

[②. 2.3], [7 → is o

Print all Subsets

$$arr = \{1, 2, 3\}$$

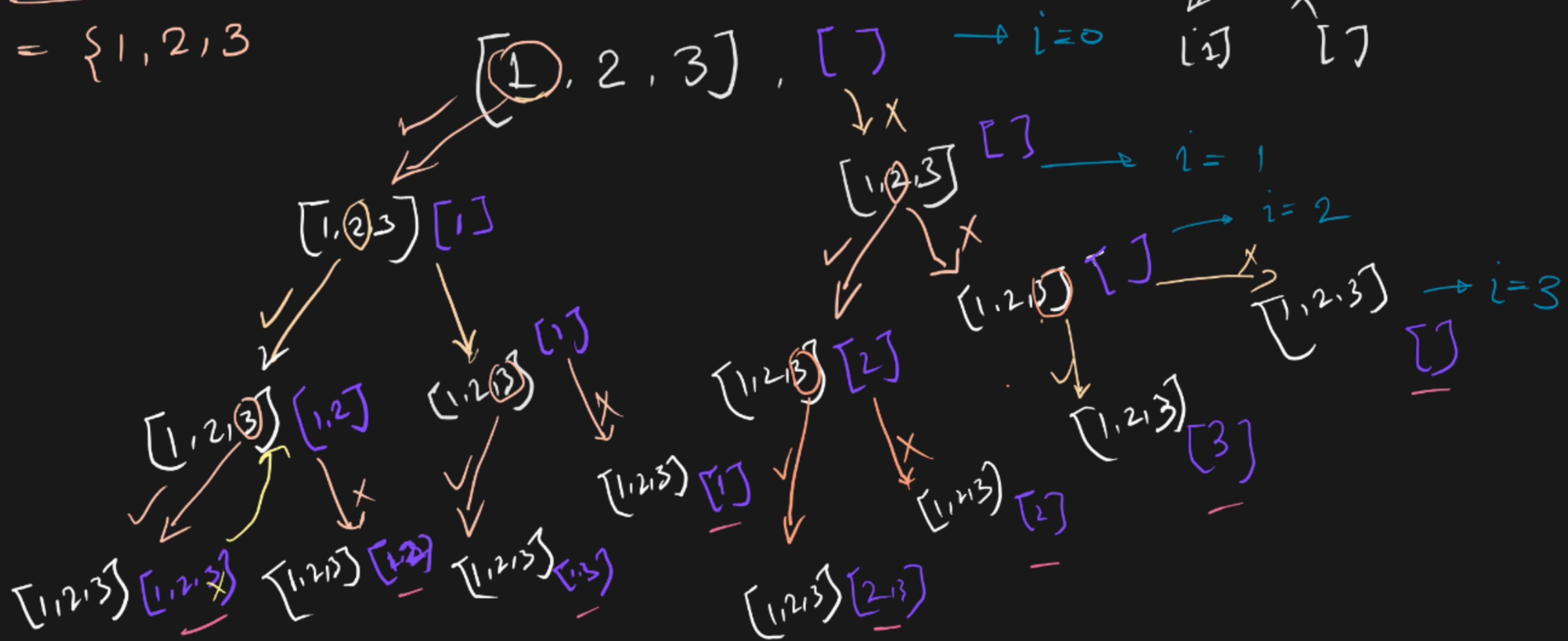
$$\{\{1\}, \{2\}, \{3\}, \{1, 2\}, \{1, 3\}, \{2, 3\}, \{1, 2, 3\}, \{\}\}$$

$$n=3 \quad 8 = 2^3$$

n elements = 2^n subsets

Using Recursion:

$$arr = \{1, 2, 3\}$$



we have all subsets : $[1, 2, 3]$, $[1, 2]$, $[1, 3]$, $[1]$, $[2, 3]$, $[2]$, $[3]$, $[\]$

→ arr []

→ ans = subset []

→ i → index = 0

arr = [1, 2, 3]

```
Void PrintSubsets (arr [], ans [], i) {
    if (i == arr.size ()) return;
    ans.push_back (arr[i]), } includ
```

PrintSubsets (arr, ans, i+1);

// Backtrack

ans.pop_back ();

PrintSubsets (arr, ans, i+1); } exc

// Full code

```
#include <iostream>
```

```

#include <vector>
using namespace std;

void PointsSubsets (vector<int> &arr, vector<int> &ans, int i) {
    if (i == arr.size())
    {
        for (int val : ans)
            cout << val << " ";
        cout << endl;
        return;
    }

    // include
    ans.push_back (arr[i]);
    PointsSubsets (arr, ans, i+1);

    ans.pop_back();           // Backtrack
    PointsSubsets (arr, ans, i+1);
}

int main () {
    vector<int> arr = {1, 2, 3};
    vector<int> ans;
    PointsSubsets (arr, ans, 0);
    return 0;
}

```

Complexities:- total calls * work done by each calls

$$2^n \neq n$$