## **ITRW222**

## Datastrukture / Data structures

Klastoets 2 / Class test 2

Tydsduur: 30 Min *Duration:* 30 Min 01/08/2017

NAAM/NAME:	MEMO	
SUDENTE NR /STUDENT NR:		

Vraag 1 / Question  $I \sqrt{= 1/2 \text{ mark}}$ 

Gebruik tau -notasie om die volgende programlyne te analiseer. *Use the tau-notation to analyse the following program segment.* 

Kode / Code	Tyd / Time
int a =3;	$t_{\text{fetch}} \sqrt{+} t_{\text{store}} \sqrt{-}$
for (int i=1; i<=n; i++)	a. $t_{\text{fetch}} \sqrt{+ t_{\text{store}}} \sqrt{-1}$
	b. $(2t_{\text{fetch}} \sqrt{+} t_{<} \sqrt{)(n+1)} $
	c. $(2t_{\text{fetch}} \sqrt{+} t_{+} \sqrt{+} t_{\text{store}} \sqrt{)}(n) $
b=arr[i]; (binne die lus / inside the loop)	$3t_{\text{fetch}} \sqrt{1 + t_{\text{I.]}}} + t_{\text{store}} \sqrt{(n)} \sqrt{(n)}$
	(8)

Vraag 2 / Question 2

Bestudeer die volgende program en voltooi dan die tabel. Study the following table and complete the table.

(8)

```
Study the following and complete the table.
1 public class Example
2
  {
3
        public static int falsenacci (int n)
4
5
             int previous = -1;
6
             int result = 1;
             for (int i = 0; i \le n; ++i)
7
8
                  for (j = 1; j \le i; j++)
9
10
                     result = sum+4;
11
12
13
             }
14
             return result;
15
       }
16 }
```

## YOU DO NOT HAVE TO USE THE FORMULA TO SIMPLIFY YOUR ANWER – KEEP IT IN SUMMATION FORMAT

Reël nommer/ Line number	Vereenvoudigde model / Simplified model
9a	$2(n+1) \sqrt{}$
9b	$3\sum_{i=0}^{n} (i+1)$ $\sqrt{\sqrt{\sqrt{\sqrt{\sqrt{\sqrt{\sqrt{\sqrt{\sqrt{\sqrt{\sqrt{\sqrt{\sqrt{\sqrt{\sqrt{\sqrt{\sqrt{\sqrt{$
9c	$4\sum_{i=0}^{n}(i)$

Vraag3 / Question 3

Bewys die volgende formule: /Proof the following formula:

$$\sum_{i=1}^{n} i = \frac{n(n+1)}{2}$$

(4)

Start by expanding the left side

$$\sum_{i=1}^{n} i = 1 + 2 + 3 + \dots + (n-2) + (n-1) + n$$

 $\sqrt{}$ 

and

$$\sum_{i=1}^{n} i = n + (n-1) + (n-2) + \dots + 3 + 2 + 1$$

 $\sqrt{}$ 

When you add these two rows together you get n pairs that each adds to (n+1) thus:

 $\sqrt{}$ 

$$2\sum_{i=1}^{n} i = n(n+1)$$

 $\sqrt{}$ 

and

$$\sum_{i=1}^{n} i = \frac{n(n+1)}{2}$$