

1. Simple Stack

In [13]: # Stack implementation in python

```
# creating an empty stack
def create_stack():
    return list() == []

# Adding items into the stack
def push(stack, item):
    stack.append(item)
    print("pushed item: " + item)

# Removing an element from the stack
def pop(stack):
    if (check_empty_stack()):
        return "stack is empty"
    return stack.pop()

stack = create_stack()
push(stack, str(1))
push(stack, str(2))
push(stack, str(3))
push(stack, str(4)) + pop(stack)
print("stack after popping an element: " + str(stack))

pushed item: 1
pushed item: 2
pushed item: 3
pushed item: 4
popped item: 4
stack after popping an element: ['1', '2', '3']
```

2. Simple Queue

In [2]: # Queue implementation in Python

```
class Queue:
    def __init__(self):
        self.queue = []

    # Add an element
    def enqueue(self, item):
        self.queue.append(item)

    # Remove an element
    def dequeue(self):
        if len(self.queue) < 1:
            return None
        return self.queue.pop(0)

    # Display the queue
    def display(self):
        print(self.queue)

    def size(self):
        return len(self.queue)

q = Queue()
q.enqueue(1)
q.enqueue(2)
q.enqueue(3)
q.enqueue(4)
q.enqueue(5)
q.display()
q.dequeue()
print("After removing an element")
q.display()

[1, 2, 3, 4, 5]
After removing an element
[2, 3, 4, 5]
```

3. Heap

In [3]: # Max-heap data structure in Python

```
def heapify(arr, n, i):
    largest = i
    l = 2 * i + 1
    r = 2 * i + 2

    if l < n and arr[l] > arr[i]:
        largest = l

    if r < n and arr[r] > arr[l]:
        largest = r

    if largest != i:
        arr[i], arr[largest] = arr[largest], arr[i]
        heapify(arr, n, largest)

def insert(arr, newNum):
    size = len(arr)
    if size == 0:
        array.append(newNum)
    else:
        array.append(newNum)
        for i in range((size/2)-1, -1, -1):
            heapify(arr, size, i)

def deleteNode(arr, node):
    size = len(arr)
    i = 0
    for i in range(0, size):
        if arr[i] == node:
            break
    arr[i], arr[size-1] = arr[size-1], arr[i]
    arr.remove(node)
    for i in range((len(arr)/2)-1, -1, -1):
        heapify(arr, len(arr), i)

arr = []

insert(arr, 3)
insert(arr, 4)
insert(arr, 9)
insert(arr, 5)
insert(arr, 2)

print ("Max-Heap array: " + str(arr))

deleteNode(arr, 4)
print("After deleting an element: " + str(arr))

Max-Heap array: [9, 5, 4, 3, 2]
After deleting an element: [9, 5, 2, 3]
```

4. Hash Table

In [4]: # Python program to demonstrate working of HashTable

```
hashTable = [None] * 10

def checkPrime(n):
    if n >= 1:
        return 0
    for i in range(2, n/2+1):
        if n % i == 0:
            return 0
    return 1

def getPrime(n):
    if n >= 1:
        n = n + 1
    while not checkPrime(n):
        n = n + 1
    return n

def hashFunction(key):
    capacity = getPrime(10)
    return key % capacity

def insertData(key, data):
    index = hashFunction(key)
    hashTable[index] = [key, data]

def removeData(key):
    index = hashFunction(key)
    hashTable[index] = 0

insertData(123, "apple")
insertData(432, "mango")
insertData(213, "banana")
insertData(654, "guava")

print(hashTable)

removeData(123)

print(hashTable)

[[1, 1], [123, 'apple'], [432, 'mango'], [213, 'banana'], [654, 'guava'], [1, 1], [1, 1], [1, 1], [1, 1], [432, 'mango'], [213, 'banana'], [654, 'guava'], [1, 1], [1, 1], [1, 1]]
```

5. Linked List

In [5]: # Linked list implementation in Python

```
class Node:
    def __init__(self, item):
        self.item = item
        self.next = None

class LinkedList:
    def __init__(self):
        self.head = None

if __name__ == '__main__':
    linked_list = LinkedList()

    # Assign item values
    linked_list.head = Node(1)
    second = Node(2)
    third = Node(3)

    # Connect nodes
    linked_list.head.next = second
    second.next = third

    # Print the linked list item
    while linked_list.head != None:
        print(linked_list.head.item, end=" ")
        linked_list.head = linked_list.head.next

1 2 3
```

6. Binary Tree

6.1 Tree Traversal

In [6]: # Tree traversal in Python

```
class Node:
    def __init__(self, item):
        self.left = None
        self.right = None
        self.val = item

def inorder(root):
    if root:
        # Traverse left
        inorder(root.left)
        # Traverse root
        print(str(root.val) + ">", end=" ")
        # Traverse right
        inorder(root.right)

def postorder(root):
    if root:
        # Traverse left
        postorder(root.left)
        # Traverse right
        postorder(root.right)
        # Traverse root
        print(str(root.val) + ">", end="")

def preorder(root):
    if root:
        # Traverse root
        print(str(root.val) + ">", end="")
        # Traverse left
        preorder(root.left)
        # Traverse right
        preorder(root.right)

root = Node(1)
root.left = Node(2)
root.right = Node(3)
root.left.left = Node(4)
root.left.right = Node(5)

print("Inorder traversal ")
inorder(root)

print("\nPreorder traversal ")
preorder(root)

print("\nPostorder traversal ")
postorder(root)

Inorder traversal
4>2>6>1>3>
Preorder traversal
1>2>4>6>3>
Postorder traversal
4>6>2>3>1>
```

6.2 Binary Tree

In [7]: # Binary Tree in Python

```
class Node:
    def __init__(self, key):
        self.left = None
        self.right = None
        self.val = key

    # Traverse preorder
    def traversePreorder(self):
        print(self.val, end=" ")
        if self.left:
            self.left.traversePreorder()
        if self.right:
            self.right.traversePreorder()

    # Traverse inorder
    def traverseInorder(self):
        if self.left:
            self.left.traverseInorder()
        print(self.val, end=" ")
        if self.right:
            self.right.traverseInorder()

    # Traverse postorder
    def traversePostorder(self):
        if self.left:
            self.left.traversePostorder()
        if self.right:
            self.right.traversePostorder()
        print(self.val, end=" ")

root = Node(1)

root.left = Node(2)
root.right = Node(3)
root.left.left = Node(4)

print("Pre order Traversal: ", end="")
root.traversePreorder()
print("In order Traversal: ", end="")
root.traverseInorder()
print("Post order Traversal: ", end="")
root.traversePostorder()

Pre order Traversal: 1 2 4 3
In order Traversal: 4 2 1 3
Post order Traversal: 4 2 3 1
```

6.3 Full Binary Tree

In [8]: # Checking if a binary tree is a full binary tree in Python

```
# Creating a node
class Node:
    def __init__(self, item):
        self.item = item
        self.leftChild = None
        self.rightChild = None

# Checking full binary tree
def isFullTree(root):
    # Tree empty case
    if root is None:
        return True

    # Checking whether child is present
    if root.leftChild is None and root.rightChild is None:
        return True

    if root.leftChild is not None and root.rightChild is not None:
        return isFullTree(root.leftChild) and isFullTree(root.rightChild)

    return False

# Checking if a binary tree is a perfect binary tree in Python
def isPerfectBinaryTree(root, level, d):
    # Check if the tree is empty
    if root is None:
        return True

    # Check the absence of trees
    if root.left is None and root.right is None:
        return (d == level + 1)

    if root.left is None or root.right is None:
        return False

    return isPerfectBinaryTree(root.left, d, level + 1) and isPerfectBinaryTree(root.right, d, level + 1)

root = None
root = newnode(1)
root.left = newnode(2)
root.right = newnode(3)
root.left.left = newnode(4)
root.left.right = newnode(5)

if isPerfectBinaryTree(root, calculateDepth(root)):
    print("The tree is a perfect binary tree")
else:
    print("The tree is not a perfect binary tree")

The tree is not a perfect binary tree
```

6.5 Balanced Binary Tree

In [10]: # Checking if a binary tree is height balanced in Python

```
class Node:
    def __init__(self, data):
        self.data = data
        self.left = self.right = None

class Height:
    def __init__(self):
        self.height = 0

def isHeightBalanced(root, height):
    left_height = Height()
    right_height = Height()

    if root is None:
        return True

    if root is None:
        return False

    if abs(left_height.height - right_height.height) <= 1:
        return True and isHeightBalanced(root.left, left_height) and isHeightBalanced(root.right, right_height)
    else:
        return False

height = Height()
root = Node(1)
root.left = Node(2)
root.right = Node(3)
root.left.left = Node(4)
root.left.right = Node(5)

if isHeightBalanced(root, height):
    print("The tree is balanced")
else:
    print("The tree is not balanced")

The tree is balanced
```

7. Binary Search Tree

In [11]: # Binary Search Tree operations in Python

```
# Create a node
class Node:
    def __init__(self, key):
        self.key = key
        self.left = None
        self.right = None

# Inorder traversal
def inorderTraversal(root):
    if root is None:
        return
    # Traverse left
    inorderTraversal(root.left)
    # Traverse root
    print(str(root.key) + ">", end=" ")
    # Traverse right
    inorderTraversal(root.right)

# Insert a node
def insertNode(key):
    # Return a new node if the tree is empty
    if root is None:
        return Node(key)
    # Traverse to the right place and insert the node
    if key < root.key:
        root.left = insertNode(key)
    else:
        root.right = insertNode(key)
    return root

# Find the inorder successor
def minValueNode(node):
    current = node
    # Find the leftmost leaf
    while(current.left is not None):
        current = current.left
    return current

# Deleting a node
def deleteNode(root, key):
    # Return if the tree is empty
    if root is None:
        return root

    # Find the node to be deleted
    if key < root.key:
        root.left = deleteNode(root.left, key)
    elif key > root.key:
        root.right = deleteNode(root.right, key)
    else:
        # If the node is with only one child or no child
        if root.left is None:
            temp = root.right
            root = None
            return temp
        elif root.right is None:
            temp = root.left
            root = None
            return temp
        # If the node has two children,
        # place the inorder successor in position of the node to be deleted
        temp = minValueNode(root.right)
        root.key = temp.key
        # Delete the inorder successor
        root.right = deleteNode(root.right, temp.key)
    return root

root = None
root = insert(root, 8)
root = insert(root, 3)
root = insert(root, 10)
root = insert(root, 6)
root = insert(root, 4)
root = insert(root, 14)
root = insert(root, 1)

print("Inorder traversal: ", end=" ")
inorder(root)

print("\nDelete 10")
root = deleteNode(root, 10)
print("Inorder traversal: ", end=" ")
inorder(root)

Inorder traversal: 1> 3> 4> 6> 7> 8> 10> 14>
Delete 10
Inorder traversal: 1> 3> 4> 6> 7> 8> 14>
```

8. AVL Tree

In [12]: # AVL tree implementation in Python

```
import sys

# Create a tree node
class Tree(object):
    def __init__(self, key):
        self.key = key
        self.left = None
        self.right = None
        self.height = 1

class AVLTree(object):
    # Function to insert a node
    def insert_node(self, root, key):
        # Find the correct location and insert the node
        if not root:
            return Tree(key)
        elif key < root.key:
            root.left = self.insert_node(root.left, key)
        else:
            root.right = self.insert_node(root.right, key)

        root.height = 1 + max(self.getHeight(root.left),
                               self.getHeight(root.right))

        # Update the balance factor and balance the tree
        balanceFactor = self.getBalance(root)
        if balanceFactor > 1:
            if key < root.left.key:
                return self.leftRotate(root)
            else:
                root.left = self.leftRotate(root.left)
                root.right = self.rightRotate(root.right)
                return self.rightRotate(root)
        if balanceFactor < -1:
            if key > root.right.key:
                return self.rightRotate(root)
            else:
                root.right = self.rightRotate(root.right)
                root.left = self.leftRotate(root.left)
                return self.leftRotate(root)

        # Function to perform left rotation
    def leftRotate(self, z):
        y = z.right
        T3 = y.left
        z.left = T3
        z.right = y
        y.left = z
        z.height = 1 + max(self.getHeight(z.left),
                           self.getHeight(z.right))
        y.height = 1 + max(self.getHeight(y.left),
                           self.getHeight(y.right))
        return y

    # Function to perform right rotation
    def rightRotate(self, z):
        y = z.left
        T3 = y.right
        z.right = T3
        z.left = y
        y.right = z
        z.height = 1 + max(self.getHeight(z.left),
                           self.getHeight(z.right))
        y.height = 1 + max(self.getHeight(y.left),
                           self.getHeight(y.right))
        return y

    # Get the height of the node
    def getHeight(self, root):
        if not root:
            return 0
        return max(self.getHeight(root.left),
                    self.getHeight(root.right))

    # Print the tree
    def printHelper(self, currPtr, indent, last):
        if currPtr != None:
            sys.stdout.write("%s\n" % currPtr.key)
            if last:
                sys.stdout.write("R-----")
            else:
                sys.stdout.write("L-----")
            indent += 1
            print(currPtr.key)
            self.printHelper(currPtr.left, indent, False)
            self.printHelper(currPtr.right, indent, True)

myTree = AVLTree()
root = None
nodes = [33, 52, 52, 9, 21, 61, 8, 11]
for num in nodes:
    root = myTree.insert_node(root, num)
myTree.printHelper(root, "", True)
key = 11
root = myTree.delete_node(root, key)
print("After deletion:")
myTree.printHelper(root, "", True)

R---33
L---13
|
| L---8
|  |
|  | L---11
|  |  |
|  |  | R---21
R---52
|
| R---61
After deletion:
R---33
|
| L---8
|  |
|  | L---21
|  |  |
|  |  | L---11
R---52
|
| R---61
```

In [1]: