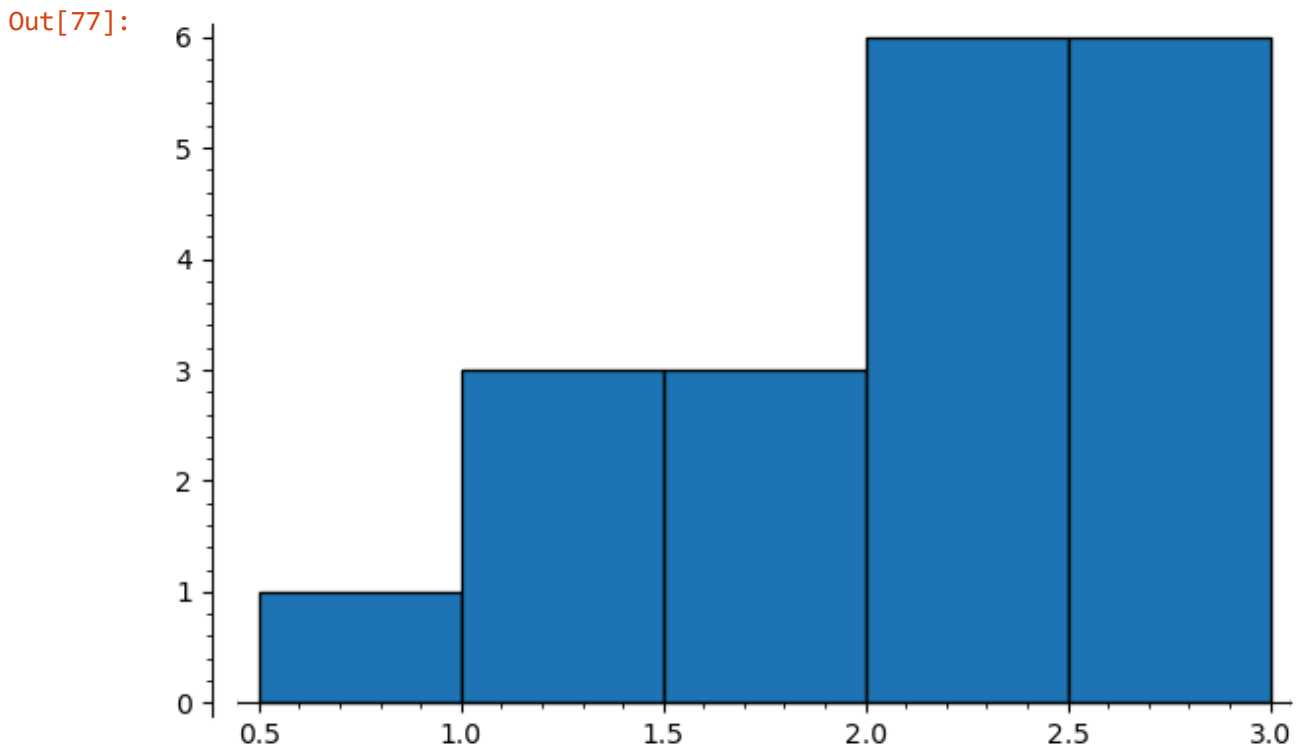
```
In [73]: x, y, t = var('x y t')
p1 = implicit_plot(sin(x+y)+cos(x-y)==0, (x,-3,3), (y,-3,3), color="blue")
p2 = implicit_plot((x^2+y^2-1)^2==x^2*y^3, (x,-2,2), (y,-2,2), color="red")
p3 = parametric_plot((sin(3*t), sin(4*t)), (t,0,2*pi), color="green")
p4 = plot(x/(x^2+1), (x,-5,5), color="purple")
graphics_array([[p1,p2],[p3,p4]]).show(gridlines=True, figsize=[8,8])
```



5) The following are the waiting times (in minutes) of 20 customers at a service counter:

$1/2, 1, 3/2, 2, 5/2, 2, 3, 3/2, 2, 5/2, 1, 3, 1, 2, 5/2, 3, 3/2, 2, 2$ . Draw a Histogram with customized bins.

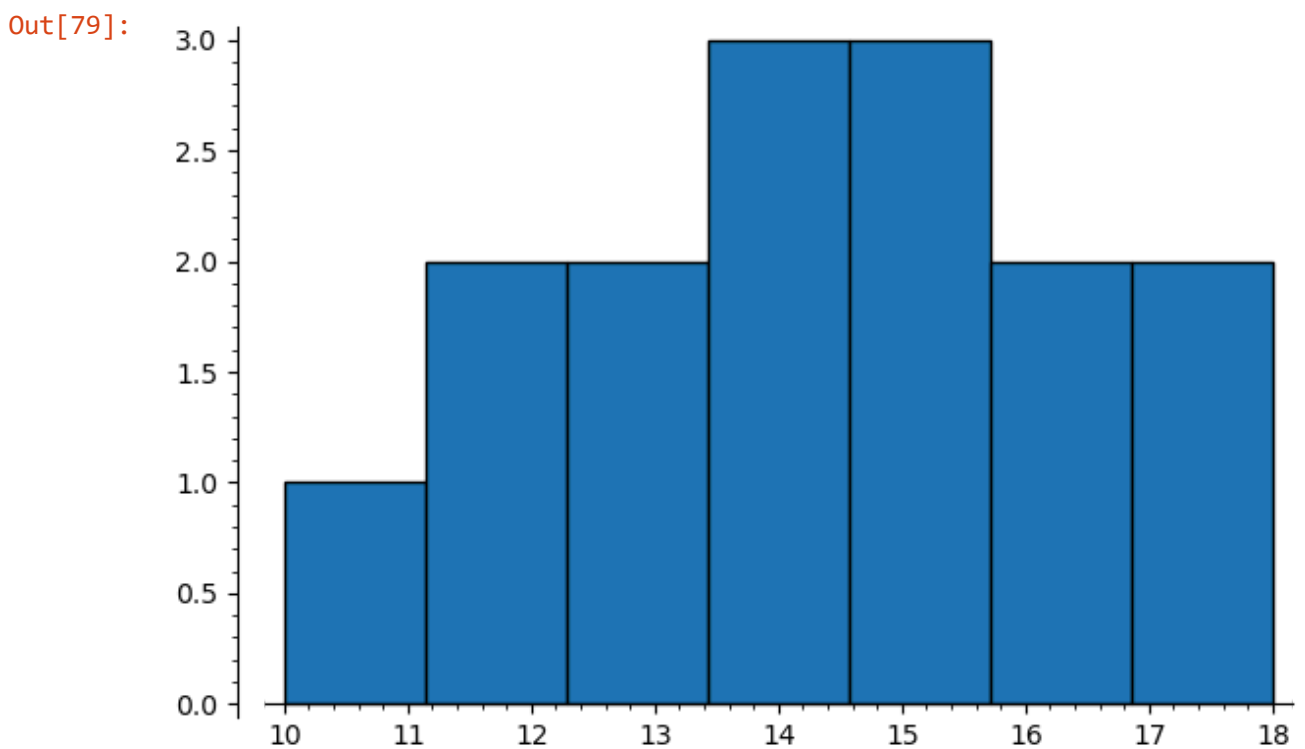
```
In [77]: data = [1/2,1,3/2,2,5/2,2,3,3/2,2,5/2,1,3,1,2,5/2,3,3/2,2,2]
hist = histogram(data,bins=5)
hist
```



6) The following are the marks obtained by 15 students in a quiz:

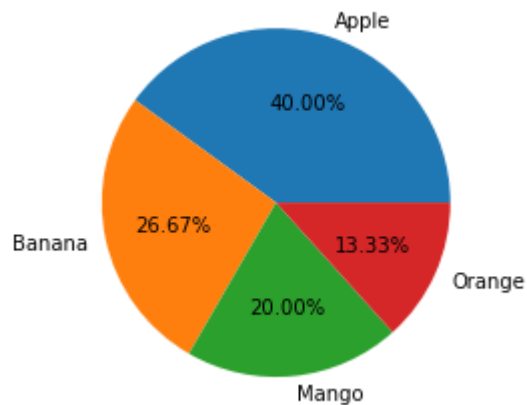
12,15,14,10,18,16,14,15,13,17,12,14,16,15,13 Draw a histogram to represent the data.

```
In [79]: data=[12,15,14,10,18,16,14,15,13,17,12,14,16,15,13]
hist=histogram(data,bins=7)
hist
```



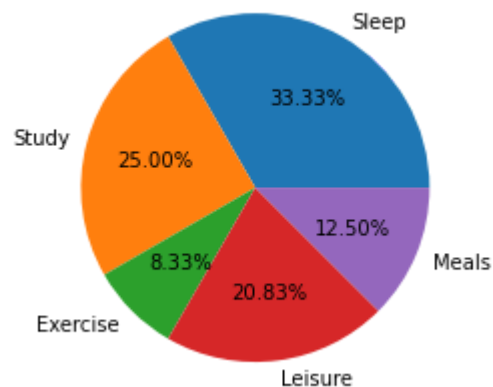
7) A survey of 30 people about their favorite fruit gave the following results: Apple: 12 Banana: 8 Mango: 6 Orange: 4 Draw a pie chart representing this data. Show fractional values on the chart up to 2 decimals.

```
In [82]: import matplotlib.pyplot as plt
plt.pie([12,8,6,4], labels=['Apple', 'Banana', 'Mango', 'Orange'], autopct='%1.2f%%')
plt.show()
```



8) A student records hours spent on daily activities in a 24-hour day: Sleep: 8 Study: 6 Exercise: 2 Leisure: 5 Meals: 3 Draw a pie chart showing the distribution of time spent on activities. Represent fractions (not percentages) on the slices up to 2 decimal places.

```
In [84]: import matplotlib.pyplot as plt
plt.pie([8,6,2,5,3], labels=['Sleep', 'Study', 'Exercise', 'Leisure', 'Meals'], autopct='%1.2f%%')
plt.show()
```



In [ ]: