

1749. Maximum Absolute Sum of Any subarray

1749. Maximum Absolute Sum of Any subarray

→ Given array return Maximum absolute subarray sum.

Input: $nums = [1, -3, 2, 3, -4]$

Output: 5

The subarr $[2, 3]$ has max abs sum = 5.

Brute force: find all subarray sum with abs value then return max of them.

Better Approach: Kadane's Algorithm

Input: $nums = [1, -3, 2, 3, -4]$

subarrays sum = $[1], [3], [2], [3], [-4], [1, 2], [0], [3], [1], [2], [2], [5]$

$[1], [4] \Rightarrow \max = 5$

Ex: Input $nums = [2, -5, 1, -4, 3, -2]$, output = 8

Subarray with max abs sum = $[-5, 1, -4]$

$[2, -5, 1, -4, 3, -2]$

min subarray sum = -8
max subarray sum = 3 } abs max(8, 3) = 8

DRY Run:-

ind	curr-sum	max-sum
0	1	1
1	$(-3, -3+1) = -2$	$(1, -2) = 1$
2	$(2, 2+(-2)) = 0$	$(2, 1) = 2$
3	$(2, 2+3) = 5$	$(5, 2) = 5$
4	$(5, 5+(-4)) = 1$	$(5, 5) = 5$

\max_sum

Now we have

max-subarray sum = 5

min-subarray sum = $(-8) = 8$

$\max(5, 8) = 8$ Output

Time Complexity = $O(n)$

Space Complexity = $O(1)$

→ we'll use Kadane's Algo for finding minimum & maximum subarray sum.

→ then we return max abs value of them.

code:-

```
int maxAbsSum (vector<int> & nums) {
    int n = nums.size();
    // Max Subarray sum
    max-sum = nums[0];
    curr-sum = nums[0];
    for (int i = 1; i < n; i++) {
        curr-sum = max(nums[i], curr-sum + nums[i]);
        max-sum = max(curr-sum, max-sum);
    }
    // min Subarray sum
    curr-sum = nums[0];
    min-sum = nums[0];
    for (int i = 1; i < n; i++) {
        curr-sum = min(nums[i], curr-sum + nums[i]);
        min-sum = min(curr-sum, min-sum);
    }
    return max(abs(min-sum), max-sum);
}
```

$[1, -3, 2, 3, -4]$

ind	curr-sum	min-sum
0	1	1
1	$(-3, -3+1) = -2$	$(1, -3) = -3$
2	$(2, 2+(-2)) = 0$	$(-1, -3) = -3$
3	$(2, 2+3) = 5$	$(-1, -3) = -3$
4	$(5, 5+(-4)) = 1$	$(-3, -3+5) = -1$

\min_sum